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Judith Sippel

# The Paleostress History of the Central European Basin System

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## The Paleostress History of the Central European Basin System

Dissertation zur Erlangung des akademischen Grades doctor rerum naturalium (Dr. rer. nat.) im Fachbereich Geowissenschaften an der Freien Universität Berlin 2009

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Parts of Chapters 2 and 4 are already in press in the following journal:

Paleostress states at the south-western margin of the Central European Basin System - application of fault-slip analysis to unravel a polyphase deformation pattern

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#### **Abstract**

The Central European Basin System (CEBS) in North Central Europe is a complex intracontinental system of sedimentary basins that evolved through several geodynamic phases since Late Carboniferous times. At present, the basin system is framed by the Tornquist Zone in the north and the Elbe Fault System in the south. The main structural configuration of the basin system is well established due to decades of scientific research and intense industrial exploration for mineral resources. The scope of this PhD thesis is to assess which paleostress fields controlled the evolution of the basin system.

The base for the present study is provided by fault-slip data (striated fault planes with known sense of slip) measured in outcrops of two structural domains: along the Elbe Fault System as part of the inverted southern margin of the CEBS (906 fault-slip data) and in the Oslo Graben area located north of the Tornquist Zone (2191 data). The first part of this thesis (Chapter 2) introduces a new strategy for estimating paleostress states from heterogeneous sets of fault-slip data (Stress Inversion Via Simulation, SVS). This stepwise technique combines two well established methods, the PBT-axes-Method (Sperner et al., 1993) and the Multiple Inverse Method (Yamaji, 2000), with a final simulation of stress states (Yamaji & Sato, 2005). The simulation allows interactively fitting the parameters of a 'reduced stress tensor' comprising (1) the directions of the principal stress axes,  $\sigma_1$ ,  $\sigma_2$ ,  $\sigma_3$  (with  $\sigma_1 \ge \sigma_2 \ge \sigma_3$ ) and (2) the ratio of principal stress differences,  $R=(\sigma_2-\sigma_3)/(\sigma_1-\sigma_3)$ , to a set of fault-slip data. One improvement of SVS compared to former stress inversion techniques is that an estimated stress tensor fulfils both the criterion of low misfit angles (Wallace-Bott slip criterion) and that of high shear-to-normal-stress ratios (Mohr-Coulomb criterion) for the associated faults.

In the second part of this thesis (Chapters 4 and 5), estimated paleostress tensors – 77 tensors from the Elbe Fault System area and 194 tensors from the Oslo Graben area – are presented. It is demonstrated, that based on occurrences of stress states in different stratigraphic formations, chronological constraints derived from field observations, and consistencies in the reduced stress tensors, most of the locally estimated stress states can be related to a small number of regionally traceable stress fields.

A compressional stress field with a horizontal NW-SE-directed maximum compression ( $\sigma_1$ ) characterises the Caledonian imprint in the Oslo Graben area. The most prominent regional stress field reconstructed in the Oslo Graben area is tensional in character with a horizontal WNW-ESE-directed  $\sigma_3$  and related to the stages of Permo-Carboniferous rifting. The youngest stress states detected correspond to a wrench regime with a roughly N-S-directed  $\sigma_1$  and a maximum age of Permian. The absolute timing of this stress field is poorly constrained because of the lack of any exposed rocks younger than Permian. Possibly, the Oslo Graben area remained widely unaffected by any major tectonic activity during much of the Mesozoic and Cenozoic.

The oldest and predominant regional stress fields reconstructed for the Elbe Fault System area are related to the Late Cretaceous - Early Tertiary phase of inversion that affected much of the CEBS. The phase of inversion was controlled by a horizontal N-S- to NE-SW-directed  $\sigma_1$  which characterised both an older compressional stress field as well as a younger strike-slip stress field. Strike-slip stress states with horizontal E-W- to NW-SE-directed  $\sigma_1$ -axes, on the other hand, might be interpreted as indicating a separate regional stress field that postdated the inversion or as being related to permutations of principal axes still under the N-S- to NE-SW-directed strike-slip stress field of inversion. The youngest reconstructed stress regime in the Elbe Fault System area is tensional in character combining various directions of horizontal extension. The associated stress states locally reveal low stress ratios indicating vertical flattening which partly can be related to the occurrence and potential movements of salt structures underneath. The scarcity of pre-Late Cretaceous signs of faulting in the Elbe Fault System area indicates that the inversion-related deformation widely overprinted potential

traces of earlier deformation which corresponds to an extensive "reprogramming" of the observable strain patterns along the inverted southern margin of the CEBS.

Finally, the last part of this thesis presents implications drawn from a synthesis of various studies on paleostresses and recent stresses in North Central Europe. Since the stress fields from the two study areas cannot be correlated temporally, conclusions on the Permo-Carboniferous to recent evolution of stress fields affecting the entire Central European Basin System are strongly limited. The lack of any indications of Late Cretaceous - Early Tertiary inversion tectonics in the Oslo Graben area might be related to the N-S trend of this fault-bounded block which like other N-S-trending domains in the CEBS was in line with the N-S-directed contraction during inversion. Another explanation may be provided by strain localisation along the Tornquist Zone due to which the Oslo Graben area has been shielded from inversion-related far field stresses. Strain localisation along the Elbe Fault System and the Tornquist Zone exposes the special role of these pre-existing zones of crustal weakness for the spatial variation of stresses and strain patterns.

### Zusammenfassung

Das Zentraleuropäische Beckensystem (CEBS) im nördlichen Zentraleuropa ist ein komplexes intrakontinentales System sedimentärer Becken, das sich seit dem spätesten Karbon im Zuge verschiedener geodynamischer Phasen entwickelt hat. Die gegenwärtige Struktur dieses Beckensystems wird entscheidend durch die Tornquist Störungszone im Norden und das Elbe-Störungssystem im Süden geprägt. Das strukturelle Inventar dieses Beckensystems ist weitgehend bekannt, was eine Folge jahrzehntelanger wissenschaftlicher Aktivitäten und industrieller Untersuchungen zur Exploration mineralischer Rohstoffe im Gebiet ist. Im Rahmen dieser Dissertation zu Erlangung des akademischen Grades Dr. rer. nat. soll rekonstruiert werden, welche tektonischen Paläospannungsfelder die Entwicklung des CEBS kontrollierten.

Die vorliegende Studie basiert auf Harnischflächen-Daten (gestriemte Störungsflächen mit bekanntem Bewegungssinn), die in Aufschlüssen zweier struktureller Einheiten eingemessen wurden: zum einen entlang des Elbe-Störungssystems am invertierten Südrand des CEBS (906 Daten), zum anderen im Gebiet des Oslograbens nördlich der Tornquist Störungszone (2191 Daten). Im ersten Teil dieser Arbeit wird eine neue Strategie zur Ermittlung von Paläospannungszuständen aus heterogenen und polyphasen Harnischflächen-Datensätzen vorgestellt (Spannungsinversion mittels Simulation, SVS). Dieses schrittweise Verfahren kombiniert zwei bereits bewährte Methoden, die PBT-Achsenmethode (Sperner et al., 1993) die Multiple Inversionsmethode (Yamaji, 2000), mit einer abschließenden Spannungssimulation (Yamaji & Sato, 2005). Mittels Spannungssimulation können die Parameter ,reduzierten Spannungstensors', des d.h. die Richtungen Hauptspannungsachsen  $\sigma_1$ ,  $\sigma_2$ ,  $\sigma_3$  (mit  $\sigma_1 \ge \sigma_2 \ge \sigma_3$ ) und der Spannungsdifferenzenquotient,  $R=(\sigma_2-\sigma_3)/(\sigma_1-\sigma_3)$ , variiert und interaktiv an einen Harnischflächen-Datensatz angepasst werden. Eine Optimierung, die SVS gegenüber früheren Inversionsmethoden auszeichnet, betrifft die Qualität der ermittelten Spannungstensoren: sie passen optimal zu den betrachteten Harnischflächen-Daten, da sie nicht nur die beobachteten Scherrichtungen herbeiführen, sondern auch ein großes Verhältnis zwischen Scher- und Normalspannung auf den Flächen induzieren würden (Wallace-Bott-Scherbewegungskriterium und Reibungskriterium erfüllt).

Im zweiten Teil dieser Dissertation werden die ermittelten Paläospannungstensoren präsentiert: 77 Tensoren aus dem Gebiet des Elbe-Störungssystems und 194 Tensoren aus dem Gebiet des Oslo Grabens. Es wird gezeigt, dass sich diese lokal ermittelten Paläospannungen aufgrund ihre Auftretens in verschieden alten Gesteinsformationen, aufgrund von Geländebefunden zu relativen Altersbeziehungen und aufgrund von Übereinstimmungen in den Parametern der 'reduzierten Spannungstensoren' zu wenigen regional wirkenden Spannungsfeldern vereinen lassen.

Ein kompressionales Spannungsfeld mit horizontaler NW-SE-gerichteter maximaler Kompression (σ<sub>1</sub>) charakterisiert die Einflüsse der Kaledonischen Orogenese im Gebiet des Oslograbens. stärksten ausgeprägte regionale Paläospannungsfeld Das am Oslograbengebiet entspricht einem extensionalen Regime mit horizontaler WNW-ESEgerichteter  $\sigma_3$ -Achse. Dieses Paläospannungsfeld kann zeitlich der Hauptphase der permokarbonen Riftentstehung im Gebiet zugeordnet werden. Die jüngsten rekonstruierten Paläospannungstensoren im Oslograbengebiet entsprechen einem Seitenverschiebungsregime mit etwa N-S-gerichteter  $\sigma_1$ -Achse. Diese Paläospannungen sind maximal permischen Alters, wobei sich ihr absolutes Alter aufgrund des Fehlens mesozoischer und känozoischer Gesteinsformationen nicht weiter spezifizieren lässt. Es ist möglich, Oslograbengebiet über weite Zeiträume des Mesozoikums und Känozoikums nicht von stärkeren tektonischen Aktivitäten erfasst wurde.

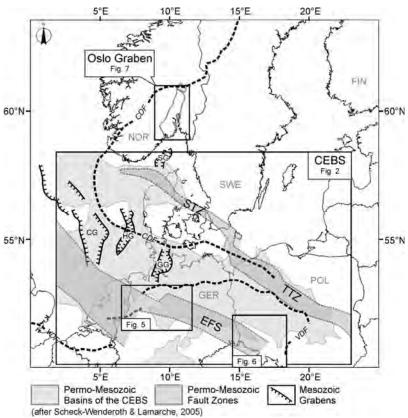
Die ältesten und zugleich am deutlichsten erkennbaren regionalen Paläospannungsfelder, die für das Gebiet des Elbe-Störungssystems ermittelt wurden, lassen sich mit der spätkretazischfrühtertiären Phase der Beckeninversion in weiten Teilen des CEBS in Verbindung bringen. Diese Phase der Inversion wurde von einer horizontalen N-S- bis NE-SW-gerichteten σ<sub>1</sub>-Achse beherrscht, die sowohl ein älteres Kompressions- als auch ein jüngeres Seitenverschiebungsfeld charakterisiert. Lokal auftretende Seitenverschiebungsspannungen mit horizontal E-W- bis NW-SE-gerichteter  $\sigma_1$ -Achse können zum einen als ein separates, nach der Inversion eintretendes Spannungsfeld interpretiert werden. Zum anderen lassen sie sich auch durch lokale Permutationen von Hauptspannungsachsen während der Seitenverschiebungsphase der Inversion erklären. Die jüngsten Paläospannungen im Elbe-Störungssystem entsprechen einem extensionalen Regime, das durch eine große Variation lokaler Extensionsrichtungen ( $\sigma_3$ ) gekennzeichnet ist. Verbreitet sind diese Spannungen mit niedrigen Spannungsdifferenzenquotienten verbunden, die zum Teil mit dem Auftreten und den potentiellen Bewegungen von Salzstrukturen im Untergrund in Verbindung gebracht werden können. Die seltene Nachweisbarkeit von prä-spätkretazischer Störungsaktivität im Gebiet des Elbe-Störungssystems ist ein Indiz dafür, dass Spuren älterer Deformationsphasen im Zuge der Inversion großflächig überprägt wurden, was einer weitgehenden "Neuprogrammierung" der beobachtbaren Deformationsmuster gleichkommt.

Im abschließenden Teil dieser Arbeit werden Schlussfolgerungen formuliert, die auf einer Synthese verschiedener Studien zu Paläospannungen und rezenten Spannungsfeldern im nördlichen Zentraleuropa basieren. Da eine zeitliche Korrelation der in den zwei Untersuchungsgebieten ermittelten Paläospannungen nicht möglich Schlussfolgerungen, die die permo-karbone bis rezente Entwicklung von Paläospannungen im gesamten Zentraleuropäischen Beckensystem betreffen, stark eingeschränkt. Das Fehlen jeglicher Indikationen für eine spätkretazisch-frühtertiäre Deformation im Oslograbengebiet könnte Folge der N-S-Ausrichtung dieser strukturellen Einheit sein, die somit (ähnlich wie andere N-S-gerichtete Strukturen im CEBS) für eine Reaktivierung durch N-S-gerichtete Kontraktion und Inversion nicht geeignet war. Ein alternatives Szenario berücksichtigt die starke Konzentration von Deformation auf Gebiete der Tornquist Störungszone, durch die das Oslograbengebiet gegen die Fernwirkung inversionssteuernder Spannungen eventuell abgeschirmt wurde. Die Lokalisation von Deformation auf die Gebiete des Elbe-Störungssystems und der Tornquist Störungszone spiegelt den Einfluss präexistierender krustaler Schwächezonen auf die räumliche Variation und den örtlichen Wirkungsgrad von Spannungsfeldern wider.

## 1 Introduction

Understanding sedimentary basins is of great and ever growing importance for society as these geological archives provide great amounts of economic recourses as oil and water while at the same time they are getting in the focus for waste disposal and the usage of geothermal energy. To understand the present configuration of a basin system and to potentially forecast its future evolution requires comprehending as much as possible of its development through the past. Under changing external forces, a sedimentary basin may become complex in terms of geometry of sub-basins, distribution of sedimentary products, or heat flux, for instance. Accordingly, successive deformation phases are often related to a complex pattern of superposing structures archived in the stratigraphic sequence of a basin. The base for the present study is provided by structures of brittle deformation accessible in outcrops of the Central European Basin System. The goal of the study, finally, is to assess which paleostress fields had controlled the evolution of this complex system of basins.

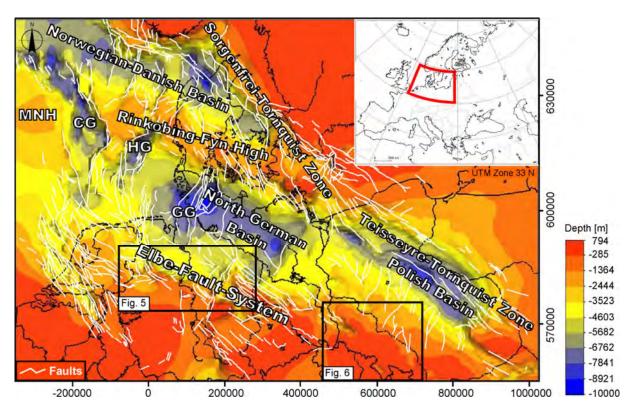
The Central European Basin System (CEBS) in North Central Europe is a complex intracontinental sedimentary basin system that evolved through a series of Late Carboniferous to Cenozoic deformation phases (Fig. 1; Scheck-Wenderoth and Lamarche, 2005). The CEBS has been extensively explored over the past decades, not least for the sake of its economically important resources of hydrocarbons. As a result, the sedimentary fill and the present crustal structure of the basin system are well constrained by geophysical and geological data acquired in particular during seismic experiments like DEKORP Basin '96, MONA LISA, or BABEL.



**Figure 1:** Sketch map of the main structural elements and the location of the Central European Basin System. The present study focuses on two areas along the Elbe Fault System (Fig. 5, 6) and an area structured by the Permo-Carboniferous Oslo Graben (Fig. 7).

CDF – Caledonian Deformation Front (EUGENO-S Working Group, 1988), VDF – Variscan Deformation Front (Lokhorst, 1998), CG – Central Graben, EFS – Elbe Fault System, GG – Glücksstadt Graben, HG – Horn Graben, SG – Skagerrak Graben, STZ – Sorgenfrei-Tornquist Zone, TTZ – Teisseyre-Tornquist Zone (all after Scheck-Wenderoth & Lamarche, 2005).

The CEBS is framed by two major NW-SE-oriented fault systems: the Elbe Fault System (EFS) in the south and the Tornquist Zone (TZ) comprising the elements of the Sorgenfrei-Tornquist Zone and the Teisseyre-Tornquist Zone in the north (Fig. 2). Between these major fault zones, several sub-basins are arranged with NW-SE-trending axes like the Norwegian-Danish Basin, the North German Basin, and the Polish Basin which, in turn, are separated by the structural highs of the Mid-North-Sea-High and the Ringkøbing-Fyn-High. Beside this prominent NW-SE trend of structures, there are also elements with N-S-oriented axes, such as the Central Graben, the Horn Graben, and the Glückstadt Graben. Despite having developed above a puzzle of different crustal domains with Precambrian, Caledonian and Variscan consolidation ages, the different sub-basins are characterised by partially correlating subsidence histories since Late Carboniferous times – consistencies in their development that unite them to a collective system of basins, the CEBS.



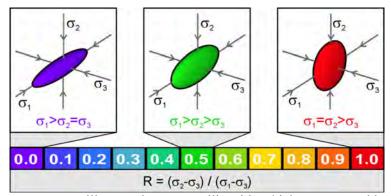
**Figure 2:** Depth to top pre-Permian in the Central European Basin System (modified after Scheck-Wenderoth & Lamarche, 2005). The major structural elements strike NW-SE as the Elbe Fault System, the Mid-North-Sea High (MNH), the Ringkøbing Fyn High, and the Sorgenfrei- and Teisseyre-Tornquist Zone. A second set of structures trends N-S as the Glücksstadt Graben (GG), the Horn Graben (HG), and the Central Graben (CG). The locations of the studied areas within the Elbe Fault System are indicated (Fig. 5, 6).

Whereas the main structural configuration of the basin system is well known and the documented temporal and spatial variations of depositional and erosional centres provide extensive constraints on the tectonic evolution of the entire CEBS (Chapter 3), to date, the perceptions on the deformation-controlling stress fields are rather qualitatively. Ideas of this kind have evolved from studies that investigate the structural evolution of the CEBS on a basin scale (Scheck-Wenderoth & Lamarche, 2005) or on the scale of sub-basins (Clausen & Pedersen, 1999; Scheck & Bayer, 1999; Hansen et al., 2000; Baldschuhn et al., 2001; Scheck et al., 2002a,b; Evans et al., 2003; Lamarche, et al. 2003). For instance, recurrent changes of the basin-wide stress field can be derived from the fact that two major types of structural elements, striking NW-SE and N-S, respectively, experienced repeated and selective

reactivation during basin evolution. The specific orientations of such elements are the key for any reconstruction of the orientations of related paleostress fields.

A state of stress - fully defined by the orientations and magnitudes of the three mutually perpendicular principal stress axes,  $\sigma_1 \ge \sigma_2 \ge \sigma_3$  (Fig. 3) - is a body's instantaneous internal distribution of force per area deriving from external applied loads. By reason of the immediate relationship between stress release and deformation, it is not possible to measure paleostress states directly. However, a base for the reconstruction of paleostress states is yielded by strain which is the detectable product of deviatoric stresses. One very effective link between strain and stress is provided by fault kinematics. The orientation of a fault plane complemented by the direction and sense of slip derived from kinematic indicators such as slickensides forms a 'fault-slip datum'. By considering various fault-slip data and well-known principles of fracturing and faulting in the brittle regime of the crust, certain parameters of the stress state responsible for faulting can be estimated.

As part of this thesis, a new strategy for the inversion of stress states from fault-slip data is introduced (Chapter 2). This new approach is applied to data sampled from outcrops along the southern margin of the CEBS (Chapter 4) and from outcrops in the Oslo Graben area (Chapter 5). The results derived from these study areas deliver new insights into the evolution of paleostress fields that controlled the development of the entire CEBS.



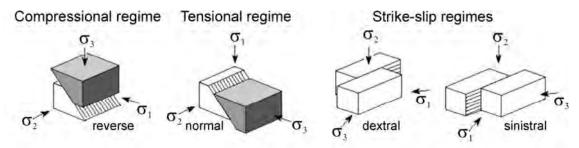
**Figure 3:** Different stress states illustrated as stress ellipsoids which are spanned by the three mutually perpendicular principal stress axes,  $\sigma_1 \ge \sigma_2 \ge \sigma_3$ . The relative magnitudes of stress in the directions of  $\sigma_1$ ,  $\sigma_2$ , and  $\sigma_3$  are expressed by the ratio of principal stress differences, R, which corresponds with  $\Phi = (\sigma_2 - \sigma_3)/(\sigma_1 - \sigma_3)$  as defined by Bishop (1966). From R=0.0 which indicates the magnitudes of  $\sigma_2$  and  $\sigma_3$  to be equal to R=1 expressing  $\sigma_1$  and  $\sigma_2$  to be equal in magnitude, the shape of the ellipsoid changes from prolate to oblate. The presented colour code for different values of R is used throughout the present study.

## 1.1 Paleostress analysis

The reconstruction of a state of stress from an observed pattern of strain requires a direct cause-and-effect relationship between stress and strain. Stress inversion based on kinematic analysis of faults has become a widely used tool in structural geology since the 1950s; comprehensive reviews on various stress inversion techniques are provided by Angelier (1994) and Ramsay & Lisle (2000). The underlying assumptions of fault-slip analysis, however, give good reasons for a critical handling of data, software tools and results. For discussions on the limitations of fault-slip analysis it shall be referred to Pollard et al. (1993), Dupin et al. (1993), Twiss & Unruh (1998), and Marrett & Peacock (1999).

One of the first to formulate basic conceptions on fault kinematics and related stress states was Anderson (1942) whose hypothesis connects two main aspects: Firstly, as a result of

gravity and the absence of shear stresses parallel to the Earth's surface, one principal stress axis is constrained to be vertical, while the other two axes are horizontal. Secondly, both the orientation and the shear sense of a newly-fractured fault plane depend on the orientations of the principal stress axes with respect to the Earth's surface (Fig. 4).



**Figure 4:** Stress regimes and associated fault-slip modes according to Anderson (1942): A newly-formed fault plane is oriented parallel to the  $\sigma_2$ . The sense of shear along the faults is normal, strike-slip, or reverse, depending on which of the principal stress axes,  $\sigma_1$ ,  $\sigma_2$ , or  $\sigma_3$ , respectively, is vertical. The dip angle between the fault plane and the  $\sigma_1$ -axis depends on material properties.

Of course, the Andersonian concept on fault mechanics is only valid for certain situations in the Earth's crust, as it considers only newly-fractured faults with pure dip-slip or pure strikeslip movements. Slip, however, may also take place along pre-existing discontinuities, of which the orientations do not depend on the acting stress state. Considering both newlyformed and reactivated faults, the majority of techniques on fault-slip analysis is based on the assumption that slip direction, inferred from features such as slickenside lineations, is indicative of the shear stress component resolved along the respective fault plane (Wallace, 1951; Bott, 1959). Assuming, in addition, the shear stresses on many faults (i) to be induced by a homogeneous stress field within the volume of rock, (ii) to be resolved independently from movements along other faults, and (iii) to be resolved coevally in response to the same deviatoric stress, a "bulk" stress tensor can be estimated explaining the activation of all faults considered. The last aspect regarding synchronous activation of faults corresponds to one of the greatest challenges of fault-slip analysis: the separation and inversion of heterogeneous fault-slip data which originate from a succession of different paleostress states (Etchecopar et al., 1981; Huang, 1988; Nemcok & Lisle, 1995; Nemcok et el., 1999; Yamaji, 2000; Shan et al., 2003, 2004; Liesa & Lisle, 2004; Žalohar & Vrabec, 2007). The new concept presented in Chapter 2 has especially been developed to solve the problem of mixed data sets.

## 1.2 Geological setting of the CEBS

Figure 1 compiles the most important structural elements of North Central Europe together with the different areas investigated in the course of this study. As one of the basement structures below the Late Carboniferous to Cenozoic basin fill, the Caledonian Deformation Front spaciously pervades the area. This basement structure corresponds to the western and southern borders of the Baltic Craton which in turn constitutes the Precambrian fraction of Europe from where the continent episodically grew to its recent configuration (Ziegler, 1990; Bertelsen, 1992). The NE-SW-striking part of this suture, the so-called Scandinavian Caledonian Deformation Front, has been initiated during Silurian and Devonian times when it marked the collision zone between 'Baltica' and the North American-Greenland continent 'Laurentia'. At almost the same time, a terrane commonly referred to as 'Avalonia' (Meissner et al., 1994, Pharaoh, 1999) is supposed to have collided with Baltica from the South, thus forming the English-North-German-Polish segment of the Caledonian Deformation Front. The southern limit of Avalonia, on the other hand, is formed by the Variscan Deformation

Front which developed during Devonian to Late Carboniferous times when other Gondwanarelated terranes were docked on Variscan Europe. The evolution of the CEBS as an entity was initiated at the end of this orogenic phase, at times when the compressional stresses induced by collision-related tectonics were fading and the break-up of supercontinent Pangea was thenceforward controlled by extensional tectonics.

#### Post-Variscan evolution of the CEBS

The Early Mesozoic tectonic evolution of Central Europe was controlled by its position between the stable Baltic-East European Craton in the north and northeast, the Arctic-North Atlantic rift systems in the northwest and west, and the Tethyan and Central Atlantic rifts in the south. The interrelation of the respective geodynamic processes led to stress changes in the Central European lithosphere which caused, in turn, a complex post-Variscan geodynamic history for which seven main phases can be distinguished (Scheck-Wenderoth et al., 2008a; Scheck-Wenderoth & Lamarche, 2005; Chapter 3):

- (1) *Initial rift phase*: During Latest Carboniferous to Early Permian times, the area of the CEBS was tectonically controlled by the latest pulses of the Variscan Orogeny. It is assumed that during this period a dextral mega-shear system developed in Central Europe. This transtrensional system was located between the ongoing subduction in the Urals and the onset of orogenic collapse in both the Appalachians and the European Variscides (Arthaud & Matte, 1977). The dominant products of this initial rift period are large amounts of igneous rocks. These rocks are the expression of a regional thermal destabilization and crustal thinning which are suggested to be related to back-arc extension as a consequence of continued subduction of the Paleotethys (Ziegler, 1990; Stampfli & Borel, 2002; Golonka, 2004). Subsequent to this magmatic stage, a thick succession of Lower Permian continental clastics, the *Rotliegend* sediments, have been deposited within the oldest basins of the CEBS.
- (2) Post-rift phase of thermal subsidence: From the latest Early Permian until the Mid-Triassic, north Central Europe was mainly affected by a phase of thermal subsidence. The initial N-S trending graben-like depocentres began to join and form two large NW-SE- to WNW-ESE-oriented basins (Ziegler, 1990): the 'Northern Permian Basin' which coincides with the Norwegian-Danish Basin and the 'Southern Permian Basin' which comprises the southern North Sea, the North German Basin and the Polish Basin (Fig. 2). Between the Northern and Southern Permian Basin, the Mid-North Sea-Ringkøbing-Fyn chain of highs evolved. The phase of thermal subsidence was a period of reduced tectonic activity in the CEBS, while the area of the collapsing Variscan orogen to the south was affected by localised graben formation and active faulting. The tectonic quiescence in the CEBS is remarkable, since Central Europe was surrounded by active plate boundaries and affected coevally by subduction of the Paleotethys, opening of the Neotethys (Ziegler at al., 1988; Decourt et al., 2000; Stampfli et al., 2001; Stampfli & Borel, 2002, 2004) and rifting in the future Central Atlantic domain (Steiner et al., 1998; Zühlke et al., 2004) and in the Norwegian-Greenland Sea (Torsvik et al., 2002). The phase of thermal subsidence was accompanied by the successive deposition of the latest Rotliegend clastic sediments, followed by the Upper Permian Zechstein evaporites, the Lower Triassic continental clastics of the Buntsandstein, and the marine carbonates of the Muschelkalk. Due to special rheological properties, the Zechstein salt layers have thenceforward recurrently been activated thus modifying later deformation patterns.
- (3) *Mid-Triassic Jurassic phase of E-W extension*: During this period, the tectonic activity in the CEBS was controlled by ongoing rifting processes in the Tethyan and the Arctic-North

Atlantic areas (Scheck-Wenderoth et al., 2008a). A north-directed subduction of the Paleotethys led to the collision of 'Cimmerian' terranes with the southern margin of Eurasia (Stampfli & Borel, 2002). In the CEBS, however, roughly E-W oriented extension prevailed. This is indicated by N-S-trending axes of depocentres that partly dissect the Mid-North Sea-Ringkøbing-Fyn High (Scheck-Wenderoth & Lamarche, 2005). For many of these basins, such as the Central Graben, the Horn Graben, and the Glücksstadt Graben, it was recorded that syndepositional normal faulting was accompanied by a mobilization of the underlying *Zechstein* salt layers. Considering the locally increased thickness of lacustrine *Keuper* sediments within the Glücksstadt Graben, maximum extension can be dated back to Mid-Late Triassic times (Maystrenko et al., 2005).

- (4) *Mid-Jurassic phase of uplift*: During the Mid-Jurassic, the structural framework of Central Europe was constituted by the start of oceanic spreading in the Alpine Tethys and in the central Atlantic (Stampfli & Borel, 2002) as well as by the development of the central North Sea rift system. The latter is believed to have been initiated by a deep-seated thermal anomaly beneath the Mid-North Sea High and related up-doming of the central North Sea (Underhill & Partington, 1993). The uplift of the central North Sea was strongest at the triple-junction between the Viking Graben, the Moray Firth Basin, and the Central Graben where rift-related processes generated basaltic lavas. Considering that also large parts of north Central Europe successively have been elevated during this period, the whole range of interacting processes which could be regarded responsible for the regional uplift is still enigmatic (Scheck-Wenderoth et al., 2008a). As a result of this uplift, the Jurassic formations in the CEBS widely reflect a development from deep to shallower water conditions.
- (5) Late Jurassic Early Cretaceous phase of basin differentiation: During this period, Central Europe was mainly influenced by far-field stresses produced by the northward propagation of the central Atlantic spreading centre (Stampfli & Borel, 2002) and extensive rifting in the Norwegian Sea (Pascal et al., 2002; Torsvik et al., 2002). In the CEBS, Late Jurassic to Early Cretaceous subsidence was restricted to NW-SE trending depocentres along the margins of the basin system, i.e. along the Sorgenfrei-Tornquist Zone (Surlyk, 2003), in the Polish Basin along the Teisseyre-Tornquist Zone (Dadlez et al., 1995, 1998), and in numerous NW-SE-oriented basins along the southern margin where localized subsidence was accompanied by the mobilisation of *Zechstein* salt (Scheck et al., 2002a; Scheck-Wenderoth & Lamarche, 2005). In contrast, areas in the central parts of the CEBS such as the Ringkøbing-Fyn High or the northern parts of the North German Basin experienced uplift (Walter et al., 1995; Kossow & Krawczyk, 2002).
- (6) Late Cretaceous Early Tertiary phase of inversion: Though the large-scale plate-tectonic framework of Central Europe was still controlled by earlier commencing processes such as rifting within the Norwegian-Greenland Sea, successive northward propagation of the North Atlantic spreading, and closure of the Tethys, the Late Cretaceous was marked by a grave change in the style of intra-plate deformation from an extensional and transtensional towards a compressional and transpressional mode. Areas which once had subsided during the Late Jurassic to Early Cretaceous now experienced uplift and inversion (Voigt, 1962). This CEBS-wide inversion mainly affected WNW- and NW-striking blocks (Scheck-Wenderoth & Lamarche, 2005), whereas former N-S-striking depocentres as the Glücksstadt Graben generally do not show inversion-related signs of compression or uplift (Maystrenko et al., 2005).
- (7) Cenozoic subsidence: From the Eocene on, when seafloor spreading reached the North Atlantic, the CEBS experienced continuous sag-like subsidence with little faulting and

renewed salt rise (Scheck-Wenderoth & Lamarche, 2005). It is assumed that either thermal relaxation (Ziegler, 1990) or flexural bending of the North Sea lithosphere (Hansen & Nielsen, 2003; Van Wees & Beekman, 2000) is responsible for this subsidence. Whatever the reason, mainly N-S striking subsidence axes with a major depocentre in the Central North Sea have been created during this stage. This preferred orientation of subsidence centres indicates an interrelation of the Cenozoic subsidence and the build-up of the present-day stress field in Central Europe which is characterised by a predominantly NW-SE-directed maximum horizontal stress,  $S_{Hmax}$  (Heidbach et al., 2008).

#### 1.3 Study areas

Since this study is based on field investigations, the distribution of analysed subareas is highly dependent on the availability and suitability of outcrops. The central parts of the CEBS are widely covered by unconsolidated sediments and water so that field studies are generally restricted to the marginal parts of the basin system. Along the southern margin of the CEBS, where Late Paleozoic to Mesozoic rocks are exposed as a consequence of inversion-related uplift and erosion, main focus was laid upon the eastern parts of the Elbe Fault System between western Germany and southwestern Poland (Fig. 5, 6). Thus, a spatial gap is closed between two subareas along the southern margin of the CEBS for which paleostress states already have been reconstructed, i.e. between an area covering parts of southern England, northern France, and Belgium (Vandycke, 2002) and an area in southeastern Poland (Lamarche et al., 1999, 2002). To obtain comparable insights into the development of the northern margin of the CEBS, the study reaches even beyond the Tornquist Zone into the Oslo Graben area, where excellent outcrops of Precambrian to Permian rocks are available (Fig. 7). To potentially detect differently-aged paleostress states and, if possible, infer a paleostress stratigraphy (Kleinspehn et al, 1989), the investigated sites of each subarea were selected so as to cover a broad range of differently-aged rocks (Tab. 1, 2).

#### 1.3.1 The southern margin of the CEBS

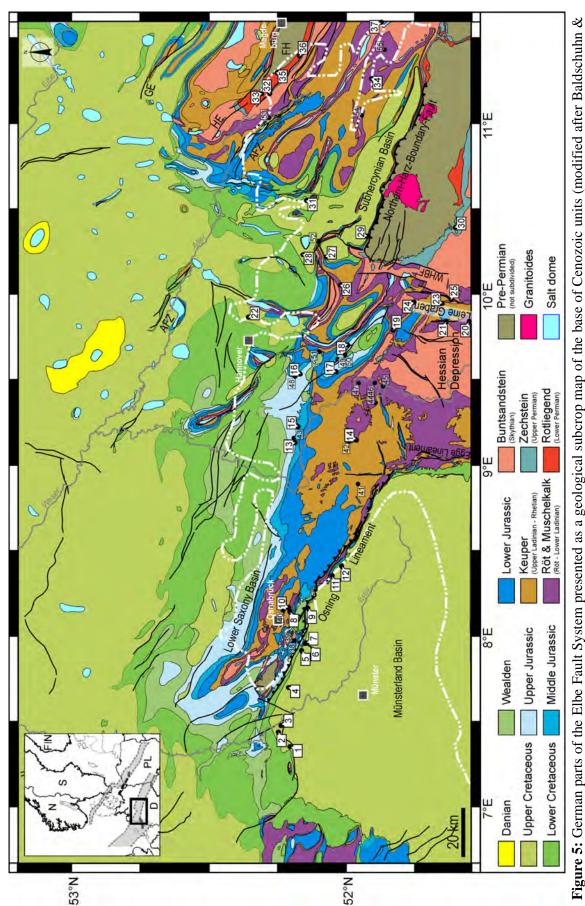
The southern margin of the CEBS is structured by the Elbe Fault System (EFS), a NW- to WNW-striking, *en echelon* fault zone extending from the southeastern North Sea to southwestern Poland along the present southern margin of the North German Basin and the northern margin of the Sudetes Mountains (Fig. 2). As a result of a weak, stress-sensitive zone in the lower crust which repeatedly supported strain localisation, this fault zone has been recurrently activated in response to variations in the tectonic regime since Late Carboniferous times (Scheck et al., 2002a). In general, the kinematic interpretation of the EFS still remains a matter of debate; some authors favour pure compressional, respective pure extensional, regimes for different periods and places (Kockel, 2003; Franzke et al., 2007), whereas others postulate recurring phases of wrench tectonics (Betz et al., 1987; Wrede, 1988; Drozdzewski, 1988).

During the Late Carboniferous to Early Permian *initial rift phase*, the EFS is suggested to have acted as the southern boundary fault of a great wrench fault system in north Central Europe, in the centre of which the Northern and the Southern Permian Basin, respectively, developed (Bachmann & Hoffmann, 1997; Mattern, 1996; Ziegler, 1990; Scheck-Wenderoth & Lamarche, 2005). Accordingly, during the Permian to Triassic, the EFS formed the southern margin of the thermally subsiding areas of the North German Basin and the Polish Basin. The phase of *Mid-Triassic – Jurassic E-W extension* which initiated the large N-Strending grabens of the CEBS had only minor influence on the EFS except for a partial

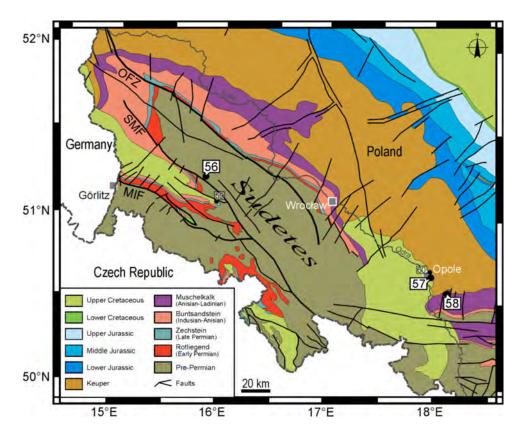
dissection of the NW-SE-trending structures into smaller segments (Betz et a., 1987). For the Late Jurassic – Early Cretaceous phase of basin differentiation, dextral translation along the EFS caused localized subsidence in numerous NW-SE-trending basins including the Lower Saxony Basin and the Subhercynian Basin (Ziegler, 1990; Betz et al., 1987; Scheck & Bayer, 1999) as well as the Cretaceous Münsterland Basin which developed directly above Variscan basement faults (Baldschuhn et al., 2001). Due to their orientation, the numerous NW- and WNW-striking faults of the EFS appear to have been very prone to the phase of Late Cretaceous – Early Tertiary inversion which is indicated by thrust and transpressional movements as well as uplift of adjacent sub-basins during this period.

As a consequence of inversion-related uplift and erosion of the southern margin of the CEBS, some of the major structural elements of the EFS are exposed and accessible where Late Paleozoic and Mesozoic rocks crop out. Along the southern margin of the Lower Saxony Basin, the Osning Lineament is exposed as a zone of intensely deformed Upper Cretaceous rocks (Fig. 5). The Northern Harz Boundary Fault, on the other hand, separates the Variscan deformed blocks of the Harz Mountains from the Mesozoic to Cenozoic rocks of the Subhercynian Basin. The Osning Lineament and the Northern Harz Boundary Fault, in turn, are separated by the N-S-trending Hessian Depression providing several outcrops of Triassic rocks. The Subhercynian Basin is bordered to the north by the Allertal Fault Zone which marks the transition towards the mainly Paleozoic rocks of the Flechtingen structural high. The major faults structuring southeastern Poland are the Main Intra-Sudetic Fault and the Sudetic Marginal Fault which differentiate the Sudetic Block into parts with different tectonic histories (Fig. 6).

Whereas the present-day stress configurations in the southern parts of the CEBS are well known (Roth and Fleckenstein, 2001; Kaiser et al., 2005; Heidbach et al., 2008), there are only few studies on the evolution of paleostress fields (Lamarche et al., 1999, 2002; Vandycke, 2002; Franzke et al., 2007). For the reconstruction of paleostress states in the German and Polish parts of the EFS, a total number of 65 outcrops have been investigated (Tab. 1). These outcrops cover rocks of Late Carboniferous, Late Permian, Middle Triassic, Late Jurassic, and Late Cretaceous ages. Most of the investigated sites correspond to active or abandoned quarries, while the area otherwise is widely covered by Cenozoic sediments. At most of the studied locations (#1-37, #55-57), the number and the quality of measured fault-slip data are adequate for applying the stress inversion method introduced in Chapter 2.



Kockel, 1996). Due to inversion-related uplift and erosion, Upper Paleozoic and Mesozoic rocks have been elevated to the level of Upper Cretaceous The main structural elements strike WNW-ESE. Areas north of the dotted white line are widely covered by Cenozoic sediments. Numbers indicate investigated outcrops. Larger numbers represent sites where the fault-slip data have been adequate for a stress inversion (Tab. 1). AFZ - Allertal Fault Zone, FH - Flechtingen High, GE - Gardelegen Escarpment, HF - Haldensleben Fault, WHBF - Western Harz Boundary Fault.



**Figure 6:** Polish parts of the EFS presented as a geological subcrop map of the base of Cenozoic units (modified after Dadlez et al., 2000). Major faults structuring the Sudetic Block in southeastern Poland strike WNW- to NW such as the Odra Fault Zone (OFZ), the Sudetic Marginal fault (SMF), and the Main Intra-Sudetic Fault (MIF). Dots with numbers indicate investigated outcrops. Larger numbers represent sites where the fault-slip data have been adequate for a stress inversion (Tab. 1).

**Table 1:** List of outcrops investigated along the southern margin of the CEBS. Shaded numbers indicate sites where the fault-slip data have been adequate for estimating paleostress states.

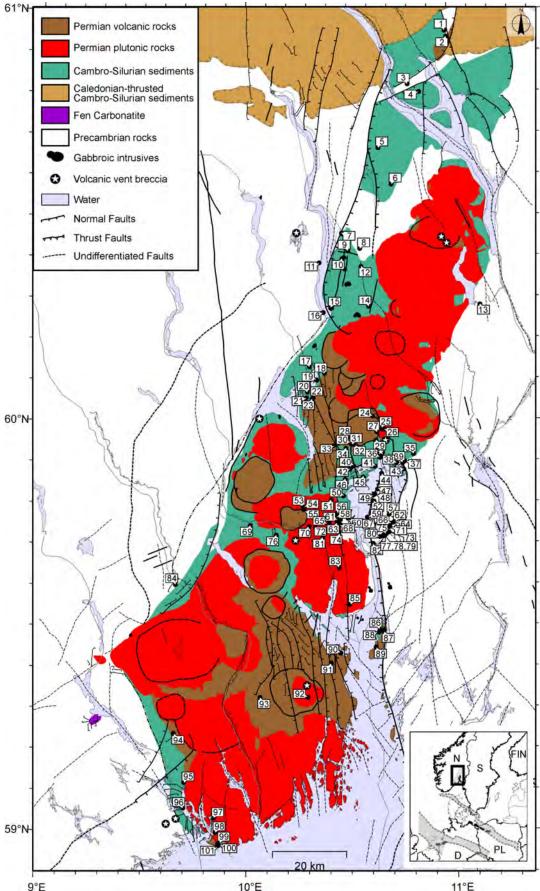
No.	Name	Latitude [°N]	Longitude [°E]	Lithology	Rock age / Period	Rock age (stratigraphy)
1	Wettringen	52.218	7.321	limestone	Late Cretaceous	Cenomanian-Turonian
2	Rheine	52.262	7.402	limestone	Late Cretaceous	Cenomanian-Turonian
3.	Middel	52.256	7.438	limestone	Late Cretaceous	Cenomanian-Turonian
4	Dorenthe	52.227	7,673	limestone	Late Cretaceous	Cenomanian
5	Lengerich	52.182	7.896	limestone	Late Cretaceous	Cenomanian-Turonian
3	Höste	52.167	7.938	limestone	Late Cretaceous	Cenomanian
7	Lienen	52.164	7,942	limestone	Late Cretaceous	Cenomanian
3	Holsten	52.228	8 128	limestone	Middle Triassic	Anisian-Ladinian (Muschelkalk)
9	Hilter	52.161	8 149	limestone	Late Cretaceous	Cenomanian
10	Bissendorf	52.231	8.150	limestone	Middle Triassic	Anisian-Ladinian (Muschelkalk)
11	Halle	52.074	8.345	limestone	Late Cretaceous	Turonian-Coniacian
12	Kunsebeck	52.040	8.404	limestone	Late Cretaceous	Cenomanian-Turonian
13	Steinbergen	52.217	9.137	limestone	Late Jurassic	Oxfordian (Malm)
14	Barntrup	51.996	9.154	limestone	Middle Triassic	Anisian-Ladinian (Muschelkalk)
15	Rohden	52.206	9.234	limestone	Late Jurassic	Oxfordian (Malm)
16	Hamelspringe	52.194	9,537	limestone	Late Jurassic	Oxfordian (Malm)
17	Lauenstein	52.068	9.543	limestone	Late Jurassic	Oxfordian (Malm)
18	Marienhagen	52.021	9.704	limestone	Late Jurassic	Oxfordian (Malm)
19	Avendshausen	51.851	9.791	limestone	Middle Triassic	Anisian (Muschelkalk)
20	Emmenhausen	51.576	9.835	limestone	Middle Triassic	Anisian (Muschelkalk)
21	Hardegsen	51.660	9.836	limestone	Middle Triassic	Anisian (Muschelkalk)
22	Misburg	52.384	9 884	limestone	Late Cretaceous	Cenomanian-Turonian
23	Elvese	51.674	9.938	limestone	Middle Triassic	Anisian (Muschelkalk)
24	Vogelbeck	51 775	9.950	limestone	Middle Triassic	Anisian (Muschelkalk)
25	Papenberg	51.643	9.961	limestone	Middle Triassic	Anisian (Muschelkalk)
26	Upstedt	52.042	10.059	limestone	Middle Triassic	Anisian-Ladinian (Muschelkalk)
27	Baddeckenstedt	52.092	10.230	limestone	Late Cretaceous	Cenomanian-Turonian
28	Söhlde	52.182	10.245	limestone	Late Cretaceous	Cenomanian-Turonian
29	Langelsheim	51.939	10.352	limestone	Late Cretaceous	Cenomanian-Turonian
30	Scharzfeld	51.619	10.391	dolomite	Late Permian	Zechstein (Z2)
31	Wendessen	52 161	10.568	limestone	Late Cretaceous	Cenomanian-Turonian
32	Bodendorf	52.279	11.210	andesite	Late Carboniferous	Stephanian
33	Flechtingen	52.315	11.210	rhyolite	Late Carboniferous	Stephanian
34		51.915	11.290	limestone	Middle Triassic	
35	Kroppenstedt	52.259	11.333			Anisian (Muschelkalk)
	Donstedt			andesite	Late Carboniferous	Stephanian
36	Mammendorf	52.178	11.435	andesite	Late Carboniferous	Stephanian
37	Förderstedt	51.875	11.629	limestone	Middle Triassic	Anisian (Muschelkalk)
38	Silberberg	52.211	7 945	dolomite	Late Permian	Zechstein
39	Heidberg	52.217	7.949	sandstone	Early Cretaceous	Valanginian-Aptian
40	Natbergen	52,253	8.126	limestone	Middle Triassic	Anisian-Ladinian (Muschelkalk)
41	Detmold-Bentrup	51,988	8.891	limestone	Middle Triassic	Anisian-Ladinian (Muschelkalk)
42	Alverdissen	52 020	9.139	limestone	Middle Triassic	Anisian-Ladinian (Muschelkalk)
43	Bernsen	52.214	9.159	limestone	Late Jurassic	Oxfordian (Malm)
44	Vahlbruch	51.924	9.362	limestone	Middle Triassic	Anisian-Ladinian (Muschelkalk)
45	Straße Forst-Polle	51 887	9.453	limestone	Middle Triassic	Anisian-Ladinian (Muschelkalk)
46	Straße Rühle-Dölme	51,930	9,457	limestone	Middle Triassic	Anisian-Ladinian (Muschelkalk)
47	Hehlen	51.982	9 458	limestone	Middle Triassic	Anisian-Ladinian (Muschelkalk)
48	Springe	52.216	9.527	limestone	Late Jurassic	Oxfordian (Malm)
49	Salzhemmendorf	52.056	9.608	dolomitic limestone	Late Jurassic	Oxfordian (Malm)
50	Thüste	52.022	9.653	limestone	Late Jurassic	Oxfordian (Malm)
51	Wülfinghausen	52.137	9.655	limestone	Late Jurassic	Oxfordian (Malm)
52	Salder	52.124	10.330	limestone	Late Cretaceous	Turonian-Coniacian
53	Walbeck	52.295	11.068	limestone	Middle Triassic	Anisian (Muschelkalk)
54	Schwanebeck	51.955	11.076	limestone	Middle Triassic	Anisian (Muschelkalk)
55	Groß Börnecke	51.866	11.467	limestone	Middle Triassic	Anisian (Muschelkalk)
56	Raciborovice	51.192	15.709	limestone	Middle Triassic	Anisian (Muschelkalk)
57	Folwark	50.612	17.909	limestone	Upper Cretaceous	Cenomanian-Turonian
58	Gorazdze	50.526	18.029	limestone	Middle Triassic	Anisian (Muschelkalk)
50	Forrest	51.121	15.868	sandstone	Lower Triassic	Skythian (Buntsandstein)
59	1.011001					

#### 1.3.2 The Oslo Graben area

The Oslo Graben in southern Norway is a N-S-trending, 200 km long and 35-65 km wide, down-faulted crustal block that exposes Palaeozoic rocks in contrast to the surrounding Precambrian high-grade metamorphic rocks of Fennoscandia (Fig. 7). The graben is the highly volcanic onshore segment of the Oslo paleorift system, while the Skagerrak Graben to the south forms its offshore counterpart which terminates in the Sorgenfrei-Tornquist Zone (Fig. 1).

The Precambrian basement surrounding the Oslo Graben area formed between 1800 Ma and 1550 Ma and was metamorphosed during the Sveconorwegian orogeny between 1100 Ma and 950 Ma (Berthelsen, 1980, 1992; Skjernaa & Pedersen, 1982). During early Paleozoic times the area was part of an extensive shelf where Cambro-Silurian marine sediments and Silurian to Devonian red bed successions have been deposited (Neumann et al., 1992). During the Silurian and Devonian the entire succession was folded in the course of the Caledonian orogeny and afterwards eroded to a peneplane. A hiatus spanning Devonian (Ludlowian) to early-Middle Carboniferous (Moscovian) rock ages suggests that the Oslo Graben area probably was exposed above sea-level during these times. In Late Carboniferous times, the Variscan Orogeny caused a reorganisation of Pangea involving the transformation of the Variscan fold belt under N-S-directed compression into a wrench system and probably also the development of the intracontinental Oslo Rift system (Ziegler, 1990; Olaussen et al., 1994). According to Larsen et al. (2008), the evolution of the Oslo Rift can be subdivided into 6 progression phases commencing in Late Carboniferous times and spanning about 65 million years (Chapter 5). It is suggested that this period of extensive rifting was followed by a longlasting period of tectonic quiescence with no major tectonic or magmatic activity (Sundvoll & Larsen, 1994). However, two phases of rapid uplift during Triassic-Jurassic and Neogene times, respectively, caused high rates of erosion (Rohrman et al., 1995) so that presently, there is a great lack in the stratigraphic record encompassing the whole Mesozoic and Cenozoic. Hence, any field-based study in the area relies on the preserved sedimentary and magmatic rocks comprising Precambrian, Cambro-Silurian and Permian rock ages (Fig. 7).

Considering the post-Permo-Carboniferous evolution of the CEBS, even the youngest of exposed rocks in the Oslo Graben area do not provide close constraints on the maximum age of faults and associated stress states therein. However, several authors have suggested that the initiation of the Oslo Rift has been closely tied to concurrent tectonics within the STZ (Glennie, 1984; Ziegler, 1990; Veevers et al., 1994) which, in turn, played a decisive role in the Mesozoic-Cenozoic evolution of the CEBS (Vejbaek, 1990; Scheck-Wenderoth et al., 2008a). In light of these interrelations, fault-slip data from the Oslo Graben area sampled and published by Heeremans et al. (1996) are re-evaluated in this study (Chapter 5) by subjecting them to the new stress inversion procedure introduced in Chapter 2. Beside these data, a second set of unpublished fault-slip data from the graben area is interpreted (sampled and provided by Aline Saintot, Geological Survey of Norway, NGU). Taken together, the total number of 101 investigated locations covers large parts of the graben area and a wide range of exposed rock ages (Tab. 2). Existing studies on the evolution of paleostress fields within the STZ (Bergerat et al., 2007) and on the present-day stress field in Norway (Gregersen, 1992; Lindholm et al., 2000; Heidbach et al., 2008) widen the framework within which the locally inferred paleostress states finally can be discussed.



9°E 10°E 11°E Figure 7: The Oslo Graben area presented as a tectonomagmatic map (modified after Ramberg & Larsen, 1978). The investigated sites are numbered as in Table 2. Note the numerous roughly N-S-striking faults as well as the ring faults that flank caldera structures.

**Table 2:** List of outcrops investigated in the Oslo Graben area.

No.	Name	Latitude [°N]	Longitude [°E]	Lithology	Rock age	Source
1	Torunstad Mælum	60.9473	10.9899	Shale, Sandstone	Silurian	M. Heeremans
2	Brummunddal	60,9332	10 9984	Sandstone	Permian	M. Heeremans
3	Hellerud	60.8179	10.8027	Gneisse	Precambrian	M. Heeremans
4	Gorum	60.7992	10 8595	Limestone	Lower Ordovician	M. Heeremans
5	Bøverbu	60.664	10.6541	Limestone	Cambro-Silurian	M. Heeremans
6	Korslia	60.5747	10.7171	Limestone, marl	Ordovician-Silurian	M. Heeremans
7	Skari	60 456	10,4708	Gneiss	Precambrian	M. Heeremans
8	Moen	60.4186	10.5599	Gneiss	Precambrian	M. Heeremans
9	Brandbu	60.413	10.5015	Limestone	Ordovician-Silurian	M. Heeremans
10	Tingelstad	60.394	10,4725	Limestone	Ordovician-Silurian	M. Heeremans
11	Engnes	60.3844	10.3596	Gneiss	Precambrian	M. Heeremans
12	Jaren	60.375	10,5651	Maenaite	Permian	M. Heeremans
13	Raholt	60.2793	11.1456	Gneiss	Precambrian	M. Heeremans
14	Roa	60.2771	10.6011	Limestone	Ordovician-Silurian	M. Heeremans
15	Grymyr	60.2725	10.4173	Limestone	Ordovician-Silurian	M. Heeremans
16	Jevnaker	60.2627	10.3787	Gneiss	Precambrian	M. Heeremans
17	Asa	60.1315	10.3098	Carbonate	Upper Silurian	M. Heeremans
18	Stubdalskampen	60.1148	10.3836	Sandstone, Quartzite (Ringerike Group)	Ordovician-Silurian	M. Heeremans
19	Asavelen	60.0977	10.3466	Sandstone	Silurian	A. Saintot
20	Kroksund	60.0689	10.2999	Sandstone, Limestone, Mari	Silurian	M. Heeremans
21	Sundvollen 3	60.0556	10.2948	Sandstone (Ringerike)	Silurian	M. Heeremans
22	Sundvollen 2	60.0552	10.3275	Sandstone (PZ1)	Cambro-Silurian	A Saintot
23	Sundvollen 1	60.0528	10.3221	Rhomb porphyry with sedimentary layers	Permian	A Saintot
24	Sørkedal	60,0101	10.6152	Volcanics, eruptive and sedimentary breccia	Permian	A. Saintot
25	Holmenkollen	59,9785	10,6601	Granite	Permian	A. Saintot
26	Frognerseteren	59.9782	10.6741	Syenite	Permian	A Saintot
27	Bogstad	59.9714	10.6348	Syenite, Granite	Permian	A Saintot
28	Burudveien	59.9596	10.4967	Basalt	Permian	A. Saintot
29	Grinibru	59.9516	10.6309	Limestone, shale, Sandstone	Early Silurian	A. Saintot.
30	Skollerudveien	59.9438	10.5087	Basalt	Permian	A. Saintot
31	Bærums Verk	59.9409	10.5133	Rhomb porphyry lava	Permian	A. Saintot
32	Gamle Ringeriksvei	59.9389	10,5328	Basalt	Permian	A Saintot
33	Hvile	59.9383	10.4254	Rhomb porphyry basalt	Permian	M. Heeremans
34	Rykkinn	59.9325	10.4848	Sandstone (Ringerike group)	Upper Silurian	A Saintot
35	Sinsen	59.917	10.8118	Marl, Limestone	Cambro-Silurian	M. Heeremans
36	Vækerø	59.9088	10.6504	Limestone, Black shale	Cambro-Silurian	M. Heeremans
37	Ekeberg	59.8996	10,7697	Granite Gneiss	Precambrian	M. Heeremans
38			10.7283	marl, Limestone, Sandstone	Cambro-Silurian	
	Hovedøya	59,8952		Actual Control of the		M. Heeremans
39	Kongshavn	59.8948	10.7587	Gneiss	Precambrian	M. Heeremans
40	Sandvika	59.8883	10.5216	Black shale	Cambro-Silurian	M. Heeremans
41	Fornebru	59.8875	10 6261	Limestone, Marl	Cambro-Silurian	M Heeremans
42	Gryssestad	59.8808	10.5032	Syenite	Permian	M. Heeremans
43	Malmøya	59.8799	10 7642	Limestone, Marl	Cambro-Silurian	M. Heeremans
44	Nesoddtangen	59.8699	10.6564	Gneiss	Precambrian	A Saintot
45	Ostøya	59.8617	10.5677	Limestone	Ordovician-Silurian	M Heeremans
46	Hvalstad	59.8564	10.4808	Black shale, Limestone	Cambro-Silurian	M. Heeremans
47	Bjørnemyr	59.8319	10 6367	Gneiss	Precambrian	A. Saintot
48	Alværn Brygge 2	59.8208	10.6233	Shaly, marly slate, Limestone	Ordovician	A. Saintot
49	Alværn Brygge 1	59.8189	10.6193	Shaly, marly slate, Limestone	Ordovician	A. Saintot
50	Blakstad	59.8157	10.4713	Limestone, Shale (PZ1)	Ordovician	A. Saintot.
51	Hauger	59.8061	10,4123	Granite	Permian	A. Saintot
52	Fjellstrand	59.8029	10.6187	Gneiss	Precambrian	A. Saintot
53	Utsikten	59.7905	10.2757	Granite	Permian	A. Saintot
54	Stokke	59.788	10.2768	Granite	Permian	A. Saintot
55	Reistad	59.7832	10.2797		Permian	
				Granite		A. Saintot
56	Bøveien	59.7722	10 439	Limestone, Shale (PZ1)	Ordovician	A. Saintot
57	Hasle	59.771	10.691	Mica-rich gneiss	Precambrian	A. Saintot
8	Mølleveien	59.7651	10.4377	Slates, Sandstone, Conglomerate	Cambrian	A. Saintot.
59	Spro	59,7638	10,5853	Gneiss	Precambrian	A. Saintot
30	Nærsnes	59.7632	10.4964	Gneiss	Precambrian	A. Saintot.
	Slemmestadveien	59.7573	10.4557	Shaly Marly slates and Limestone	Ordovician	A. Saintot
61	Oleminicated veteri	20,1,61,5	0.01.10-1	Sanda santa attenda and an alternation of the santa attendance of the santa at	- Jackielani	All Commen

 Table 2: (continued).

No.	Name	Latitude [°N]	Longitude [°E]	Lithology	Rock age	Source
63	Brynsholmen	59.751	10.4408	Gneiss	Precambrian	A. Saintot.
64	Dalbanen	59.7504	10.7102	Gneiss	Precambrian	A. Saintot
65	Røyken	59.7488	10.4023	Granite	Permian	A. Saintot
66	Nordre Dal	59.7478	10 6968	Gneiss	Precambrian	A. Saintot
67	Alværn Brygge 3	59.7472	10.6144	Granodiorite, Tonalite	Precambrian	A. Saintot
68	Gunnerud	59.7453	10.4552	Granite	Precambrian	A. Saintot
69	Mjøndalen	59.7441	10,0221	Limestone	Ordovician-Silurian	M. Heeremans
70	Gullaugfjellet	59.7412	10.304	Granite	Permian	A. Saintot
71	Søndre Dal	59.7397	10.6927	Gnelss	Precambrian	A Saintot
72	Ovnerudvelen	59.7378	10.3345	Granite	Permian	A. Saintot
73	Tusse	59.7269	10.6898	Gneiss	Precambrian	A. Saintot
74	Krokodden	59.7264	10.4486	Granite	Permian	A. Saintot
75	Fagerstrandveien	59.7224	10.6759	Gneiss	Precambrian	A. Saintot
76	Konnerud	59.721	10.1468	Limestone	Cambro-Silurian	M. Heeremans
77	Holtbraten 3	59.7204	10.6642	Gneiss, Pegmatite	Precambrian	M. Heeremans
78	Holtbraten 1	59,7196	10.6662	Gneiss	Precambrian	A. Saintot
79	Holtbraten 2	59.719	10.6627	Syenites	Permian	A. Saintot
80	Hallangshagen	59,716	10 645	Granitic to Tonalitic gneiss	Precambrian	A. Saintot
81	Hyggen	59.7156	10.3704	Granite (Drammen)	Permian	M. Heeremans
82	Hallangen	59.6991	10.6134	Gneiss	Precambrian	M. Heeremans
83	Selvik	59.6403	10.4491	Granite (Drammen)	Permian	M. Heeremans
84	Heistadmoen	59.6004	9.66287	Amphibolite, Gneiss	Precambrian	M. Heeremans
85	Tofte Tronstad	59.5508	10.4971	Granite (Drammen)	Permian	M. Heeremans
86	Jeløya 2	59.4886	10.6417	Sandstone (Ringerike Group)	Cambro-Silurian	A. Saintot
87	Jeløya 3	59.4872	10.6564	Basalt (Basalt 1and 2)	Permian	A. Saintot
88	Jeløya 1	59,4831	10.6367	Sandstone (Ringerike Group)	Cambro-Silurian	A. Saintot
89	Jeløya 4	59.4475	10,6225	Basalt (Basalt 1and 2)	Permian	M. Heeremans
90	Horten	59.4328	10.4535	Basalt (Basalt 1and 2)	Permian	M. Heeremans
91	Steinholt	59.4091	10.4075	Larvikite	Permian	M. Heeremans
92	Himberg	59.3254	10.296	Larvikite	Permian	M. Heeremans
93	Lakstjen	59.3252	10.0675	Porphyritic lava	Permian	M Heeremans
94	Skoppum	59.2381	9.65564	Rhomb porphyry lava	Permian	M. Heeremans
95	Eidanger	59.118	9.70649	Limestone	Ordovician-Silurian	M. Heeremans
96	North of Brevik	59.0557	9.70287	Slates and Limestone	Ordovician	A. Saintot
97	Tveidalen	59,0309	9.84897	Larvikite	Permian	A. Saintot
98	NW-Nevlunghavn	58 996	9.85471	Larvikite	Permian	A. Saintot
99	Nevlunghavn 1	58.9677	9.8693	Larvikitė	Permian	A. Saintot
100	Nevlunghavn 2	58.9668	9.86734	Larvikite	Permian	A Saintot
101	Nevlunghavn 3	58.9657	9.86893	Larvikite	Permian	A. Saintot

## 2 Fault-slip analysis and paleostress reconstruction

The present study on the evolution of paleostress fields in the Central European Basin System is primarily based on signs of brittle deformation observable in the field. The basic assumption of fault-slip analysis is that the pattern of striated faults in a portion of rock can be correlated with a state of stress responsible for the observed faulting (Carey & Brunier, 1974; Angelier, 1979). In the following, a summary is given on the basics of fault-slip analysis before a new strategy is introduced for estimating stress states even from heterogeneous data. Finally, some concepts are demonstrated regarding a correlation of locally estimated paleostress states to deduce the evolution of regional stress fields in an area.

#### 2.1 Basics

According to Wallace (1951) and Bott (1959), it is possible to predict the slip direction along a plane of known orientation (with unit normal  $\vec{n}$ ) under a given stress tensor  $\sigma$ , assuming that slip takes place parallel to the direction of maximum resolved shear stress  $\bar{\tau}_{max}$  (Fig. 8a):

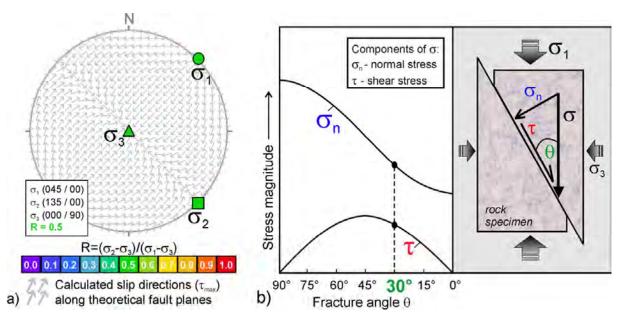
$$\bar{\tau}_{\text{max}} = \sigma \cdot \vec{\mathbf{n}} - \left[ \vec{\mathbf{n}}^{\text{T}} \cdot \sigma \cdot \vec{\mathbf{n}} \right] \cdot \vec{\mathbf{n}}$$
 (Eq. 1)

where the superscript T means the transpose of the matrix. On the other hand, a fracture plane will be created with a stress state dependent orientation that allows the relative magnitudes of the shear stress  $\tau$  and the normal stress  $\sigma_n$  in this plane to meet with the Mohr-Coulomb yield criterion,

$$\tau = C + \mu \sigma_n$$
 (Eq. 2)

where C and  $\mu$  are the material-specific cohesion and coefficient of friction, respectively (Fig. 8b; Coulomb, 1776; Mohr, 1900).

Whereas Equation 1 considers any (re)activation of a fault plane, Equation 2 is valid only for newly-formed faults, i.e. fractures which are opened and sheared under the same stress state. These two principles allow predictions about fault kinematics given a known stress field that acts on an elastic material of known properties. To solve the inverse problem, which is to derive a stress state from observed fault kinematics, two types of techniques have been established through the last decades, some based on slip criteria, others on frictional criteria (Angelier, 1994; Ramsay & Lisle, 2000). To allow for solutions as realistic as possible, some techniques even combine both concepts (Reches, 1987; Célérier, 1988; Angelier, 1990; Žalohar & Vrabec, 2007).



**Figure 8:** Fault kinematics. a) For a known reduced stress tensor, the directions of the maximum shear stress,  $\tau_{max}$ , along fault planes of known orientation can be calculated (Wallace-Bott hypothesis). Theoretical fault-slip data are presented in a *tangent-lineation plot* (Hoeppener, 1955; Twiss & Gefell, 1990): each arrow in this lower-hemisphere, equal-area projection represents one fault-slip datum; the centre of each arrow indicates the pole to the respective fault plane while the arrowhead indicates the slip direction of the footwall block. Hence, the plot displays the directions in which material would move past the outside of a fixed lower hemisphere under the given stress. b) *Left*: Relative magnitudes of the shear stress,  $\tau$ , and the normal stress,  $\sigma_n$ , on a plane as a function of the fracture angle θ (modified after van der Pluijm & Marshak, 2004). At θ=30°, the ratio of shear stress to normal stress  $\sigma_n/\tau$  is at a maximum (Mohr-Coulomb fracture criterion), so that shear fracturing is facilitated. *Right*: A rock sample cracked in laboratory (biaxial conditions;  $\sigma_2$  equals  $\sigma_3$ ): the angle between  $\sigma_1$  and the fracture plane is measured as θ=30°.

Striae on a fault plane, such as slickenside lineations, may unambiguously document the sense of relative movement between the footwall block and the hanging-wall block of a fault (Fig. 9; Fleuty, 1974; Doblas, 1998), thus providing the essential part for stress tensor calculations based on the "Wallace-Bott hypothesis" (Fig. 8a). Beside the sense of slip (reverse, normal, dextral, or sinistral), a complete fault-slip datum comprises the orientation of the fault plane (dip direction and dip) and the orientation of the striae (azimuth and plunge). Knowing the fault-slip attitudes of at least four independent faults, it is possible to directly calculate the corresponding 'reduced stress tensor' which comprises (i) the orientations of the three mutually perpendicular principal stress axes  $\sigma_1$ ,  $\sigma_2$ , and  $\sigma_3$  with  $\sigma_1 \ge \sigma_2 \ge \sigma_3$  and (ii) the ratio of principal stress differences, shortly "stress ratio",  $R=(\sigma_2-\sigma_3)/(\sigma_1-\sigma_3)$  (Fig. 3; Carey & Brunier, 1974; Angelier, 1979). The procedure for estimating the best-fitting reduced stress tensor for a group of faults varies among different researchers (Angelier, 1994, Michael, 1984, Gephart & Forsyth, 1984, Gephart, 1990, Yin & Ranalli, 1992). One potential measure for the fit between a certain stress state and observed fault kinematics is provided by the misfit angle,  $\beta$ , which is defined as the angular difference between the calculated maximum shear stress,  $\tau_{max}$ , and the observed slip direction along a fault plane (Fig. 10a). The reduced stress tensor may then be estimated as the one that is associated with the least sum of all misfit angles (Angelier, 1979).

In the following, a new computer-aided strategy towards stress inversion of heterogeneous fault populations is presented (Chapter 2.2). Since this new approach combines the concepts of the "Multiple Inverse Method" (Yamaji, 2000) and the "PBT-axes-method" (Turner, 1953; Sperner et al., 1993), both methods are shortly introduced.

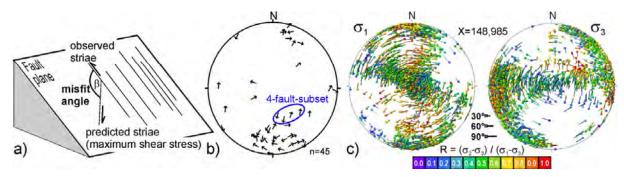


**Figure 9:** Slickensides and striae. a) Calcite fibres and slickolites indicate the same oblique-normal sense of movement (*Langelsheim* quarry, #29). The fibres result from precipitation of calcite which was formerly dissolved by pressure solution of the host rock (limestone). Pressure solution, in turn, created the slickolites. b) Slickenside with calcite fibres indicating dextral slip (andesites, *Mammendorf* quarry, #36); c) Steeply SSW-dipping fault surface (198/77) covered by two superimposed sets of striae (*Bodendorf* quarry, #32). Note the configuration of striae framed by the circle: assuming that late-stage coatings usually conceal earlier striae, i.e. that younger slickensides lie above older slickensides (Meschede, 1994; Doblas, 1998), it can be concluded that sinistral displacement (x: subhorizontal frictional grooves covered with hematite) took place before the fault plane was reactivated with a normal sense (y: subvertical calcite fibres). The difference in type of mineralisation confirms that the two fault/striae pairs belong to different subsets (*bod1* and *bod3*, below), each related to a specific paleostress state.

#### 2.1.1 Multiple Inverse Method (MIM; Yamaji, 2000)

MIM is a modification of the Direct Inverse Method (Angelier, 1984). The latter assumes slip to be parallel to the maximum resolved shear stress and calculates iteratively the best-fitting stress tensor for a group of faults by minimizing the sum of associated misfit angles (Fig. 10a). Being developed particularly for the separation of heterogeneous data sets, MIM comprises the following steps which are implemented in the respective software package (Yamaji et al., 2005; Yamaji & Sato, 2005): Firstly, all possible subsets of k-elements are created from a complete data set (Fig. 10b). For k=4, any possible group of 4 faults is created so that each fault is related to any possible combination of three other faults. Secondly, Angelier's (1984) inverse technique is applied to each of these artificial k-fault-subsets to estimate the respective best-fitting stress tensors. Finally, all calculated reduced stress tensors (i.e. one for each artificial subset) are plotted in a pair of lower-hemisphere plots (Fig. 11c). With this technique, all significant stress states inherent in a heterogeneous data set can be detected as they are indicated by clusters of symbols that agree in terms of the directions of principal axes as well as the stress ratio, R.

For the calculation of best-fitting stress tensors, MIM uses a computational grid of 60,000 points evenly distributed in the parameter space of  $\sigma_1$ ,  $\sigma_2$ ,  $\sigma_3$ , and R. The ideal stress for a single k-fault-subset is approximated by the nearest grid point. Thus, the stress states derived from several k-fault-subsets may be tied to the same grid point. Grid points with a large number of stress states automatically correspond to solutions that are more significant for the entire fault population. The enhance factor e (freely selectable by the user with  $0 \le e \le 99$ ) controls the minimum number of solutions at a grid point which is required for this stress state to appear in the MIM stereograms. By selecting e=0, all solutions for a data set are plotted. Larger values of e, on the other hand, correspond to a reduced number of plotted solutions and are chosen to thin out less significant stress states. In this way, the most relevant clusters indicating the best-fitting solutions can be detected. To further test the significance of a single stress state, the MIM software provides a tool for a simulation of stresses (Chapter 2.2.1).

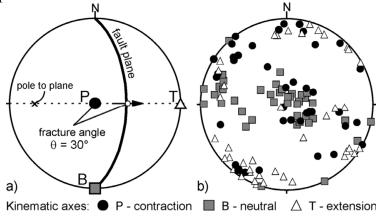


**Figure 10:** The Multiple Inverse Method (MIM) exemplarily introduced using faults-slip data from *Bodendorf* (#32). a) A misfit angle is defined as the angular difference between the observed striae and the direction of maximum shear stress,  $\tau_{max}$ , calculated for a given stress state; b) All fault-slip data from *Bodendorf* plotted in a tangent-lineation plot: each arrow in the lower-hemisphere, equal-area projection represents one fault-slip datum; the centre of an arrow indicates the pole to the respective fault plane while the arrowhead indicates the slip direction of the footwall block. One potential 4-fault-subset is exemplarily accentuated; c) Stress states calculated by MIM for the number of n=45 striated faults presented in (b). A number of n fault-slip data produces a number of X=n!/(k!·(n-k)!) k-fault-subsets. Thus, for n=45 and k=4, a number of 148,985 solutions is obtained. Each stress state is plotted with its  $\sigma_1$ -axis in the left stereonet and the associated  $\sigma_3$ -axis in the right stereonet (enhance factor e=0; lower hemisphere, equal-area projections). The diamonds represent the directions (azimuth and plunge) of stress axes. The tail of a  $\sigma_1$  ( $\sigma_3$ ) symbol indicates the direction and plunge angle of the corresponding  $\sigma_3$ - ( $\sigma_1$ -) axis. The stress ratio, R, is colour-coded.

#### 2.1.2 PBT-axes Method (PBT; Sperner et al., 1993)

PBT is a kinematic approach that graphically constructs a triple of theoretical strain axes for a single fault-slip datum (Turner, 1953, after a solution of Sperner et al., 1993): a P-axis in the direction of contraction, a neutral B-axis lying in the fault plane, and a T-axis in the direction of extension (Fig. 11). By assuming a coincidence of  $\sigma_1$  with P and of  $\sigma_3$  with T as well as an arbitrary shear stress magnitude of  $\tau=1$  on each fault plane, the Numeric Dynamic Analysis (NDA) calculates a reduced stress tensor for a set of fault-slip data (Spang 1972, after a solution of Sperner et al., 1993). By regarding all faults as neoformed, i.e. as fractured and moved by the same stress state, the concepts of PBT and NDA assume the orientation of a fault plane to depend on the acting stress field. For this reason, P is constructed with a defined angular distance from the respective fault plane: the fracture angle  $\theta$  (measured in the plane containing the fault plane normal and the slip line). A fracture angle of  $\theta$ =30° is adequate for many data sets, as this value (i) corresponds to laboratory studies on brittle deformation (Hubbert, 1951; Byerlee, 1968; Jaeger & Cook, 1979), (ii) is associated with high shear-tonormal stress ratios on the fault planes (Mohr-Coulomb fracture criterion; Fig. 8b) and (iii) already has proved to be appropriate for natural fault-slip data (Sperner, 1996; Reicherter & Peters, 2005).

TectonicsFP 1.6.5 by Reiter & Acs (1996-2008) is the software package which is used throughout this study for the realisation and further interpretation of PBT results. Despite potentially heterogeneous material properties, PBT applies a uniform angle θ to a group of fault-slip data (30° throughout the present study). The coeval consideration of various fault-slip data results in a comprehensive pattern of kinematic axes (Fig. 11b) which facilitates kinematic consistencies to be detected as clusters of P-, B-, and T-axes. In this way, kinematically consistent subsets of faults can be separated from a heterogeneous fault population (Chapter 2.2.1). Another tool incorporated in *TectonicsFP 1.6.5* calculates the mean vector for any type of directional data sets as well as the associated cone of confidence (a small circle within which the true mean of the sampled population of structures is expected to lie; "R% and Centre Method", Wallbrecher, 1986). Thus, a further analysis of the P-, B-, and T-clusters is possible.



**Figure 11:** PBT-axes Method (PBT). a) Construction of the kinematic axes P, B, and T for a normal fault by applying a fracture angle of  $\theta$ =30° (lower-hemisphere, equal-area projection). The neutral axis B lies in the fault plane (090/60=dip direction/dip). The contraction axis P and the extension axis T lie in a plane constituted by the shear plane normal and the slip line. The centre of the slip line arrow indicates the attitudes of the striae (090/60=azimuth/plunge) and the arrow points the slip direction of the hanging wall block (normal sense of movement). P is constructed with an angular distance of  $\theta$ =30° from the slip line in a direction opposite to the one indicated by the slip line arrow. P, B, and T are mutually perpendicular. b) Results of PBT for the entire population of fault-slip data from *Bodendorf* quarry (Fig. 10b). A fracture angle of  $\theta$ =30° is used for each fault-slip datum. The wide scattering of P-, B-, and T-axes, respectively, reflects heterogeneity of the data set.

## 2.2 A new strategy for stress inversion from (heterogeneous) fault-slip data

To demonstrate the strategy developed in this study, the data set from *Bodendorf* quarry is exemplarily used. These fault-slip data are heterogeneous as indicated by both clusters of differently oriented stress axes (Fig. 10c) and a wide scattering of kinematic axes (Fig. 11b). To find the most relevant stress states that explain the kinematics of this fault population as complete as possible, a stepwise procedure is used (Sippel et al., in press).

#### 2.2.1 Stress Inversion Via Simulation (SVS)

#### Step 1: Preliminary separation by clusters of P-, B-, and T-axes.

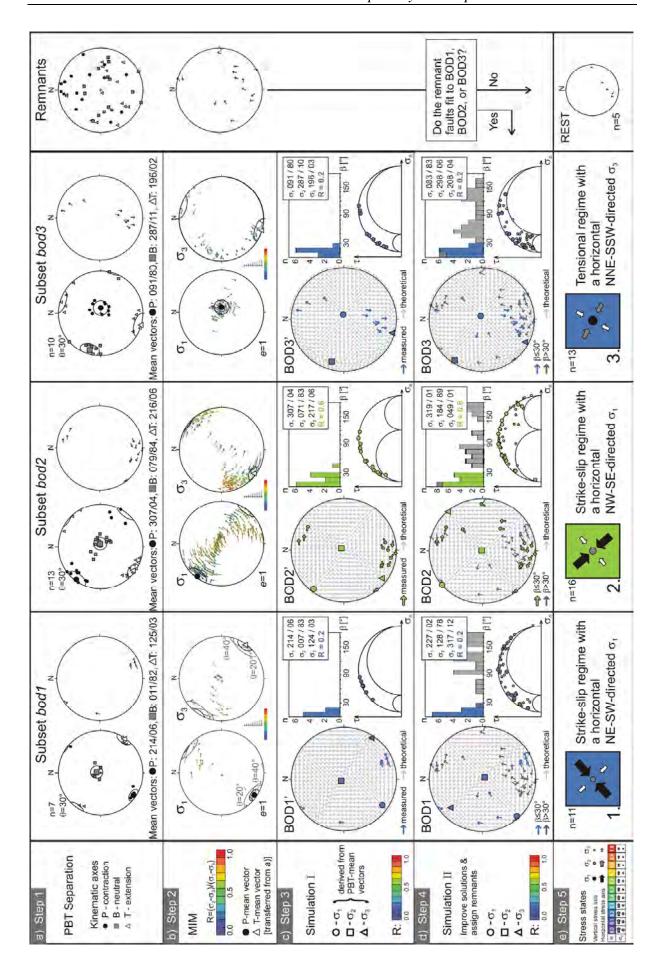
The clusters of kinematic axes in the PBT plot (Fig. 11b) indicate groups of faults with the same kinematic trend. Based on such consistencies, three kinematically homogeneous subsets can be separated for the *Bodendorf* data: *bod1*, *bod2*, and *bod3* (Fig. 12a). For each of the obtained subsets, the mean vectors of P-, B-, and T-axes, respectively, are calculated and the clusters of stress axes accentuated by plotting the associated cones of confidence (with a significance of 99%). Part of the data cannot be assigned to any consistent subset ("remnants" in Fig. 12a). Moreover, the kinematic axes associated to these remaining faults are non-horizontal and/or non-vertical, a configuration which identifies them as non-Andersonian (Anderson, 1942) or oblique-slip faults.

Since PBT processes each fault-slip datum separately, the separation is very rapid and straightforward. We conclude that the subsets *bod1* and *bod2* represent strike-slip regimes with a vertical B-axis each and horizontal contraction and extension axes. In the case of subset *bod1*, the sub-horizontal contraction axes strike approximately NE-SW and the extension axes NW-SE, whereas for *bod2* it is vice versa. Subset *bod3*, on the other hand, corresponds to an extensional regime with a vertical contraction axis and an extension axis striking horizontally NNE-SSW.

#### Step 2: Application of MIM to the PBT-derived subsets.

Since PBT regards all faults as neoformed and uncertainties concerning the value of  $\theta$  are accepted by the method, we complementary apply MIM which considers also slip along pre-existing planes. MIM yields the complete number of stress states for a data set, i.e. all solutions that fulfil the low-misfit-angle criterion for at least part of the data. This approach results in a large number of diffuse clusters of corresponding  $\sigma_1$ - and  $\sigma_3$ -axes in the MIM plot, including but also concealing the best-fitting stress states for a fault population (Fig. 10c).

When applying MIM to each of the separated homogeneous subsets bod1, bod2, and bod3, respectively, the patterns of solutions are much clearer. By transferring the mean vectors and cones of confidence from the PBT plots (Fig. 12a) to the MIM plots (Fig. 12b), considerable consistencies between the results of PBT and MIM become obvious. The cones of confidence enclose clusters of stress axes in the MIM plots, thus obviously exposing these clusters as significant solutions. Even when adopting slightly different fracture angles for PBT, such as  $\theta$ =20° or  $\theta$ =40° as exemplarily shown for the subset bod1, the same trends of stress axes are indicated as significant (Fig. 12b, left plot).



- **Figure 12:** Stress inversion for the fault-slip data from *Bodendorf* (#32): a) PBT separation. The separation by clusters of P-, B-, and T-axes yields three homogeneous subsets (*bod1*, *bod2*, and *bod3*) of kinematically consistent faults. The PBT plots (*left*) are complemented by the mean vectors calculated for P-, B-, and T-clusters (larger PBT symbols) and their associated cones of confidence for 99% significance (Wallbrecher, 1986). A fault-slip datum is regarded as belonging to a cluster if none of its three axes deviates by more than 40° from the respective mean vectors. Subsets are additionally shown by tangent-lineation plots (*right*) presenting each striated fault as an arrow that points the slip direction of the footwall-block. Data with non-uniform kinematics ('Remnants', *rightmost column*) mainly comprise oblique-slip faults.
- b) Complete number of reduced stress tensors calculated by MIM for *bod1*, *bod2*, and *bod3* (plot properties as in Fig. 10c with e=1).  $\sigma_1$  and  $\sigma_3$ -plots are complemented by the mean vectors and the cones of confidence derived from the respective P- and T-clusters in (a). For subset *bod1*, also the cones of confidence and mean vectors for P- and T-clusters constructed with  $\theta=20^\circ$  and  $\theta=40^\circ$  are plotted.
- c) Results of the first stress simulation: Stress axes are derived from corresponding PBT axes. As the mean vectors for P-, B-, and T-axes are calculated separately, they are not necessarily mutually perpendicular. Thus, the directions selected for  $\sigma_1$ ,  $\sigma_2$  and  $\sigma_3$  are slightly deviating from those of P, B, and T to achieve the required perpendicularity. Stress states BOD1', BOD2', and BOD3' are 'preliminary' solutions for the subsets *bod1*, *bod2*, and *bod3*, respectively. *Tangent-lineation plots*, *left*: The theoretical slip patterns (light grey arrows) of the stress states BOD1-3' coincide very well with the measured slip patterns of *bod1*, *bod2*, *bod3* (coloured arrows). *Fluctuation histograms*, *right*: The low degree of misfits of BOD1', BOD2', and BOD3' are expressed by a large number of faults with low misfit angles (mainly  $\beta \le 30^\circ$ ). *Mohr-circles diagrams*: Each striated fault is indicated by its shear-to-normal-stress ratio  $(\tau/\sigma_n)$  calculated for the associated stress state. The values of  $\tau/\sigma_n$  are remarkably high.
- d) Results of the second stress simulation: Each of the stress states BOD1, BOD2, and BOD3, is set in relation to the complete fault population from *Bodendorf. Tangent-lineation plots*: Given the theoretical slip pattern of BOD1, BOD2, and BOD3 (thin grey arrows), faults with misfit angles  $\beta \leq 30^{\circ}$  (coloured arrows) can be separated from faults of low slip potentials indicated by  $\beta > 30^{\circ}$  (dark grey arrows). *Mohr-circles diagrams*: Black dots indicate faults with misfit angles  $\beta \leq 30^{\circ}$ , grey dots represent faults with  $\beta > 30^{\circ}$ . Most faults with a low misfit angle show a high  $\tau/\sigma_n$ , thus reflecting a high slip tendency.
- e) Symbols for the reduced stress tensors: Sub-horizontal principal stress axes are projected to the horizontal and plotted as arrows (in black, grey, and white for  $\sigma_1$ ,  $\sigma_2$ , and  $\sigma_3$ , respectively). Subvertical principal stress axes are projected to the vertical and plotted as solid circles (also black, grey, and white for  $\sigma_1$ ,  $\sigma_2$ , and  $\sigma_3$ ). To illustrate the value of R, the  $\sigma_2$ -symbol is plotted by variable sizes (e.g. equally sized to  $\sigma_1$ , if  $\sigma_1$ = $\sigma_2$ , and equally sized to  $\sigma_3$ , if  $\sigma_2$ = $\sigma_3$ ). Furthermore, the background colour is plotted according to the value of R.

## Step 3: Find preliminary stress states (first simulation)

To find the best-fitting stress state for a kinematically homogeneous subset, different stress states are simulated and compared ( $step\ 3$  and  $step\ 4$ ). In this context, a simulation run implies, first, to define directions for the principal stress axes and a value for R, and second, to check the associated misfit angle distribution. To obtain the latter, the programme MI Viewer 4.10 calculates the direction of maximum shear stress,  $\tau_{max}$ , for each fault plane (Yamaji & Sato, 2005). At the same time, the angular distance between the theoretical and the observed slip is estimated. The resulting misfit angles ( $\beta$ ) are visualized collectively by a lower-hemisphere, equal-area projection ( $tangent-lineation\ plot$  as in Fig. 8a) and by a fluctuation histogram (Fig. 12c). The  $\beta$ -distribution finally serves as a measure for the consistency between a stress state and a set of fault-slip data, thus providing the base for a comparison of the fit of different stress states.

In a first series of simulations, stress states are tested only against the particular fault-slip data of a separated PBT-subset (Fig. 12c). The first stress state tested is characterised by (i)

directions of  $\sigma_1$ ,  $\sigma_2$  and  $\sigma_3$  derived from the mean vectors of the associated P-, B-, and T-axes, respectively, and (ii) an R value derived from the corresponding MIM clusters. Interestingly, the misfit angles calculated for *bod1*, *bod2*, and *bod3*, respectively, already tend to low values (mostly  $\beta$ <30°). By testing different R values indicated by the different colours of the respective MIM clusters, the solutions can be improved. Finally, the stress states BOD1', BOD2', and BOD3' correspond to low degrees of misfit, which is indicated by the fluctuation histograms as well as the tangent-lineation plots where the measured data are subparallel to the theoretical slip directions (Fig. 12c). Furthermore, these stress configurations would induce relatively high shear-to-normal-stress ratios ( $\tau$ / $\sigma_n$ ) on the respective faults as indicated by the presence of many  $\tau$ / $\sigma_n$ -values near the external envelopes of the Mohr-circles diagrams ( $\tau$ / $\sigma_n$  calculated by the software *FLUMO*, Sperner, 1993). Such values of  $\tau$ / $\sigma_n$  plotting close to the Mohr-Coulomb fracture criterion (tangential to the  $\sigma_1$ - $\sigma_3$  circle) confirm a high potential of slip along the faults. Hence, both criteria for faulting are fulfilled and the stress states BOD1', BOD2', and BOD3' can be regarded as realistic solutions for the subsets *bod1*, *bod2*, and *bod3*, respectively.

For estimating the slip potential of a single fault-slip datum under a certain stress field, the upper limit for misfit angles has been proposed to be either  $\beta$ =20° (Etchecopar et al., 1981, Sperner et al., 1993) or  $\beta$ =30° (Nemcok & Lisle, 1995). In the case of the preliminary stress states BOD1', BOD2', and BOD3', the majority of respective fault-slip data are related to misfit angles of  $\beta$ <20°. As none of the few faults with 20°< $\beta$ <30° would fit better to any alternative solution (neither in terms of misfit angles, nor of shear-to-normal-stress ratios), the PBT separation can be regarded as reasonable. However, the solutions BOD2' and BOD3' are not ideal, since the peaks of the respective cumulative curves are shifted away from the origin. Such distributions indicate potentials for better solutions.

#### Step 4: Complete separation and improve solutions (second simulation)

By performing a second simulation series, the relevancies of BOD1', BOD2', and BOD3' are assessed and the solutions further improved. Each preliminary stress state is tested against the entire fault population to estimate its potential to be responsible also for the activation of other fault-slip data from the outcrop, in particular, those of the group of 'Remnants' (*Step 1*). A single fault-slip datum is regarded as fitting to a certain stress state if the associated misfit angle is less than 30°.

After having identified all fault-slip data that are consistent with a stress state, the degree of misfit can further be minimised. The minimisation is done by interactively following any changes of misfit angles when slightly changing the parameters of stress. For our example, this means, we start with BOD1', BOD2', and BOD3', modify successively their parameters by selecting alternative values for  $\sigma_1$ ,  $\sigma_3$ , and R, to finally find the most appropriate solution for *bod1*, *bod2*, and *bod3*. The analysis of numerous data sets has shown that this interactive search can be restricted to a space which is indicated by consistent solutions of MIM and PBT, i.e. MIM-clusters which overlap with PBT-derived cones of confidence. Thus, within only a few simulation runs, the stress states BOD1, BOD2, and BOD3 are determined as optimal solutions for the subsets *bod1*, *bod2*, and *bod3*, respectively (Fig. 12d).

As expected from the PBT results, the stress states BOD1 and BOD2 correspond to strike-slip regimes with a sub-vertical  $\sigma_2$ -axis each. For stress state BOD1, the maximum principal stress axis strikes sub-horizontally NE-SW, whereas for BOD2 it strikes NW-SE. These stress states differ also in the derived stress ratios: in the case of BOD1 the ratio tends towards an axially compressive state of stress (R=0.2) and for BOD2 it represents a plane deviatoric stress state (R=0.6). Finally, stress state BOD3 corresponds to an extensional regime (sub-vertical  $\sigma_1$ ) with a sub-horizontal, NE-SW-directed  $\sigma_3$ -axis. The various dip and slip directions of the associated normal faults in subset *bod3* require a relatively low R value for BOD3 (R=0.2).

## Step 5: Presentation of stress states

With the four steps of separation and stress inversion introduced above, it is possible to estimate the reduced stress tensor for a group of striated faults. Given large data sets from a large number of closely-spaced sites, it is necessary to find a simple way of presenting numerous stress states in maps. The stress symbols used in this study have been conceived to integrate all parameters of the reduced stress tensor (Fig. 12e). Typically, most of the estimated stress states reveal sub-vertical and sub-horizontal principal stress axes. Thus, the axes can be projected to the vertical and horizontal, respectively. Accordingly, vertical axes are plotted as dots and horizontal axes as arrows. The stress ratio R is expressed by the relative size of the  $\sigma_2$ -symbol and, for the sake of a faster recognition, also by a specific colour code for the background of the stress symbol. If none of the principal stress axes is sub-vertical, i.e. plunging by more than  $70^{\circ}$ , the stress state is regarded as "oblique" and presented by a lower hemisphere, equal-area projection revealing the precise orientations of stress axes and a colour-coded background for R.

#### 2.2.2 Stress inversion by MIM and simulation - a comparative test

MIM has been invented as an independent approach (Yamaji, 2000). According to its original concept, significant stress state(s) inherent in a fault population are indicated by clusters in the associated  $\sigma_1$ -/ $\sigma_3$ -pair of stereograms. Consequently, the most significant stress state should be indicated by the grid point that combines the largest number of solutions. This implies, in turn, that isolating the most relevant stress state should be possible by enlarging the enhance factor e of the corresponding MIM plot. In the following, the validity of thusly identified solutions shall be checked: First, the results of MIM for bod1, bod2, and bod3 are plotted (Fig. 13b). In contrast to Figure 12b, however, solutions are plotted with an enhance factor that large that only one stress state is shown while all other solutions are filtered out. It is obvious that the remaining stress states BODx, BODy, and BODz are different from the solutions BOD1, BOD2, and BOD3 (Fig. 12d): For subset bod1, the grid point with the maximum number of solutions indicates a compressional regime (BODx) instead of a strike-slip system (BOD1). BODy corresponds to a tensional regime, whereas BOD2 is strike-slip in character. For bod3, finally, the solutions BODz and BOD3 differ in terms of directions of minimum horizontal stress ( $\sigma_3$ ).

Considering only the misfit angle distributions, BODx, BODy, and BODz correspond well with most of the observed fault-slip data of bod1, bod2, and bod3, respectively. However, as the data mainly plot to the lower right in the corresponding Mohr-circles diagrams, they are associated with very low shear-to-normal-stress ratios (Fig. 13c). Since the slip tendency of a fault plane is larger for high values of  $\tau/\sigma_n$ , this comparative test suggests BODx, BODy, and BODz not to be as relevant for the *Bodendorf* fault population as the stress states BOD1, BOD2, and BOD3.

Since it is one of the most frequently used methods, also the results of the Direct Inverse Method (DIM; Angelier and Goguel, 1979, after a solution of Sperner et al., 1993) shall be considered here. Alike MIM, the Direct Inverse Method is based on the 'low misfit-angle criterion': it calculates the best-fitting stress tensor for fault-slip data directly by minimising the sum of all misfit angles. Unlike MIM, this calculation is performed only once, i.e. for a whole set of fault-slip data. Considering the orientations and misfit angle distributions, the solutions produced by DIM and MIM are similar. Accordingly, the solutions generated by DIM for the subsets *bod1* and *bod2* are also related to very low shear-to-normal-stress ratios which implies that these stress states similarly must be challenged (Fig. 13d).

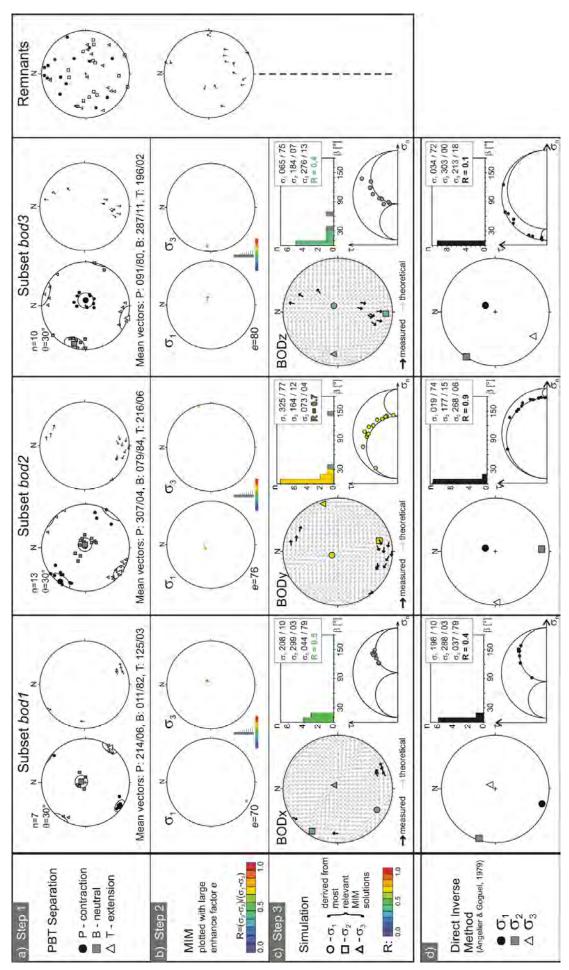


Figure 13: Comparative test. The stress states BODx, BODy, and BODz are tested against the fault-slip data from *Bodendorf* as they are the most relevant solutions according to MIM. a) PBT separation (as in Fig. 12a). b) Stress tensors calculated by MIM for the subsets *bod1*, *bod2*, and *bod3*. Note the large enhance factors which were selected to filter out all stress states but the ones with the largest number of solutions. c) The stress states BODx, BODy, and BODz which are indicated by the MIM solutions in (b), are set in relation to the subsets *bod1*, *bod2*, and *bod3*, respectively. Note the difference of these stress states compared to BOD1, BOD2, and BOD3, respectively (Fig. 12d). *Tangent-lineation plots*: The measured fault-slip data (black arrows) fit well with the theoretical slip patterns of BODx, BODy, and BODz (grey arrows). *Fluctuation histograms*: A maximum number of fault-slip data is related to the simulated stress states by misfit angles of  $\beta \le 30^{\circ}$ . *Mohr-circles diagrams*: The fault-slip data reveal relatively low shear-to-normal-stress ratios reflecting minor slip tendencies of the faults under the given stress states. d) Results of the Direct Inverse Method applied to the subsets *bod1*, *bod2*, and *bod3*, respectively (*TectonicsFP* by Reiter & Acs, 1996-2008). Note the large number of faults with low shear-to-normal-stress ratios in the Mohr-circles diagrams.

#### 2.2.3 Discussion

For the exemplarily selected fault population from *Bodendorf*, the Stress Inversion Via Simulation (SVS) integrating the concepts of PBT and MIM yields three stress states which together almost completely explain the observed fault-slip pattern. Each solution is related to the associated fault-slip data by a maximum number of misfit angles of  $\beta \le 20^{\circ}$  which in general is regarded as the primary criterion for a reasonable solution. The main aspects of the introduced stepwise procedure are the following:

- (1) PBT allows a fast and straightforward separation of heterogeneous fault-slip data. Unlike other separation methods which merge fault-slip data, then calculate a stress state with associated misfit angles in order to finally separate data again (e.g. Etchecopar et al., 1981), PBT processes each fault-slip datum separately.
- (2) The results of PBT are used to identify the most relevant stress states for a set of fault-slip data among the numerous solutions provided by MIM. As PBT is only used for a preseparation of data sets (later verified by various simulation runs), the selected value of the fracture angle of  $\theta$ =30° does not directly influence the results of the subsequent stress inversion. By separating heterogeneous data sets before applying MIM, a major problem of MIM is solved, which concerns minor subsets that may not be indicated adequately when appearing together with much larger subsets (Liesa & Lisle, 2004). Moreover, in the case of girdle distributions of  $\sigma_1$  and  $\sigma_3$ -axes, PBT results help designating the most realistic direction of the unknown  $\sigma_2$ -axis in terms of shear-to-normal-stress ratios. As demonstrated (Fig. 13), the most relevant solutions produced by MIM might represent stress states associated with unrealistically low shear stresses on the respective faults. Though pre-existing discontinuities may require relatively low shear-to-normal-stress ratios for slip to occur (Twiss & Moores, 1992), solutions with higher ratios are regarded as more realistic.
- (3) The interactive stress simulation provides direct control on the relation of a single fault-slip datum to a given stress state. Thus, all data from an outcrop can either be assigned to a specific stress state or isolated as outliers which thus do not further influence the stress inversion. With this simulation procedure, also the data that formerly had to be separated as 'Remnants' due to their PBT-axes can be set in relation to potential stress states. To consider these data is essential because (i) as mostly being oblique and generally not containing a principal stress axis, they more closely constrain the stress ratio, R (Angelier, 1989) and (ii) as mainly being reactivated, they may document age relations to other fault-slip data, thus

providing constraints on the chronology of stress states. Furthermore, the simulation allows checking the separation of fault-slip data in terms of potential relationships to the qualities of kinematic indicators. Finally, since the simulation tool interactively provides a tangent-lineation plot showing the theoretical slip patterns for a stress state (Fig. 12c,d), also incomplete data with unknown senses of slip might be correlated with any of the estimated stress configurations.

(4) The estimated stress states fulfil both the criterion of low misfit-angles and that of high shear-to-normal-stress ratios. The distribution of misfit angles correlating a set of fault-slip data with a specific reduced stress tensor as illustrated by a histogram serves as the primary measure for the quality of a stress state. An ideal solution for a homogeneous data set is characterised by a unimodal distribution of misfit angles with a maximum close to the axis of frequency. By performing the fourth step of the introduced inversion procedure, i.e. the second simulation, such an ideal solution can be found.

The distribution of shear-to-normal-stress ratios of a data set illustrated by a dimensionless Mohr-circles diagram serves as the second, even though more qualitative, measure for the fit of a stress state. For each fault-slip datum, PBT constructs a triple of kinematic axes. If these kinematic axes are interpreted as stress axes – with a parallelism between  $\sigma_1$  and P, between  $\sigma_2$  and B, and between  $\sigma_3$  and T – the respective stress state would induce the largest possible shear stress (a maximum of  $\tau/\sigma_n$ ) on the respective fault given that  $\theta{=}30^\circ$ . By restricting the search of a best-fitting stress state to the space indicated by consistent results of PBT and MIM, the solution found to be best for a group of fault-slip data in terms of misfit angles is guaranteed to be related also to relatively high shear-to-normal-stress ratios. If there are no consistencies observable between PBT and MIM (in the case of a pure set of reactivated faults, for instance), the simulation runs still should aim at improving the fit of stress states in terms of both misfit angles and shear-to-normal-stress ratios.

#### **2.2.4 Summary**

The Stress Inversion Via Simulation (SVS) is a stepwise technique combining a graphical method which is based on the Mohr-Coulomb fracture criterion (PBT-Method) with a numerical method based on the Wallace-Bott criterion (Multiple Inverse Method, MIM). The final steps of SVS correspond to a simulation of different stress states – a forward modelling that provides direct control on the relationships of a set of fault-slip data to any potential reduced stress tensor. In this way, SVS allows detecting the stress tensor(s) that best fit(s) a fault population in terms of slip and frictional criteria.

SVS integrates two techniques (PBT, MIM) each of which has been developed as a self-contained approach on fault-slip analysis. However, there are some critical aspects related to both these methods which are overcome by a combination as involved in SVS. The main differences between SVS on the one side and PBT, MIM, the Numeric Dynamic Analysis (NDA; Sperner et al., 1993), and the Direct Inverse Method (DIM; Angelier & Goguel, 1979) on the other, are compiled by Figure 15.

The main critical aspect of both PBT and NDA originates from the basic assumption that the orientation of a fault plane (expressed by the fracture angle  $\theta$ ) depends on the state of stress that causes faulting which is, however, only valid for neoformed faults. The uncertainty inherent in the choice of a uniform fracture angle, in turn, directly involves an ambiguity in the resulting orientations of kinematic axes. In averaging across all PBT-axes of a set of fault-slip data, NDA interprets these axes as stress axes while, however, not considering any potential heterogeneity among them. For the latter reason, performing a separation according to clusters of PBT-axes before applying NDA is reasonable. In the case of the presence of

reactivated faults, this might result in rejecting a number of inconsistent data (remnants). Neoformed faults alone, however, would not perfectly constrain the stress ratio R (Angelier, 1989). Likewise problematic is the NDA approach of calculating the stress ratio: NDA derives the value of R from the eigenvectors and eigenvalues of the cumulative pattern of PBT-axes instead of deriving R directly from the fault-slip pattern. Finally, the reduced stress tensor as deduced from the orientations of PBT-axes might not be perfectly consistent with a set of fault-slip data in terms of misfit angles.

Alike NDA, DIM calculates a reduced stress tensor for a set of fault-slip data directly. Potential heterogeneities of a data set thus are not considered and each datum deviating from the general trend may significantly falsify the solution of the iterative search. This problem is overcome by MIM by calculating reduced stress tensors for any possible subsets of a fault population. Since DIM and MIM are based on the Wallace-Bott hypothesis, the solutions are generally related to misfit angles that tend towards low values. Due to a consideration of oblique-slip (reactivated) faults, the stress ratio may also be well constrained (provided, of course, that the data show a sufficiently great diversity of orientations). However, the stress tensors found by DIM and MIM might still be far from being the best-fitting ones as indicated by unrealistically low shear-to-normal-stress ratios.

The intention of SVS is to explain a measured population of (heterogeneous) fault-slip data as complete as possible in terms of causative stress states. Each of the estimated stress states is guaranteed to fulfil the criterion of low misfit angles and that of high shear-to-normal-stress ratios (first simulation). Furthermore, each of the tensors is representative for as many fault-slip data as possible (second simulation).

SVS Sippel et al. (2008)	Slip and frictional criteria considered	PBT + MIM	Simulation	6 4 4 2 2 0 30 90 150 B[*]	De la constant de la	R constrained by oblique-slip (reactivated) faults
MIM Yamaji (2000)	Based on Wallace-Bott slip criterion	a lead	S	6 WIGN STAN	W D NO	R constrained by oblique-slip (reactivated) faults
DIM Angelier & Goguel (1979)	Based on Wallace-Bott slip criterion	No separation.	φ , , , , , , , , , , , , , , , , , , ,	160 150 H 2 15	S ON MO	R constrained by oblique-slip (reactivated) faults
PBT + NDA Sperner et al. (1993)	Based on Mohr-Coulomb fracture criterion (θ=30°), for neoformed faults only	PBT . THE	NDA PA	2 2 0 30 50 150 B [1]	5	B-axis (σ₂-axis) in fault plane, → R not constrained
NDA Sperner et al. (1993)	Based on Mohr-Coulomb fracture criterion (0=30°), for neoformed faults only	No separation.	z- B	2 WIGH 648 0 150 0	**************************************	R derived from the pattern of P-, B-, and T-axes
Z	Fault-slip data (assigned to BOD1)	Detection of heterogeneity	Stress inversion $\bigcirc \sigma_1$ $\bigcirc \sigma_2$ $\bigcirc \sigma_2 = \sigma_2 \ge \sigma_2 \ge \sigma_3$	Fit in terms of slip direction	Slip tendency in terms of frictional sliding	Stress ratio $R = (\sigma_2 - \sigma_3) / (\sigma_1 - \sigma_3)$

**Figure 14:** Different techniques of fault-slip analysis. The different approaches are exemplarily applied to the subset of fault-slip data that formerly has been related to the stress state BOD1 (Fig. 12). Critical aspects related to the different techniques are highlighted in red.

DIM – Direct Inverse Method, MIM – Multiple Inverse Method, NDA – Numeric Dynamic Analysis, PBT – PBT-axes Method, SVS – Stress Inversion Via Simulation

### 2.3 From local fault-slip data to regional stress fields

SVS provides a strategy for estimating a stress state from a number of striated faults. However, SVS is only one step on the way from sampling fault-slip data in an outcrop of limited extension to correlating reconstructed regional stress fields with the geodynamic history of an entire sedimentary basin.

#### 2.3.1 Data acquisition

A complete fault-slip datum integrates the orientation of a fault plane, the orientation of the shear-related striations, the sense of shear movement along the plane (sense of slip) and the quality and type of shear sense indicators (Fig. 15). The most widespread type of indicators found in the study area is provided by accretionary mineral steps or crystal fibres mostly made of calcite (e.g. ~65% of indicators at the southern margin of the CEBS; Fig. 9). Such fibres develop due to directed growth of minerals in shadow zones of a sheared fault plane while the direction of growth is parallel to the movement direction of the opposite block (congruous growth; Petit et al., 1983). Another type of kinematic indicators in the study area is provided by slickolites which are oblique stylolized peaks resulting from pressure solution (Hancock, 1985). Slickolites form incongruous steps, in other words, they point in opposite direction of movement of the missing fault block and they are very frequently found in limestones (Fig. 9a). Crystal fibres and slickolites are among the most reliable indicators for the sense of slip along fault planes (Doblas, 1998) which is expressed accordingly by mostly 'excellent' or 'good' qualities in the data records for the study area. Where bedding planes, veins or other structural elements are offset along a fault plane, the sense of movement is similarly well constrained. Other types of indicators are less frequent and summarized as 'non-specified' steps respectively 'non-specified' striations.

Site	Site #	Data #	DipDir 170	Dip 57	Azimuth 122	Plunge 50	Sense	Quality 3	Indicators + mineral coatings	
Wettringen									3, 4	
Wettringen	1	2	206	89	116	5	3	2	1(cc)	
Wettringen	1	3	210	65	210	65	2	3	5	
Höste	6	1	333	89	244	23	4	1	2	
Bodendorf	32	6	358	80	270	5	3	1	1(cc), hem	

**Figure 15:** Raw data as sampled for a fault-slip analysis (total data sets are presented in Appendices A and B). The orientation of a fault plane is indicated by its dip direction (DipDir; 0-360° in the horizontal) and its dip (Dip; 0-90° in the vertical). The orientation of striations is indicated by their azimuth (0-360°) and their plunge (0-90°). The sense of shear along a fault is reverse (1), normal (2), dextral (3), or sinistral (4). The quality of the interpreted shear sense indicators is excellent (1), good (2), or poor (3; after a classification of Sperner et al., 1993). The type of kinematic indicators corresponds to crystal fibres (1), slickolites (2), non-specified steps (3), non-specified striations (4), or offsets of structures (5). Mineral coatings which occasionally form crystal fibres include calcite (cc), chlorite (chl), hematite (hem), and quartz (qz) in the here studied areas.

#### 2.3.2 Data presentation

Throughout the present study, fault-slip data are presented by arrows in *tangent-lineation plots* (Fig. 8a; Hoeppener, 1955; Twiss & Gefell, 1990): Each arrow in such a lower-hemisphere, equal-area projection represents one fault-slip datum. The centre of an arrow indicates the pole to the fault plane while the arrowhead indicates the slip direction of the footwall block. Hence, this type of plot displays the directions in which material would move past the outside of a fixed lower hemisphere.

#### 2.3.3 Data correction

One factor determining data quality is related to measurement inaccuracies: Due to, for instance, the unevenness or the bad accessibility of a fault plane, the associated striae may not be precisely parallel to the plane – at least according to the measured orientations. For this reason, fault-slip data are checked and if necessary corrected before applying SVS ('Correct Fault Data'-tool; Reiter & Acs, 1996-2008). This correction corresponds to rotating the striae along a great circle (defined by the pole to the plane and the striae) to finally align on the fault plane. Usually, these corrections are minor: For example, less than 4% of the data from the southern margin of the CEBS are corrected by more than 10°.

#### 2.3.4 Stress inversion

SVS is performed for each investigated outcrop separately. For a whole fault population, this procedure potentially results in a number of reduced stress tensors as well as some "outliers" that cannot be explained by a common stress state. All fault-slip data are treated equally in the present study which means independently of the size of the faults and the quality of kinematic indicators. Firstly, data are not weighted because the sizes of measured faults in the study area are relatively uniform (mainly between several and several tens of metres) while fault mechanisms can be assumed to be consistent on various scales (Angelier, 1994). Secondly, the classification according to qualities of indicators has turned out not to correlate with the separation of stress states: Fault-slip data of different qualities are rather uniformly distributed among the differentiated stress states and the groups of outliers.

According to the Direct Inverse Method (Angelier & Goguel, 1979) which requires at least four fault-slip data for constraining the reduced stress tensor, also the stress states estimated by simulation are based on at least four different fault-slip data. Of course, the quality of a stress tensor increases as the number of related fault-slip data increases. According to statistical studies, stress estimates based on eight or less faults should even be treated with great suspicion (Orife & Lisle, 2006). For this reason, stress symbols used in the present study are marked if the respective stress tensor is based on less than nine fault-slip data.

Since faults can be classified according to their kinematics as reverse, normal, dextral, and sinistral, stress states can be classified according to the relative magnitude of the vertical principal axis: stress states with a vertical  $\sigma_1$  are referred to as tensional, stress states with a vertical  $\sigma_2$  as strike-slip or wrench, and stress states with a vertical  $\sigma_3$  are called compressional (Marrett & Peacock, 1999).

Finally, the comparison of stress states estimated at different sites provides perceptions on regionally acting paleostress fields. Such a correlation takes into account consistencies in the parameters of reduced stress tensors and consistencies in the ages of stress states. Though fault-slip data are difficult to date absolutely, field observations may provide constraints on

the relative timing of stress states – relative to the age of the rock that has preserved the associated fault-slip data or relative to other deformation structures.

#### 2.3.5 Constraints on the chronology of stress states

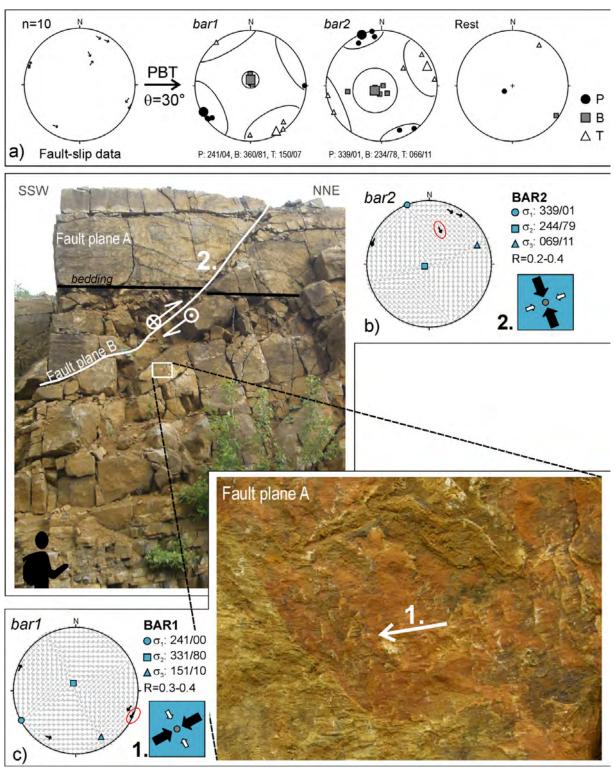
SVS provides an effective way for separating heterogeneous fault-slip data and for deriving the full variety of causative paleostress states. The computer-aided separation of data, of course, should not conflict with, but confirm any previously gathered field observations. Exposed kinematic inconsistencies, such as superimposed striae on a single fault plane or cross-cutting relations between different fault planes, render it possible to separate data and also to determine their chronological order. A relative timing of stress states can also be derived from the relationships of fault-slip data to other deformed structures such as tilted bedding planes.

### Superimposed striae

For the fault population from *Bodendorf* quarry (#32), it is shown how most of the fault-slip data have been assigned to one of three specific stress states (Fig. 12). According to overprinting relationships between individual striae on the same fault plane (such as in Fig. 9c), it can be concluded that both the stress states BOD1 and BOD2 have been active before BOD3 (Fig. 12e). According to such overprinting criteria, the two differently oriented strike-slip stress states were postdated by a tensional stress state with a NNE-SSW-directed  $\sigma_3$ . The interpretation of superimposed striae is based on the assumption that late-stage coatings usually develop above initial striae which, in turn, are (partly) concealed (Meschede, 1994; Doblas, 1998). This wide-spread concept becomes doubtful when considering that the question which fibres are placed on top and which there under is dependent on the fault block which was accidentally removed by erosion (Sperner and Zweigel, unpublished manuscript). For this reason, superimposed striae are critical where used as chronological indicators. However, different types of mineralisation may confirm that two fault/striae pairs belong to different subsets related to different paleostress states (Fig. 10c).

#### Cross-cutting relationships - Case study 1: Barntrup quarry (#14)

At *Barntrup* located in the Lower Saxony Basin, Mid Triassic (*Muschelkalk*) limestones are exposed. The sampled fault-slip data comprise two kinematically homogeneous subsets, *bar1* and *bar2* (Fig. 16a), which document the activity of the two strike-slip stress states, BAR1 and BAR2, respectively. According to field observations, a WNW-dipping dextral fault belonging to subset *bar1* (Fig. 16c) is offset by a SSW-dipping oblique-reverse fault which has been assigned to *bar2* (Fig. 16b). This situation indicates that the strike-slip stress state with NE-SW-directed maximum compression (BAR1) has been active prior to the strike-slip stress state with NW-SE-directed  $\sigma_1$  (BAR2).



**Figure 16:** Cross-cutting relationships and stress states at *Barntrup* quarry (#14). The arrangement of fault-slip data constrains the chronology of related stress states. a) Fault-slip data in a tangent-lineation plot (*left*) and results of PBT after separation according to kinematic axes (*right*). b) An older WNW-dipping dextral fault (fault plane A) is offset by a younger SSW-dipping oblique-reverse fault (fault plane B). Note the dextral component offsetting fault plane A. Fault plane B belongs to the homogeneous subset *bar2* which documents the stress state BAR2. c) Fault plane A is part of the subset *bar1* which corresponds to the stress state BAR1. Both faults illustrated are marked by red circles in the respective tangent-lineation plots.

### Relations to other structures - Case study 2: Halle quarry (#11)

A frequently encountered situation concerns the chronological relationship between faulting on the one side and folding/tilting on the other (Lamarche et al., 1999, 2002; Homberg et al., 2002; Lacombe et al., 2006). To diagnose if a volume of rock is presently in a tilted position, a reference frame is required. In the case of sedimentary rocks, such a frame is often provided by the attitudes of bedding planes which generally are assumed to form in a horizontal position. To determine if a set of fault-slip data within a tilted volume of rock once has been affected by the process of tilting or if faulting postdated tilting, mostly is a more delicate issue. The following example shall illustrate the integrated use of sedimentary structures and fault-slip data to unravel a local deformation history.

At *Halle* (#11) an overturned sequence of Cenomanian to Turonian limestones reveals a heterogeneous fault population (Fig. 17). A preliminary separation of the data results in three homogeneous subsets (*hal1*, *hal2*, *hal3*) and a group of inconsistent fault-slip data (Fig. 17e). Assuming the clusters of kinematic axes to indicate potential directions of stress axes, it is obvious that two of the homogeneous subsets, *hal1* and *hal2*, respectively, would reflect "non-Andersonian" stress states (as none of the respective stress axes would be vertical; Anderson, 1942). These subsets reveal oblique P- and T-axes of which the orientations provide strong evidence for a tilting of the whole strata that postdated the respective phases of faulting. Thus, before any stress inversion can be performed, a back-tilting of part of the fault-slip data is required to estimate the original stress configurations that caused faulting (Fig. 17f).

An adequate rotation axis for the back-tilting procedure is inferred from the mean strike of bedding planes (111/00) which is sub-parallel to the mean strike of B-axes associated to *hal1* and *hal2*. Considering the overturned bearing of rocks (Fiedler, 1984), the sense of rotation must be carried out anticlockwise looking down-plunge the rotation axis. By coevally tilting back fault-slip data and bedding planes until the latter achieve their original horizontal position (i.e. through 138°), the P- and T-clusters of subset *hal1* are transferred to subhorizontal and subvertical positions, respectively. For subset *hal2*, on the other hand, such an "Andersonian" orientation of kinematic axes is achieved by applying a rotation angle which is derived from the mean plunge of P-axes (i.e. 64°). Subsequent to the back-tilting process, each subset is subjected to the stress inversion procedure described above (SVS). This analysis results in three stress states which resemble remarkably in terms of both the directions of maximum compression ( $\sigma_1$ ) and the stress ratios (Fig. 17g). However, whereas the subsets *hal1* and *hal2* correspond to compressional stress states, subset *hal3* reflects a strike-slip system.

The illustrated relation between bedding planes and fault-slip data in conjunction with the "Andersonian" concept of stress states, argues for the following deformation model (Fig. 17h): The Cenomanian and Turonian limestones at *Halle* quarry firstly were disrupted by reverse faults (subset *hal1*), when a stress state with a NNE-SSW-directed maximum compression and a vertical  $\sigma_3$ -axis was active (HAL1). This stress configuration probably kept constant for a certain time during which the strata successively were (i) tilted around an ESE-WNW-directed rotation axis, (ii) disrupted by another set of reverse faults (subset *hal2*; stress state HAL2) and (iii) tilted again. After the pile of rocks had achieved its recent orientation (taking the orientation of bedding planes as a reference frame), a permutation of the minimum and intermediate stress axes resulted in a vertical  $\sigma_2$  (HAL3) and the activation of strike-slip faults (subset *hal3*).

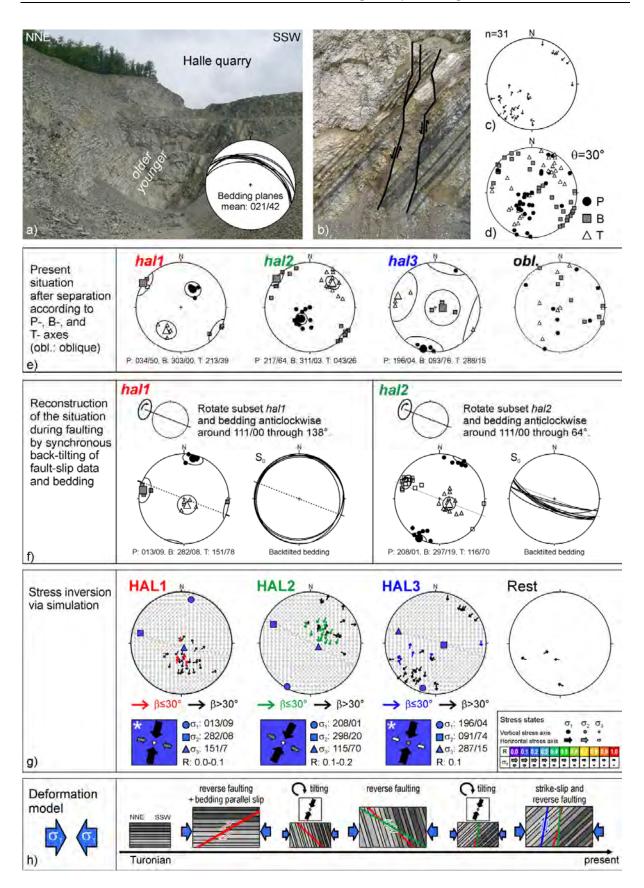
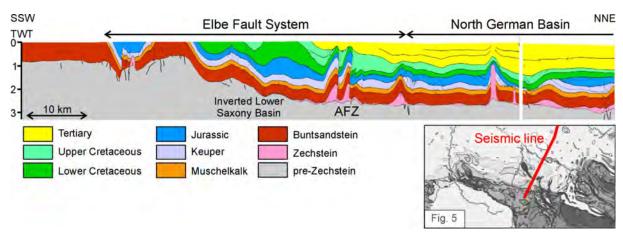


Figure 17: Separation and stress inversion for the fault-slip data from *Halle* quarry (#11). a) The Upper Cretaceous strata is overturned presently dipping towards NNE; b) Pseudo-normal faults which show reverse senses of movement when tilted back to their original position; c) Tangent-lineation plot of the heterogeneous fault-slip data; d) Result of PBT: cumulative plot of P-, B-, and T-axes for the whole data set; e) Results of separation according to clusters of P-, B-, and T-axes; f) Back-tilting procedure for the subsets *hal1* and *hal2* (see text for details); g) Results of the stress inversion via simulation. The stress states HAL1, HAL2, and HAL3 have been found to excellently fit with the previously separated subsets *hal1*, *hal2*, and *hal3*, respectively. Fault-slip data that fit a respective stress state (misfit β≤30°) are distinguished from data that do not fit (β>30°). Moreover, half of the previously out-sorted data (oblique) can be explained by these stress states, so that finally only 4 faults remain as a "rest". Stress states based on less than 9 fault-slip data are marked by an asterisk. h) Derived chronology of deformation phases after consolidation of rocks in the Turonian (time is not to scale). Symbols for phases of tilting indicate the directions of maximum horizontal compression (black arrows) inferred from the present orientation of tilted bedding planes.

### 3 Structural evolution of the CEBS – state of the art

As a result of its post-Variscan tectonic evolution, the CEBS contains the thickest Permian-Cenozoic sedimentary succession in Central Europe (>10 km; Scheck-Wenderoth & Lamarche, 2005). The present geometries and thickness distributions of preserved sedimentary layers in the CEBS are the expression of a succession of different phases of localized sedimentation, erosion and inversion (Fig. 18). They provide first perceptions on the deformation of the basin system and qualitative ideas about the stress fields that controlled the different stages. Since the geological record of the CEBS is the base for any reconstruction of its tectonic history, the main stages of basin evolution are described in the following together with the main rock units produced by each stage.

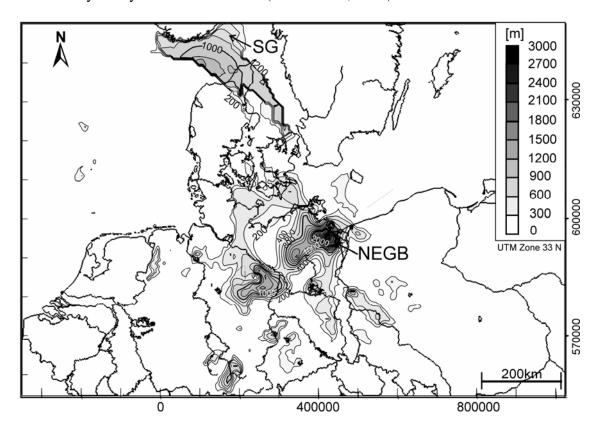


**Figure 18:** Regional geological profile across southwestern parts of the North German Basin (modified after Mazur et al., 2005). Note the uplifted position of the southern basin margin including the Lower Saxony Basin with respect to the North German Basin. The fault-slip data for the present study are derived from rocks cropping out along such uplifted parts of the south-western inverted margin of the CEBS. Vertical scale (seconds, two-way travel time) is twofold depth exaggerated. AFZ – Aller Fault Zone.

# 3.1 Initial rift phase

The Latest Carboniferous / Early Permian *initial rift phase* is supposed to be a late pulse of the Variscan Orogeny: The northern foreland of the collapsing Variscan mountain chain, including the area of the future CEBS, shows signs of deformation under roughly N-S-oriented compression and E-W-oriented extension (Heeremans et al., 1996; Lamarche et al., 1999, 2002; Vandycke, 2002). The extensional component is supposed to be responsible for the development of the intracontinental Oslo Rift system (Ziegler, 1990; Olaussen et al., 1994). Furthermore, the generation of a large variety of igneous products has been related to the development of several magmatic provinces within the collage of basement terranes in North Central Europe (Neumann et al., 2004). Accordingly, the dominant products of the Permo-Carboniferous *initial rift phase* comprise large amounts of igneous rocks. The most intensive magmatism took place in the Oslo Graben (c. 120000 km³; Neumann et al., 1992). The preserved thicknesses of volcanic rocks in the CEBS (Fig. 19) indicate further centres of volcanism to have developed in the Skagerrak Graben (with c. 1000 m-thick lavas; Heeremans et al., 2004) and in the Northeast German Basin (more than 2500 m-thick volcanics; Benek et al., 1996).

Geochemical and geophysical data from different places of eruption argue for the Permo-Carboniferous volcanics in northern Europe to represent a common tectono-magmatic event (Neumann et al., 2004). Today, remnants of this early period in the history of the CEBS are exposed at the surface in the areas of the Flechtingen High (Fig. 5) and of the Oslo Graben (Fig. 7). The period of magmatic activity in the Oslo Graben was estimated to have lasted between 308 Ma (syenitic sill intrusions, Sundvoll et al., 1992; Sundvoll & Larsen, 1994) and 245 Ma (granitic intrusions, Sundvoll et al., 1990). The main stage of magmatism started with the eruption of basaltic lavas (B<sub>1</sub> basalts, <300 Ma; Corfu & Dahlgren, 2007) which are followed by numerous lava flows of intermediate composition termed rhomb-porphyry (RP) lavas (Sundvoll et al., 1990). The youngest products of the volcanic phase are ring dykes and explosion breccias which are related to a stage of caldera formation (Ramberg & Larsen, 1978). In the Northeast German Basin, the main period of volcanic activity was estimated to be shorter and to have occurred between 307-294 Ma (±3 Ma, respectively; Breitkreuz & Kennedy, 1999). The volcanics exposed in the Flechtingen High area are regarded as part of the calc-alkaline, SiO<sub>2</sub>-rich Altmark-Flechtingen-Block-Subhercyn volcanic suite which consists mainly of rhyolites and andesites (Benek et al., 1996).



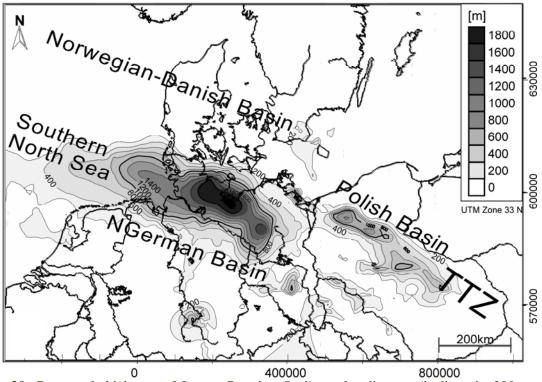
**Figure 19:** Preserved thickness of Permo-Carboniferous volcanics in the CEBS (isolines in 200m steps; modified after Scheck-Wenderoth et al., 2008a). Main centres of volcanism were located in the Skagerrak Graben (SG) and its northern prolongation, the Oslo Graben, as well as in the Northeast German Basin (NEGB). Reduced thicknesses of volcanics can be found from the southern North Sea through northern Germany into central Poland.

## 3.2 Post-rift phase of thermal subsidence

From latest Early Permian until Mid-Triassic, north Central Europe was mainly affected by a phase of thermal subsidence in the course of which former N-S trending graben-like depocentres joined to form the large NW-SE- to WNW-ESE-trending Northern and Southern Permian basins (Ziegler, 1990). Whereas the Norwegian-Danish Basin and the North German

Basin experienced later structural differentiation, the dominant NW-SE-direction of structures in the Polish Basin persisted throughout the entire basin history, which is supposed to be a result of its position above the Tornquist Zone which thenceforward controlled its development (Scheck-Wenderoth et al., 2008a).

In the Southern Permian Basin, an at least 2300 m-thick succession of continental *Rotliegend* clastics was deposited comprising sandstones and siltstones with intercalated evaporites (Fig. 20; Dadlez et al., 1995, 1998; Kiersnowski et al., 1995; Plein, 1995; Benek et al., 1996; Bachmann & Hoffmann, 1997; Lokhorst, 1998; Baldschuhn et al., 2001). Paleostress studies in the Lower Saxony Basin and its northwestern prolongation (Groningen Block) have shown that these clastics have been affected by ENE-WSW-directed extension still during the Permian (Lohr, 2007; van Gent et al., in press).



**Figure 20:** Preserved thickness of Lower Permian *Rotliegend* sediments (isolines in 200 m steps; modified after Scheck-Wenderoth et al., 2008a). TTZ – Teisseyre-Tornquist Zone.

During the Late Permian, a paleo-surface lowering was accompanied by a global glacio-eustatic sea-level rise, enabling a marine transgression from the Arctic Ocean into the southern North Sea and across much of Central Europe (Ziegler, 1988, 1990; Coward et al., 2003). The respective Upper Permian sedimentary formations are known as the *Zechstein* (Fig. 21). The formations of the *Zechstein* Sea comprise the products of several evaporation cycles ranging from limestones and dolomites to the economically important units of rock salt in northern Germany. Within the investigated areas, rocks of the *Zechstein* period (mainly carbonates) are exposed where the inversion-related uplift of the Paleozoic block of the Harz Mountains involved the ascent of adjacent sediments along the Northern-Harz-Boundary Fault and along fault arrays structuring the western and southern borders of the Harz block (Fig. 5). The recurrent post-depositional mobilisation of *Zechstein* evaporites played a decisive role for the later structural evolution of much of the CEBS.

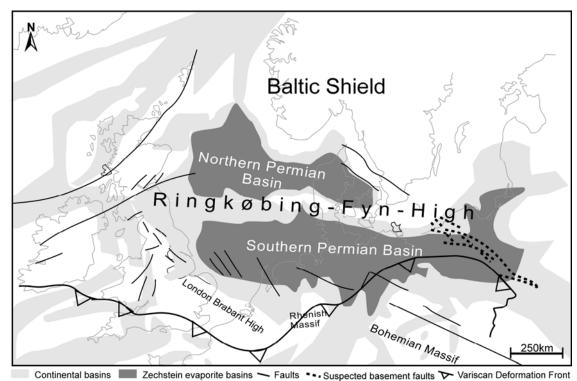


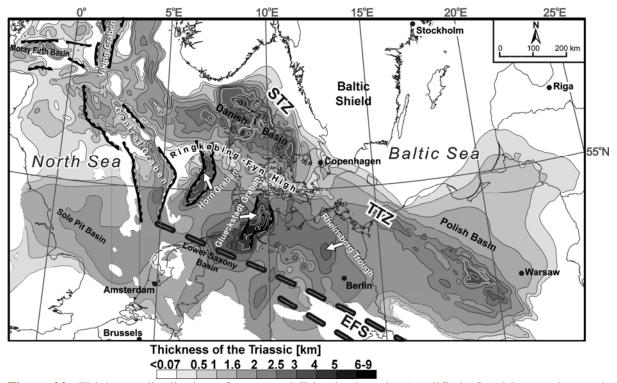
Figure 21: Areas of Late Permian deposition of Zechstein salt (modified after Scheck-Wenderoth et al., 2008a). The outlines of evaporite deposition indicate that two individual sub-basins, the so-called Northern and Southern Permian Basins (Ziegler, 1990), were separated by the Mid-North Sea-Ringkøbing –Fyn chain of structural highs.

Until the Mid-Triassic, ongoing thermal subsidence with minor tectonic activity led to a continuous broadening of the depositional area of Central Europe where – after the ultimate evaporation of the Zechstein Sea – the continental red-bed clastics of the Buntsandstein were deposited. In the central parts of the North German Basin, the average thickness of the Buntsandstein sediments attains a few thousand metres. Maximum thicknesses, however, are located where the earliest influence of E-W-directed extension has been recorded, such as in the N-S-trending Glückstadt Graben which shows up to 5000 m of Buntsandstein (Baldschuhn et al., 2001; Maystrenko et al., 2005). As a result of two main phases of eustatic sea-level rise between 248 Ma and 221 Ma, much of Central Europe developed towards a marine depositional environment with mainly carbonate deposition, the Muschelkalk sequences (Rüffer & Zühlke, 1995). Aside from the large N-S-oriented grabens, the CEBS reveals a rather uniform thickness distribution varying in the range of hundreds of metres of Muschelkalk (Scheck-Wenderoth et al., 2008a). At present, Muschelkalk limestones are among the most prevalent rocks outcropping along the southern inverted margin of the CEBS. They are exposed in southwestern Poland (Fig. 6), as well as in the Subhercynian Basin, in the Lower Saxony Basin, and in the northern parts of the N-S trending Hessian Depression between the Egge Lineament and the Leine Graben (Fig. 5).

## 3.3 Mid-Triassic – Jurassic phase of E-W extension

A period of roughly E-W-oriented extension commencing in the Mid Triassic is indicated by mainly N-S-trending axes of depocentres that partly dissect the Mid-North Sea-Ringkøbing-Fyn High (Fig. 22; Scheck-Wenderoth & Lamarche, 2005). The E-W-directed extension induced accelerated tectonic subsidence of N-S-trending basins like the Central Graben, the Horn Graben, and the Glücksstadt Graben. In general, the depositional area of the CEBS

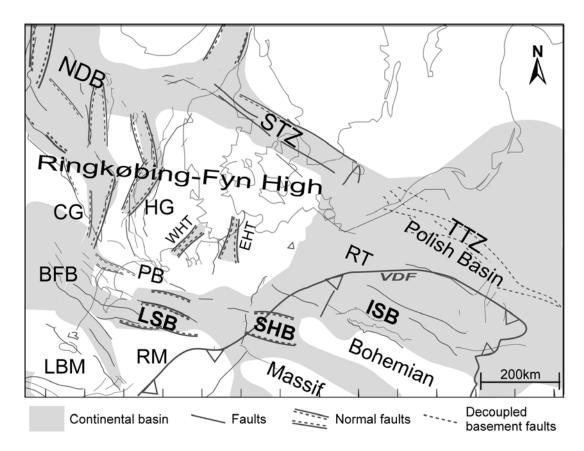
became shallower from Mid to Late-Triassic while the depositional setting changed from marine to continental again (fluvial to lacustrine *Keuper* sediments). Considering the locally increased thickness of *Keuper* sediments within the Glücksstadt Graben where it attains up to 5800 m, maximum extension can be dated back to Mid-Late Triassic times (Maystrenko et al., 2005). Localized subsidence in the N-S grabens was strongly enhanced by salt tectonics, as the salt withdraw from the axial parts of the grabens to rise along graben-parallel faults (Scheck et al., 2003a,b; Maystrenko et al., 2006).



**Figure 22:** Thickness distribution of preserved Triassic deposits (modified after Maystrenko et al., 2006). N-S-oriented grabens and troughs show increased thicknesses. A further main depocentre is provided by the Polish Basin which strikes NW-SE. EFS – Elbe Fault System, STZ – Sorgenfrei-Tornquist Zone; TTZ – Teisseyre-Tornquist Zone.

# 3.4 Mid-Jurassic phase of uplift

The Mid-Jurassic period is mainly controlled by uplift of the central North Sea in the course of which large parts of North Central Europe successively have been elevated (Fig. 23; Scheck-Wenderoth et al., 2008). Accordingly, the northern parts of the CEBS around the Mid-North Sea-Ringkøbing Fyn chain of highs became the main erosional area and the Jurassic formations in the CEBS widely reflect a transition from deep to shallower water conditions. While this successively southward moving uplift affected the northern parts of the North German Basin (Pompeckj Block) – thus restricting Jurassic strata mainly to salt-rim synclines in the area (Maystrenko et al., 2005) – the southern parts of the North German Basin provided the frontal space for an accommodation of locally up to 1000 m of mainly clastic sediments (Walter et al., 1995).



**Figure 23:** The CEBS in Mid Jurassic times (modified after Scheck-Wenderoth et al., 2008a). Large parts of the CEBS represent structural highs.

BFB – Broad Fourteens Basin; CG – Central Graben; EHT – East-Holstein Trough; HG – Horn Graben; ISB – Intra-Sudetic Basin; LBM – London Brabant Massif; LSB – Lower Saxony Basin; NDB – Norwegian-Danish Basin; PB – Pompeckj Block; RM – Rhenish Massif; RT – Rheinsberg Trough; SHB – Subhercynian Basin; STZ – Sorgenfrei Tornquist Zone; TTZ – Teisseyre Tornquist Zone; WHT – West-Holstein Trough.

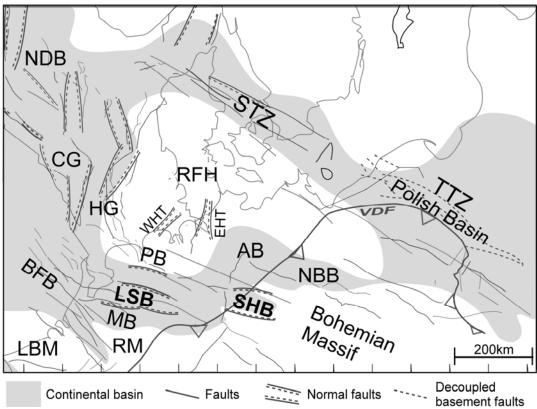
# 3.5 Late Jurassic – Early Cretaceous phase of localized subsidence

Until the beginning of the Late Jurassic, regional uplift had turned much of the CEBS into an erosional area while deposition was restricted to WNW- to NW-trending subsidence centres located at the margins of the CEBS. While the central parts of the CEBS experienced uplift affecting the Ringkøbing-Fyn High as well as Pompeckj Block, localized subsidence was found, for instance, along the Sorgenfrei-Tornquist Zone (Surlyk, 2003), along the Teisseyre-Tornquist Zone (i.e. in the Polish Basin; Dadlez et al., 1995, 1998), and in numerous basins along the southern margin, such as the Lower Saxony Basin (Betz et al., 1987). In the western parts of the Elbe Fault System, localized subsidence was accompanied by another phase of mobilisation of *Zechstein* salt (Scheck et al., 2002a; Scheck-Wenderoth & Lamarche, 2005). This generated space for the accumulation of shallow marine and lacustrine sediments, such as marine sandstones, clay stones, marls, and limestones including calcareous ooliths (Walter et al., 1995; Kossow & Krawczyk, 2002). Due to their weathering resistance, these limestones presently constitute the stabilising elements of some mountain ridges in the German parts of the Elbe Fault System where they widely are economically produced.

At the beginning of the Early Cretaceous (Berriasian), the connection of the Lower Saxony Basin to open marine water was interrupted (Fig. 24) leading to desalinisation, deposition of the limnic-brackish *Wealden* facies, and locally to an erosional hiatus (the base Lower Cretaceous unconformity; Kossow et al., 2000; Kossow & Krawczyk, 2002). During the

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following transgressive phase (Valanginian to Aptian), the marine flooding gradually transcended beyond the boundaries of the localised Upper Jurassic depocentres so that much of the North German Basin (including the Pompeckj Block) and the Polish Basin were included in a common marine depositional environment. While tectonic activity was strongly reduced during this phase, some 800-1000 m of *Wealden* sequences and 1500-1650 m of post-Berriassian sediments have been deposited in the Lower Saxony Basin (Klassen, 1984; Betz et al., 1987; Mutterlose & Böckel, 1998).



**Figure 24:** The CEBS in Early Cretaceous times (modified after Scheck-Wenderoth et al., 2008a). Subsidence was restricted to NW-SE trending depocentres as the Polish Basin and the northern Norwegian-Danish Basin, and to basins along the southern margin of the North German Basin. AB – Altmark Basin; BFB – Broad Fourteens Basin; CG – Central Graben; EHT – East-Holstein Trough; HG – Horn Graben; LBM – London Brabant Massif; LSB – Lower Saxony Basin; NBB – North Bohemian Basin; NDB – Norwegian-Danish Basin; PB – Pompeckj Block; RFH – Ringkøbing-Fyn High; RM – Rhenish Massif; SHB – Subhercynian Basin; STZ – Sorgenfrei Tornquist Zone; TTZ – Teisseyre Tornquist Zone; WHT – West-Holstein Trough.

# 3.6 Late Cretaceous – Early Tertiary phase of inversion

At the beginning of the Late Cretaceous, a globally elevated sea level (Torsvik et al., 2002) and probably minor extensional stresses induced by divergent plate movements in the North Atlantic (Stampfli & Borel, 2002; Torsvik et al., 2002) resulted in flooding of much of Central Europe. The sediments related to this marine transgression are predominantly carbonates which are developed as chalk in the northern parts of the CEBS and as limestones with clastic intercalations along the southern margin of the basin system (Scheck-Wenderoth et al., 2008a).

Subsequently, the style of intra-plate deformation changed drastically from an extensional (and transtensional) to a compressional (and transpressional) mode. As a result, WNW- and NW-striking blocks that previously had experienced subsidence were inverted and exposed to

erosion whereas adjacent blocks were taking up large amounts of Upper Cretaceous sediments (Fig. 25; Scheck-Wenderoth & Lamarche, 2005). Stratigraphic and thermochronologic data indicate that one main phase of shortening covers the Latest Turonian and Campanian time (Ziegler et al., 1995; Hejl et al., 1997; Thomson & Zeh, 2000; Vejbaek & Andersen, 2002; Kockel, 2003; Voigt et al., 2004, 2006; Senglaub et al., 2006).

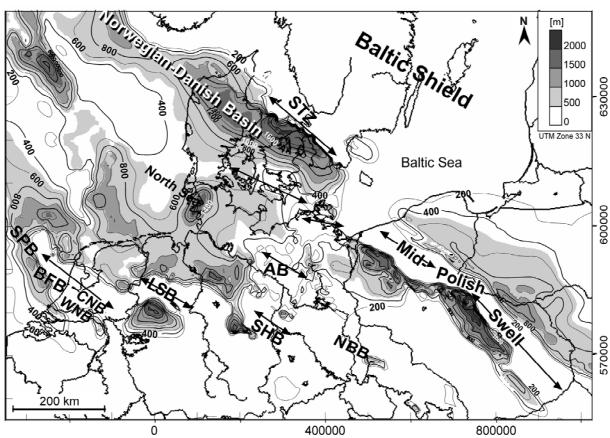
The Lower Saxony Basin, for instance, experienced strong uplift which culminated in the Coniacian and Santonian. The amount of related erosion is debated but proposed values range up to several thousand metres of sediments (Senglaub et al., 2006). At the same time, areas to the north (Pompeckj Block) and to the south (Münsterland Basin) experienced subsidence, thus providing space for the deposition of up to 2000 m of Upper Cretaceous sediments (Walter et al., 1995). Along the southern flank of the Lower Saxony Basin, uplift-related movements were strongly localized along the Osning Lineament. This structure roots in the pre-Permian basement of the Lower Saxony Basin separating the Rhenish Massif below the Münsterland Basin in the south from the Lower Saxony block in the north (Fiedler, 1984; Drozdzewski, 1988). The outcropping prolongation of this lineament is a zone of inversion-related thrust faults along which Mesozoic to Lower Cretaceous sediments of the Lower Saxony Basin have been thrust southwards over the stable Münsterland platform and its thick cover of Upper Cretaceous rocks.

Similar inversion-related phenomena as described for the Lower Saxony Basin have also been reported for other sub-basins of the Elbe Fault System: the Sole Pit Basin (Badley et al., 1993; Nalpas et al., 1995; Buchanan et al., 1996), the Broad Fourteens Basin (De Lugt et al., 2003; Nalpas et al., 1995), and the Subhercynian Basin (Kossow et al., 2001; Otto, 2003; Franzke et al., 2004; Voigt et al., 2004). The uplift of these basins was accompanied by a new phase of salt movement during which salt diapirs with NW-SE-trending axes formed parallel to the uplifted blocks (Scheck-Wenderoth et al., 2008a). The western parts of the Allertal Fault Zone (Fig. 5), for instance, show locally increased thicknesses of Upper Cretaceous in salt rim synclines and reduced thicknesses where diapirs have developed (Lohr et al., 2007). The Northern Harz Boundary Fault which is another major fault zone exposed in the study area separates the Hartz block in the south – comprising Variscan-deformed Devonian to Lower Carboniferous sediments - from the Mesozoic sediments of the Subhercynian Basin in the north. During the phase of inversion, the basin fill of the Subhercynian Basin was tilted and partly overthrust by the Variscan basement due to the relative uplift of the Harz block along the Northern Harz Boundary Fault (Thomson et al., 1997; Voigt et al., 2004). Thereby, the Subhercynian Basin was progressively filled with locally more than 1500 m of Upper Cretaceous rocks consisting of marginal sandstones of the Upper Cretaceous chalk sea. At the same time (mainly during the Coniacian and Santonian), also the block of the Flechtingen High experienced uplift, its transition to the north, however, evolving as a flexure rather than a fault (Scheck et al., 2002a).

Alike the Elbe Fault System, also the Sorgenfrei-Tornquist Zone acquired its principal inversion structures with an uplifted central zone limited by reverse faults during Late Cretaceous and Early Tertiary phases of inversion (Berthelsen, 1992). The related uplift of the Norwegian-Danish Basin occurred synchronous with the inversion of the NW-trending branch of the Danish Central Graben (Vejbaek & Andersen, 2002). Finally, a Late Cretaceous reverse reactivation of basement-cutting normal faults has also been observed along the Teisseyre-Tornquist Zone in the axial part of the Polish Basin (Erlström et al., 1997; Krzywiec, 2002; Krzywiec et al., 2003). In all of these sub-basins, the location of inversion is spatially linked to NW-SE-trending Upper Jurassic-Lower Cretaceous depocentres. This preferred orientation of inverted basins, the weak intensity of observed contraction within N-S-trending basins (Maystrenko et al., 2005), and the results of fault-slip analysis performed in some parts of Central Europe (Lamarche et al., 2002; Vandycke et al., 2002; Franzke et al., 2007; Bergerat

et al., 2007) consistently argue for a NNE-SSW- to NE-SW-direction of maximum compression that was responsible for the basin-wide inversion.

In many sub-basins, signs of inversion have not only been recorded for the Late Cretaceous but also for the Cenozoic, while the structural style was established to have changed between the Late Cretaceous and the Early Tertiary phase (Nielsen et al., 2005). Existing models characterising the phase of inversion (e.g. Ziegler et al., 1995) have recently been put up for a new discussion (Nielsen et al., 2005; Scheck-Wenderoth et al., 2008a; Kley & Voigt, 2008). These new perceptions have been developed especially in the light of the latest results concerning the causal interrelations between intraplate compressional stresses in Central Europe and Late Cretaceous orogenic processes in southern Europe where the early orogeny of the Alps coincided with the onset of Africa-Iberia-Europe convergence.



**Figure 25:** Distribution of preserved thickness of Upper Cretaceous rocks (isolines in 200 m steps; modified after Scheck-Wenderoth et al., 2008a). The axes of inverted blocks strike around WNW (double arrows) indicating a roughly NNE-directed maximum compression that induced inversion of Upper Jurassic to Lower Cretaceous basins.

AB – Altmark Basin; BFB – Broad Fourteens Basin; CNB – Central Netherlands Basin; LSB – Lower Saxony Basin; NBB – North Bohemian Basin; SHB – Subhercynian Basin; SPB – Sole Pit Basin; STZ – Sorgenfrei Tornquist Zone; WNB – West Netherlands Basin

## 3.7 Cenozoic subsidence and transition to present-day stress conditions

The Cenozoic represents a period when Africa and Europe were converging, when a major hotspot developed in the Faeroe-Greenland area, when seafloor spreading commenced in the North Atlantic between Greenland and Europe, and when NW Europe became part of a thermally subsiding passive continental margin from Eocene times onwards (Rasser et al., 2008). During this phase of thermal subsidence, the CEBS experienced little faulting but

renewed salt mobilisation while mainly N-S- and NW-SE-trending subsidence axes have been created (Scheck-Wenderoth & Lamarche, 2005). The major depocentre of this period with up to 3500 m of Cenozoic sediments is located in the Central North Sea.

Much of the Cenozoic evolution of North Central Europe was and still is controlled by far-field stresses resulting from continent collision farther to the south such as in the Pyrenees or the Alps (Reicherter et al., 2008). The earliest pulses of collision resulted in the formerly addressed phase of Late Cretaceous – Early Palaeogene inversion. During the Eocene to Miocene, in contrast, Central Europe has been governed by extensional tectonics that created the European Cenozoic Rift System including, for instance, the Upper Rhine Graben. Finally, there are indications that between the Eocene and the Miocene the direction of maximum horizontal stress ( $S_{Hmax}$ ) rotated from a NE-SW- to a NW-SE-direction (Bergerat, 1987; Schreiber & Rotsch, 1998; Hinzen, 2003). The 'neotectonic period' of Central Europe thus began in the Late Miocene with the initiation of the present-day stress field which is predominantly characterised by NW-SE compression and NE-SW extension (Heidbach et al., 2008).

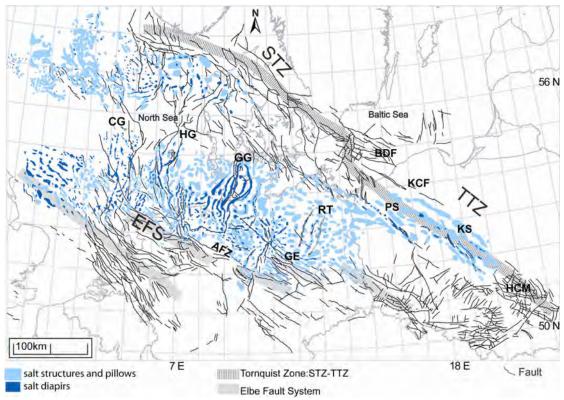
The super-regional present-day stress field in Central Europe is generated by Atlantic ridge push forces and forces related to collision/convergence of the Eurasian and African plates (Gölke & Coblentz, 1996; Goes et al., 2000). The general trend of NW-SE-directed maximum horizontal compression ( $S_{Hmax}$ ) is complicated by varying plate boundary conditions, salt movements, and the coexistence of rheologically different domains (Grünthal & Stromeyer, 1992; Cacace et al., 2008). Such local disturbances of stresses are reported, for instance, for the North German Basin where  $S_{Hmax}$  swings from a NW direction in the west to a NNE direction in the east (Roth & Fleckenstein, 2001; Heidbach et al., 2008). Further local perturbations of the present (and Pleistocene) stress field are related to the post-glacial isostatic rebound of the Baltic Shield (Scherneck et al., 1998; Kaiser et al., 2005; Reicherter et al., 2005).

#### 3.8 Salt tectonics

From the Mid Triassic onward, the tectonic activity of the CEBS was recurrently accompanied by a mobilisation of Zechstein salt layers (Scheck et al., 2003a; Scheck-Wenderoth et al., 2008b) which formerly had been deposited in the areas of the Northern and Southern Permian Basins during the Late Permian (Fig. 21). The present distribution and geometries of salt structures in the CEBS reflect different phases of salt (re)mobilisation resulting in diverse maturities of the structures in terms of pillow stage versus diapiric stage. The first major phase of salt movement was related to the Mid-Triassic – Jurassic phase of E-W extension which initiated N-S striking salt walls and diapirs mainly in the large N-S trending grabens of the Southern North Sea and in parts of the North German Basin. The Late Jurassic – Early Cretaceous phase of basin differentiation affected mainly the northern and southern marginal parts of the CEBS where local subsidence was accompanied by normal faulting and the formation of NW-SE oriented salt structures and pillows. The Late Cretaceous - Early Tertiary phase of inversion which mainly affected WNW- and NWstriking blocks enhanced the growth of NW-SE salt structures, whereas N-S-oriented salt structures experienced a phase of stability during this phase. This configuration changed again, when during the phase of Cenozoic subsidence N-S-oriented salt walls experienced a new phase of growth parallel to the mainly N-S-trending depositional axes of this time.

As described, the post-depositional mobilisation of salt temporally correlates well with the main regional tectonic phases in the CEBS. There are, however, differences between the central and the marginal parts of the basin system concerning their evolution and resulting salt structures (Scheck-Wenderoth et al., 2008b). According to the outlines of the Northern and

Southern Permian Basins, the reconstructed initial thicknesses of Zechstein salt layers generally increases from the marginal to the central parts of the basin system. As a result of its mechanical properties (Hudec & Jackson, 2007; Kukla et al., 2008), the salt locally acted as a decoupling horizon during post-depositional deformation phases. This applies mainly to the central parts of the CEBS, where the salt cover was mechanically decoupled from the deformation of the salt basement (thin-skinned deformation; Hecht et al., 2003; Scheck et al., 2003b). Accordingly, the patterns of the present-day direction of maximum horizontal stress, S<sub>Hmax</sub>, in subsaline and in suprasaline formations of the North German Basin show differences that argue for a decoupling also of the regional stress field due to Zechstein salt layers (Roth & Fleckenstein, 2001). On the contrary, along the marginal parts of the Norwegian-Danish Basin, the North German Basin, and the Polish Basin, deformation of the salt cover and diapir location are directly linked to basement faults (thick-skinned deformation) and the recorded intensity of deformation is generally higher. As a result of the lateral variations in deformation history – controlled to a large extent by pre-existing of zones of crustal weakness as the Sorgenfrei-Tornquist Zone, the Teisseyre-Tornquist Zone, and the Elbe Fault System – salt structures at the margins of the CEBS predominantly strike NW-SE, whereas in the central parts they trend N-S (Fig. 26).



**Figure 26:** Present distribution of salt structures in the CEBS (Maystrenko et al., 2006; Baldschuhn et al., 2001; Dadlez et al., 1998; Evans et al., 2003; Jaritz, 1987; Lockhorst et al., 1998; Nalpas and Brun, 1993; Remmelts, 1995; Scheck et al., 2003b).

In the Southern North Sea and the North German Basin, the mobilisation of the Zechstein salt resulted in two main types of structures: (1) in the northern half of this province, NNW- to NNE-striking salt walls were initiated during the Mid-Triassic phase of E-W extension and (2) in the southern half, NW-SE-striking salt structures developed in the Cretaceous coevally with the subsidence and inversion of NW-SE-trending sub-basins. In the Polish Basin, the salt structures follow the trend of the Teisseyre-Tornquist-Zone while documenting different mobilisation ages.

AFZ - Allertal Fault Zone, BDF - Bornholm-Darlowo Fault Zone, CG - Central Graben, EFS - Elbe Fault System, GE - Gardelegen Escarpment, GG - Glückstadt Graben, HCM - Holy Cross Mountains, HG – Horn Graben, KCF - Koszalin-Chojnice Fault Zone, KS - Kuiavian Segment, PS - Pomeranian Segment of Mid-Polish Trough, RT - Rheinsberg Trough, STZ - Sorgenfrei-Tornquist Zone, TTZ - Teisseyre-Tornquist Zone.

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# 4 The southern margin of the CEBS

The presented thickness distributions of specific sedimentary layers in the CEBS reflect shifts in the depositional and erosional areas over time and thus provide first perceptions on the structural evolution of the basin system. This evolution is strongly controlled by major WNW-ESE- and N-S-trending structures, respectively, which document remarkably consistent developments and recurrent activation since Permian times. However, such interpretations are based on seismic-scale present-day geometries of the basin fill. To constrain more closely the modes and causes of deformation in the CEBS, an outcrop-scale study focusing on the kinematic interpretation of brittle faults has been performed. Such a fault-slip analysis yields states of paleostress which can be discussed in the framework of the evolution of the CEBS known so far.

To potentially distinguish between different phases of faulting, a broad range of differently-aged rocks has been investigated. However, the CEBS is widely covered by unconsolidated Cenozoic units so that field-based studies on the pre-Cenozoic evolution are limited to areas where increased uplift and erosion (especially during the *Late Cretaceous-Early Tertiary phase of inversion*) have exposed pre-Cenozoic rocks.

Along the Elbe Fault System, Upper Carboniferous to Upper Cretaceous rocks are exposed, thus potentially attesting to the tectonic evolution of the southern margin of the CEBS from the time of rock formation until present (Fig. 5, 6). A total number of 906 fault-slip data have been sampled from 40 sites revealing Upper Carboniferous, Upper Permian, Mid Triassic, Upper Jurassic, and Upper Cretaceous rocks (Tab. 1). Sampling of the data was restricted to limestones and volcanics because these lithologies offer the most favourable conservation conditions for kinematic indicators on fault planes in the area. Where possible, the fault-slip data are complemented by information on their spatial and chronological relationships to other structures, such as faults, bedding planes, folds, or veins.

After data acquisition, the stepwise fault-slip analysis introduced in Chapter 2 ("Stress Inversion via Simulation", SVS) has been performed separately for each investigated site. For every site, the complete population of fault-striae pairs is subjected to this procedure. Where possible, the chronology of paleostress states has been estimated directly based on relationships of different fault-slip data observable in the field.

# 4.1 Estimated paleostress tensors

A number of 77 reduced stress tensors have been determined for the area of the Elbe Fault System (EFS; Fig. 27). Many of the investigated sites show heterogeneous fault populations indicated by several different paleostress tensors. According to the principles of SVS, each separated homogeneous subset is related to the associated reduced stress tensor by relatively low misfit angles and high shear-to-normal-stress ratios. In some cases, the stress ratio R covers a certain range instead of being a discrete number which is due to a limited number or restricted orientations of the fault-slip data that thus imprecisely constrain the value of R. Most of the investigated outcrops reveal fault-slip data that correspond to "Andersonian" stress states, i.e. stress states with sub-vertical and sub-horizontal principal axes. In some cases, such a typical orientation of stress axes is already the result of a back-tilting of the associated fault-slip data performed before the inversion of the related stress state.

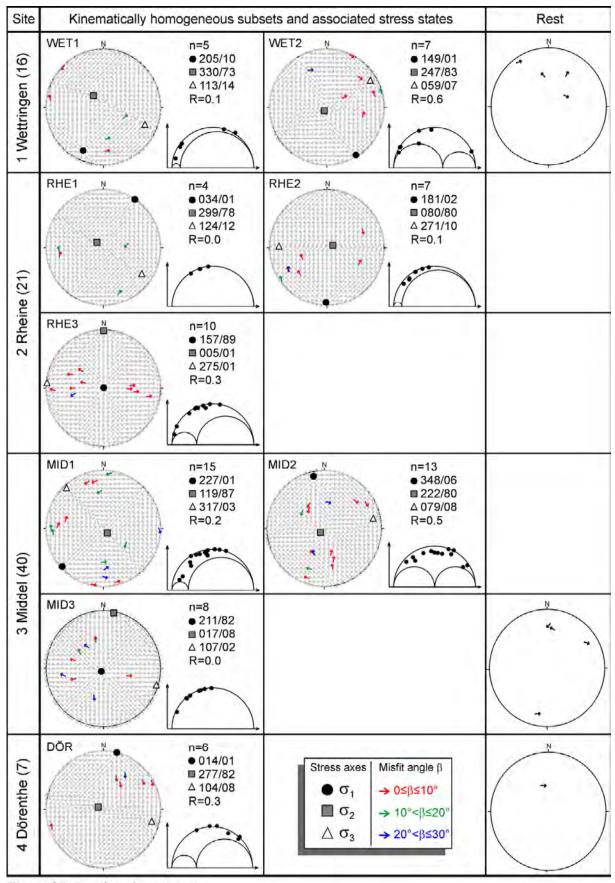


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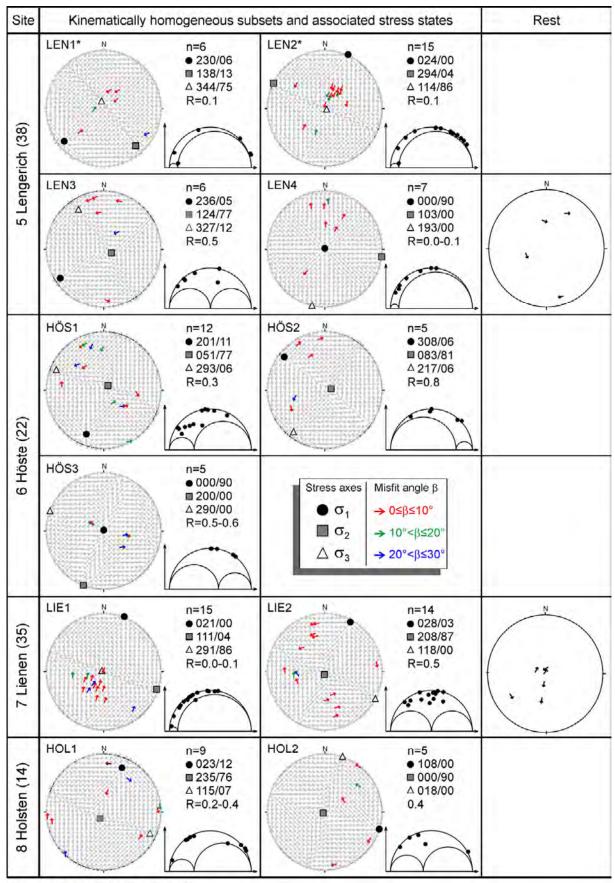


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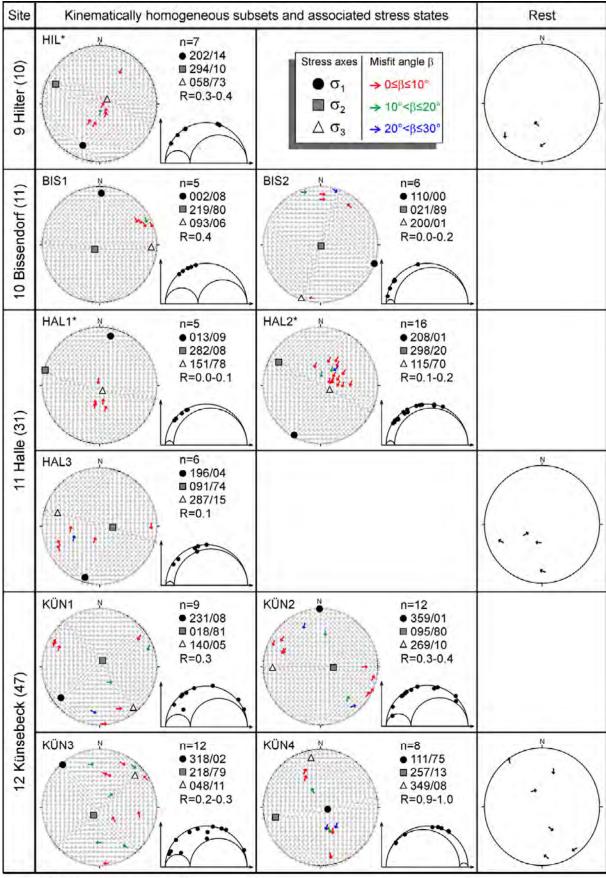


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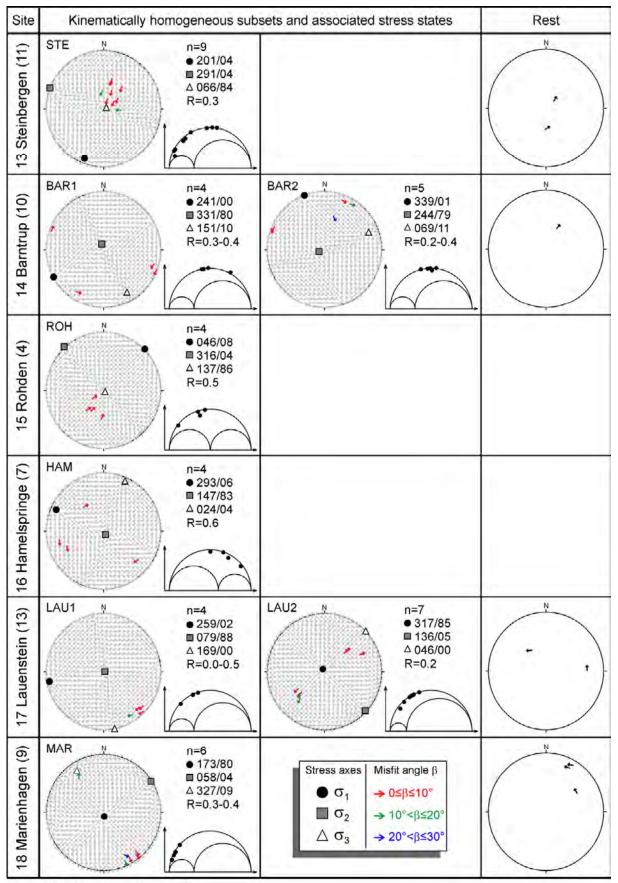


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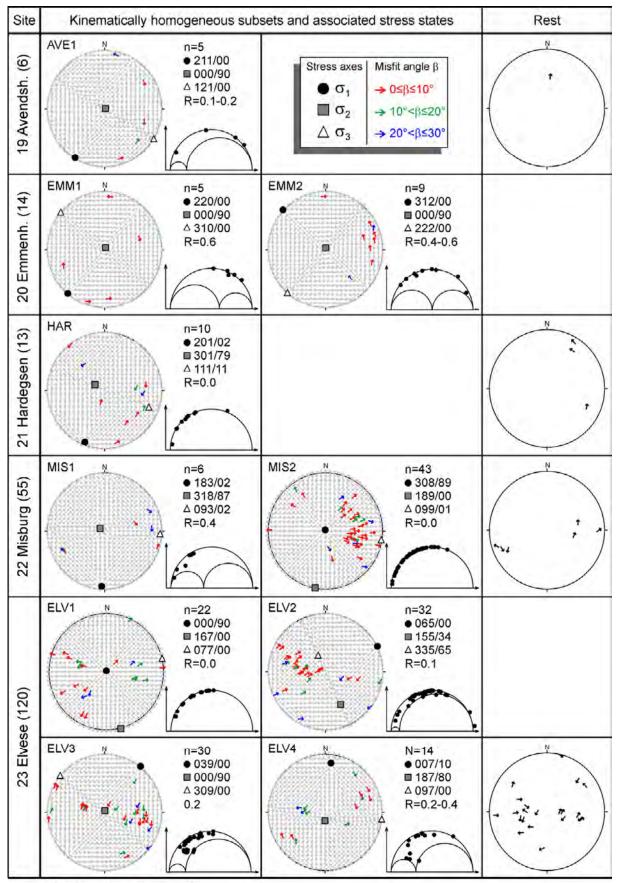


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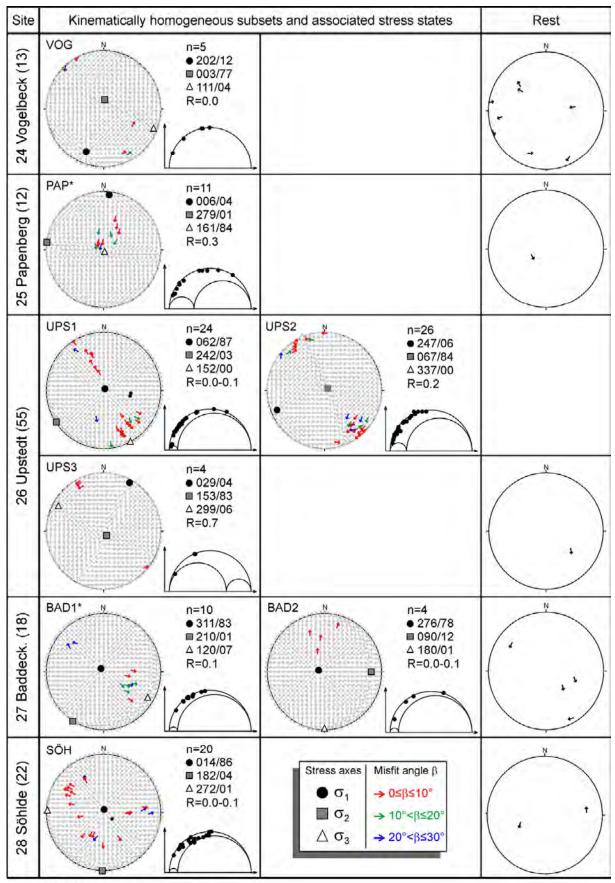


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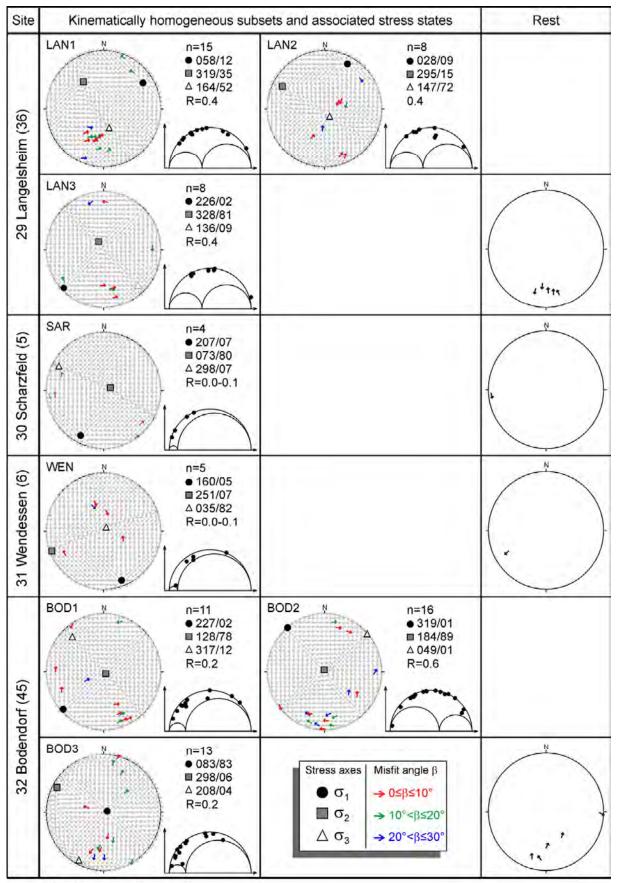


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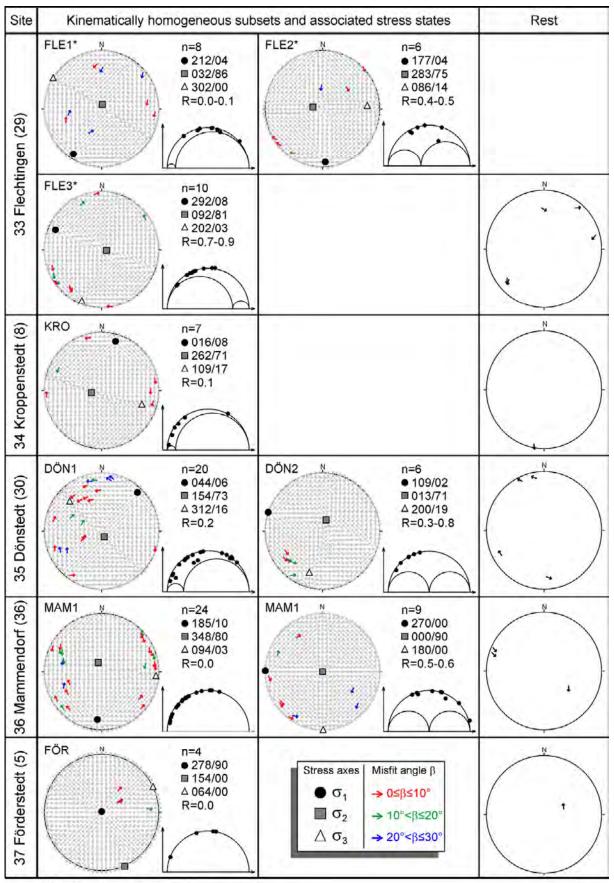


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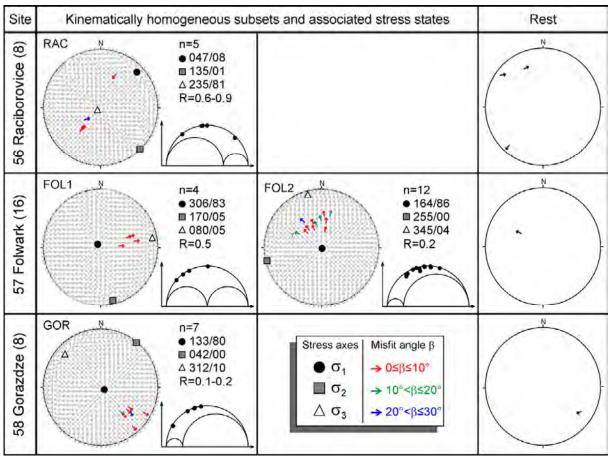


Figure 27: Reduced stress tensors estimated for fault-slip data from the EFS area. Sites are indicated by number, name, and total number of fault-slip data (in brackets). Each row shows the complete number of sampled fault-slip data from a specific site. The data are plotted as assigned to a specific reduced stress tensor or rejected as outliers ("Rest"). Each reduced stress tensor is presented by a lower-hemisphere equal-area projection which includes the corresponding measured fault-slip data (thick arrows) and the calculated theoretical slip directions (thin grey arrows). The measured fault-slip data are colour-coded according to the associated misfit angles ( $\beta$ ) which are the primary criterion for the fit between a group of faults and a stress tensor. The respective Mohr-circles diagram illustrates the shear-to-normal-stress ratios for a group of fault-slip data under the specific stress tensor. Datasets marked by an asterisk indicate that the fault-slip data have been tilted back prior to the stress inversion.

# 4.2 Analysis of chronological indicators

Before the reconstructed stress states can be correlated with any temporal stages in the evolution of the CEBS, some case studies are presented documenting phenomena that appear locally but help deciphering the regional chronology of stress states. These examples illustrate, for instance, relations between folding and faulting, relations of stress states to large-scale deformation structures or the occurrence of oblique stress states.

In the following, estimated paleostress states are presented according to *Step 5* in chapter 2.2.1: For Andersonian stress states, sub-vertical principal stress axes are projected to the vertical and sub-horizontal axes to the horizontal (Fig. 12e). Oblique stress states with none of the principal axes being sub-vertical, on the other hand, are presented by lower hemisphere, equal-area projections.

### 4.2.1 Faulting vs. folding

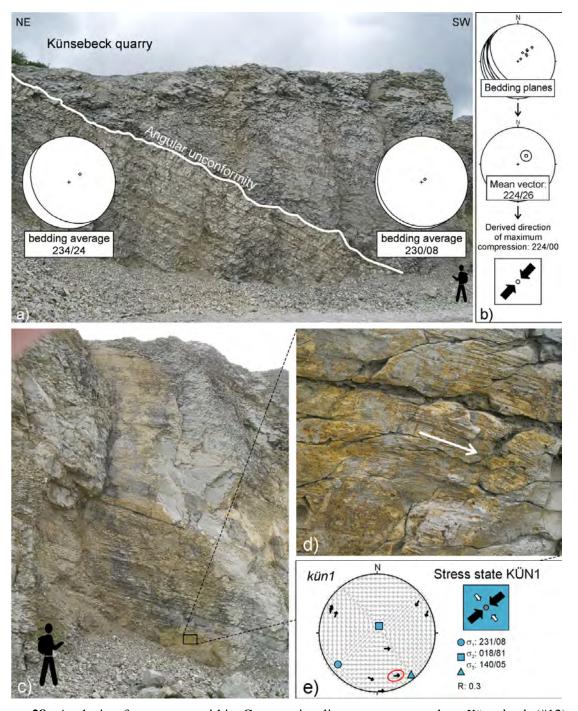
At many sites, the signs of brittle deformation do not only include striated faults but also indications for a folding or tilting of the rock mass. For the sedimentary rocks of the Lower Saxony Basin, the Hessian Depression and the Subhercynian Basin, a general trend is observable from gentle and open folds below outcrop scale in the central parts of the basins to a large-scale tilting of the strata close to the Osning Lineament and the Northern-Harz-Boundary Fault (bedding planes listed in Appendix A).

As illustrated for *Halle* quarry (#11), the geometrical relations between bedding planes and fault-slip data may help unravelling a local deformation history (*Case study 2*; Fig. 17). In the following, several other case studies are presented: A direct constraint on the timing of folding is provided at *Künsebeck* quarry (#12), where synsedimentary structures document a Cenomanian to Turonian age of the monoclinal tilting (*Case study 3*, below). For this site, the direction of maximum compression inferred from the tilted bedding planes is shown to correlate with the direction of  $\sigma_1$  derived from a subset of fault-slip data. At *Lengerich* quarry (#5), two stress states are shown to predate a final phase of tilting, while two other stress states demonstrably postdate the tilting (*Case study 4*). The bedding planes measured at Papenberg (#25) indicate two phases of folding and tilting with different rotation axes, respectively (*Case study 5*). Finally, *Case study 6* shall document that in the case of the volcanic rocks from *Flechtingen* (#33), the lack of bedding planes is compensated by mineral veins that alternatively serve as a suitable indicator and reference for the rotation of the rock mass.

### Case study 3: Künsebeck quarry (#12)

At *Künsebeck* quarry, which is located close to the Osning Lineament, an angular unconformity cuts the Cenomanian to Turonian limestones and separates them into a lower, more steeply inclined part from an upper, almost flat-lying part (Fig. 28). The shape of this unconformity, in turn, can be interpreted as a result of gravitational slumping which has been induced by tilting during times when the strata had been incompletely consolidated. Both facts argue for a tilting of the strata that had already begun during deposition of the sedimentary sequence. On the contrary, the faults observed at this place clearly have formed as discrete planes within an already consolidated pile of rocks (Fig. 28c). Obviously, faulting postdated folding at *Künsebeck* quarry.

From the attitudes of bedding planes, it is possible to infer an approximate direction of maximum horizontal compression that potentially caused the observed tilting of strata (Fig. 28b). The inferred NE–SW-directed compression corresponds well with the NE–SW-directed  $\sigma_1$ -axis derived from the strike-slip faults that have been separated as  $k\ddot{u}nl$  and related to the paleostress state KÜN1 (Fig. 28e). This correlation in terms of directions of maximum horizontal compression argues for a close relationship between the phase of tilting and the derived stress state KÜN1. Assuming a reverse stress state with a NE–SW-directed  $\sigma_1$ -axis to be responsible for the tilting, the transition towards KÜN1 would only require a permutation between the  $\sigma_2$ - and the  $\sigma_3$ -axis. Consequently, it is probable that the time of activity of KÜN1 directly followed the process of folding while the other stress states estimated at  $K\ddot{u}nsebeck$  (KÜN2, KÜN3, KÜN4) postdated KÜN1.



**Figure 28:** Analysis of structures within Cenomanian limestones exposed at *Künsebeck* (#12). a) Angular unconformity. The mean attitudes of bedding planes are plotted as great circles and poles to planes separately for parts above and parts below the unconformity, respectively. The difference in the mean dip angles and the shape of the unconformity, both indicate synsedimentary tilting of the strata; b) The variously dipping bedding planes show a common trend of dips which is represented by the azimuth of their calculated mean vector. The mean dip direction, in turn, is interpreted as the tilting-related direction of maximum horizontal compression; c) Large strike-slip fault that cuts the strata; d) Grooves and calcite fibres indicate a sinistral sense of movement along the fault plane; e) Strike-slip stress state KÜN1 with a NE-SW-directed  $\sigma_1$  is derived from the subset of fault-slip data *kün1*. The fault-slip datum presented in (c) and (d) is indicated by the red circle. The direction of maximum compression corresponds with the one derived from the tilted bedding planes in (b) implying a close relationship between tilting and this particular phase of strike-slip faulting.

### Case study 4: Lengerich quarry (#5)

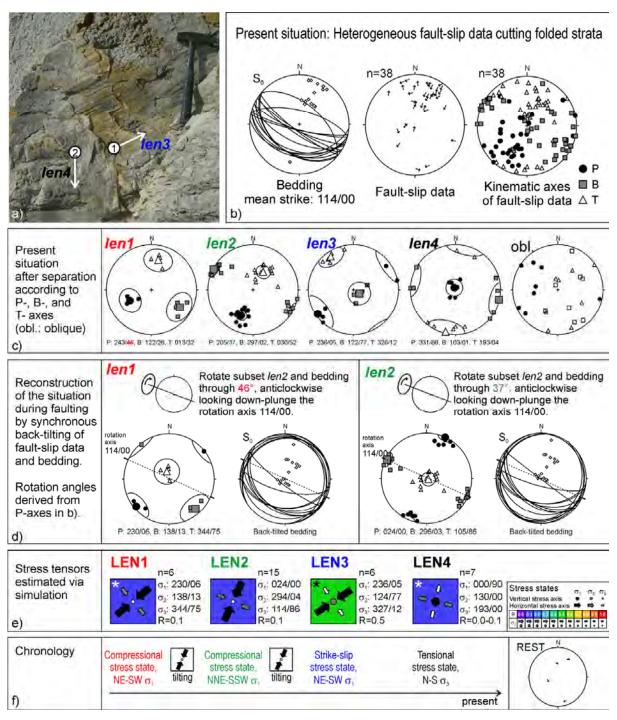
Lengerich is located close to the Osning Lineament. Like at *Halle* quarry (Chapter 2.3.3), the Cenomanian-Turonian strata show strong deviations from their original horizontal bearings (Fig. 29). The mean strike of bedding planes is estimated as 114/00 (dip direction/dip) indicating a direction of maximum compression trending around 024/00 (assuming a horizontal maximum compression). The plunges of bedding planes, however, vary remarkably (between 35° and 81°) which reflects the presence of folds with amplitudes of several metres superimposing the large-scale tilting of the whole exposed sequence (Fig. 29).

Given the present orientation of fault-slip data, the kinematic PBT-axes of the separated subsets *len1* and *len2* suggest non-Andersonian stress states as indicated by P- and T- axes, respectively, that deviate far from a vertical or horizontal orientation (Fig. 30c). By rotating these subsets (i) around an axis inferred from the mean strike of bedding planes (114/00) and (ii) through 46° respectively 37° as indicated by the plunges of P-axes of *len1* and *len2*, respectively, Andersonian configurations are realised (Fig. 30d). This proceeding demonstrates that the orientation of PBT-axes can complement bedding planes in serving as a reference frame for the back-tilting of fault-slip data.

By performing a stress inversion via simulation for the back-tilted and non-rotated subsets, the stress states LEN1, LEN2, LEN3, and LEN4 are estimated (Fig. 30e). The different angles used for the back-tilting of *len1* respectively *len2* suggest that LEN1 has been active before LEN2. As the subsets *len3* and *len4* do not show evidence for having been affected by tilting after faulting (due to sub-vertical and sub-horizontal P-, B-, and T-axes; Fig. 30c), the associated stress states LEN3 and LEN4 are assumed to postdate the phase of tilting of the strata (Fig. 30f). Furthermore, two superimposed generations of striae on the same fault plane document that LEN3 predated LEN4 (Fig. 30a).



**Figure 29:** Upper Cretaceous limestones exposed in the Osning Lineament area (*Lengerich*, #5). As indicated by the great circles and poles to planes in the stereographic projection, the bedding planes show different dip angles varying between 35° and 81° while the very consistent strike directions indicate a common direction for tilting and folding.



**Figure 30:** Separation and stress inversion for the fault-slip data from *Lengerich* (#5; Upper Cretaceous limestone). a) Slickenside with an older generation of calcite fibres indicating dextral slip (1) and a younger generation of calcite fibres documenting normal slip (2); b) Various attitudes of bedding planes and the heterogeneity of fault-slip data reflect a complex deformation history; applied fracture angle for PBT:  $\theta$ =30°; c) Results of separation according to clusters of P-, B-, and T-axes; d) Back-tilting procedure for the subsets *len1* and *len2*; e) The stress states LEN1, LEN2, LEN3, and LEN4 excellently fit the previously separated subsets *len1*, *len2 len3*, and *len4*, respectively. Stress states that are based on less than 9 fault-slip data are marked by an asterisk. f) Derived chronology of stress states and tilting events.

# Case study 5: Papenberg quarry (#25)

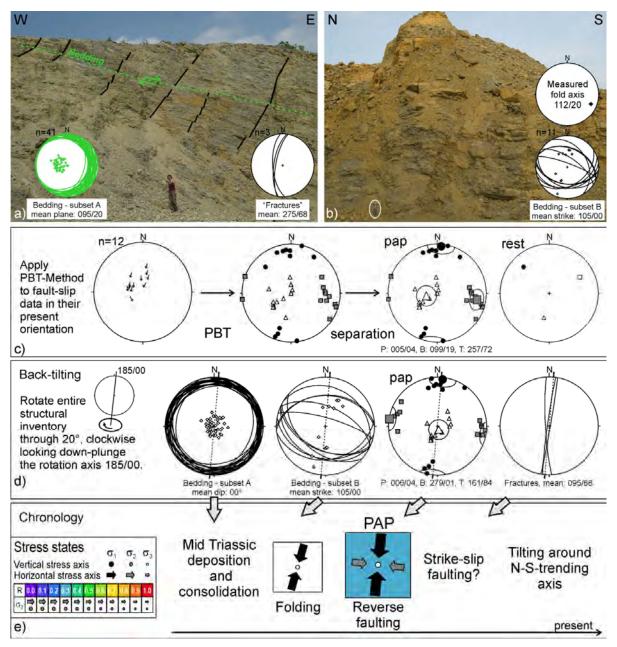
Papenberg (#25) is located at the eastern flank of the Leine Graben where rocks of the Mid Triassic *Muschelkalk* sequence crop out (Fig. 5). According to dip directions, two subsets of bedding planes can be distinguished. On the outcrop scale, the exposed strata dip uniformly towards the east indicating a N-S-trending axis of tilting (Subset A; Fig. 31a). On the other hand, parts of the outcrop reveal folds with amplitudes of only a few metres and a common strike of bedding which indicates a fold axis striking around east (Subset B; Fig. 31b).

A fault-slip analysis is enabled by the presence of reverse faults with calcite slickenfibres in all parts of the quarry. Most of the fault-slip data constitute a kinematically homogeneous set with N-trending P-axes and sub-vertical T-axes (Fig. 31c). However, considering the precise plunges of B- and T-axes, it is obvious that they deviate from the horizontal and vertical, respectively, by about 20°. This fits well with the general dip of bedding planes which are inclined to the east by about 20° (Fig. 31a). In addition, both measured and constructed fold axes associated to subset B of bedding planes show similarly directed inclinations of c. 20°. These observations argue for a late tilting process that obviously had affected all the described structural elements.

According to the described findings, all elements are back-tilted using a rotation axis and a respective rotation angle both derived from subset A of bedding planes (i.e. a rotation axis oriented 185/00 and an angle of 20°; Fig. 31d). After the back-tilting procedure, the average dip of bedding planes of subset A as well as the fold axes associated to subset B are horizontal. Furthermore, the B- and T-axes of subset *pap* are sub-horizontal and sub-vertical, respectively, thus reflecting a typical Andersonian configuration.

These findings support the following succession of events: After sedimentation and consolidation of the *Muschelkalk* sequence in Mid Triassic times, the strata have been folded under a N-S directed compressional stress regime as indicated by the roughly E-W-trending fold axes. At probably the same time, reverse faults were activated which document the presence of a compressional stress state (vertical  $\sigma_3$ ) characterised by a NNE-SSW-directed maximum compression ( $\sigma_1$ ) and a low stress ratio (R=0.3). The youngest signs of deformation documented by the structural inventory at *Papenberg* correspond to a tilting of the strata around a N-S-trending axis.

Some rather speculative considerations regard the large N-S trending discontinuities found at Papenberg ('fractures'; Fig. 31a). Since these fractures are offset along bedding-parallel slip surfaces probably activated by the proposed tilting, it can be assumed that they had been included in the tilting process. There are no direct kinematic indicators that would identify these surfaces as faults. However, contrary to their present, strongly inclined bearings, their back-tilted sub-vertical orientations may indicate that these planes originally had been formed as strike-slip faults. This interpretation is remarkable, as these faults strike N-S which is parallel to the presumed master faults flanking the Leine Graben – a "graben" system of which the main kinematics is not well constrained up to date.



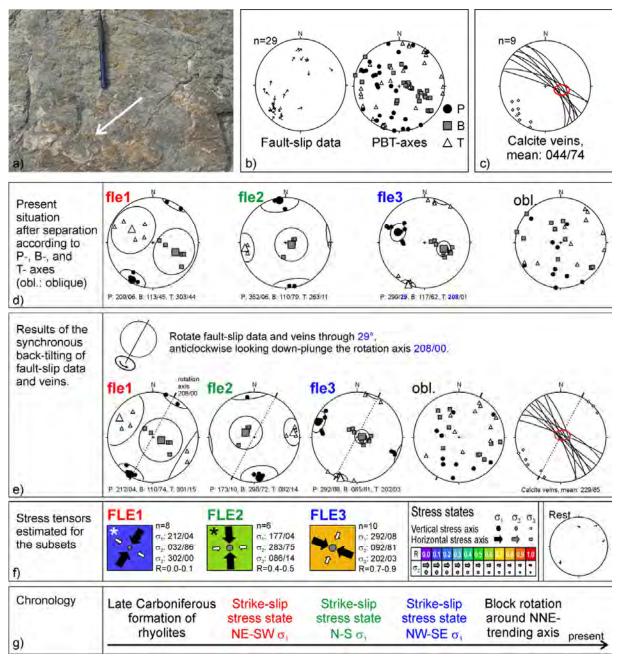
**Figure 31:** Analysis of structural data from *Papenberg* (#25; Mid Triassic limestone). a) The *Muschelkalk* strata show a general dip towards the east (subset A of bedding planes). Large fractures with unknown mode of deformation are offset by bedding-parallel slips. b) In parts of the outcrop, the strata are more closely folded around ESE-trending fold axes (subset B of bedding planes; hammer for scale). c) *Left*: Tangent-lineation plot of the sampled fault-slip data; *middle*: cumulative plot of P-, B-, and T-axes for the whole data set (applied fracture angle  $\theta$ =30°); *right*: Results of separation according to clusters of P-, B-, and T-axes. d) Results of the back-tilting procedure applied to the subsets A and B of bedding planes, to the subset *pap* of fault-slip data, and to the large fractures. f) Deformation model including the compressional paleostress state PAP derived from the subset *pap*.

## Case study 6: Flechtingen quarry (#33)

At *Flechtingen* (#33), the kinematic (PBT-) axes of the separated subsets *fle1* and *fle3* deviate from Andersonian configurations which typically would comprise horizontal and vertical clusters of axes (Fig. 32d). The given configurations argue for a tilting of the structural inventory which occurred subsequent to faulting. However, an unambiguous indicator for tilting such as elsewhere provided by tilted bedding planes is missing in the volcanics at *Flechtingen*.

According to Case study 4 which has demonstrated that PBT-axes may provide suitable parameters for a back-tilting of fault-slip data, the subsets from Flechtingen are analysed regarding orientations of PBT-axes. fle1 shows a sub-horizontal mean P-axis, while B and T seem to be affected by rotation. fle2 shows a sub-horizontal mean T-axis, while B and P seem to be rotated. Comparing fle1 and fle3, it becomes obvious that the mean vectors of subhorizontal axes are almost parallel, thus indicating a uniform rotation axis oriented 208/00 (Fig. 32e). The angular range for the supposed back-tilting (29°), in turn, can be derived from the plunge of the mean P-axis of the larger subset which is *fle3*. A back-tilting performed with these parameters (around 208/00, through 29°) results in sub-horizontal respective subvertical mean vectors for the kinematic axes of *fle3*. Interestingly, the same procedure applied to fle1 and fle2 also produces sub-horizontal respectively sub-vertical kinematic axes, thus confirming the parameters of the supposed rotation. Another positive argument for the selected procedure is provided by the bearings of calcite-filled veins sampled in the outcrop (Fig. 32c): Assuming the veins to have formed in a vertical position (as pure tensile structures), the back-tilting of the presently inclined veins reproduces their presumed original orientations.

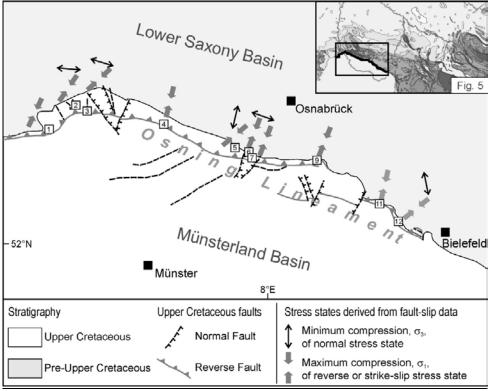
After having reconstructed the original settings, the analysis of each subset of fault-slip data results in the stress states FLE1, FLE2, and FLE3, respectively (Fig. 32f). As there are no further chronological indicators observed in the outcrop, the relative timing of these stress states is derived from the findings at other locations (see below). The present orientations of fault-slip data and veins must be regarded as the result of a phase of block rotation around a NNE-striking axis that postdated the activity of the three estimated strike-slip stress states (Fig. 32g).



**Figure 32:** Interpretation of brittle structures from *Flechtingen* (#33; Upper Carboniferous rhyolite); a) Slickenside with calcite fibres indicating oblique-normal slip (arrow points the slip direction of the missing hanging-wall block). b) Sampled fault-slip data in a tangent-lineation plot (*left*) and results of PBT (*right*; applied fracture angle  $\theta$ =30°). c) Orientations of calcite-filled veins plotted as great circles and corresponding poles in the lower hemisphere. d) Result of separation according to clusters of P-, B-, and T-axes. e) Back-tilting of the whole structural inventory according to rotation parameters derived from the present-day orientation of PBT-axes of subset *fle3*. f) Best-fitting stress states estimated for the back-tilted subsets in (e) and remnant fault-slip data (Rest). Stress states based on less than 9 fault-slip data are marked by an asterisk. g) Derived chronology of stress states and deformation.

## 4.2.2 Stress states vs. large-scale structures - the Osning Lineament area

Nine of the investigated outcrops are scattered around the Osning Lineament for which an array of WNW-ESE-striking, Upper Cretaceous thrust faults has been mapped mainly based on seismic data (Baldschuhn et al., 1996; Fig. 33). At each of these sites, at least one compressional or strike-slip stress state shows a roughly NNE-SSW-striking  $\sigma_1$ -axis which is almost perpendicular to the large-scale thrust faults of the area. However, at some of the sites, normal faults document extensional tectonics to have also affected the area. The extension-related directions of minimum compression show two opposing horizontal trends: N-S- and WNW-ESE-oriented  $\sigma_3$ -axes, respectively. As inferred from chronological indicators observed in the field, the tensional stress state with a N-S-directed  $\sigma_3$ -axis found at *Lengerich* quarry (#5) has postdated the compressional and strike-slip stress states with a NE-SW-directed  $\sigma_1$  (Fig. 30).



**Figure 33:** Correlation of large-scale structures and stress states inferred from fault-slip data. The simplified geological subcrop map of the base of Cenozoic units reveals the largest recorded reverse and normal faults of Late Cretaceous ages (modified after Baldschuhn & Kockel, 1996). Normal faults locally offset reverse faults, thus documenting that normal faulting postdated reverse faulting. Nine outcrops are located close to the Osning Lineament. Estimated compressional and strike-slip stress states are simplified to the directions of maximum compression ( $\sigma_1$ ; grey arrows), whereas tensional stress states are shown by the directions of minimum compression ( $\sigma_3$ ; black arrows).  $\sigma_1$ -directions related to compressional and strike-slip stress states strike almost perpendicular to the large reverse faults that mark the Osning Lineament. Some of the normal stress states show  $\sigma_3$ -directions which are perpendicular to large normal faults that locally offset large reverse faults.

Unfortunately, at other sites considered here, information on the relative timing of tensional stress states is not available. However, the strike directions of several large-scale normal faults (NNE to NNW; Fig. 33) locally correlate with the roughly WNW-ESE-directed  $\sigma_3$  indicated by some tensional stress states obtained from measured fault-slip data. Since it is known that the normal faults based on seismic data locally offset WNW-striking reverse

faults, it can be concluded that the normal faulting observed in outcrops also postdated reverse and strike-slip faulting. Hence, the tensional stress states estimated for *Rheine* (#2), *Middel* (#3), and *Höste* (#6), are supposed to be younger than the compressional and strike-slip stress states found at these sites.

### 4.2.3 Oblique stress states

At two sites along the southern margin of the CEBS, the measured fault-slip data document the activity of oblique paleostress states (#23, #29). These stress states are unique in the sense that they do not show a vertical stress axis as would typically be expected for the shallowest parts of the Earth's crust (Anderson, 1942).

# Case study 8: Elvese quarry (#23)

The Mid Triassic (*Muschelkalk*) sequence exposed at *Elvese* (#23) is intensively deformed as indicated by both folds and a number of 120 sampled fault-slip data (Fig. 34).

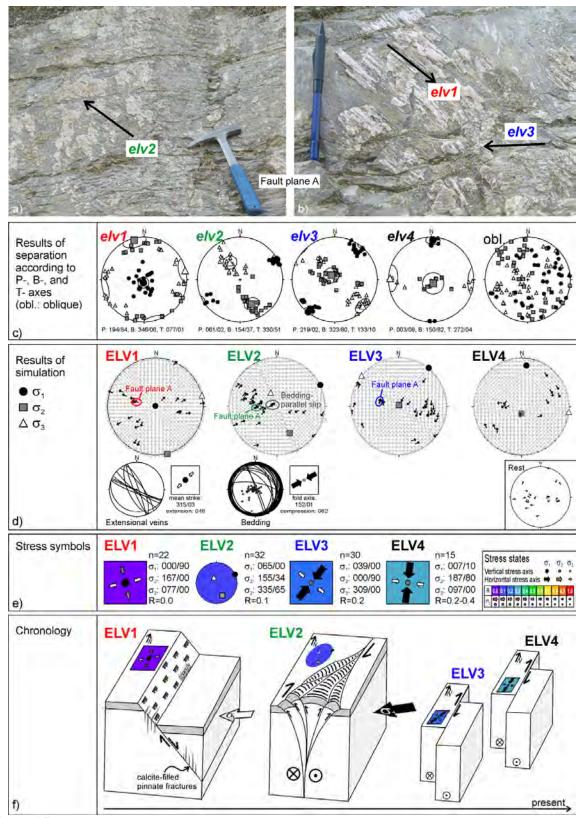


**Figure 34:** Mid Triassic (*Muschelkalk*) sequence of limestones exposed at *Elvese* (#23). The largest normal faults strike roughly N-S (*left stereogram*). The eastward dipping fault plane A documents various signs of (re)activation (numbered arrows, left). Corrugation lines on this plane (dashed) indicate that the plane has been formed as a dip-slip fault. The strata are folded as shown by the great circles and poles to planes (*right stereogram*). Given the geometry of faults and folds, the profile in the background might be interpreted as a "flower structure". Despite the apparently prevailing normal offsets within this structure ("phaeno-normal faults"), the sampled fault-slip data argue for a phase of transpression which postdated normal faulting.

Based on the results of PBT, four kinematically homogeneous subsets have been separated from the heterogeneous fault population (Fig. 35c). Accordingly, the Stress Inversion Via Simulation (Fig. 35d) yields four stress states the modes of which are tensional (ELV1), oblique (ELV2), and strike-slip (ELV3, ELV4), respectively (Fig. 35e). The tensional stress state ELV1 corresponds to radial extension as the stress ratio is R=0.0. The oblique stress

state ELV2 is characterised by a horizontal, ENE-WSW-striking  $\sigma_1$ -axis, whereas ELV3 and ELV4 show  $\sigma_1$ -directions striking NE-SW and NNE-SSW, respectively. The directions of  $\sigma_2$  and  $\sigma_3$  of the oblique stress state ELV2 deviate by c. 35° from a vertical respectively a horizontal orientation. In this case, the obliquity of stress axes does not correspond with the attitudes of measured bedding planes since any back-tilting of the respective fault-slip data (*elv2*) around the mean strike of bedding planes would not transfer this subset into an Andersonian one. Thus, in this case, the obliquity of principal axes actually seems to attest to the action of an untypical stress state.

One key for understanding the role of different stress states at *Elvese* is provided by an array of large N-S-striking fault planes (mean strike: 005/00; Fig. 34). Normal movements along these faults are documented by offset and dragged bedding planes, calcite-filled pinnate fractures and calcite fibres on slickensides. Together with a number of smaller variably striking normal faults, these large faults correspond to the normal stress state ELV1. This stress state fits also with the mean NW-SE-directed strike of extensional veins which indicate a NE-SW-directed  $\sigma_3$ . One of the large N-S-striking faults is exposed over a distance of more than 250 m revealing generations of kinematically different superimposed striations that document a multiple reactivation of this surface ('Fault plane A'; Fig. 35a,b; Fig. 34). The morphology of this fault plane argues for the plane to have newly formed under extension (Fig. 34): Assuming the dip slip-oriented corrugations along its surface (i) to result from the linkage of smaller fault segments (Walsh et al., 1999; McLeod et al., 2000; Mansfield & Cartwright, 2001; Marchal et al., 2003) and (ii) to indicate a respective dip slip movement (Hancock & Barka, 1987; Needham et al., 1996; Lohr, 2007), this plane has originally been formed as a normal fault, whereas other shear movements have obviously occurred later. This observation is verified by superimposed striations along several other faults which indicate that oblique and strike-slip faulting postdated normal faulting at *Elvese*.



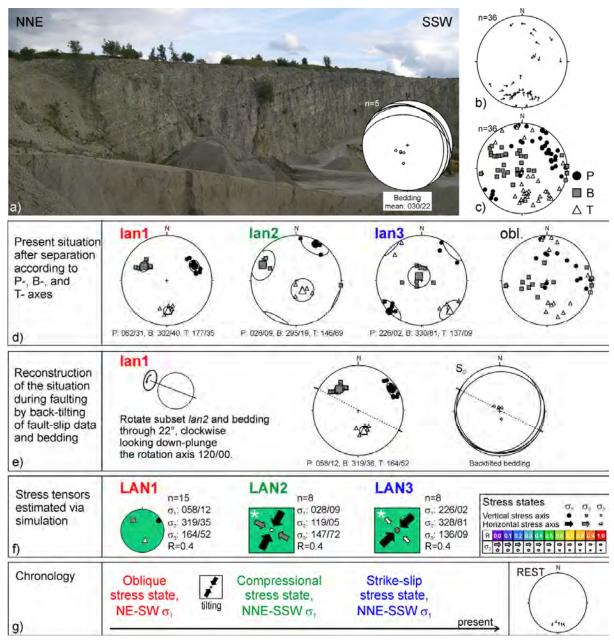
**Figure 35:** Stress inversion for fault-slip data from *Elvese* (#23, Mid Triassic limestone). a) Slickenside with calcite fibres indicating oblique-reverse slip. The fault-slip datum is part of subset elv2. b) Calcite fibres document that normal slip (elv1) predated sinistral slip (elv3) along fault plane A. c) The separation according to PBT axes results in four homogeneous subsets and a group of inconsistent fault-slip data (applied fracture angle  $\theta$ =30°). d) Results of Stress Inversion Via Simulation for each PBT subset. e) Estimated stress tensors. f) Chronology of deformation phases with conceptual block models illustrating the kinematic style of each phase.

The abundance of N-S-striking fault planes recorded at *Elvese* quarry provides a possible explanation for the obliquity of ELV2. This stress state is related to oblique-reverse movements along many faults that have previously been formed as N-S-striking normal faults (Fig. 35d). According to the prevailing reverse components relative to strike-slip components of slip along these faults, the  $\sigma_3$ -axis of ELV2 plunges more steeply (65°) than the  $\sigma_2$ -axis (34°). The low stress ratio of R=0.1 indicates that  $\sigma_2$  and  $\sigma_3$  are almost equal in magnitude. Given, in addition, the direction of maximum compression indicated by ELV2 ( $\sigma_1$ =065/00) in relation to the preferred orientation of planes of weakness, the whole configuration associated to the oblique stress state can best be described as transpression along a N-S-striking array of pre-existing faults (Fig. 35f). Slip along such pre-existing discontinuities requires less energy than stresses released exclusively by the formation of new faults. Since in the case of ELV2, stresses are released predominantly by oblique slip, the estimated stress state is accordingly oblique. A transpressional regime is also indicated by the structural relations between faults and folds in the outcrop ("flower structure"; Fig. 34). In fact, some of the fault-slip data assigned to ELV2 correspond to bedding-parallel movements which, in general, are often observed in connection with a folding of strata. These observations fit well with the fact that the direction of maximum compression derived from folded bedding planes (062/00) is parallel to the  $\sigma_1$ -axis of ELV2. Hence, folding occurred coevally with transpression at *Elvese* quarry.

The deformation model developed for *Elvese* includes four main stages that postdated the Mid Triassic formation of limestones: Signs of extension reflect the early activity of a tensional stress state, ELV1, which corresponds to a regime of vertical flattening. Despite the various dip directions of normal faults, the largest faults among them strike roughly N-S, thus further constraining the derived E-W-direction of  $\sigma_3$ . The N-S-striking normal faults have widely been reactivated during a phase of transpression related to stress state ELV2 which coevally led to a folding of the strata. The obliquity of ELV2 probably corresponds to a local expression of a regional compressional stress state with an ENE-WSW-directed  $\sigma_1$  that induced transpression and associated oblique slip along a N-S-oriented array of pre-existing faults. For many planes, the reverse component of movement did not induce a displacement as large as to compensate fully the previously obtained normal offset (Fig. 34). The strike-slip stress states ELV3 and ELV4 differ slightly in terms of  $\sigma_1$  of which the directions are NE-SW and NNE-SSW, respectively. These stress states are supposed to be younger than ELV2, as this chronology would conform to the transition from reverse to strike-slip stress states observed at other locations where the directions of maximum compression also range between N-S and NE-SW (below).

## Case study 9: Langelsheim quarry (#29)

Langelsheim is located close to the northwestern parts of the Northern-Harz-Boundary Fault along which the sedimentary fill of the Subhercynian Basin is widely tilted due to the inversion-related uplift of the structural block of the Harz Mountains (Fig. 36a). The preseparation of the sampled fault population results in three homogeneous subsets (lan1, lan2, lan3; Fig. 36d).



**Figure 36:** Separation and stress inversion for fault-slip data from *Langelsheim* (#29, Upper Cretaceous limestone). a) The Cenomanian-Turonian strata are dipping towards NNE; b) Tangent-lineation plot of the heterogeneous set of fault-slip data; c) Result of PBT: cumulative plot of P-, B-, and T-axes for the whole data set (applied fracture angle  $\theta$ =30°); d) Results of separation according to clusters of P-, B-, and T-axes; e) Back-tilting procedure for the subset *lan1*; f) Results of the Stress Inversion Via Simulation. The stress states LAN1, LAN2, and LAN3 have been found to excellently fit the previously separated subsets *lan1*, *lan2*, and *lan3*, respectively. Stress state LAN1 is oblique as none of the principal stress axes dips by more than 70°. For this reason, LAN1 is plotted as a stereographic projection with the background colour representing the stress ratio, R. Stress states based on less than 9 fault-slip data are marked by an asterisk. g) Derived chronology of deformation stress states.

Subset lan1 reveals kinematic axes that deviate far from vertical respectively horizontal orientations indicating that the fault-slip data have been rotated after faulting. To check the supposed rotation of lan1, this subset and the strata have been back-tilted adopting a rotation axis derived from the mean strike of bedding planes (120/00). After tilting back the strata into

their original horizontal position (through 22°), the P-axes of *lan1* are sub-horizontal which confirms this subset to have been involved in the tilting process (Fig. 36e). However, the B-and T-axes still do not show typical vertical or horizontal orientations after back-tilting. Accordingly, none of the inferred principal stress axes is vertical (i.e. plunging by >70°; Fig. 17f). A potential explanation for this obliquity of stress axes might be provided by the position of the related fault-slip data relative to large-scale structures in close vicinity of *Langelsheim* quarry (chapter 4.4.5).

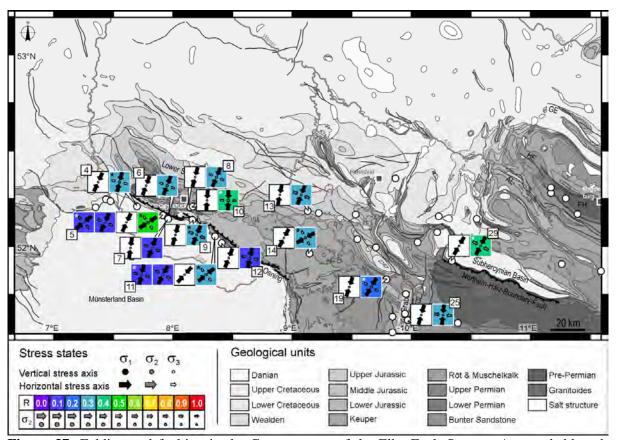
Subsequent to the activity of LAN1, the whole rock mass has been tilted under a presumably NE-SW-directed maximum horizontal compression (Fig. 36g). The stress states LAN2 and LAN3 which have been derived from the subsets *lan2* and *lan3*, respectively, document processes of faulting that occurred subsequent to the tilting of strata. Finally, LAN2 is interpreted as having predated LAN3 since such a succession would reflect a development from folding and reverse faulting to a later strike-slip stress regime as observed in other parts of the study area (below).

# 4.3 Cross-outcrop correlation of paleostress states

After having estimated paleostress states and their relative timing separately for all investigated sites, cross-outcrop correlations of results shall provide the next step towards a comprehensive model for the evolution of regional paleostress fields that affected the entire southern margin of the CEBS. Such correlations of local stress states in the Elbe Fault System area are based on the widespread relation between folding and faulting, the locally derived chronologies of stress states and on consistencies in the directions of principal stress axes.

#### 4.3.1 Consistencies between folding and faulting

A widespread phenomenon observed regards corresponding kinematics of folds and fault patterns. At many sites, the direction of maximum compression inferred from folded or tilted bedding planes corresponds with the direction of  $\sigma_1$  derived from fault-slip data (Fig. 37). Comparing the results from different locations, the respective axes consistently strike around NNE-SSW. This phenomenon is observed in Mid Triassic, Upper Jurassic (Fig. 38), as well as Upper Cretaceous rocks. In some cases, the fold-related direction of maximum compression is consistent with a compressional stress state, in others it corresponds with a strike-slip stress state. At any of these sites, however, the twofold obtained direction of maximum compression argues for a close mechanical and temporal relationship between folding of the rocks and faulting under a N-S- to NE-SW-directed  $\sigma_1$ .



**Figure 37:** Folding and faulting in the German parts of the Elbe Fault System. A remarkable subparallelism between directions of maximum horizontal compression derived from folded bedding planes (black arrows on white grounds) and  $\sigma_1$ -directions inferred from fault-slip data (coloured stress symbols) can widely be observed. At each site, the relative ages of stress states and stages of folding decrease from left to right. Stress states based on less than 9 fault-slip data are marked by an asterisk.



**Figure 38:** Gently folded Upper Jurassic limestones exposed in the Lower Saxony Basin (*Steinbergen*, #13). The bedding planes are offset by thrust faults which are related to a compressional stress state (NNE-SSW-directed  $\sigma_1$ ).

# 4.3.2 Locally estimated chronologies of paleostress states

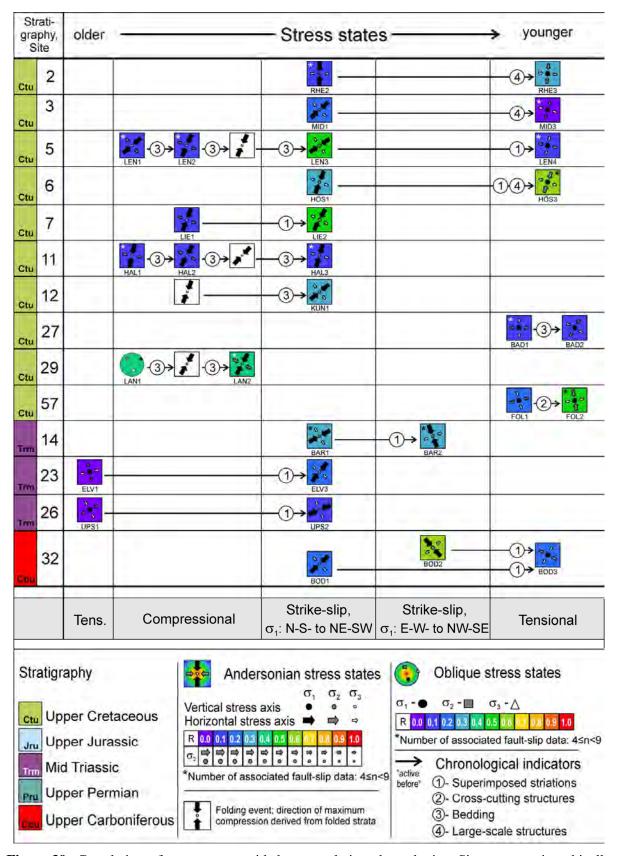
As illustrated by the previously presented case studies, the chronology of stress states is locally constrained by indicators such as superimposed striations or the relation of fault-slip data and bedding planes. The total number of chronological indicators observed in the study area and their implications on the relative timing of associated stress states are summarized in Figure 39. For most of these indicators, detailed descriptions are provided by the paragraphs

on single case studies. Other observations on the relative timing of structures include, for instance, a north dipping reverse fault exposed at *Lienen* (#7) which shows indications for a later reactivation as a dextral fault. Thus, the two generations of striations reveal that the compressional stress state LIE1 has been active before the strike-slip stress state LIE2. At Upstedt (#26), a NW-dipping fault plane shows an older generation of slickolites that indicate normal faulting, while a younger generation of striations indicates strike-slip movements. This argues for the normal stress state UPS1 to have been active before the strike-slip stress state UPS2. At Baddeckenstedt (#27), an older generation of normal faults has been affected by tilting of the whole rock mass, while a younger generation of normal faults is interpreted to have postdated the tilting event. Consequently, a normal stress state related to N-S directed extension (BAD1) has obviously predated a normal stress state related to WNW-ESE-directed extension (BAD2). A corresponding development of normal stress states has been developed for the fault pattern exposed at Folwark (#57): a south dipping normal fault crosscuts a west dipping normal fault indicating that N-S-directed extension (FOL1) had taken place after E-W-directed extension (FOL2).

Considering the locally derived chronologies of stress states and consistencies in the orientations of principal stress axes, a cross-outcrop correlation of paleostress states can be performed (Fig. 39). A classification according to directions and modes (i.e. compressional, strike-slip, tensional, or oblique) of stress states is based on two assumptions: first, regional stress regimes of different modes and directions are unlikely to control the same area at the same time and, secondly, stress states of consistent modes and directions derived from different sites potentially have been active coevally, thus representing a common regional stress field.

Interestingly, the chronological constraints derived from single outcrops are very consistent in the sense that they would not much complicate a classification of stress states which is merely based on the directions of principal axes (Fig. 39). Compressional stress states, for example, are older than strike-slip stress states regardless of the site at which the relationship between compression and strike-slip stress has been recorded. Furthermore, two groups of strike-slip stress states with different directions of maximum horizontal compression ( $\sigma_1$ ) can be classified following the observation that at site #14 a stress state with NE-SW-directed  $\sigma_1$  had been active before a stress state with NNW-SSE-directed  $\sigma_1$ . The role of tensional stress states, in turn, is twofold: Tensional states derived from Upper Cretaceous and Upper Carboniferous rocks are younger, whereas tensional states from two sites of Mid Triassic rocks are older than the respective compressional or strike-slip stress states. Finally, the oblique stress state found at site #29 is correlated with compressional stress states since they reveal agreeing directions of maximum compression and agreeing relations to folding.

Altogether, consistent stress states can be combined to five categories each representing a separate temporal status: a group of "older" tensional stress states, a group of compressional stress states, a group of strike-slip stress states with N-S- to NE-SW-directed  $\sigma_1$ , a group of strike-slip stress states with E-W- to NW-SE-directed  $\sigma_1$ , and a group of "younger" tensional stress states. Interestingly, these groups partly integrate stress states derived from different rock ages. Strike-slip stress states with a N-S- to NE-SW-directed  $\sigma_1$ , for instance, have been documented by fault-slip data preserved within Upper Carboniferous, Mid Triassic, as well as Upper Cretaceous rocks.



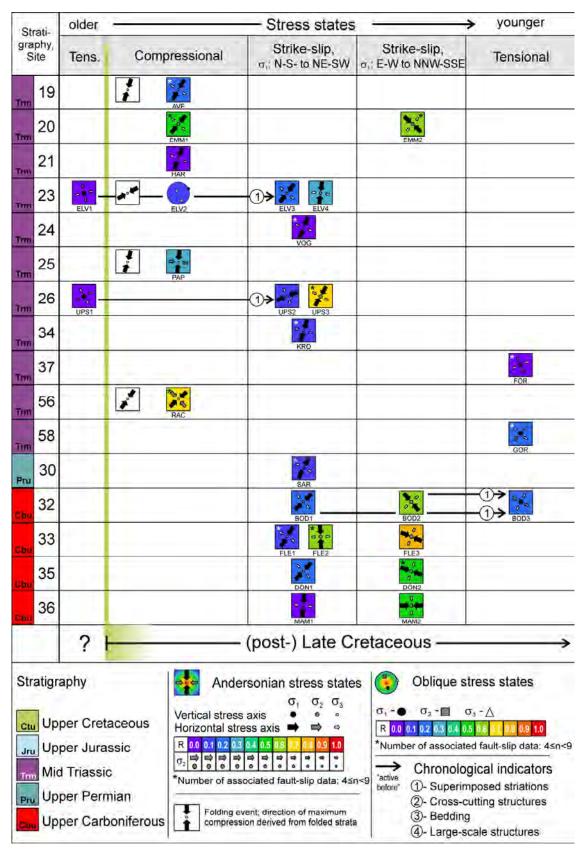
**Figure 39:** Correlation of stress states with known relative chronologies. Sites are stratigraphically ordered. Relative timing of stress states is constrained by locally observed relationships between different fault-slip data or between fault-slip data and other structural elements (indicated by numbers). Stress states with consistent directions of principal axes and a consistent temporal rank are assumed to represent a common stress regime (same column). Stress states based on less than 9 fault-slip data are marked by an asterisk.

## 4.3.3 Consistencies in the directions of principal axes

The previously described correlation only integrates those paleostress states that show detected temporal relations to other stress states. These stress states, however, correspond to less than half of the total number of 77 paleostress states found at the southern margin of the CEBS. To reconstruct regional stress fields that affected the whole study area, it is indispensable to consider as many estimated stress states as possible. However, for a large number of stress states, information is restricted to the determined parameters of the reduced stress tensor and the ages of host rocks providing a maximum age for the associated faulting. For this reason, the previous correlation (Fig. 39) is taken as a base for a synthesis of all estimated stress states (Fig. 40).

It is obvious that stress states found in older rocks generally do not differ much from stress states detected in younger rocks. As a consequence, the complete number of paleostress states can be correlated according to the same five categories of stress states distinguished before (Fig. 39). This consistency of results derived from rocks of different ages widely excludes the possibility of applying the principles of paleostress stratigraphy. The agreeing stress states derived from differently aged rocks rather indicate that the respective stratigraphic units have been affected by stress states of the same ages and causal mechanisms. The maximum age of consistent stress states would then be constrained by the youngest rocks documenting associated fault-slip data. Following this line of argument, the groups of compressional, strike-slip, and "younger" tensional stress states are related to (post-) Late Cretaceous deformation events since the youngest rocks affected by these stress states are of Late Cretaceous ages. On the contrary, the two tensional stress states that have been shown to be older than strike-slip stress states (sites #23 and #26) must be assigned to earlier stages of deformation with a maximum age of Mid Triassic.

Strati- graphy, Site		older		Stress states		younger
		Tens.	Compressional	Strike-slip, σ, N-S- to NE-SW	Strike-slip, σ, E-W to NNW-SSE	Tensional
tu	1		WET1	wet2		
tu	2			RHE1 RHE2		-4> RHE3
tu	3			MID1	MID2	—(4)→(***********************************
tu	4		DÖR			
tu	5		3> 23 3> £	3→ <u>LEN3</u>		-①→ LEN4
tu	6			HOS1	HOS2	1)4>24 HÓS3
tu	7		LIE1 —			
tu	9	-1	HIL			
tu	11		3> 33> 33> 14 AAL2	—3→ HAL3		
tu	12		<i>I</i> —	3> KUN1 KUN2	× KUN3	KUN4
tu	22			MIS1		MIS2
tu	27					BAD1 BAD
tu	28					SOH
tu	29		3> 33> LAN2	LAN3		
tu	31		WEN			
tu	57					FOL: FOL:
ru	13		STE			
ru	15		ROH			
ru	16				HAM	
ru	17				C LAU1	LAU2
ru	18					MAR
rm	8			HOL1	d HOL2	
m	10		1	BIS1	e a BIS2	
me	14		*	BART	—①→ BAR2	



**Figure 40:** Cross-outcrop correlation of stress states derived from the Elbe Fault System area. Sites are stratigraphically ordered to control the variation of stress states in different rock ages. The stress states, in turn, are horizontally arranged according to consistent directions of principal stress axes and locally derived chronologies. According to this synthesis of results, most stress states must be assigned to (post-) Late Cretaceous times. Stress states based on less than 9 fault-slip data are marked by an asterisk.

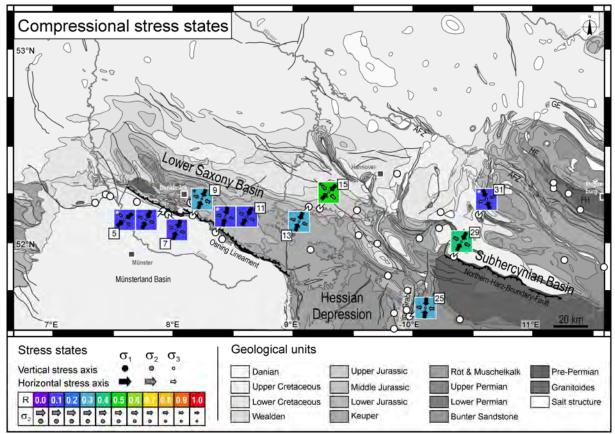
# 4.4 Regional vs. local phenomena

Considering the range of investigated rock ages, the estimated paleostress states show remarkable consistencies (Fig. 40): Most of the compressional stress states are characterised by a N-S- to NE-SW-directed maximum compression ( $\sigma_1$ ). The estimated strike-slip stress states have been demonstrated to consistently be younger than compressional stress states and/or the locally observed folding of rocks. The directions of  $\sigma_1$  are various among the strike-slip stress states but two directions prevail: strikes around NE-SW and around NW-SE, respectively. At many sites, the youngest signs of deformation are related to tensional stress states, even in Upper Carboniferous rocks. The various directions of extension ( $\sigma_3$ ) revealed by the different tensional stress states, in turn, are relativised by the fact that most of the associated stress ratios are low indicating almost equal magnitudes of  $\sigma_2$  and  $\sigma_3$ .

The degree of consistency of locally estimated paleostress states is of relevance for distinguishing regional from local phenomena in the study area. Another aspect, of course, is the spatial distribution of consistent stress states.

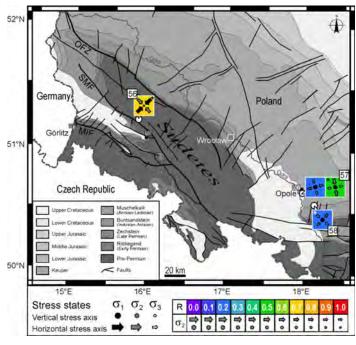
### **4.4.1 Compressional stress states**

Stress states with a vertical  $\sigma_3$  have been derived from sites in the Lower Saxony Basin, the Hessian Depression, and the Subhercynian Basin (Fig. 41) as well as in the Sudetic Mountains (#56; Fig. 42). These stress states mainly show consistent directions of maximum compression ( $\sigma_1$ ) trending around NNE and consistently low to intermediate stress ratios ( $0.0 \le R \le 0.5$ ) that indicate regimes between uniaxial deviatoric compression and triaxial stress. Only at *Wendessen* quarry (#31),  $\sigma_1$  is striking NNW, thus showing a slight deviation from the general trend, while at *Raciborovice* (#56) the stress ratio is much larger than the average. The youngest rocks which have preserved corresponding reverse faults are the Turonian-Coniacian limestones exposed at *Halle* quarry (#11). However, also Upper Jurassic and Mid Triassic rocks show signs of a N-S to NE-SW-directed compression.



**Figure 41:** Compressional stress states estimated for the German parts of the Elbe Fault System. Beside a sub-vertical  $\sigma_3$ , these stress states are consistent in terms of a N-S- to NE-SW-directed maximum compression ( $\sigma_1$ ) and low to intermediate stress ratios ( $0.0 \le R \le 0.5$ ). At sites with several inferred stress states, older ones are shown to the left and younger ones to the right. Stress states that are based on less than 9 fault-slip data are marked by an asterisk.

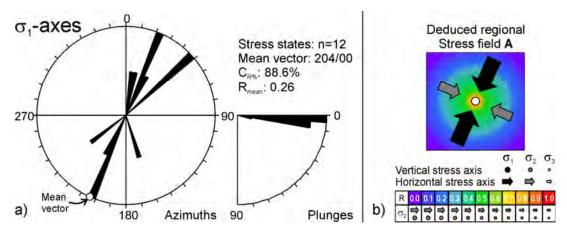
Main structures: AFZ – Allertal Fault Zone, FH – Flechtingen High, GE – Gardelegen Escarpment, HF – Haldensleben Fault, WHBF – Western Harz Boundary Fault.



**Figure 42:** Paleostress states reconstructed for three sites in southwestern Poland. Geological subcrop map of the base of Cenozoic units modified after Dadlez et al. (2000). Stress states that are based on less than 9 fault-slip data are marked by an asterisk.

Scientific Technical Report STR 09/06 DOI: 10.2312/GFZ.b103-09069

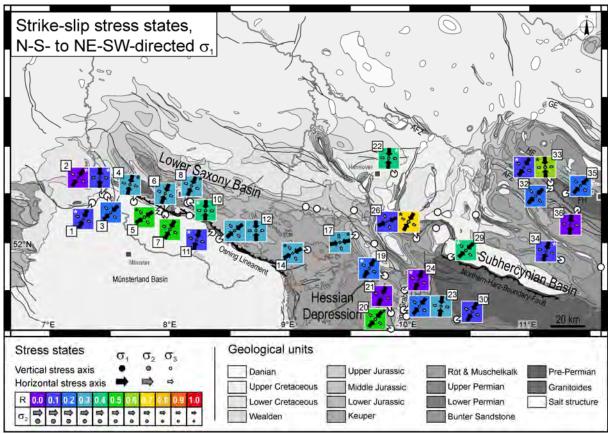
The high consistency and the wide distribution of compressional stress states indicate that these local stress configurations are related to a common regional stress field. To characterise this potential stress regime, the parameters of the 12 compressional stress states have been analysed comprehensively (Fig. 43a). The mean vector of  $\sigma_1$ -axes has been calculated to be oriented 204/00 and the mean stress ratio has been estimated as R=0.26. In the following, this deduced regional stress field is referred to as "Stress field A", while illustrating it by a comprehensive stress symbol (Fig. 43b). According to the youngest rocks that have been affected, Stress field A must be assigned to post-Coniacian times.



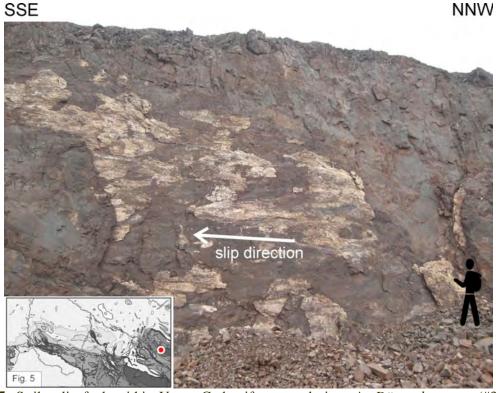
**Figure 43:** Potential regional "Stress field A" inferred from compressional stress states. a) Rose diagram with  $\sigma_1$ -azimuths of all compressional stress tensors. The  $\sigma_1$ -axes strike consistently around NNE. None of the  $\sigma_1$ -plunges deviates by more than 14° from the horizontal. To infer an overall stress field for these local stress states, the mean vector of  $\sigma_1$ -axes is calculated after Wallbrecher (1986; " $R_{\%}$ -and-center-method"). The concentration parameter,  $C_{R\%}$ , is a measure for the alignment of stress axes with  $C_{R\%}$ =100% indicating parallel fabrics and  $C_{R\%}$ =0% indicating a uniform distribution. Here,  $C_{R\%}$ =88.6% designates a pronounced maximum for the  $\sigma_1$ -axes with a mean oriented 204/00. b) Comprehensive symbol for the deduced regional Stress field A. It integrates the mean directions of principal stress axes projected to the vertical respectively horizontal. The range of background colours reflects the low to intermediate stress ratios of the associated compressional stress states (0.0 $\leq$ R $\leq$ 0.7).

#### 4.4.2 Strike-slip stress states with a N- to NE-directed maximum compression

The largest number of paleostress states detected along the southern margin of the CEBS corresponds to strike-slip stress states with a N-S- to NE-SW-directed maximum compression  $(\sigma_1)$  which are distributed all across the German parts of the Elbe Fault System (Fig. 44). The respective stress ratios cover a wide range between R=0.0 and R=0.7. The rocks documenting associated signs of faulting range in age from the Upper Carboniferous volcanics of the Flechtingen High area (Fig. 45) to the Turonian-Coniacian limestones at *Halle* quarry (#11). This group of stress states provides good arguments for being related to a common regional stress field: a high consistency and a wide spatial distribution. The deduced regional "Stress field B" is characterised by a  $\sigma_1$ -axis which is oriented 209/01 and a mean stress ratio of R=0.25 (Fig. 46). From the local constraints on the chronology of single stress states (Fig. 39) it can be concluded that Stress field B is younger than the previously introduced Stress field A.

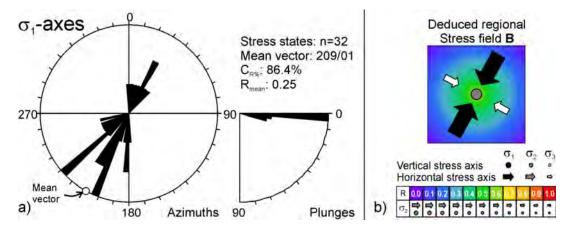


**Figure 44:** Strike-slip paleostress states with a N-S- to NE-SW-directed  $\sigma_1$  (German parts of the Elbe Fault System). The stress ratios range between R=0.0 and R=0.7. At sites where several stress states are inferred, ages of stress states decrease from left to right. Stress states that are based on less than 9 fault-slip data are marked by an asterisk. Abbreviations as in Fig. 41.



**Figure 45:** Strike-slip fault within Upper Carboniferous andesites. At *Dönstedt* quarry (#35) in the Flechtingen High area, calcite fibres (white coating) indicate a dextral sense of movement along the fault.

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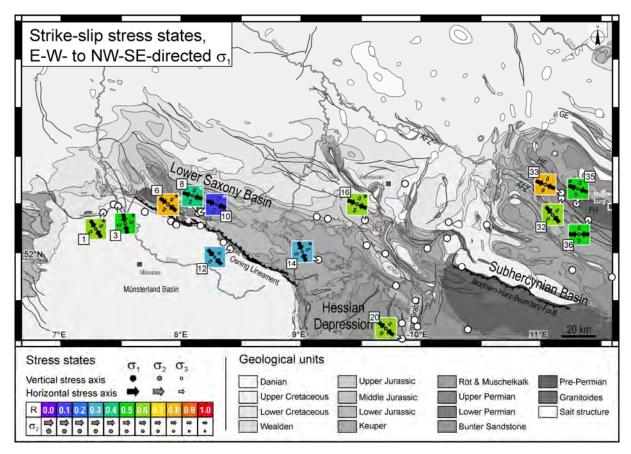


**Figure 46:** Potential regional "Stress field B" inferred from strike-slip stress states with N-S- to NE-SW-directed  $\sigma_1$ -axes. a) Rose diagram with  $\sigma_1$ -axes that strike consistently around NNE. None of the  $\sigma_1$ -plunges deviates by more than 12° from the horizontal. To infer an overall stress field for these stress states, the mean vector of  $\sigma_1$ -axes is calculated after Wallbrecher (1986; " $R_{\%}$ -and-center-method"). The concentration parameter,  $C_{R\%}$ , is a measure for the alignment of stress axes ( $C_{R\%}$ =100%: parallel fabrics;  $C_{R\%}$ =0%: uniform distribution). Here,  $C_{R\%}$ =86.4% designates a pronounced maximum for  $\sigma_1$ -axes with a mean oriented 209/01. b) Comprehensive symbol for the deduced regional Stress field B. It integrates the mean directions of principal stress axes projected to the vertical respectively horizontal. The predominance of blue background colours reflects a predominance of low stress ratios of the associated strike-slip stress states. In total, the stress ratios vary between R=0.0 and R=0.7.

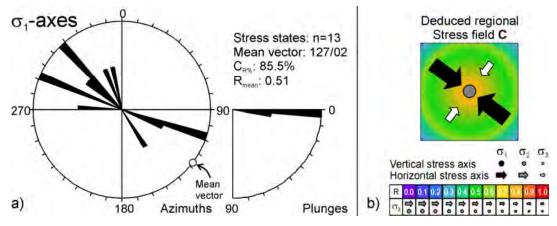
# 4.4.3 Strike-slip stress states with a W- to NNW-directed maximum compression

Another group of strike-slip stress states is shown in a separate paleostress map due to a common E-W- to NW-SE-direction of maximum compression ( $\sigma_1$ ; Fig. 47). These stress states are obtained from sites scattered all across the German parts of the Elbe Fault System. Most of the respective stress ratios are medium scale, though in total the values range between R=0.1 and R=0.8. The youngest rocks that have preserved respective fault-slip data are the Cenomanian-Turonian limestones exposed at *Künsebeck* (#12). However, such stress states are also documented by fault-slip data sampled from the Upper Carboniferous volcanics of the Flechtingen High area.

Though this group is restricted to 14 local strike-slip stress states, their consistency and regional distribution indicate that they represent local expressions of a common regional stress field. The deduced regional "Stress field C" reveals a  $\sigma_1$ -axis which is oriented NW-SE (127/02) and a mean stress ratio of R=0.51 (Fig. 48). According to local chronological indicators, Stress field C is younger than Stress field B.



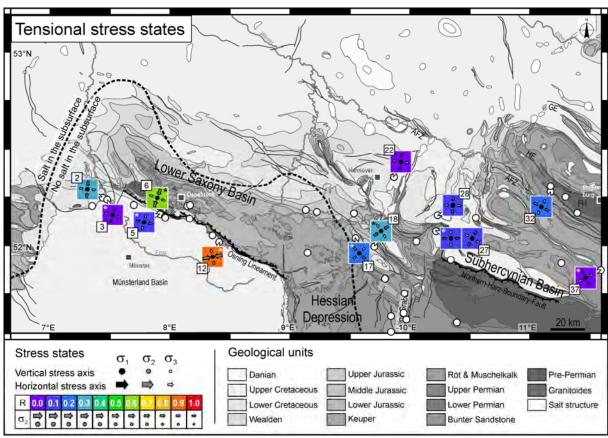
**Figure 47:** Strike-slip stress states with an E-W- to NNW-SSE-directed  $\sigma_1$  in the German parts of the Elbe Fault System. The stress states are mainly characterised by intermediate stress ratios (0.2 $\leq$ R $\leq$ 0.8). Stress states that are based on less than 9 fault-slip data are marked by an asterisk. Abbreviations as in Fig. 41.



**Figure 48:** Potential regional "Stress field C" inferred from strike-slip stress states with E-W- to NNW-SSE-directed  $\sigma_1$ -axes. a) Rose diagram of strike-slip stress states with  $\sigma_1$ -directions striking around NW. None of the  $\sigma_1$ -plunges deviates by more than 8° from the horizontal. To infer an overall stress field, the mean vector of  $\sigma_1$ -axes is calculated after Wallbrecher (1986; " $R_{\%}$ -and-centermethod"). The concentration parameter,  $C_{R_{\%}}$ , is a measure for the alignment of stress axes ( $C_{R_{\%}}$ =100%: parallel fabrics;  $C_{R_{\%}}$ =0%: uniform distribution). Here,  $C_{R_{\%}}$ =85.5% designates a pronounced maximum for  $\sigma_1$ -axes with a mean oriented 127/02. b) Comprehensive symbol for the deduced regional Stress field C. It integrates the mean directions of principal stress axes projected to the vertical respectively horizontal. The background colours reflect predominantly intermediate stress ratios of the associated strike-slip stress states (0.1≤R≤0.8).

### 4.4.4 Tensional stress states postdating compressional or strike-slip stress states

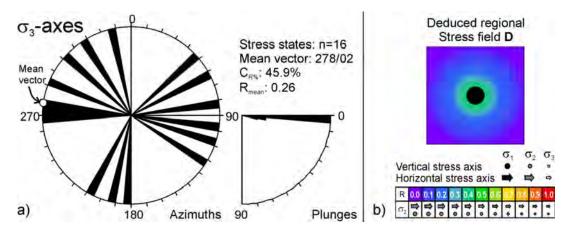
The group of "younger" tensional stress states covers sites that are spread from the western parts of the Lower Saxony Basin to the eastern parts of the Subhercynian Basin (Fig. 49) and farther to the study area east of the Sudetic Mountains (Fig. 42). These stress states show a great diversity in the directions of minimum compression ( $\sigma_3$ ) and are mostly associated with low stress ratios. Considering the presence of *Zechstein* salt structures in the subsurface, these tensional stress states can be separated into two groups: In subareas presently containing salt structures like the Hessian Depression and the Subhercynian Basin, the stress ratios are remarkably low ( $0.0 \le R \le 0.3$ ). The tensional stress states in areas without salt in the subsurface, on the contrary, are characterised by a much greater range of stress ratios. Concerning the horizontal orientations of  $\sigma_3$ , however, both domains show a similarly large diversity.



**Figure 49:** Group of "younger" tensional stress states derived from the German parts of the Elbe Fault System. At sites where several stress states are inferred, ages of stress states decrease from left to right. Stress states that are based on less than 9 fault-slip data are marked by an asterisk. The stress ratios are low in the subarea with Zechstein salt in the subsurface, whereas stress ratios in the area without subsurface salt structures are diverse. For the detailed distribution of Zechstein salt see Fig. 26. Abbreviations as in Fig. 41.

The inconsistency of tensional stress states in terms of directions of extension ( $\sigma_3$ ) and the variation of stress ratios with respect to the presence of salt structures argue against a common regional stress field that might be representative for the local tensional stress states. However, the underlying extensional strain has consistently been identified as the youngest imprint of deformation at several sites. Consequently, there is evidence for a vertical  $\sigma_1$  that controlled deformation along the whole southern margin of the CEBS subsequent to the regional Stress

fields A, B, and C. Accordingly, "Stress field D" is introduced which is characterised by a vertical  $\sigma_1$  and a low average of stress ratios (Fig. 50). To allow for the diversity in  $\sigma_3$ -directions, Stress field D does not include any information about the directions of horizontal principal axes.

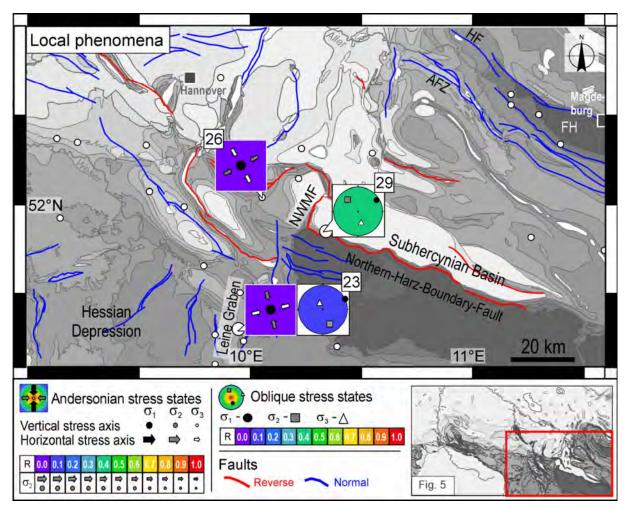


**Figure 50:** Potential regional "Stress field D" inferred from tensional stress states. a) Rose diagram with  $\sigma_3$ -axes of tensional stress states that are interpreted to be younger than compressional and strikeslip stress states. None of the  $\sigma_1$ -plunges deviates by more than 8° from the horizontal. The azimuths of  $\sigma_3$ -axes show a great diversity. The mean vector of  $\sigma_3$ -axes is calculated after Wallbrecher (1986; " $R_{\%}$ -and-center-method"). The concentration parameter,  $C_{R_{\%}}$ , is a measure for the alignment of stress axes ( $C_{R_{\%}}$ =100%: parallel fabrics;  $C_{R_{\%}}$ =0%: uniform distribution). Here,  $C_{R_{\%}}$ =45.9% designates an insignificant maximum for  $\sigma_3$ -axes. b) Comprehensive symbol for the deduced regional Stress field D. It shows a vertical  $\sigma_1$ -axis. The directions of  $\sigma_2$  and  $\sigma_3$  are insufficiently constrained. The background colours reflect predominantly low stress ratios. In total the stress ratios vary between R=0.0 and R=0.9.

#### 4.4.5 Local phenomena

#### Tensional stress states that are older than compressional or strike-slip stress states

Two tensional stress states are regarded as a local phenomenon as they are unique in predating strike-slip respectively compressional stress states at the specific sites and as they are restricted to the area of the Hessian Depression and its northern prolongation (#23, #26; Fig. 51). For both these tensional stress states (ELV1, UPS1), the directions of extension are not well constrained, as the respective stress ratios are R=0.0 reflecting a deformation mode of vertical flattening.



**Figure 51:** Stress states that are inconsistent with other stress states from the area in terms of directions of principal stress axes or temporal status. The symbolism distinguishes Andersonian stress states with a vertical principal axis from oblique stress states with none of the axes plunging by  $>70^{\circ}$ . NWMF – Neuwallmoden Fault; further abbreviations as in Fig. 41.

### Oblique stress states

Most of the stress states derived from sites across the Elbe Fault System are characterised by vertical respectively horizontal principal stress axes indicating typical stress conditions for the shallowest parts of the Earth's crust according to Anderson (1942). However, two of the estimated stress states are oblique in the sense that none of the associated stress axes plunges vertically (i.e. by >70°). These special stress configurations are derived from fault-slip data sampled at *Elvese* (#23; ELV2) which is located within the N-S-trending Leine Graben area and at *Langelsheim* (#29; LAN1) which is situated close to the Northern-Harz-Boundary Fault and the Neuwallmoden Fault (Fig. 51).

The obliquity of stress state ELV2 has been causally related to transpression and associated oblique movements along a pre-existing array of preferentially oriented faults (*Case study 8*). The almost vertical  $\sigma_3$ -axis and the NE-SW-directed  $\sigma_1$  of ELV2 give reasons for a correlation with the group of compressional stress states (Fig. 40). Consequently, the oblique stress state ELV2 is supposed to correspond to a local expression of the regional Stress field A.

An explanation for the obliquity of LAN1, on the other hand, might be provided by the position of the related fault-slip data relative to large-scale structures in close vicinity of *Langelsheim* quarry. The NE-SW-directed maximum compression ( $\sigma_1$ ) of LAN1 is consistent

with the directions of  $\sigma_1$  indicated by the regional Stress fields A and B as well as by other sites along the Northern Harz Boundary Fault (Franzke et al., 2007). The oblique bearings of  $\sigma_2$  and  $\sigma_3$ , on the other hand, might be related to the position of *Langelsheim* between the WNW-ESE-striking Northern Harz Boundary Fault and the N-S-striking Neuwallmoden Fault (Fig. 51). Both faults are assumed to have been activated as reverse faults during a Late Cretaceous phase of inversion when the Lutter Anticline extending to the west of the Neuwallmoden Fault and the Harz Mountains both experienced uplift relative to the Subhercynian Basin (Mohr, 1982). The formation of the Lutter Anticline is supposed to have been strongly controlled by salt movements (Carlé, 1938). Assuming the reverse movements along the Northern Harz Boundary Fault and the Neuwallmoden Fault to have taken place coevally and considering the perpendicularity of their strike directions, stress states between these closely located faults would have had to balance divergent kinematics. At Langelsheim, the regional Stress field A might have been superposed by a more local stress state related to the movements along the Neuwallmoden Fault, thereby leading to a deviation of  $\sigma_2$  and  $\sigma_3$  as indicated by LAN1. A superposition of differently-directed stress states east of the Neuwallmoden Fault is also postulated as an explanation for differently-oriented horizontal stylolites (Hosseinidust, 1980).

### 4.5 Discussion

By applying the Stress Inversion Via Simulation, fault-slip patterns recorded along the Elbe Fault System have reliably been related to specific paleostress states. The correlation of these local stress states and the integration of chronological constraints have allowed a differentiation of four regional paleostress fields and the reconstruction of their relative timing. Finally, focus shall be laid on the role of these regional stress fields with respect to the history of the entire CEBS and concerning the mechanisms that characterise the interim rearrangements of stress configurations.

### 4.5.1 Chronology

Given the well-established evolution of the CEBS which implies several stages of intense tectonic activity – especially related to the *Initial rift phase*, the *Mid Triassic-Jurassic phase of E-W extension*, and the *Late Cretaceous-Early Tertiary phase of inversion* – it should be expected that the pattern of deformation structures presently observable within the basin reflects a wide variety of deformation events. The analysed fault-slip data, however, provide a less complex picture. Though the investigated units cover a wide stratigraphic scope from Upper Carboniferous to Upper Cretaceous rocks, the diversity of stress states indicated by the youngest rocks is not much expanded when considering also the results from stratigraphically older units. Accordingly, each of the deduced regional stress fields A, B, C, and D is documented by fault-slip data preserved within Upper Cretaceous rocks. Thus, these regional stress fields have verifiably been active during and/or after Late Cretaceous times which is during or after the basin-wide *Late Cretaceous – Early Tertiary phase of inversion*. Any pre-Late Cretaceous signs of deformation, on the other hand, are scarce.

## Pre-Late Cretaceous signs of deformation

At two sites across the Hessian Depression, tensional stress states are interpreted to have predated stress states that are (post-) Late Cretaceous in age. The two tensional stress states show remarkably low stress ratios indicating regimes of vertical flattening. According to the stratigraphic position of the faulted rocks (*Muschelkalk*), the maximum age of these stress

states dates back to Mid Triassic. According to their E-W- respectively NE-SW-directed  $\sigma_3$ -axes, the stress states might be related to the *Mid Triassic – Jurassic phase of E-W extension* which initiated the large N-S-striking grabens in the CEBS (e.g. Central Graben, Horn Graben, Glückstadt Graben). However, since the directions of extension are poorly constrained (due to low stress ratios), they might reflect any phase of extension between the Triassic and the Late Cretaceous.

### Stress fields A and B: the phase of basin inversion

Stress field A corresponds to a (post-) Late Cretaceous compressional stress regime with a roughly NNE-SSW-directed  $\sigma_1$  and a low stress ratio. This configuration complies with compressional strain indicated by folded or tilted structures across the whole study area. Furthermore, Stress field A has been identified as the oldest regionally detectable imprint which corresponds with the fact that the mentioned folding or tilting locally affected Upper Cretaceous strata already during sedimentation (during the Cenomanian). Stress field B, on the other hand, is strike-slip in character and corresponds to the most prominent imprint in the study area as indicated by the largest number of related local stress states. Stress fields A and B agree well in terms of a NNE-SSW-trending maximum compression and a low stress ratio, while there is clear evidence that B postdated A.

Considering the large-scale deformation pattern proposed for the *Late Cretaceous - Early Tertiary phase of inversion* in the CEBS – for example, the roughly WNW-ESE-trending inversion axes reconstructed from the distribution of preserved thicknesses of Upper Cretaceous rocks (Scheck-Wenderoth & Lamarche, 2005; Fig. 25) – the movements of individual blocks indicate a roughly NNE-SSW-directed contraction. This direction corresponds with the NNE-SSW-directed maximum compression indicated by the reconstructed stress fields A and B. Hence, during times of ongoing closure of the Tethys and rifting in the North Atlantic, the southern margin of the CEBS first experienced folding and reverse faulting under stress field A before the mode changed to strike-slip faulting controlled by stress field B.

A number of paleostress studies using fault-slip data from different areas across North Central Europe confirm the occurrence of Late Cretaceous - Early Tertiary stress states with a N-S- to NE-SW-directed  $\sigma_1$ . The respective compressional and strike-slip stress fields are consistently related to the phase of CEBS-wide inversion, irrespective if the fault-slip data have been sampled in southern Wales (Lisle & Vandycke, 1996), England, Northern France and Belgium (Vandycke, 2002), Germany (Franzke et al., 2007), or southern Poland (Lamarche et al., 1999, 2002).

The well-established NNE-SSW-direction of intraplate shortening can be correlated with geodynamic processes that originated far to the south of the CEBS: From ~85 Ma on, Africa was converging against Europe in a NE direction (Rosenbaum et al., 2002) while respective compression was controlling deformation in the Pyrenees (Capote et al., 2002). Based on fission track data, a similar timing has been determined for the initiation of inversion-related uplift in parts of the CEBS such as the Lower Saxony Basin (c. 89-72 Ma; Senglaub et al. 2005, 2006) and the Subhercynian Basin (85 Ma; Thomson et al.; 1997).

A correlation of Late Cretaceous intraplate stresses in the CEBS with the Africa-Iberia-Europe convergence agrees with a recently published concept on causal mechanisms for the CEBS-wide inversion (Kley & Voigt, 2008). On the other hand, N- to NNE-directed contraction is also supposed to have been induced by early (e.g. Eocene) stages in the evolution of Alpine convergence indicated, for instance, by movements of the Austroalpine and Penninic thrust complex over the Helvetic units of the European shelf (Schmid et al., 1996; Pfiffner et al., 2002). Accordingly, an Eocene N-S-directed compression has been

derived from fault-slip data in southern Germany and eastern France (Bergerat, 1987; Homberg et al., 2002).

In the studied area of the Elbe Fault System, any closer constraints on the timing of the regional Stress fields A and B are missing due to mainly unconsolidated Cenozoic rocks that do not provide adequate data for a fault-slip analysis. For this reason, both stress fields might be causally related to the Late Cretaceous Africa-Iberia-Europe convergence and/or a Tertiary phase of Alpine orogeny. Despite of some sites in the study area that indicate a shift from a NE-directed  $\sigma_1$  to a NNE- or N-directed  $\sigma_1$ , it has been desisted from a more detailed temporal differentiation of stress states, since the spatial variations of  $\sigma_1$  are as large as any temporal ones would be (Fig. 44).

Better conditions for a fault-slip analysis on the post-Late Cretaceous evolution of stress states are given in parts of southern Poland where a Maastrichtian–Paleocene strike-slip regime with NE-SW-oriented  $\sigma_1$  has been distinguished from a late Mid Miocene N-S-directed compression (Lamarche et al., 2002). The reconstructed Maastrichtian–Paleocene regime caused tectonic inversion of the Mid-Polish Trough accompanied by strike-slip faulting as well as localized folding. The respective deformation patterns observable in the Holy Cross Mountains are interpreted as being related to a shallow reactivation of the pre-existing Teisseyre-Tornquist Zone. After a Mid Miocene interim phase of N-S-directed extension, a phase of late Mid Miocene N-S-directed compression has been induced by the Carpathian orogeny and affected predominantly the Carpathian Front while the Holy Cross Mountains remained mainly unaffected.

### Stress fields C and D: the transition to present-day stress conditions

Stress field C integrates strike-slip stress states with a horizontal, roughly NW-SE-directed maximum compression and mainly intermediate stress ratios. Though a number of 12 outcrops reveal fault-slip data attesting to both B-related and C-related stress states, the posteriority of Stress field C relative to B is only poorly constrained by field observations. However, palinspastic reconstructions implementing paleomagnetic measurements and Cenozoic kinematics of major structures in Central Europe argue for an Eocene to Miocene aged rotation of the direction of maximum horizontal stress ( $S_{Hmax}$ ) from a NNE- to a NW-direction (Schreiber & Rotsch, 1998). This rearrangement of stress states would confirm Stress field C to have postdated Stress field B. Furthermore, the direction of maximum compression indicated by Stress field C coincides with the NW–SE-directed  $S_{Hmax}$  of the present-day stress field within the subsalt layers of large parts of the study area (Roth & Fleckenstein, 2001; Heidbach et al., 2008). Since the present-day stress conditions in the study area are supposed to have been initiated in the Miocene, Stress field C would be related to post-Miocene times.

According to the present paleostress analysis, the latest signs of preserved faulting correspond to the tensional stress field D which widely corresponds to radial extension as indicated by a low mean of stress ratios and a large diversity of locally estimated  $\sigma_3$ -axes. Extensional tectonics are supposed to have governed areas north of the Alps during most of the Palaeogene (Reicherter et al., 2008), but also recent stresses are partly released by normal kinematics in the study area (Heidbach et al., 2008). Moreover, wide parts of North Central Europe provide evidence for extensional regimes of Neogene ages such as a N–S-directed extension detected in SE Poland (Lamarche et al., 2002), a NE–SW-directed extension in prominent N–S-striking structures of Central Europe (Reicherter et al., 2008) or differently oriented extensional regimes found in southern Wales and NE-Belgium (Vandycke, 2002). A succession of differently oriented tensional stress states is also indicated by subsurface fault-slip patterns in the Groningen Block northwest of the Lower Saxony Basin: a first E-W-directed extension is dated to the latest Cretaceous, a later E-W-directed extension is dated to 52-19 Ma, and a phase of NE-SW-directed extension is supposed to have started after 19 Ma

and to have persisted until the present (van Gent et al., in press). Hence, also stress field D might potentially have led over to present-day stress configurations. A more precise dating of this stress field would require a correlation with fault-slip data and stresses derived from differently aged Cenozoic rocks which, however, are not available in the study area.

#### 4.5.2 Mechanisms

The described evolution of regional stress fields has been developed based on the assumption that any fundamental difference in the directions of principal stress axes corresponds to a change of the overall tectonic stress field. However, observations on present-day stress states inferred from earthquake focal mechanisms, for instance, show that the mode of a local stress state might change during a single earthquake while the deformation-controlling plate tectonic setting remains the same (Giner-Robles et al., 2003). A very frequent type of stress change recorded during a seismic cycle corresponds to a permutation of principal stress (or strain) axes while the relative orientation of the stress ellipsoid remains constant. Most permutations concern  $\sigma_2$  and  $\sigma_3$ , or  $\sigma_1$  and  $\sigma_2$ , but switches between  $\sigma_1$  and  $\sigma_3$  have also been described (Angelier et al., 2008). The authors relate the widespread phenomenon of permutations to an elastic response of the shallow crust to deformation, including elastic rebound and stress drop. Furthermore, Hu & Angelier (2004) showed on the base of numerical modelling that major causes for stress permutations include the heterogeneity of brittle deformation and the resulting anisotropy of rock mechanical properties due to fracturing and faulting.

Considering the reconstructed regional stress fields, it is obvious that the difference between A and B corresponds to a permutation of  $\sigma_2$  and  $\sigma_3$ , whereas the difference between B and C roughly matches a permutation of  $\sigma_1$  and  $\sigma_3$ . In light of this, the mechanical relationships between different stress states are discussed including arguments for posteriority or simultaneity of stress states.

### Stress fields A and B

The temporal relation between the compressional Stress field A and the strike-slip Stress field B is unambiguously constrained at sites along the Osning Lineament where phases of reverse faulting and folding clearly have predated strike-slip faulting (Case studies 2, 3, 4). A general simultaneity of A and B thus can be excluded. The observation that folding in the Lower Saxony Basin already began during deposition of Upper Cretaceous rocks, on the other hand, corresponds with a synsedimentary tilting of Upper Cretaceous strata in the Subhercynian Basin as indicated by several angular unconformities which are regarded as being partly related to the activation of the Northern Harz Boundary Fault (Voigt et al., 2004). In general, the effects of Stress field A are more restricted to areas close to large fault zones (such as the Osning Lineament), whereas the effects of Stress field B can be traced also farther to the north, i.e. into the Flechtingen High area (Fig. 41, 44). The large number and the wide distribution of local stress states related to Stress fields A and B document a strong intensity of deformation during the Late Cretaceous - Early Tertiary phase of inversion. This effectiveness might explain why the traces of older phases of brittle deformation are scarcely observable: Signs of the inversion phase are preserved by the whole range of differently-aged rocks arguing for a high degree of reactivation of potentially pre-existing faults and fractures. Furthermore, the observed intensity of faulting complies with strong vertical movements documented by individual blocks: According to fission track analysis, the Paleozoic block of the Harz Mountains is supposed to have been uplifted along the Northern Harz Boundary Fault by at least 5 km (at c. 85 Ma; Thomson et al., 1997), while the sediments of the Lower Saxony Basin experienced uplift along the Osning Lineament by at least 4 km (c. 89-72 Ma; Senglaub et al. 2005, 2006).

There is an ongoing discussion on the general mode of deformation along the faults of the Elbe Fault System. For example, Voigt et al. (2004) regard the Northern Harz Boundary Fault as a frontal thrust above a steep basement thrust, while others consider both the Osning Lineament and the Northern Harz Boundary Fault to have been activated as large wrench fault systems during the phase of inversion (Drozdzewski, 1988; Wrede; 1988). The contribution of the present study to this discussion is limited as it is not known at what depth the recorded faults have been activated. If having been activated at greater depth, the reverse faults of Stress field A may identify the basement faults as flat thrusts. Any activation at shallower depth, on the other hand, might reflect either a thrust environment or a deeply-rooted strike-slip fault under transpression. Interestingly, there are no steeply inclined reverse faults observable, neither along the Osning Lineament nor along the Northern Harz Boundary Fault. In any case, the great number of strike-slip stress states which exceeds the number of reverse stress states in the study area, argues for a considerable intensity of wrench tectonics along the Elbe Fault System.

### Stress field C

As mentioned, the difference between the strike-slip Stress fields B and C could be explained by a permutation of  $\sigma_1$  and  $\sigma_3$  corresponding to a change in the direction of maximum horizontal compression from NE-SW to NW-SE. This regional permutation can also be found on the outcrop scale: At *Mammendorf* (#36), for instance, a B-related stress state shows a N-S-striking  $\sigma_1$ , while a C-related stress state reveals an E-W-striking  $\sigma_1$ . For comparison, at *Bodendorf* (#32),  $\sigma_1$  "changes" from NE-SW to NW-SE. Thus, at both sites – like at several others – the axial orientation of the respective stress ellipsoid remains constant while its shape changes. The assumption that the regional Stress field C corresponds to a discrete event that has postdated B is rather based on consistencies between C and the present-day stress conditions in the area than on unambiguous chronological indicators derived from the field which are remarkably scarce.

Summarising the facts, for stress field C and its relation to B the concept of axes permutations under a constant overall stress provides a solution at least as reasonable as the concept of superposed tectonic phases. Consequently, the stress states related to C might not be indicative for a separate tectonic phase, but for local variations of stress during the strike-slip phase of inversion.

#### Stress field D

The posteriority of the tensional stress field D relative to compression and wrench in the study area is well constrained due to related large-scale structures as well as several superimposed striations. This temporal consistency between locally derived tensional stress states is in contrast to the great diversity in related directions of minimum compression that might imply a diversity of related mechanisms.

Along the Osning Lineament, basically two different directions of extension have been observed, one roughly parallel and one perpendicular to the strike of the lineament (Fig. 33). Extension perpendicular to the Osning Lineament corresponds to movements which are parallel to but opposing the former inversion-related direction of maximum compression. Such a  $\sigma_1/\sigma_3$ -permutation might be related to a drop of the tectonic (inversion-related) stress component and a sudden predominance of the vertical component of stress. Accordingly, Kockel (2003) describes such a relaxation of stresses as a major cause for normal faulting affecting many of the formerly inverted structures in northern Europe.

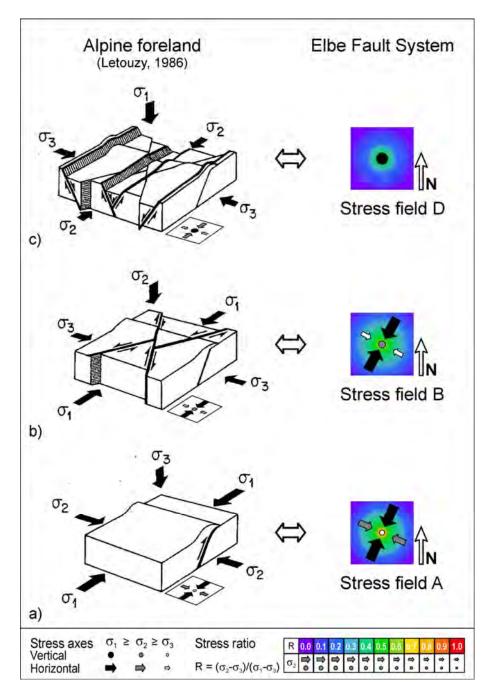
In principle, the observed extension parallel to the WNW-striking Osning Lineament could likewise be related to stress relaxation and associated permutations. On the other hand, such a roughly E-W-directed extension fits with the predominantly N-S-trending Cenozoic depocentres in the CEBS the formation of which is supposed to have been controlled by

thermal relaxation or flexural bending of the North Sea lithosphere (Ziegler, 1990; van Wees & Beekman, 2000; Hansen & Nielsen, 2003; Scheck-Wenderoth & Lamarche, 2005). Furthermore, Central Europe has been governed by extensional tectonics that created the roughly N-S-trending European Cenozoic Rift System during the Eocene to Miocene (Reicherter et al., 2008).

In contrast to the Osning Lineament area, the Hessian Depression and the Subhercynian Basin show tensional stress states with mainly low stress ratios. Such stress conditions correspond to radial extension and might be associated to the rise of salt structures. It is known, that since Mid Triassic times, Zechstein salt layers have recurrently been mobilised, in particular during late Tertiary regional extension (Scheck et al. 2002a,b; 2003a,b; Kockel, 2003; Maystrenko et al., 2006). It should be noted, however, that tensional stress states with low stress ratios have also been obtained from rocks without any salt structures underneath, as the Upper Carboniferous volcanics at of the Flechtingen High area (#32). This observation accounts for the fact that salt movements in general do not trigger but result from differential stresses. In the study area, tectonically induced extension might thus have initiated the ascent of salt structures which, in turn, might have altered the local stress states and promoted radial extension. Such a process is comparable to stress modifications in the vicinity of uprising magmatic material (Suppe, 1985): the ascent of material may exert an additional component to the vertical stress axis while indirectly decreasing the relative magnitudes of horizontal axes. Local variations of stress states caused by salt tectonics are also expressed by the recent stress field in northern Germany which shows differences in the orientations of S<sub>Hmax</sub> between subsaline and suprasaline formations (Roth & Fleckenstein, 2001).

### Comprehensive deformation model

The reconstructed succession of a compressional stress field (A) followed by a strike-slip stress field (B) and finally by a tensional stress field (D) is comparable to the Cenozoic evolution of paleostresses in the Alpine foreland as described by Letouzy (1986; Fig. 52). For both areas, the development of stress fields occurred under a constant orientation of the principal axes while implying two stages of stress permutation. The causative mechanisms for such a development as provided by Letouzy's (1996) model comprise (i) gradual decrease of the tectonic components of stress and (ii) uplift to shallower depth where non-isotropic stress conditions are supposed to be related to an increasing relative magnitude of the vertical stress component. Accordingly, this model implements a main phase of intense compression which is followed by weaker phases of strike-slip and normal faulting. This development corresponds with the findings from the Elbe Fault System area where the inversion-related stress fields A and B are the dominant imprints and supposed to have acted coevally with the strongest recorded uplift, whereas the weaker tensional stress field D has postdated A and B.



**Figure 52:** Correlation of the reconstructed regional paleostress fields (A, B, D) with a stress and strain model derived from structural data in the Alpine foreland (Letouzy, 1986). According to Letouzy's model, a gradual decrease of the magnitudes of compressive tectonic stresses and a continuous increase of the relative magnitude of the vertical stress component due to uplift to shallower depths are supposed to result in a regional development from a compressional stress regime (a) to a strike-slip stress regime (b) and finally to a tensional stress regime (c).

# 4.6 Summary and conclusions

The fault-slip analysis performed for the area of the Elbe Fault System argues for the following evolution of regional paleostress fields:

- A compressional Stress field A with a N-S- to NE-SW-directed maximum compression induced reverse faulting and folding in large parts of the area. This stress field is at most as old as Cenomanian/Turonian and related to the *Late Cretaceous Early Tertiary phase of inversion* that affected much of the CEBS.
- Postdating Stress field A, a strike-slip Stress field B with a N-S- to NE-SW-directed maximum compression produced the strongest imprint of brittle deformation detectable in the area. Stress field B can likewise be correlated with the *Late Cretaceous Early Tertiary phase of inversion*.
- A number of local strike-slip stress states with E-W- to NW-SE-directed maximum compression might be interpreted as indicating a regional stress field C that postdated B. This stress field corresponds well with the present-day stress field of the area in terms of the direction of maximum horizontal compression. On the other hand, the local stress states associated to C might be related to permutations of principal axes induced by stress relaxation due to faulting under Stress field B.
- The youngest reconstructed stress regime is tensional in character with no pronounced direction of horizontal extension. It can temporally be correlated with the *Cenozoic phase of subsidence* which induced strongest vertical movements in the North Sea while kinematically it corresponds with Palaeogene to recent extensional tectonics recorded for large parts of Central Europe. The predominantly low stress ratios of tensional stress states (radial extension) might locally have been induced by uprising salt structures.

Despite a wide stratigraphic scope of investigated rocks covering Upper Carboniferous to Upper Cretaceous units, the brittle signs of deformation regionally traceable in the rocks are exclusively (post-) Late Cretaceous in age. The scarcity of pre-Late Cretaceous signs of faulting indicates that inversion-related deformation widely overprinted potential traces of earlier deformation corresponding to an extensive "reprogramming" of the observable signs of deformation. This reprogramming might be related to the role of the Elbe Fault System during the phase of inversion: Being characterised by a weak and stress-sensitive zone in the lower crust, strain localisation may have turned the Elbe Fault System into one of the most intensely deformed areas. This is in contrast to more central parts of the CEBS where fault structures also document stress states of pre-inversion phases (Lohr, 2007; van Gent et al., in press). Finally, the high consistency of local paleostress states characterises the investigated area as a relatively homogeneous unit without any major kinematic differences between single domains.

## 5 The Oslo Graben area

To shed light on the evolution of paleostress fields in the northern parts of the CEBS, the present study has laid one of its foci on the Oslo Graben area which is located north of the Tornquist Zone (TZ). The on-land Oslo Graben and the offshore Skagerrak Graben constitute together the roughly N-S-trending Oslo Paleorift System which was one of the areas of pronounced magmatic activity during the Permo-Carboniferous *initial rift phase* that affected almost the entire CEBS. During this phase, areas like the Oslo Graben in the north and the North German Basin in the south were belonging to an extensive volcanic province (Neumann et al., 2004). During later times, the Oslo Rift area is supposed to have acted as the prolonged northern arm of the Northern Permian Basin (Larsen et al., 2008). These connections indicate that the developments of the Oslo Rift and the CEBS have been related – at least during early stages in the evolution of the CEBS. Due to the abundance of Permo-Carboniferous magmatic rocks in the Oslo Graben area (Fig. 7), its rift-related history is well known. A reconstruction of the post-rift development, in contrast, is complicated by the lack of any outcropping post-Permian units.

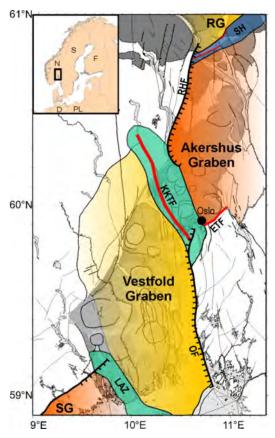
# 5.1 The Oslo Graben as part of the Oslo Rift System

The Oslo paleorift system terminates to the south in the Sorgenfrei-Tornquist Zone (STZ) which is the northwestern prolongation of the Teisseyre-Tornquist Zone (TTZ; Fig. 1). The TTZ forms the boundary between the Precambrian East European Platform and the accreted parts of Phanerozoic Western Europe. On the contrary, there is still an ongoing discussion on the structural role of the STZ with respect to the Baltic Shield. Some authors regard the STZ to lie within the Precambrian Baltic shield (EUGENO-S Working Group, 1988), whereas more recent studies postulate the STZ to represent the border of Baltica (Lie & Anderson, 1998; Babuska & Plomerova, 2004). Several authors have suggested that the Permo-Carboniferous initiation of the Oslo Rift has been closely tied to concurrent tectonics along the TZ (Glennie, 1984; Sundvoll et al., 1990; Ziegler, 1990; Veevers et al., 1994). During Variscan times, for example, the TZ is supposed to have experienced wrench deformation and dextral movements controlled by collision-related stresses in the south which, in turn, have induced approximately E-W directed extension north of the TZ, i.e. in the Oslo Rift (Sundvoll et al., 1992). Moreover, the main phase of extension affecting the Oslo region went along with a deepening of pull-apart basins within the TZ (Erlström et al., 1997).

#### 5.1.1 Geometry and structure of the Oslo Rift System

The Oslo Rift is constituted by an en-echelon array of graben segments (Ramberg, 1976; Ramberg & Larsen, 1978; Larsen et al., 2008): the Rendalen, Akershus and Vestfold Graben Segments form the northern and central on-land parts, whereas the Skagerrak Graben is the southern off-shore segment of the rift system (Fig. 53). These segments reveal sigmoidal plan view and form an overall rift axis trending roughly NNE-SSW as confirmed by fault patterns and geophysical features. In cross-section, the on-land segments represent asymmetrically shaped half-grabens with different subsidence polarities: The Rendalen Graben segment is bordered to the east by a west-verging master fault system (Skjeseth, 1963; Larsen et al., 2006). The Akershus Graben segment reveals an east-verging master fault to the west, while the Vestfold Graben segment shows a west-verging master fault to the east (Ramberg & Larsen, 1978). The latter two segments are linked by an accommodation zone with a joining

fault to the west of the city of Oslo, the Kjaglidalen-Krokkleiva Tranfer Fault (KKTF; Heeremans et al., 1996). Finally, the Skagerrak Graben which abuts against the STZ is composed of several more or less overlapping graben segments (Heeremans et al., 2004).



**Figure 53:** Sketch map of the Oslo Rift System (modified after Larsen et al., 2008 and Ranberg & Larsen, 1978). This paleorift is structured by an array of graben segments with different graben polarities. Master faults (black), accommodation structures (green and blue) and transfer fault zones (red) are labelled by abbreviations: ETF - Ekeberg Transfer Fault, KKTF - Kjaglidalen-Krokkleiva-Transfer Fault, LAZ - Langesund Accommodation Zone, OF - Oslofjord Fault, RG - Rendalen Graben, RHF - Randsfjorden-Hunnselv Fault, SG - Skagerrak Graben, SH - Solberg Horst.

#### 5.1.2 Permo-Carboniferous rift evolution

After a first tectonomagmatic model for the evolution of the Oslo Rift has been provided by Ramberg and Larsen (1978), an ever growing pool of seismic, structural, geochemical, and paleomagnetic data has allowed refining the respective models (Russell, 1983; Sundvoll et al., 1990; Neumann et al., 1992; Neumann, 1994; Ro and Faleide, 1992; Sundvoll et al., 1992; Sundvoll and Larsen, 1994; Olaussen et al., 1994; Heeremans et al., 1996; Torsvik et al., 1998; Larsen et al., 2008). According to Larsen et al. (2008), the evolution of the Oslo Rift can be subdivided into 6 progression phases commencing in Late Carboniferous times and spanning about 65 million years:

During the proto-rift stage (*rift stage 1*), a thin sequence of clastic and evaporitic sediments ("Asker Group") has been deposited into a shallow depression unconformably on top of a deformed Cambro-Silurian sedimentary succession. Coevally, magmatic activity started with the emplacement of sill intrusions (ca. 305-300 Ma old syenites and basic camptonites; Sundvoll et al., 1992; Sundvoll & Larsen, 1994). The initial rifting phase (*rift stage 2*) mainly exhibits basaltic lava flows ("B1"), the oldest of which are found in the southern parts of the Oslo Graben area where they exhibit a radiometric age of 300±1 Ma (Corfu & Dahlgren,

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2007). The climax stage of rifting (*rift stage 3*) is marked by intensive eruptions of trachyandesitic rhomb porphyry lavas (Larsen et al., 2008). In the southern parts of the graben, the rhomb porphyry lavas were dated to 294-283 Ma, whereas for the northern parts ages of 290-276 Ma were estimated (Sundvoll et al., 1990). Postdating this main volcanic phase, but still occurring during the main phase of rifting, extensive vertical movements along graben-flanking master faults have been discovered (Heeremans & Faleide, 2004). During *rift stage 4*, central volcanoes first produced mainly alkaline olivine basalts, and then matured petrologically to leave residual felsic melt products that finally erupted explosively by caldera formation. Some of the caldera-related ignimbrites have been dated to 288 Ma and 285 Ma (Sundvoll & Larsen, 1990), thus marking the end of the main extrusive period in the Oslo Graben. The magmatic aftermath stage (*rift stage 5*) is supposed to have lasted from ca. 265 to 255 Ma and has been characterised by the emplacement of mostly alkali syenitic to alkali granitic batholiths (Larsen et al. 2008). Finally, during the last stage of magmatic activity (*rift stage 6*), granitic intrusions with ages between 250 and 245 Ma have been emplaced (Sundvoll et al., 1990).

#### **5.1.3 Post-rift evolution**

As a result of 65 Ma of intense tectonomagmatic activity, the present total volume of magmatic rocks in the Oslo Graben amounts to about 28,000 km<sup>3</sup> (Ramberg, 1976). However, the lavas presently exposed in fault-bounded blocks along the graben are only remnants of a formerly much larger lava cover; they are estimated in total to about half the originally generated volume, whereas large amounts already have been eroded. The causes for erosion are provided by two phases of uplift reflected by apatite fission track data (Rohrman et al., 1995): during Triassic-Jurassic times (~220-160Ma) a total of 1.3-3.5 km of overburden is supposed to have been removed as a result of rift margin erosion. On the other hand, a Neogene (~30 Ma) phase of domal uplift caused erosion of 1.5-2.5 km of overburden. This younger phase of denudation is supposed to be related to a combination of mantle convection and the operation of intraplate stresses which are slightly overprinted by Plio-Pleistocene glacial erosion effects. Postglacial unloading is documented to have had its dominant impact right after the end of the latest ice age (ca. 9 ka) as indicated by signs of large earthquakes (Gregersen, 1992). Beside the described mostly vertical movements, no major tectonic or magmatic activity has been denoted for post-rift times (Sundvoll & Larsen, 1994). This longlasting tectonic quiescence is supported by the outcomes of an earlier paleostress study based on fault-slip data from the Oslo Graben area (Heeremans et al., 1996).

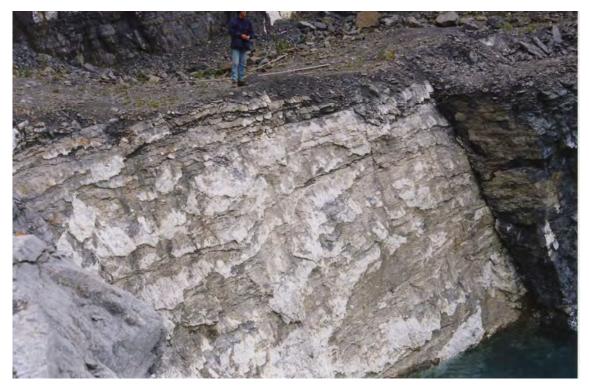
As inferred from earthquake focal mechanisms in the area of the Oslo Graben and surroundings, the present-day regional stress field is characterised by a NW-SE-direction of maximum horizontal compression ( $S_{Hmax}$ ; Gregersen, 1992; Lindholm et al., 2000) which correlates with large parts of Northern Europe (Heidbach et al., 2008) and is mainly regarded a result of ridge push forces induced by spreading in the Atlantic domains.

# **5.2 Estimated paleostress states**

A total number of 2191 fault-slip data are used for the present paleostress analysis in the Oslo Graben area (Appendix B; Fig. 54). These fault-slip data are complemented by 157 dykes and 232 veins, all having been assembled from 101 locations spread all across the graben area with exposed rocks of Precambrian, Cambro-Silurian and Permian ages (Fig. 7; Tab. 2).

In analogy to the processing of fault-slip data from the southern margin of the CEBS (Chapter 4), the Stress Inversion Via Simulation is applied separately to fault populations

from different sites in the Oslo Graben area. This procedure results in a total number of 194 reduced stress tensors (Fig. 55). At many sites, the preserved fault populations are heterogeneous resulting in several estimated stress tensors. In total, these locally derived stress states comprise 7 compressional stress states (sub-vertical  $\sigma_3$ ), 70 tensional stress states (sub-vertical  $\sigma_1$ ), 37 strike-slip stress states (sub-vertical  $\sigma_2$ ), and 80 oblique stress states (no vertical principal axis). Such a kinematic pre-classification follows the assumption that regional stress regimes of a different mode (i.e. compressional, wrench, tensional, or oblique) are unlikely to control the same area at the same time. Hence, this arrangement is a first step in unravelling the evolution of paleostress fields in the area – a preliminary step that will have to be verified though.



**Figure 54:** Slickenside with calcite fibres indicating oblique-normal slip along a fault-plane within Upper Silurian limestones exposed at Åsa (site #17; photo by M. Heeremans).

Strati- graphy, Site	Stress states				
	Compressional	Tensional	Oblique	Strike-slip	
25		HOLM			
26		2 ×			
27		FROG		BOG\$2	
42		GRYS1	GRYS2	80002	
51		D CC O HAUG1	3.1.32	0 0 HAUG2	
53			UTSI		
55				o* o REIS	
65			ROYK		
70				GULL	
72		* 0 OVNE			
79		HOL21	HOL21		
81		U A HYGG1	HYGG2	HYGG3	
83		SELV			
85		TOFT1	TOFT2		
91		000			
92		STEI O D D D D D D D D D D D D D D D D D D	HIMB2	HIMB3	
97				TVEI	
99- 101		NEVL			
<sub>r-V</sub> 2		00	BRUM2		
12		JARE1	1→ JARE2	JARE3	
23		SUNII		JARE3 SUN12	
24		n ★ n □ □ sorki	SORKZ SORK3		
28		BURU	201113		
30		SKOL1		8 * 0 SKOL2	

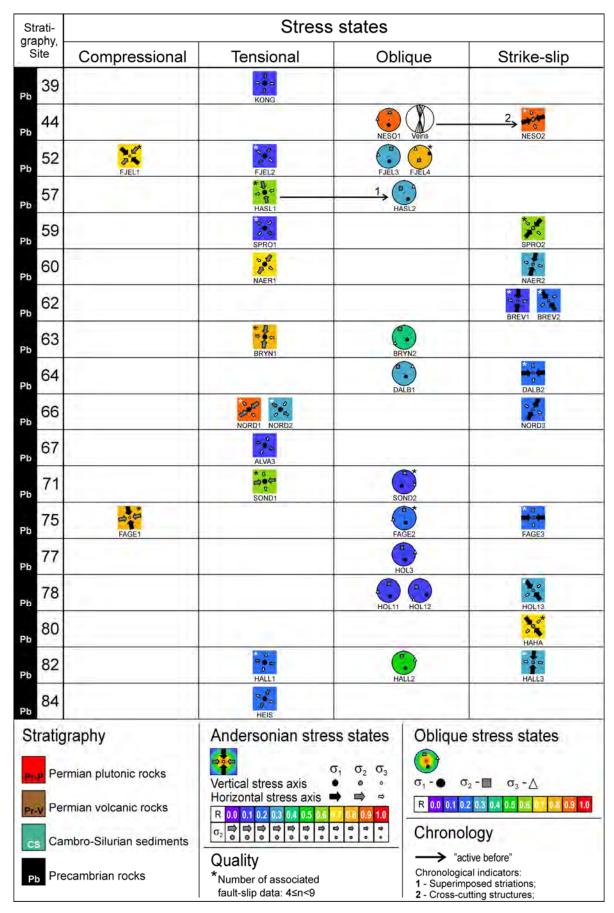
Figure 55: (continued next page)

Strati- graphy, Site	Stress states				
	Compressional	Tensional	Oblique	Strike-slip	
31		BAER			
32		GAML1		GAML2	
33		NUL1	HVIL2 HVIL3 HVIL4	o* HVIL5	
87					
89			JEL4		
90		HORT1	HORT2 HORT3		
93		LAKS1	LAKS2		
<sub>-v</sub> 94		SKOP			
s 1		- • - TORU1	TORUZ		
4		GORU			
5			BOVR1 BOVR2 BOVR3	BOVR4	
6		⇔ ⇔ KORS1	KORS2	KORS3	
9	BRANI	BRAN2	1 BRAN3 BRAN4 BRAN5		
10		TING1	TING2	TING3	
14		ROAX1	ROAX2	_	
15	⇔ ⇔ GRYM1	GRYM2	GRYM3		
17			ASAX1 ASAX2	ASAX3	
18		STUB			
20			KROK1 KROK2		
21		SUN31	1 SUN32 SUN33		
22			SUN2		
29		GRINI	GRIN2.		
34		* B C RYKKI	RYKK2		
35			SINS	SINS2	

Figure 55: (continued next page)

Strati-	Stress states				
graphy, Site	Compressional	Tensional	Oblique	Strike-slip	
36	VAEK1	VAEK2		VAEK3	
38		HOVE			
40		SANDI	SAND2 SAND3		
41	FORNI	FORNZ	FORN3 FORN4	FORN5	
43			MALM		
45		OSTOI	OSTO2 OSTO3 OSTO4		
46	HVAL1	HVAL2			
48 49	TIVAL!	AI VA1		ALVA2	
50		BLAK1	BLAK2		
<sub>s</sub> 56		BOVE1	BOVE2	1 Strike-slip faults	
58		MOLL1 MOLL2 Veins	1> Molt3	Stiffse only justice	
61			SLEM		
69		⇔ ⇔ ¢ MJON1	MJON2 MJON3 MJON4	n MJON5	
76		KONNI		KONN2	
86- 88		JEL12			
95		EIDA1	EIDA2 EIDA4 EIDA3	1> EIDAS	
96		30 Tarr 2 1	NBRE	Misseum	
3		u e ■ = h HELL1	HELL2	HELL3	
7		SKAR1 SKAR2 SKAR3			
8		MOEN1	MOEN2 MOEN3		
11		a a a			
13			RAHO		
16			JEVN		
37		EKEB1	EKEB2 EKEB3 EKEB4 EKEB5 EKEBB		

Figure 55: (continued next page)



**Figure 55:** Paleostress tensors estimated for the Oslo Graben area. Sites are stratigraphically ordered. Stress states that are based on less than 9 fault-slip data are marked by an asterisk. Locally observed chronologies are indicated by arrows connecting the respective stress states.

#### 5.2.1 Direct constraints on the relative timing of stress states

The ages of investigated rocks and the relative arrangement of individual fault-slip data observed in the field are the two first-order criteria for the relative timing of stress states. In the Oslo Graben area, the occurrence of compressional stress states is restricted to Precambrian and Cambro-Silurian rocks while tensional, strike-slip, and oblique stress states are documented by fault-slip data preserved by all exposed rock ages (Fig. 55). The lack of any compressional stress states in Permian rocks thus may identify this group of stresses as pre-Permian aged.

Other indicators for a temporal classification of stress states in the Oslo Graben area are provided by superimposed striations and relations of fault-slip data to other preserved structural elements (Fig. 55). At Hasle (#57), for example, several N-S-striking fault planes show two generations of striations: an older group of striae related to the tensional stress state HASL1 (E-W extension) and a younger group of oblique-normal senses related to the oblique stress state HASL2. Superimposed striations that locally prove a tensional stress state to have been active before an oblique stress state are also found at Brandbu (#9), at Jaren (#12) and at Sundvollen3 (#21). An agreeing relative timing of tensional and oblique stress states is found at Mølleveien (#58) where some sub-vertical surfaces striking N-S are interpreted as having initially been formed as calcite-filled veins which were later reactivated as oblique-normal (sinistral) faults. The pure tensile component of these structures (the veins) may correspond to the tensional stress state MOLL1 with an E-W-directed  $\sigma_3$ , whereas the oblique-normal slip direction clearly is related to the oblique stress state MOLL3.

At other places, superimposed striations argue for strike-slip stress states to be younger than tensional stress states (Boveien, #56) or strike-slip stress states to be younger than oblique stress states (Eidanger, #95). A more indirect indication for the relative timing of an oblique stress state and a strike-slip stress state is given at Nesoddtangen (#44): a N-S-striking calcite-filled vein indicates approximately E-W-directed extension corresponding with the  $\sigma_3$ -axis of the oblique stress state NESO1. This calcite vein is offset by a WNW-ESE-striking sinistral fault which is related to the strike-slip stress state NESO2. Assuming the vein to have formed under NESO1, the strike-slip stress state is younger than the oblique stress state.

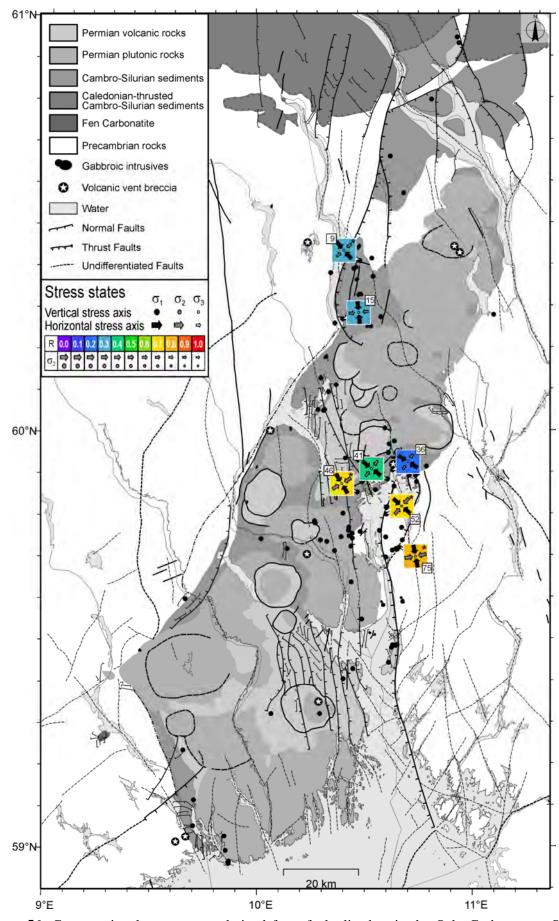
The local chronologies presented in Figure 55 show consistencies that are a first approval of a cross-outcrop correlation of locally estimated stress states. Considering all available chronological indicators, tensional stress states tend to be older than oblique stress states, while the latter in turn tend to be older than strike-slip stress states. As these tendencies are based on only 8 single observations, a generalisation for the total diversity of inferred stress states in the Oslo graben area must remain tentative. However, the previously proposed separation of a group of oblique stress states from the classical Andersonian stress states is confirmed: though the oblique stress states are non-uniform in terms of directions of principal stress axes, their consistent relative timing clearly distinguishes them as a group of a separate and maybe common temporal status.

## **5.2.2 Regional implications**

#### Compressional stress states

The occurrence of compressional stress tensors in the Oslo Graben area is not only restricted stratigraphically to pre-Permian rocks but also spatially to only seven locations (Fig. 56). The seven compressional stress tensors are very consistent with regard to the directions of  $\sigma_1$  which strike roughly NW-SE (Fig. 57a). This kinematic consistency, in turn, argues for a common causal source – a common regional stress field – that these stress states have been related to.

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**Figure 56:** Compressional stress states derived from fault-slip data in the Oslo Graben area. Stress states that are based on less than 9 fault-slip data are marked by an asterisk.

To characterise this particular stress regime ("Stress field X"), the mean vector of  $\sigma_1$ -axes has been calculated to be oriented 324/07. Interestingly, the mean direction of  $\sigma_1$  corresponds well with the direction of maximum compression derived from folded bedding planes within Cambro-Silurian sediments (324/00; Fig. 58). These rocks are supposed to have been folded in the course of the Caledonian Orogeny (Worsley et al., 1982; Bjørlykke, 1983; Bockelie & Nystuen, 1985). Regarding the compressional stress states and the folding as being related to the same tectonic stage, the deduced regional stress field consequently reflects a Caledonian phase of compression controlled by a NW-SE-directed  $\sigma_1$  and an intermediate stress ratio (R=0.2 to R=0.8; Fig. 57b).

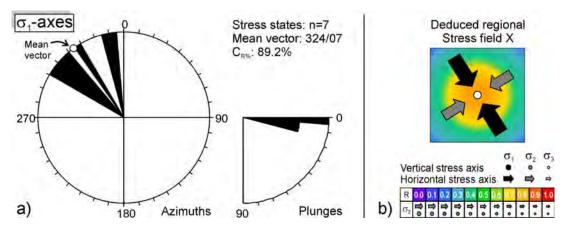
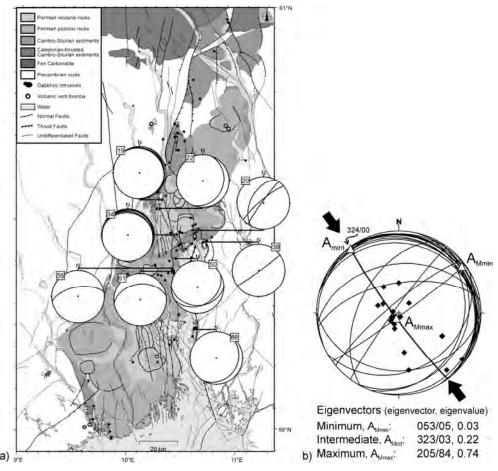


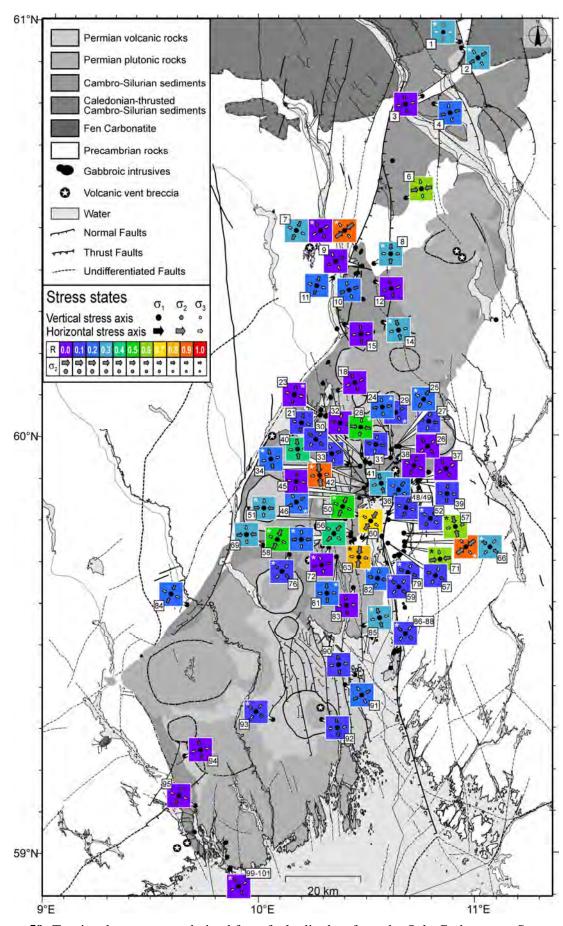
Figure 57: Potential regional Stress field X inferred from compressional stress states. a) Rose diagram with  $\sigma_1$ -directions of all compressional stress tensors. The azimuths of  $\sigma_1$ -axes strike consistently around NW. None of the  $\sigma_1$ -plunges deviates by more than 13° from the horizontal. To infer an overall stress field for these consistent stress states, the mean vector of  $\sigma_1$ -axes is calculated after Wallbrecher (1986; " $R_{\%}$ -and-center-method"). The concentration parameter,  $C_{R\%}$ , is a measure for the alignment of stress axes with  $C_{R\%}$ =100% indicating parallel fabrics and  $C_{R\%}$ =0% indicating a uniform distribution. Here,  $C_{R\%}$ =89.2% designates a pronounced maximum for the  $\sigma_1$ -axes oriented 324/07. b) Comprehensive symbol for the deduced regional Stress field X. It integrates the mean directions of principal stress axes projected to the vertical respectively horizontal. The range of background colours reflects the large variety of stress ratios (0.2 $\leq$ R $\leq$ 0.8) indicated by the associated compressional stress states.



**Figure 58:** Tilted bedding planes in Cambro-Silurian sediments; a) Tectonomagmatic map of the Oslo Graben area (modified after Ramberg & Larsen, 1978) with measured bedding planes as great circles in lower-hemisphere, equal-area projections; b) Cumulative plot of all bedding planes shown as great circles and poles to planes. The eigenvectors and eigenvalues for the poles to all bedding planes are calculated according to Bingham (1964). The great circle spanned by the eigenvectors of maximum and intermediate eigenvalues (thick line), respectively, cuts the horizontal at 324/00. This direction is interpreted as the direction of maximum compression (black arrows) which caused folding of the initially horizontal bedding planes. Note the similarity to the direction of  $\sigma_1$  of Stress field X (Fig. 57).

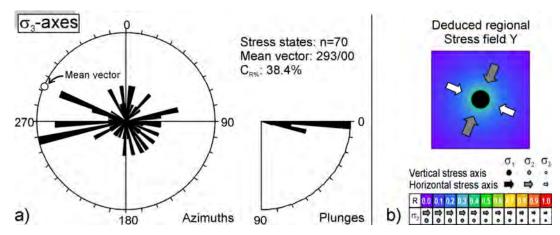
#### Tensional stress states

Tensional stress states have been derived from sites spread all across the Oslo Graben area (Fig. 59) and from fault-slip data preserved by rocks of all ages including the youngest exposed rocks, i.e. Permian magmatic rocks (Fig. 55). The associated directions of subhorizontal  $\sigma_3$ -axes vary strongly among all of the estimated stress tensors (Fig. 60a). Even when comparing the distributions of  $\sigma_3$ -directions for stress states derived from differently aged rocks, the variety of horizontal extension directions is similarly large (Fig. 61). Only the stress ratios (R) show a certain rock age dependent trend with values increasing from Precambrian to Cambro-Silurian and to Permian rocks. Altogether, most of the tensional stress tensors are characterised by low stress ratios reflecting configurations of radial extension, or "vertical flattening".



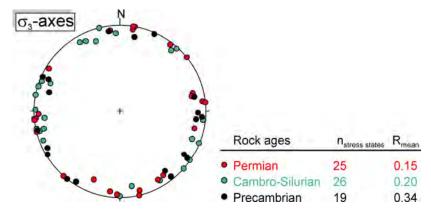
**Figure 59:** Tensional stress states derived from fault-slip data from the Oslo Graben area. Stress states that are based on less than 9 fault-slip data are marked by an asterisk.

Considering the lack of any field-derived indicators that may argue for a succession of different phases of normal faulting, and given the uniform variation of tensional stress states between different parts of the graben system as well as differently-aged rocks, any separation into different groups of tensional stress states would not be justified. This conclusion includes the possibility that all tensional stress states are related to the same tectonic phase in the evolution of the Oslo Graben. Following this, the mean vector for  $\sigma_3$ -axes of all tensional stress tensors is calculated (Fig. 60a). The potential regional stress field thus deduced ("Stress field Y") shows a maximum of  $\sigma_3$  that strikes horizontally WNW-ESE (293/00), though this maximum is only weakly pronounced ( $C_{R\%}$ =38.4%). This weakly constrained  $\sigma_3$ , in turn, corresponds well with the predominance of low stress ratios which indicate  $\sigma_2$  and  $\sigma_3$  to be almost equal in magnitude.

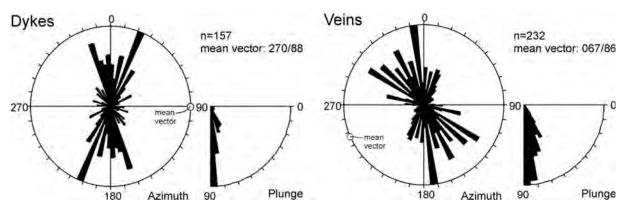


**Figure 60:** Potential regional Stress field Y deduced from tensional stress states. a) Rose diagram with  $\sigma_3$ -directions of all tensional stress tensors. The azimuths of  $\sigma_3$ -axes show various strike directions. None of the  $\sigma_3$ -plunges deviates by more than 19° from the horizontal. To infer an overall stress field for these stress states, the mean vector of  $\sigma_3$ -axes is calculated after Wallbrecher (1986; " $R_{\%}$ -and-center-method"). The concentration parameter,  $C_{R_{\%}}$ , is a measure for the alignment of stress axes ( $C_{R_{\%}}$ =100%: parallel fabrics;  $C_{R_{\%}}$ =0%: uniform distribution).  $C_{R_{\%}}$ =38.4% designates a weakly pronounced maximum for  $\sigma_3$ . b) Comprehensive symbol for the deduced regional Stress field Y. It integrates the mean directions of principal stress axes projected to the vertical respectively horizontal. The background colours illustrate the predominance of low stress ratios.

Since the youngest rocks documenting tensional stress states are of Permian ages, the supposed tensional stress field must have been active during Permian or post-Permian times. Despite the weak intensity of the calculated mean of  $\sigma_3$ , this direction of extension fits very well with the supposed kinematics of the master faults that flank the different graben segments of the Oslo Rift system (Fig. 53): These major planes are suggested to have been active as normal faults during the Permo-Carboniferous phase of rifting (Swensson, 1990; Olaussen et al, 1994; Heeremans & Faleide, 2004). Striking roughly N-S, these faults indicate a roughly E-W-oriented extension. Likewise, tensile structures such as dykes and veins indicate pronounced directions of extension around WNW-ESE and E-W (Fig. 62). Dyke emplacement is supposed to have taken place over the entire time-span of Permo-Carboniferous rifting (Heeremans, 2005). Consequently, as the regional direction of  $\sigma_3$  derived from fault-slip data corresponds with the extensional directions deduced from other rift-related structures, the tensional stress field is interpreted to be related to the phase of Permo-Carboniferous rifting.



**Figure 61:** Orientations of  $\sigma_3$ -axes for the 70 tensional stress states plotted in a stereographic projection (lower hemisphere, equal area). The stress states have been derived from fault-slip data preserved by rocks of Precambrian, Cambro-Silurian, and Permian ages. Irrespective of the age of the rocks, the  $\sigma_3$ -axes show a great variation of sub-horizontal directions. However, the younger the rocks are, the smaller is the mean of stress ratios,  $R_{mean}$ .  $n_{stress\ states}$  – number of locally derived stress states;  $R=(\sigma_2-\sigma_3)/(\sigma_1-\sigma_3)$ .



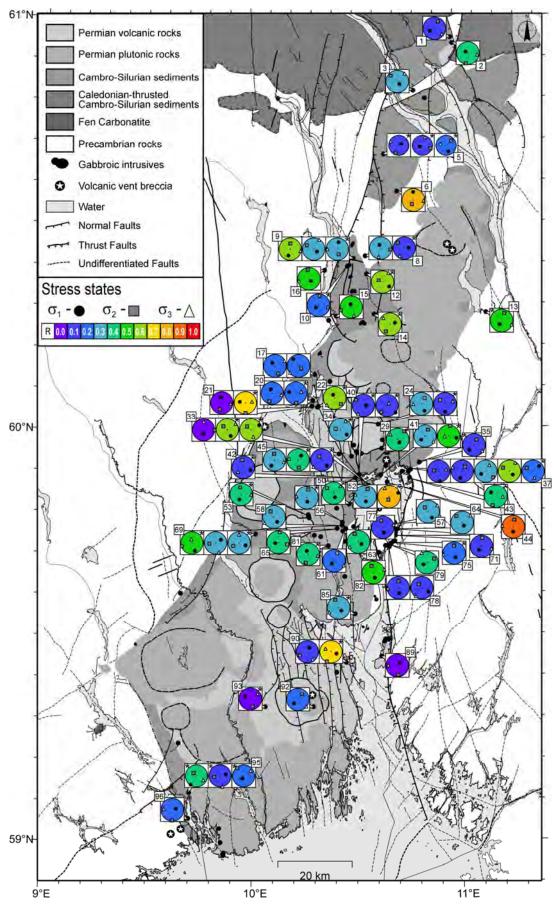
**Figure 62:** Orientations of dykes and veins. According to Anderson's (1942) principles, the direction of extension during the formation of pure tensile structures is perpendicular to these planes. Thus, the mean vectors calculated for the poles to dykes respectively veins (Wallbrecher, 1986) are interpreted to indicate the most probable directions of extension, being E-W for the dykes and ENE-WSW for the veins.

#### Oblique stress states

The greatest number of stress tensors derived from fault-slip data preserved in the Oslo Graben area corresponds to oblique stress states that are characterised by a lack of any subvertical principal stress axis, since neither  $\sigma_1$  nor  $\sigma_2$  or  $\sigma_3$  plunges by more than  $70^\circ$  (Fig. 63). These non-Andersonian stress states have been derived from fault-slip data spread all across the Oslo Graben area and preserved by units of all investigated rock ages (Fig. 55). As obvious from this paleostress map, these stress states do not show any prominent consistencies in terms of directions of principal axes. Similarly, the stress ratios vary almost over the complete possible range  $(0.0 \le R \le 0.9)$ .

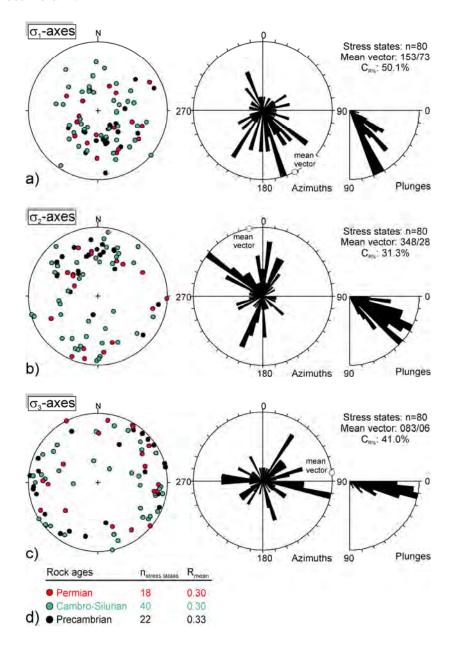
Following the principles of paleostress stratigraphy, the directions of principal stress axes are plotted according to the different investigated rock ages (Fig. 64). It is obvious that the principal axes show a similarly wide variety of directions whatever the age of the host rock. Likewise, the mean value of R is independent of rock ages. Moreover, a spatial correlation of consistent stress states is impossible: firstly, as agreeing directions of principal stress axes can be found all across the graben area and, secondly, as various oblique stress states locally occur at the same place.

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**Figure 63:** Oblique stress states in the Oslo Graben area. None of these stress tensors comprises a subvertical principal stress axis, i.e. a stress axis that plunges by  $\geq 70^{\circ}$ . Stress states that are based on less than 9 fault-slip data are marked by an asterisk.

Given the described variation of local stress states as well as the scarcity of evidence concerning the relative timing of different oblique stress states (Fig. 55), the group of non-Andersonian stress states is further analysed as a whole. When plotting the different types of principal stress axes separately, they reveal some remarkable trends (Fig. 64): the plunges of  $\sigma_1$ -axes tend to be steeper than those of  $\sigma_2$ -axes, while the majority of  $\sigma_3$ -axes are almost horizontal. Despite the low consistency of oblique stress states arguing against a common regional stress field, the mean vectors have been calculated for all three types of principal stress axes. According to these mean directions, a respective overall stress field would be characterised by a sub-vertical  $\sigma_1$ , a sub-horizontal N-S-striking  $\sigma_2$ , and a sub-horizontal E-W-striking  $\sigma_3$ . Interestingly, this configuration resembles the deduced Permo-Carboniferous tensional Stress field Y.



**Figure 64:** Variations of orientations of  $\sigma_1$ -axes (a),  $\sigma_2$ -axes (b), and  $\sigma_3$ -axes (c) for all oblique stress states shown by stereographic projections (lower hemisphere, equal area; *left*), by rose diagrams (*centre*), and by plunge scaling (*right*). The mean vectors are calculated after Wallbrecher (1986; "R%-and-center-method"). d) Number of stress states ( $n_{\text{stress states}}$ ) and mean values of the stress ratio ( $n_{\text{mean}}$ ) derived from the different investigated rock ages [with  $n_{\text{c}} = \frac{1}{3} \frac{1}{3}$ 

The supposed relationship between oblique and tensional stress states is more clearly illustrated by a triangle diagram (Fig. 65). This type of diagrams has originally been developed for the presentation of earthquake focal mechanisms according to the associated P-, B-, and T-axes (Apperson & Frohlich, 1988; Frohlich, 1992). In the same way, stress states can be plotted in triangle diagrams according to the plunges of principal stress axes based on the following relationship:

$$\sin^2 \delta_{\sigma 1} + \sin^2 \delta_{\sigma 2} + \sin^2 \delta_{\sigma 3} = 1 \tag{Eq. 3}$$

where  $\delta_{\sigma 1}$ ,  $\delta_{\sigma 2}$ , and  $\delta_{\sigma 3}$  are the plunges of  $\sigma_1$ ,  $\sigma_2$ , and  $\sigma_3$ , respectively. The upper vertex of the triangle diagram represents a stress state for which  $\sigma_2$  is vertical, while  $\sigma_1$  and  $\sigma_3$  are horizontal. Accordingly, the lower left vertex represents a stress state with a vertical  $\sigma_3$  and the lower right vertex corresponds to a vertical  $\sigma_1$ . The exact centre of the diagram, on the other hand, represents a stress state for which  $\sigma_1$ ,  $\sigma_2$ , and  $\sigma_3$  show the same plunge of 35.26°. By using the triangle diagram, stress states can be characterised as compressional (subvertical  $\sigma_3$ ), strike-slip (sub-vertical  $\sigma_2$ ), and tensional (sub-vertical  $\sigma_1$ ). For the Oslo Graben area, compressional and strike-slip stress states can straightforwardly be distinguished as they form relatively isolated clusters located close to the vertices of vertical  $\sigma_3$  and  $\sigma_2$ , respectively (Fig. 65). The areas of tensional and oblique stress states, on the other hand, are not clearly outlined against each other. This smooth transition argues for a potential causal relationship between tensional and oblique stress states. Furthermore, it reveals that the threshold between Andersonian and oblique stress states designated in the present study to be 70° is not indisputable.

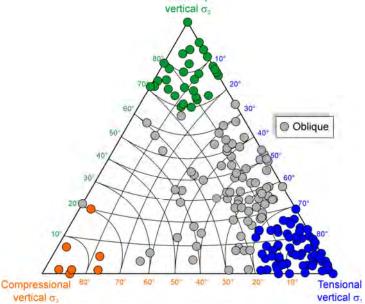
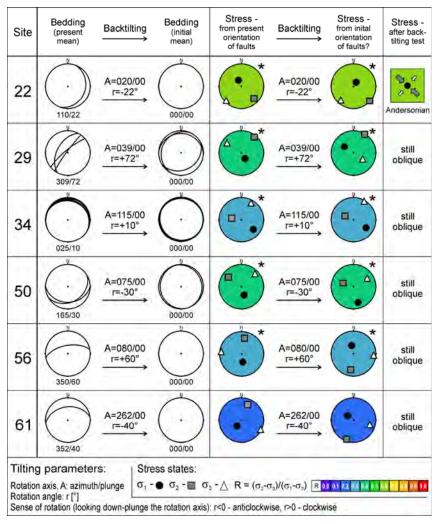


Figure 65: Triangle diagram with total number of 194 stress states detected in the Oslo Graben area. The different types of stress states are colour-coded: Compressional stress states are characterised by a sub-vertical  $\sigma_3$ , strike-slip stress states by a sub-vertical  $\sigma_2$ , and tensional stress states by a sub-vertical  $\sigma_1$ . In this regard, "sub-vertical" is assumed to mean plunging by  $\geq 70^{\circ}$ . Thus, oblique stress states are located in the central parts of the diagram (grey dots). However, the densest clusters of oblique stress states plot very close to the area of tensional stress state. This might imply a causal relationship between oblique and tensional stress states.

The great number of oblique stress states poses the problem why the principles of Andersonian faulting should have been invalid at least temporarily for large parts of the Oslo Graben area. As presented by selected examples from the southern margin of the basin system (Chapters 2 and 4), the formation of striated fault planes may be postdated by folding or

tilting of the corresponding rock mass resulting in distorted orientations of fault-slip data and associated paleostress axes.

Since six of the oblique stress states found in the Oslo Graben area have been derived from folded Cambro-Silurian rocks with known bedding attitudes, a test has been performed regarding a potential relationship between folding of these rocks and the obliquity of fault-related stress axes (Fig. 66). Assuming bedding planes to generally form horizontally, their present attitudes serve as a reference frame for each back-tilting test. If the present orientations of fault-slip data and associated stress axes are a secondary result of folding, the tests should restore the original horizontal respectively vertical orientations of principal stress axes. Thus, the back-tilting should reproduce Andersonian stress states. However, in the case of the six examples from the Oslo Graben, only the oblique stress state at site #22 (SUN2) shows Andersonian principal axes after the back-tilting procedure (Fig. 66). For this stress state, the  $\sigma_1$ -axis plunges by  $72^{\circ}$  after back-tilting. Thus, apart from this particular example, the whole series of back-tilting tests argues against any causal relationship between the folding of Cambro-Silurian sediments and the occurrence of oblique stress states.



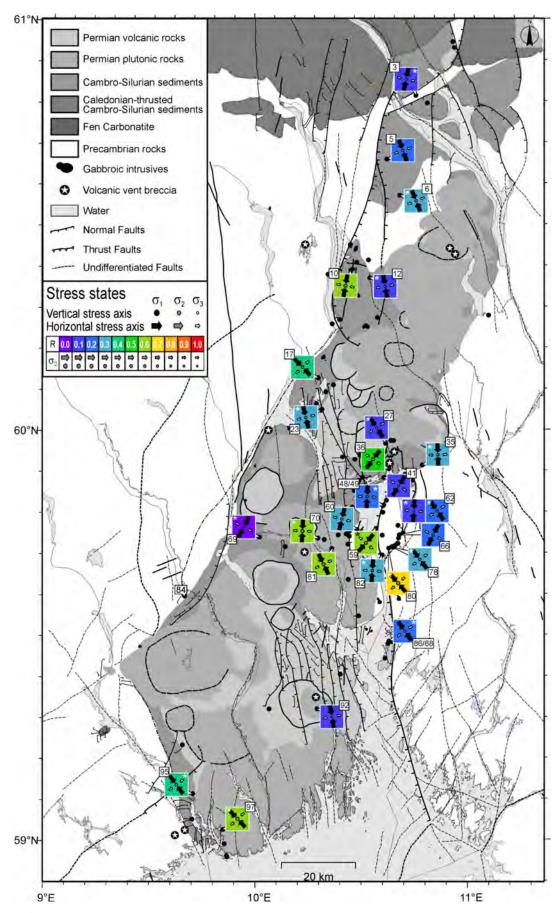
**Figure 66:** Back-tilting tests for oblique stress states that have been derived from fault-slip data exposed within folded Cambro-Silurian rocks. The parameters used for the back-tilting of principal stress axes (rotation axis, angle and sense of rotation) are derived from the present-day attitudes of folded bedding planes at the respective sites. It is assumed that bedding planes initially formed horizontally. After back-tilting, most of the stress axes are still oblique, thus excluding the folding of rocks as a cause for the obliquity of stress axes. Bedding planes are shown as great circles in stereographic projections (lower hemisphere, equal area). Stress states marked by an asterisk are based on less than 9 fault-slip data.

#### Strike-slip stress states

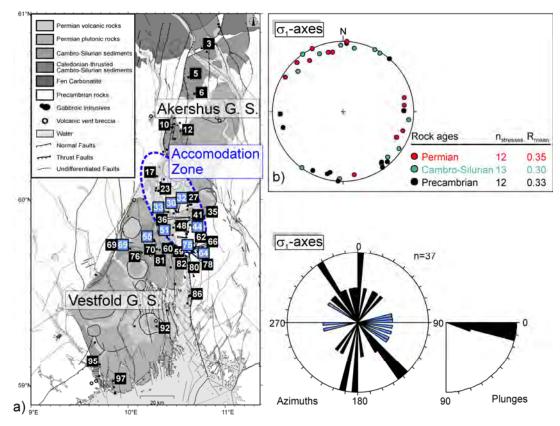
All across the Oslo Graben area, in rocks of all exposed ages, fault-slip data are preserved that are indicative for strike-slip paleostress states (Fig. 67). The estimated stress ratios are predominantly low to intermediate with a total range between R=0.0 and R=0.8. Considering the complete number of strike-slip stress states, a great variety of associated directions of maximum compression ( $\sigma_1$ ) becomes evident (Fig. 68). However, the largest number of strike-slip stress states is characterised by a  $\sigma_1$ -axis that strikes around NNW-SSE. This predominant direction of maximum compression is consistently indicated by stress states derived from rocks of Precambrian, Cambro-Silurian, and Permian ages (Fig. 68b).

Interestingly, any stress states that deviate extremely from this predominant trend are spatially restricted to the central parts of the area, i.e. mainly to the accommodation zone that links the Akershus and the Vestfold graben segments. Furthermore, most of these extraordinary stress states are not perfectly constrained as they are based on a number of less than nine fault-slip data (Fig. 67). This restricted spatial occurrence of strike-slip stress states with a roughly E-W-directed  $\sigma_1$  shows that these stresses correspond to a local phenomenon rather than properly indicating any graben-wide stress field.

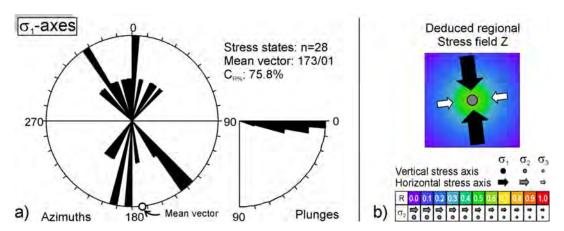
Consequently, for the estimation of a regional strike-slip stress field only stress states which consistently show the graben-wide trend of a N-S- to NW-SE-directed maximum compression are considered (Fig. 69). The deduced regional "Stress field Z" thus is characterised by a NNW-SSE-striking  $\sigma_1$ -axis (173/01) and a low stress ratio ( $R_{mean}\approx 0.3$ ). The youngest units that document fault-slip data related to this strike-slip regime are the Permian volcanic and plutonic rocks which thus provide a maximum age for Stress field Z. Furthermore, there are agreeing indications that strike-slip faulting at least locally postdated tensional stress states that are supposed to be related to the Permo-Carboniferous phase of rifting (Fig. 55). However, a more precise temporal assignment of the strike-slip stress field is complicated by the lack of any rocks being younger than Permian.



**Figure 67:** Strike-slip stress states in the Oslo Graben area. Stress states based on less than 9 fault-slip data are marked by an asterisk. The shaded area indicates roughly the extension of the accommodation zone between the Akerhus and the Vestfold graben segments.



**Figure 68:** Directions of  $\sigma_1$ -axes for all strike-slip paleostress states. a) Most strike-slip stress states reveal a  $\sigma_1$  with azimuths striking N-S to NW-SE. Sites with  $\sigma_1$  striking around NNW-SSE (black) are differentiated from sites with  $\sigma_1$  striking around E-W (blue). The latter are mainly restricted to the central parts of the Oslo Graben where an accommodation zone links the segments of the Akershus and the Vestfold half grabens. None of the  $\sigma_1$ -plunges deviates by more than 19° from the horizontal. b)  $\sigma_1$ -orientations coloured according the different ages of investigated rocks (lower hemisphere, equal area projection).  $\sigma_1$ -axes derived from rocks of different ages show similarly wide ranges of preferred orientation.  $n_{\text{stresses}}$  – Number of locally derived stress states;  $R = (\sigma_2 - \sigma_3)/(\sigma_1 - \sigma_3)$ .



**Figure 69:** Potential regional Stress field Z inferred from strike-slip stress states with  $\sigma_1$  striking around NNW-SSE (Fig. 68). a) The rose diagram shows the preferred NNW-SSE-orientation of  $\sigma_1$ -axes. None of the  $\sigma_1$ -plunges deviates by more than 19° from the horizontal. To infer an overall stress field from these stress states, the mean vector of  $\sigma_1$ -axes is calculated after Wallbrecher (1986; " $R_{\%}$ -and-center-method"). The concentration parameter,  $C_{R\%}$ , is a measure for the alignment of stress axes ( $C_{R\%}$ =100%: parallel fabrics;  $C_{R\%}$ =0%: uniform distribution).  $C_{R\%}$ =75.8% designates a clear maximum for  $\sigma_1$ -axes oriented 173/01. b) Comprehensive symbol for the deduced regional Stress field Z. It integrates the mean directions of principal stress axes projected to the vertical respectively horizontal. The background colours reflect the predominance of stress ratios between R=0.2 and R=0.6.

## 5.3 Discussion

The large number and wide distribution of fault-slip data available for the area of the Oslo Graben provides an excellent base for a graben-wide study of the associated evolution of paleostress fields. A great portion of the locally derived stress states is remarkably consistent across the entire study area. These consistencies between individual stress states give notice of three regionally acting stress fields: a compressional, a tensional, and a strike-slip stress field. These stress configurations differ remarkably from the paleostress fields reconstructed for the southern margin of the CEBS (Chapter 4), concerning both associated kinematics and supposed timing. The use of the principles of paleostress stratigraphy to constrain the timing of stress fields is largely inhibited in the Oslo Graben area by the occurrence of consistent stress states in rocks of different ages and by the lack of any rocks younger than Permian. The few chronological indicators preserved in the field argue for tensional stress states to be older than oblique stress states which, in turn, seem to be older than strike-slip stress states. Another extraordinary aspect characterising the Oslo Graben area is the abundance of oblique paleostress states.

# 5.3.1 Chronology

#### Caledonian compressional stress field

The signs of the compressional regional Stress field X with a NW-SE-directed maximum compression are rare and restricted to rocks of Pre-Permian ages. As illustrated, the related kinematics complies with the folding of Cambro-Silurian sediments possibly identifying the respective regional strain as a Caledonian imprint. This correlation corresponds well with the results of Heeremans et al. (1996) who interpret a compressional stress field to have governed the respective Ordovician-Late Silurian phase of deformation. In any case, a minimum age for this stress field seems to be provided by the lack of associated fault-slip data within the Permo-Carboniferous volcanic and plutonic rocks (≥300±1 Ma).

## Permo-Carboniferous stress fields

The tensional Stress field Y deduced from the numerous tensional stress states is characterised by a weakly pronounced horizontal WNW-ESE-directed minimum compression ( $\sigma_3$ ) and a low stress ratio. A correlation with the supposed kinematics of the rift-flanking master faults of the Oslo Graben facilitates assigning this regional stress field to the Permo-Carboniferous phase of rifting. The estimated direction of  $\sigma_3$  fits also with other rift-related NNW-SSE- to N-S-trending tensile structures such as open fractures and dykes (Ramberg et al., 1977). Normal movements along roughly N-S-trending faults are supposed to have started in the area during the initial phase of rifting (*rift stage 2*; ~300Ma; Neumann et al., 1992). The associated stress conditions are likely to have prevailed throughout the climax stage of rifting (*rift stage 3*) as indicated by the timing of the most extensive vertical movements along the graben-flanking master faults (Heeremans & Faleide, 2004) as well as by rhomb porphyry lavas and alkaline basalts that are described to have erupted mainly along NNW-SSE-trending fissures (Ramberg & Larsen, 1978).

The tensional character of paleostress fields that controlled the CEBS during Permo-Carboniferous times is confirmed by other paleostress studies: two different Permo-Carboniferous tensional stress fields with a NW-SE-directed  $\sigma_3$  and a NE-SW-directed  $\sigma_3$ , respectively, are deduced from fault-slip data exposed in Scania (southern Sweden) which is part of the Sorgenfrei-Tornquist Zone (Bergerat et al., 2007). Furthermore, a group of normal faults offsetting Permian *Rotliegend* sediments in the Northwest German Basin have been

reconstructed from seismic data and related to a Permian tensional stress state with an ENE-WSW-directed  $\sigma_3$  (Lohr, 2007).

More than one third of the fault-slip data from the Oslo Graben area documents the occurrence of oblique paleostress states which tend to be younger than tensional stress states. It has successfully been proved for specific sites that there is no relationship between the obliquity of principal axes and the Caledonian folding of Cambro-Silurian sediments. The occurrence of oblique stress related fault-slip data in Permian rocks provides a maximum age for at least part of these atypical stress configurations. Moreover, the mean directions of principal axes with  $\sigma_1$  being sub-vertical,  $\sigma_2$  striking N-S, and  $\sigma_3$  striking E-W resemble those of the tensional stress field. This opens the possibility that the oblique stress states have also been related to the Permo-Carboniferous phase of rifting.

#### Post-rift stress fields

The regional strike-slip Stress field Z detected in the Oslo Graben area is characterised by a horizontal NNW-SSE-trending maximum compression ( $\sigma_1$ ) and a low mean of stress ratios. The maximum age for this regional stress field is provided by the youngest Permian magmatites that have preserved respective fault-slip data, such as the Drammen granite (267±4; Sundvoll & Larsen, 1990). The sparse direct information on the relative timing of strike-slip stress states indicates that strike-slip faulting has taken place after the tensional and oblique stress states had been active. Consequently, the strike-slip stress field might be representative for a late stage of rifting or a post-rift phase. Interestingly, the present-day stress pattern in the Oslo Graben area is characterised by similar directions of maximum compression ranging between NNW-SSE and WNW-ESE while the associated modes of deformation are various (reverse, strike-slip, and normal; Heidbach et al., 2008).

The occurrence of strike-slip stress states in Permian rocks, however, does not exclude the possibility that earlier strike-slip faulting had taken place, for instance, in Late Variscan times as proposed by Heeremans et al. (1996). Indeed, other paleostress studies based on fault-slip data have provided agreeing directions of roughly NNW-directed maximum compression for Variscan times, such as reported for areas in southern England, northern France and Belgium (Vandycke, 1997) or southeastern Poland (Lamarche et al., 2002). The ages of investigated rocks in the Oslo Graben area, however, only support the interpretation that at least the latest phase of strike-slip faulting has taken place after the emplacement of rocks like the Drammen granite which has been dated to the climax stage of rifting.

#### 5.3.2 Mechanisms

## Permo-Carboniferous phase of (active?) rifting

The estimated Permo-Carboniferous tensional Stress field Y is based on tensional stress states that show a large variety of horizontal  $\sigma_3$ -directions and predominantly low stress ratios. Interestingly, the mean stress ratios are R=0.34 for Precambrian rocks, R=0.20 for Cambro-Silurian rocks and R=0.15 for Permian rocks. These differences might reflect a development from a pure tensional type of stress before the emplacement of the Permian magmatites to radial extension thereafter as proposed by Heeremans et al. (1996). However, it is not evident from field observations that the diversity of extensional directions or the slight differences in stress ratios reflect a succession of different tensional stress fields. Moreover, the preponderance of low stress ratios indicates that the magnitudes of  $\sigma_2$  and  $\sigma_3$  are almost equal and perhaps mutually exchangeable from site to site. For these reasons, only one regional stress field has been inferred from the total number of locally derived tensional stress states. The estimated direction of extension ( $\sigma_3$ ) is confirmed by the proposed graben-wide

kinematics during the phase of rifting. The associated low stress ratio might, in turn, be related to the intensive magmatic activity during the Permo-Carboniferous phase of rifting. The emplacement and eruption of large volumes of magmatic material is suggested to have been accompanied by regional uplift (Heeremans et al., 1996). Such a thermally driven doming could have added a significant component of differential stress to the regional vertical stress axis  $(\sigma_1)$  while reducing indirectly the relative difference between the magnitudes of  $\sigma_2$ and  $\sigma_3$  which, in turn, would reduce the stress ratio ("radial extension"). Consequently, the low stress ratio that characterises the rift-related regional stress field might be an indicator for active rifting. However, there is strong evidence against plume activity including the lack of an age-progressive volcanic track, pre-magmatic subsidence instead of uplift (deposition of Asker Group sediments), low to moderate <sup>3</sup>He/<sup>4</sup>He values, the absence of a large igneous province, and normal or only slightly elevated mantle temperatures (Heeremans, 2005). Furthermore, the clear predominance of N-S-trending extensional structures in the area argues for a far field tensional stress field which would correspond to passive rifting. A possible scenario might comprise early passive rifting that later triggered active asthenospheric upwelling (Heeremans et al., 1996).

#### Oblique stress states

A very special outcome of the fault-slip analysis in the Oslo Graben area concerns the large number of oblique stress states. Integrating all available information on these atypical stress configurations which obviously postdated the tensional stress field, the question arises concerning the mechanism(s) that could be regarded responsible for the apparent failure of Andersonian principles.

Similar to folding or tilting of rock masses, the rotation of individual fault-bounded blocks can retroactively change the orientations of fault-slip data. This rotation, of course, would result in altered orientations of associated principal axes. In fact, there is evidence for intensive fault block rotations in the Oslo Graben area which are supposed to have occurred during the climax stage of rifting (Neumann et al., 1992). In this context, lavas are described to locally show 10-30° dips (Oftedahl, 1952). Furthermore, the syn-rift deposits of the Brumund Formation which correspond to the *Rotliegend* deposits in the Northern Permian Basin are recorded to dip even up to 60° (Lothe et al., 1999). However, many sites in the Oslo Graben area reveal both fault-slip data related to oblique stress states and fault-slip data related to pure compressional or tensional stress states. Since the compressional and the tensional stress fields have predated the oblique stress states, any fault block rotation causing oblique stress axes should have equally affected the compression- and tension-related fault-slip data. However, the latter do not give evidence for a greater shift of principal axes away from the vertical or horizontal.

Excluding thus a retroactive rotation of fault-slip data as the main cause for the abundance of oblique stress states in the Oslo Graben, while assuming Andersonian stress states to be an ever holding requisite of the crust close to the Earth's surface, the applicability of fault-slip analysis to the concerning portion of oblique data must be reconsidered. There are certain situations in the crust known to suspend simple (Andersonian or Wallace-Bott-) relationships between observed brittle fault kinematics and the associated tectonic stress field. In zones of transpression or transtension, for instance, the deformation pattern is not only controlled by tectonic stress, but to a large degree imposed by the boundary conditions (Dewey et al., 1998). Such boundary conditions may be provided by large pre-existing planes of weakness within a rock mass along which transpression or transtension may occur (e.g. *Case study* 8, Chapter 4). In the Oslo Graben area, the early rift stages produced numerous roughly N-S-striking fractures and faults (e.g. Ramberg et al., 1977). Slip along pre-existing planes of weakness usually requires less energy than stress release by the formation of new faults. Assuming a tensional stress field with a  $\sigma_3$  not striking perpendicular to the main trend of the N-S-striking

planes, these pre-existing discontinuities would respond by movement with a component of strike slip supplemented to the dip slip component. The abundance of the resulting oblique-slip faults thus could potentially result in the estimation of oblique (transtensional) stress states though the overall controlling stress field might have been an Andersonian one.

While non-coaxial strain patterns induced by transpression or transtension might reflect a special manifestation (and potential misinterpretation) of actual Andersonian stress states, other mechanisms are plausible candidates for indeed inducing oblique stress states. As already mentioned in the context of extension, the intensive magmatic activity in the Oslo Graben area is likely to have affected the regional stress field. A magma chamber, for example, may function as a pressurised hole surrounded by a somehow-shaped fluid-solid interface that can support no shear stresses (Suppe, 1985). A near-surface magma chamber would thus add a radial stress component to the regional stress field. By implication, the resulting directions of principal stress axes may deviate from the vertical respectively the horizontal. Furthermore, the cumulative stress states detectable would be strongly dependent on the position relative to the magma chamber. This might explain the inconsistency of oblique paleostress states in the Oslo Graben area. On the other hand, the numerous calderas described for the area (Ramber & Larsen, 1978) are indicative of rapid pressure changes within the magma sources – changes that might have further complicated the associated stress and strain patterns. Shallow magmatism, volcanism and caldera development are supposed to have generated local transient stresses that strongly altered the regional (tensional) stress fields also in other regions such as the Yucca Flat (Nevada; Minor, 1995) or the Canary Islands (Fernández et al., 2002).

Finally, oblique stress states may locally be related to stress perturbations in the vicinity of large discontinuities within a rock mass. Such perturbations have been characterised by 2D distinct-element models (Homberg et al., 1997) as well as 3D finite-element models (Maniatis, 2008), which consistently have shown that the strongest perturbations occur at the tips of such discontinuities. At these particular positions, deviations in the directions of principal axes as well as changes of the relative magnitudes of stresses are strongest. These deviations depend on the far-field stress tensor, the strike of the discontinuity relative to the far-field stress, and the coefficient of friction on the discontinuity. Accordingly, though being complexly regulated, these stress perturbations respond to definable rules. On the contrary, the reconstructed oblique stress states in the Oslo Graben area do not show any evident regularity which could be related to the pattern of faults; oblique stress states have been derived from fault-slip data far from as well as close to large discontinuities such as faults or caldera structures. However, a systematic investigation would be required to certainly exclude any relationship between the characteristics of oblique stress states and the geometry and orientation of pre-existing faults in the area.

A definite explanation for the abundance of oblique paleostress states in the Oslo Graben area thus will not be provided by the present study. These atypical stress states are a graben-wide phenomenon with various local specifications. In light of this, the diverse effects of intensive magmatism in the area seem to be the most probable solution for the occurrence of oblique stress states. While the tensional stress field can be correlated with the eruption of rhomb-porphyry lavas from mainly N-S-striking fissures (*rift stage 3*), the oblique stress states might be associated to the formation of central volcanoes and calderas (*rift stage 4*) or the emplacement of batholiths and granitic intrusions (*rift stages 5* and 6). However, the different suggested causes for non-Andersonian stresses might have also interacted to produce the complex fault-slip patterns that are presently observable.

#### Strike-slip faulting

The regional strike-slip Stress field Z with a roughly N-S-striking  $\sigma_1$  is associated with the weakest constraints on any absolute timing. Most probably it postdated the Permo-Carboniferous phase of rifting.

The configuration of the strike-slip stress field is representative only for part of the whole number of estimated strike-slip stress states. The smaller part of strike-slip stress states reveals completely different  $\sigma_1$ -axes trending around E-W. Since the latter are only a local phenomenon restricted mainly to the accommodation zone between the Akershus and Vestfold Graben segments, it has been desisted from deducing a regional paleostress field from these stress states. This restricted occurrence of particular stress states might reflect the frequent observation that strain within accommodation zones between rift-related graben segments may not be representative for the overall tectonic stress controlling the formation of the respective rift system (Maler, 1990; Younes & McClay, 2002). Thus, the smaller group of strike-slip stress states might be related to a compensation of movements within the opposing half grabens north and south of the accommodation zone during the Permo-Carboniferous phase of rifting.

#### **5.4 Conclusions**

The fault-slip analysis performed for the Oslo Graben area yields three regional stress fields that affected the area in the following chronological order:

- A compressional stress field with a vertical  $\sigma_3$  and a NW-SE-directed maximum compression ( $\sigma_1$ ) characterises the Caledonian imprint. The temporal status of this stress field is based on the absence of corresponding fault-slip data in rocks younger than Silurian and the consistency in kinematics between fault-slip patterns and the folding of Cambro-Silurian sediments.
- The most prominent regional stress field detected in the area is tensional in character (vertical  $\sigma_1$ ) and characterised by a WNW-ESE-directed minimum compression ( $\sigma_3$ ). This stress field best corresponds with the climax stage of Permo-Carboniferous rifting in the course of which main extension along the graben segmenting master faults has taken place.
- A large number of reconstructed oblique stress states cannot be integrated into a common regional stress field due to a large degree of inconsistency in terms of reduced stress tensors. Altogether, these non-Andersonian stress states reveal mean directions of principal stress axes that roughly comply with the Permo-Carboniferous tensional stress field. Most probably oblique stress states are related to the intense magmatic activity during the phase of rifting.
- The youngest stress states detected correspond to a wrench regime (vertical  $\sigma_2$ ) with a roughly N-S-directed  $\sigma_1$  and a maximum age of Permian. The absolute timing of this stress field is poorly constrained because of the lack of any exposed rocks younger than Permian. Part of the locally derived strike-slip stress states might be related to a pre-rift (Variscan) stress field that initiated rifting in the area.

Further conclusions regard the mechanisms of deformation:

- The Permo-Carboniferous tensional stress field is characterised by a low stress ratio (radial extension) which indicates that rifting might at least partly have been thermally controlled (active rifting).
- Stress states inferred from the accommodation zone between the Akerhus and Vestfold Graben segments partly deviate from the general trends of paleostress states in the rest of the area.

- Finally, in contrast to the findings from the southern margin of the CEBS, no complete Mesozoic or Cenozoic reprogramming of observable fault-slip patterns has occurred in the Oslo Graben area.

# 6 Synthesis

The Central European Basin System (CEBS) is known as a complex intracontinental basin system that has developed through different geodynamic phases since latest Carboniferous times. Considering the configuration and development of individual sub-basins, questions arise concerning the mechanisms that controlled their changeful history. The present study has provided some new perceptions on the evolution and effects of paleostress fields in different parts of the basin system.

#### Evolution of paleostress fields

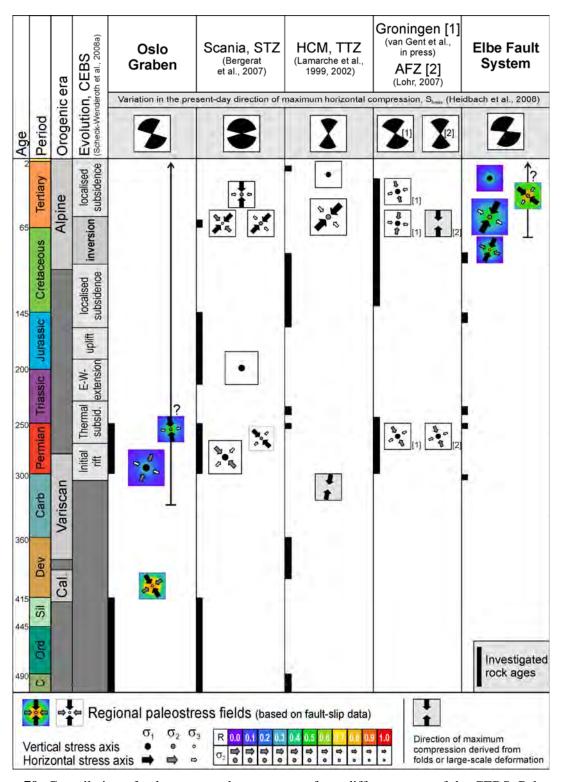
After having performed a fault-slip analysis separately for the Elbe Fault System (EFS) area and the Oslo Graben area, the deduced paleostress fields can now be set in relation to the evolution of stress states in other parts of the CEBS (Fig. 70, Fig. 71). This synthesis integrates results from the southern margin of the CEBS, from more central parts of the basin system (Lohr, 2007; van Gent et al., in press), from the Sorgenfrei-Tornquist Zone (Bergerat et al., 2007), from the Teisseyre-Tornquist Zone (Lamarche et al., 2002), and from parts north of the Tornquist Zone (Oslo Graben area).

The NW-SE compressional stress field detected in the Oslo Graben area has been demonstrated to correlate with Caledonian signs of deformation. Thus, this stress field is insignificant for the development of the CEBS which was initiated not until the latest Carboniferous. The tensional stress field, however, does correlate with the *initial rift phase* that has governed the CEBS during Permo-Carboniferous times. Along with the large number of oblique stress states, this tensional stress field documents that the phase of rifting exerted the most dominant imprint in the Oslo Graben area. Tensional stress fields of corresponding ages are found along the Sorgenfrei-Tornquist Zone (Bergerat et al., 2007) and also north of the Elbe Fault System (Lohr, 2007; van Gent et al., in press). Within the Elbe Fault System area, however, there are no signs of Permo-Carboniferous tensional stress fields documented by fault-slip data, despite the presence of Permo-Carboniferous rocks.

Due to a lack of Mesozoic and Cenozoic rocks in the Oslo Graben area, the temporal role of the strike-slip stress field (with NNW-SSE-directed  $\sigma_1$ ) is not well constrained. Considering the directions of principal axes, however, it corresponds well with a transtensional stress field that affected parts of the Sorgenfrei-Tornquist Zone during the Permian (Fig. 70; Bergerat, et al., 2007). Thus, it is possible that the Oslo Graben area has remained widely unaffected by any major tectonic activity for much of the Mesozoic and Cenozoic. Such a tectonic quiescence agrees with findings from the Skagerrak Graben of which the Mesozoic and Cenozoic cover sediments do not show any significant signs of deformation (Ro et al., 1990; Lie & Anderson, 1998). In any case, post Paleozoic deformation events have not been intense enough to overprint much of the older signs of deformation in the Oslo Graben area.

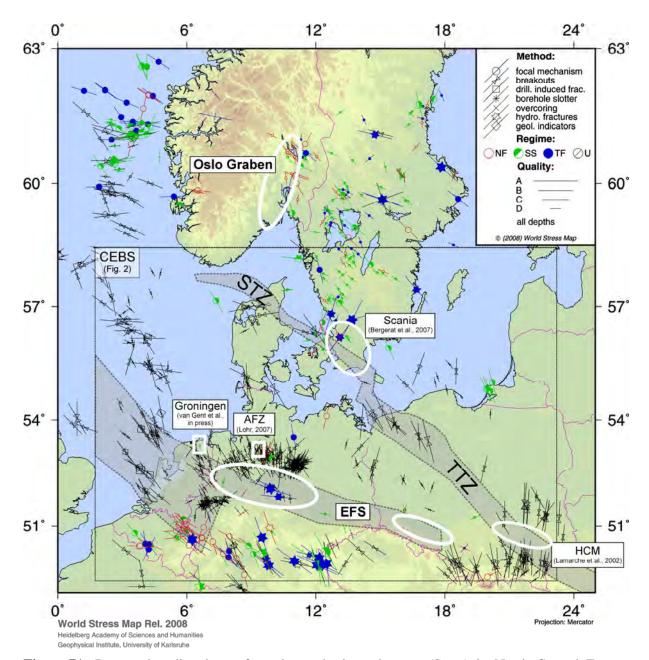
A completely different story is archived by the rocks exposed along the Elbe Fault System: the oldest signs of faulting preserved by the Permo-Carboniferous volcanics of the Flechtingen High area, for instance, are related to the *Late Cretaceous–Early Tertiary phase of inversion*. The inversion-related compressional and strike-slip stress fields with N-S- to NE-SW-directed  $\sigma_1$  are the most significant imprints along the southern margin of the CEBS while other regional stress fields have been demonstrated to postdate the phase of inversion. These observations argue for an extensive "reprogramming" of observable signs of deformation along the Elbe Fault System since Late Cretaceous times. This is in contrast to the more central parts of the basin such as the Groningen Block (van Gent et al., in press) or the Allertal Fault Zone area (AFZ; Lohr, 2007) where Late Cretaceous and Tertiary deformation patterns have successfully been distinguished from Permian tensional stress fields. Likewise, at the Sorgenfrei-Tornquist Zone signs of compressional and strike-slip stress states related to the phase of inversion are found as well as signs of a Permian tensional

stress field (Bergerat et al., 2007). And finally, inversion-related strike-slip stress states have not completely overprinted the signs of Variscan compressional tectonics at the Teisseyre-Tornquist Zone (Holy Cross Mountains; Lamarche, 2002).



**Figure 70:** Compilation of paleostress and recent stress from different areas of the CEBS. Paleostress fields derived from fault-slip data are shown in chronological order (for locations see Fig. 71). Black parts of the symbols for recent stresses indicate the range of azimuths of directions of maximum compression (S<sub>Hmax</sub>) taken from the World Stress Map (Fig. 71; Heidbach et al., 2008).

AFZ – Allertal Fault Zone; HCM – Holy Cross Mountains; STZ – Sorgenfrei-Tornquist Zone; TTZ – Teisseyre-Tornquist Zone



**Figure 71:** Present-day directions of maximum horizontal stress  $(S_{Hmax})$  in North Central Europe (modified after Heidbach et al., 2008). Areas for which a fault-slip analysis has been performed are indicated (AFZ – Allertal Fault Zone area; EFS – Elbe Fault System area; HCM – Holy Cross Mountains).

## The role of zones of crustal weakness

Though it is possible to trace large-scale deformation patterns and related regional stress fields across much of the CEBS, the results of this paleostress study argue for a recurrence of localised deformation. The *Late Cretaceous - Early Tertiary phase of inversion* has most strongly affected the area of the Elbe Fault System. The localised reprogramming of observable strain along this pre-existing fault system correlates with a stress-sensitive zone in the lower crust which has been described to have repeatedly supported strain localisation since Late Carboniferous times (Scheck et al., 2002a).

Likewise, the different segments of the Tornquist Zone show signs of intense inversion (Berthelsen, 1992). Both the Tornquist Zone and the Elbe Fault System reveal a prominent

WNW-ESE-trend. On the contrary, the sedimentary fill of the N-S-trending Glücksstadt Graben does not document any inversion-related signs of deformation (Maystrenko et al., 2005). Similarly, the Groningen Block - also bounded by roughly N-S striking faults – reveals fault patterns that document Late Cretaceous extension while the inversion is only manifest as uplift of this rigid block as a whole (van Gent et al., in press). Accordingly, the lack of any signs of inversion which is certain for the Skagerrak Graben and probable also for the Oslo Graben might be a result of the NNE-orientation of these structural domains which is parallel to the NNE-direction of maximum compression during the CEBS-wide inversion.

An alternative explanation for the inversion not to have affected the Oslo Graben area could be given by the Tornquist Zone which is supposed to largely correspond with the boundary between the stable Baltic Shield and the rheologically weaker accreted parts of Phanerozoic Europe. This rheological contrast is primarily explained by a deeper lithosphereasthenosphere boundary and a deeper Moho beneath the Baltic Shield with respect to domains to the southwest (Gregersen et al., 2002; Ziegler & Dèzes, 2006). Accordingly, the Sorgenfrei-Tornquist Zone has been described as a weak crustal lineament which has been acting as a "buffer zone" whenever changes in the regional stress field have occurred (Mogensen, 1994, 1995). During the Mid Jurassic, for example, strain localisation along this zone has led to a decoupling of the Skagerrak Graben from extensional tectonics occurring along the Sorgenfrei-Tornquist Zone (Ro et al., 1990). In a similar way, stresses related to the Late Cretaceous - Early Tertiary inversion might have been released along the Tornquist Zone which thus protected areas to the north as the Skagerrak Graben and the Oslo Graben. Respective indications for the Tornquist Zone to act as a great stress barrier also come from 3D numeric modelling: These models predict the Tornquist Zone to form a region of localised deformation separating domains which are different in the style of horizontal deformation (Cacace et al., 2008). Accordingly, the special role of the Tornquist Zone emanates from the uneven distribution of sediments, crustal thickness variations, lateral depth variations in the lithosphere-asthenosphere isothermal boundary, and lateral rheological heterogeneities observed along this zone.

#### Paleostress and recent stress patterns

The present-day stress pattern in North Central Europe is characterised by a predominant NNW-SSE-direction of maximum horizontal stress ( $S_{Hmax}$ ; Fig. 71). Though the predominance of this trend reflects some homogeneity of stresses in the area, there is a great variation in the local directions of  $S_{Hmax}$  when considering the total number of available data for a single subarea (upper row in Fig. 70). These local perturbations of stresses are supposed to be related, for instance, to rheological contrasts, salt movements, or the ongoing isostatic response to deglaciation (Roth & Fleckenstein, 2001; Kaiser et al., 2005; Cacace et al., 2008). Furthermore, differences in the patterns of  $S_{Hmax}$  between subsaline and suprasaline formations of the North German Basin argue for a decoupling of the regional stress field due to the *Zechstein* salt layer while only the stress states in the subsaline formations have been shown to represent the regional stress field (Roth & Fleckenstein, 2001).

Given all these complexities characterising the present-day stress pattern in North Central Europe, it is surprising how consistent the reconstructed paleostress states from different locations in the CEBS are. These consistencies are all the more remarkable as the signs of deformation underlying paleostress states are supposed to partly date back to hundreds of millions of years, while data bases for present-day stresses span not more than about the last hundred years. Moreover, many of the paleostress states from the southern margin of the CEBS have been derived from suprasaline formations and still could well be correlated with stress states elsewhere.

An explanation for the relatively small variations among reconstructed paleostresses might be given by the type of interpreted stress indicators. Crystal fibres are the most frequently used

paleostress indicators. Their growth requires a certain duration and continuity of movement along a fault plane which is best given under a constant stress field. In contrast, earthquakes, borehole breakouts, or artificially induced fractures which are widely used as indicators for recent stresses might occasionally represent short-lived responses to more locally restricted changes or modifications of the regional stress field.

#### Paleostress inversion – potentials and limitations

For reconstructing paleostress states, the present study makes use of an approach the principles of which can be traced back to the studies of Anderson (1942) and Wallace (1951) while its practical applicability has been improved gradually with the ever-growing capacities of computers since the 1970s: the technique of fault-slip analysis.

After having performed first field campaigns in the CEBS, it soon became obvious that a technique would be required which allows extracting paleostress states from heterogeneous or mixed sets of fault-slip data. To analyse this kind of data sets which mostly result from polyphase deformation the Stress Inversion Via Simulation (SVS) has been developed.

SVS is a stepwise technique that integrates different approaches towards fault-slip analysis and stress inversion. The PBT-Method (PBT; Sperner et al., 1993) incorporated in SVS corresponds to a graphical construction of strain axes for a single fault-slip datum according to Mohr-Coulomb principles of fracturing. PBT allows a fast and straightforward separation of fault-slip data according to consistencies in fault kinematics. It has been demonstrated that for sets of fault-slip data prominent trends of kinematic PBT-axes are preliminary indicators for the potential trends of associated stress axes. Thus, the orientation of clusters of PBT-axes might directly identify sets of fault-slip data as being related to non-Andersonian stress states. Such data sets, in turn, might document that folding or tilting of the respective rock mass has postdated faulting and back-tilting is required before stress inversion.

While PBT essentially constructs strain axes, the Multiple Inverse Method (MIM; Yamaji, 2000) relates fault kinematics to states of stress by following the Wallace-Bott hypothesis. Despite fundamental differences in the approaches of PBT and MIM, the orientations of kinematic and stress axes frequently reveal consistencies that provide significant constraints for determining the best-fitting stress tensor for a set of fault-slip data. Starting from these consistent results, a forward modelling procedure – the simulation – is performed which finally allows estimating the parameters of the best-fitting reduced stress tensor. Such an interactive stress simulation provides direct visual control on the misfit angle distribution of a set of fault-slip data while testing different stress states. Thus, one main advantage of SVS is that it does not work as a "black-box". Another benefit concerns the quality of results: Stress states estimated according to SVS best fit the associated fault-slip data in terms of both misfit angles and shear-to-normal-stress ratios.

SVS has successfully been applied to fault-slip data from different subareas of the CEBS. The reliability of estimated stress states is confirmed by the fact that irrespective of (i) the number of fault-slip data from an outcrop, (ii) the number of subsets they represent and (iii) the proportion of newly formed and reactivated faults, very consistent reduced stress tensors are obtained from different outcrops within variously aged rocks. Such significant consistencies in the results have been demonstrated to allow regional correlations of locally estimated paleostress states.

The principles of paleostress stratigraphy are among the most reliable tools for estimating the relative timing of regional stress fields. Accordingly, a group of consistent paleostress states reconstructed exclusively from pre-Permian rocks in the Oslo Graben area has been demonstrated to date back to pre-Permian times due to correlations with Caledonian signs of deformation. Conclusions on the timing of other paleostress fields in this area, on the contrary, are impeded by the fact that all of these stress fields are indicated by faults in

Permian rocks while rocks younger than Permian are not exposed. In the area of the Elbe Fault System temporal constraints are similarly limited: Despite a great variety of investigated rock ages (from Late Carboniferous to Late Cretaceous), the regional stress fields are consistently derived from fault patterns in rocks of all ages. Thus, stratigraphic ages in the Elbe Fault System only argue for the regional stress fields to consistently be (post-) Late Cretaceous in age.

Alternative constraints on the relative timing of stress states are locally derived directly from field observations. Despite the diversity of stress states reconstructed at many sites, the number of chronological indicators on the relative timing of fault-slip data is remarkably low. Complementary constraints have been found at sites where phases of faulting have alternated with phases of folding and a reconstruction of the horizontality of bedding planes provides a deformation-time model.

After all, the relative and absolute dating of estimated paleostress states is one of the greatest problems in the CEBS. Available chronological constraints such as those derived from field observations have been considered, but most of the temporal arrangements of stress fields are based on correlations with the developments of large-scale deformation patterns which are well-established in both the Elbe Fault System and the Oslo Graben area.

#### Outlook

Up to the present, fault-slip analysis according to the strategy of SVS requires operating with several different software packages and tools. These programmes, in turn, operate based on different data formats. Moreover, the simulation tool allows interactively checking only the misfit angle distribution of fault-slip data, but not the shear-to-normal-stress ratios which have to be calculated separately. For these reasons, continuative work should aim on integrating all aspects of SVS into one software package.

Some potential solutions for the problem of absolute dating of paleostress states might be provided by the techniques of isotope geochemistry. The geochemical properties of minerals grown along a fault plane during movement of the fault (such as crystal fibres) may reflect the absolute date of mineral growth or indicate pressure and temperature conditions during precipitation. For calcite which is the most frequently observed fault-related mineral in the study areas, the scarcity of radiogenic elements impedes radiometric dating, but the abundance of the stable isotopes <sup>813</sup>C and <sup>818</sup>O may provide the possibility to find out more about p-T conditions during faulting. Theoretically, these conditions could then be related to stages in the subsidence and uplift history of the rocks.

#### Final conclusion

The Stress Inversion Via Simulation provides an adequate strategy for fault-slip analysis and paleostress inversion in a complex system of sedimentary basins. However, the strategy should be complemented by techniques that aim on determining the absolute age of faulting events to better constrain the ages of related paleostress states. The present study provides insight into the evolution of paleostress fields for the areas of the Elbe Fault System in the south and the Oslo Graben in the north. As a major zone of crustal weakness, the Elbe Fault System has experienced an almost complete reprogramming of observable strain since Late Cretaceous times. The Oslo Graben area, on the contrary, has widely been unaffected by major tectonic activity since Permian times, which is possibly due to localised deformation along the Tornquist Zone that acted as a stress barrier. Consequently, a temporal correlation of paleostresses from the two study areas is not possible and conclusions on the Permo-Carboniferous to recent evolution of stress fields affecting the entire Central European Basin System are very limited.

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## Appendix A

Raw data and estimated stress tensors from the area of the Elbe Fault System

Part 1: Fault-slip data.

Lat: Latitude [°N] – Long [°E] - DipDir/Dip: dip direction and dip of fault plane – Azimuth/Plunge: azimuth and plunge of striae – Sense: 1-reverse, 2-normal, 3-dextral, 4-sinistral – Quality of kinematic indicators: 1-excellent, 2-good, 3-poor – Kinematic indicators: 1-crystal fibres, 2-slickolites, 3-non-specified steps, 4-non-specified striations, 5-offsets of structures. Mineral coatings: cc-calcite, chl-chlorite, hem-hematite, qz-quartz.

Part 2: Reduced stress tensors.

az/pl: Azimuth and plunge of the principal stress axes  $\sigma_1$ ,  $\sigma_2$ ,  $\sigma_3$  ( $\sigma_1 \ge \sigma_2 \ge \sigma_3$ ).

R: Stress ratio,  $R=(\sigma_2-\sigma_3)/(\sigma_1-\sigma_3)$ .

Part 3: Bedding planes and veins. DipDir/Dip: dip direction and dip of plane – Rock ages: Ctu-Late Cretaceous, Jru-Late Jurassic, Trm-Mid Triassic, Pru-Late Permian – Minerals: cc-calcite, CaF2-fluorite, CuFeS2-chalcopyrite, qz-quartz.

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10	Indicators + mineral coatings	1(cc)	1(cc)	1(cc)	1(cc)	1(00)	1(cc)	1(cc)	1(cc)	1(cc)	1(cc)	1(cc)	,		2	Indicators +	mineral	coatings	1(00)	1(00)	1(00)	1(00)	1(00)	1(00)	ຕຸ້	1(00)	1(00)	1(00)	1(00)	1(00)	1(00)	1(00)	1(00)	1(00)	1(00)	1(00)	1(cc)	1(00)	1(00)	1(00)	1(00)	1(00)	1(00)	1(00)	1(00)	1(00)	1(00)	1(00)			
Long 8.15	Quality	-	9	-	က		-	-	က	-	-	-			Long 8.345		Quality		- (	n ·	_		-	-		-		-	<b>.</b>		-							-	-	-	-	-	-	-	-	-	-	-			
	Sense	ဗ	ဗ	က	က	n .	4	က	က	က	က	က					Sense	(	7 (	7 (	m	← (	2	7	- (	2	ო .	-	← (	n (	2			m r	n (	n m	· ←	-	-	-	က	2	2	2	2	2	-	-			
Lat 52.231	Plunge	2	9	တ	9	15	9	œ	16	2	12	7		2 7 7	Lat 52.074	i	Plunge	1	3	بر د	77	78	98	89	8 i	/3	7 5	81	69	16	80	78	75	35	0 9	04	77	35	59	74	2	63	80	64	61	99	80	77			
	Azimuth	94	278	339	275	9/	125	336	119	146	329	154					Azimuth	Š	g :	0 4	94	105	38	47	225	42	336	56	44	586	140	225	165	358	337	160	24	64	20	340	341	350	323	343	31	23	181	110			
lorf	Dip	82	86	88	9/	8/	80	8	88	75	78	82					Dip	ì	6	25	32	8	86	88	83	9/	84	81	11	1	86	8 3	98	53	4 4	75	17	38	59	82	78	99	82	9/	61	67	83	82			
Bissendorf	DipDir	182	6	249	182	162	217	246	195	236	240	242		:	Halle	i	DipDir	6	g :	Ξ:	=	214	38	47	232	51	270	26	39	328	0/	218	240	65	4 6	88	24	09	20	45	62	19	328	36	31	36	220	195			
10	Data #	-	2	က	4	c o	9	7	80	0	10	=		;	1		Data #	,	- (	7 (	· ·	4 1	2	9 1	7	œ (	o :	10	= :	17	13	4 ;	15	16	- 4	0 0	20	21	22	23	24	22	56	27	28	53	30	31			
7.942	Indicators + mineral coatings	1(cc)	1(cc)	1(00)	1(oc)	1(cc)	1(cc)	4	4	1(cc)	1(00)	1(00)	1(cc)	1(cc)	1(00)	1(cc)	1(cc)	1(cc)	1(cc)	1(cc)	4	8	1(00)	1(cc)	1(cc)	1(00)	1(00)	1(00)	1(cc)	1(cc)	1(cc)	1(00)	1(00)	1(00)	1(cc)	1(cc)		3.149	Indicators +		coatings	1(cc)	1(cc)	1(cc)	1(cc)	1(cc)	1(cc)	1(cc)	1(00)	1(00)	1(cc)
Long 7.942	Quality	-	-	က	-		-	-	-	-	-	က	-	-	က	-	2	-	-	-	-	-	-	2	-	-	-	-	-	-	-	-	-	က	2	-		Long 8.149	•	Quality		-	-	-	-	-	-	2	2	2	-
64	Sense	က	-	4	2		-	-	-	-	-	4	2	4	4	4	4	4	-	4	2	-	-	-	4	-	-	က	က	-	-	-	က	-	7	7		61		Sense		7	7	5	-	-	-	5	-	-	2
Lat 52.164	Plunge	2	4	10	58	90	90	20	45	35	42	9	26	10	7	-	2	-	-	-	-	30	58	2	8	20	23	က	=	20	2	10	2	40	20	49		Lat 52.161		Plunge		78	34	12	6	2	40	32	32	19	40
	Azimuth	342	240	78	150	20	56	15	40	22	32	78	90	78	250	264	250	72	56	254	218	24	40	220	325	12	19	160	173	18	203	80	355	350	œ	80				Azimuth		32	205	196	30	21	31	82	40	306	340
	Dip	82	10	9/	52	6/	32	20	45	35	52	52	09	80	99	80	45	64	19	89	4	32	30	12	20	56	23	54	20	33	က	32	22	20	20	49				Dip		78	32	20	24	18	40	20	40	40	80
Lienen	DipDir	262	184	346	98	321	-	15	40	22	357	357	135	166	340	170	340	164	114	162	186	34	42	170	22	62	19	71	92	89	186	77	84	20	80	œ		Hilter		DipDir		32	211	220	332	320	31	328	15	15	20
7	Data #	-	2	က	4	S.	တ	7	00	0	10	=	12	13	14	15	16	17	18	19	20	7	23	23	24	22	58	27	28	23	30	31	32	33	34	32		6		Data#		-	7	က	4	5	9	7	00	6	10
7.938	Indicators +  mineral  coatings	2	1(cc)	1(cc)	1(00)	1(00)	1(cc)	1(cc)	1(00)	1(cc)	1(00)	5	1(cc)	1(cc)	1(cc), 3	1(00)	1(00)	1(cc)	1(cc)	1(cc)	1(cc)	1(00)	1(00)			3.128	Indicators +	/ mineral	coatings	1(cc)	1(cc)	4	1(cc)	1(00)	1(00)	1(00)	(00)	1(cc)	1(cc)	4	1(00)	1(cc), 3, 4									
Long 7.938	Quality	-	-	2	က	- (	2	2	2	-	-	-	2	2	2	2	-	-	-	-	-	-	-			Long 8.128		Quality		က	က	က	-	-	က	m +		- m	, m	o (С)	က	က									
167	Sense	4	4	က	4	7	m	5	4	2	4	4	က	4	က	-	2	5	4	4	က	4	4			228		Sense		က	က	ო	4	ო -	-	m n	2 <	1 4	m	4	4	က									
Lat 52.167	Plunge	23	18	10	44	40	တ	21	25	27	-	2	30	2	18	44	45	37	33	59	12	15	32			Lat 52.228		Plunge		4	2	14	2	ღ	32	9 4	† (d	o 0.	4	15	2	45									
	Azimuth	244	243	250	240	315	244	132	09	124	26	246	351	242	268	236	300	260	255	242	182	344	18					Azimuth		348	176	-	102	77	206	301	2000	125	214	318	154	320									
	Dip	88	81	82	9/	46	65	29	92	27	22	81	61	30	83	71	46	42	46	20	73	29	22			_		dio .		82	88	87	80	82	36	71	75	2 68	85	73	42	88									
Höste	DipDir	333	153	150	164	280	15/	120	133	124	140	157	276	322	175	178	280	280	310	306	86	62	9/			Holsten		DipDir		80	264	268	186	350	190	218	3 2	216	302	232	238	43									
9	Data#	-	2	က	4	s o	တ	7	80	0	10	=	12	13	14	15	16	17	18	19	20	21	22			8		Data#		-	5	က	4	2	9	<b>~</b> °	0 0	9 01	2 =	12	13	14									

543	Indicators + mineral coatings	1(00)	1(cc)	1(00)	1(00)	1(00)	1(00)	1(00)	1(00)	4	4	4	4	4		704	Indicators +	mineral	coatings	1(00)	1(cc)	4	4	2	7	5	1(00)	1(00)		791	Indicators +	mineral	coalings 1(cc)	1(00)	4	1(00)	4	1(00)									
Long 9.543	Quality	-	2	-	-	-	-	-	-	-	-	-	-	-		Long 9.704	1	Quality		-	က	2	-	-	-	-	ო .	-		Long 9.791		Quality	-	. 2	e	2	က	-									
890.	Sense	z	z	z	۵	Ω	Ω	۵	S	z	z	z	z	z		.021		Sense		4	4	5	2	2	5	2	2 .	4	į	.851		Sense	6	2	4	4	3	4									
Lat 52.068	Plunge	63	49	46	2	-	-	14	2	62	29	26	37	62		Lat 52.021		Plunge		15	4	20	29	84	86	82	87	2		Lat 51.851		Flunge	20	57	18	7	6	က									
	Azimuth	17	230	229	236	48	48	54	174	=	343	354	73	258		_		Azimuth		300	293	264	207	338	330	340	336	149		en		AZIMUTN	5	186	104	47	152	256									
Lauenstein	ir Dip	70			77					68	74					Marienhagen		ir Dip	•						86			64		Avendshausen		ır DIP					79										
Lauer	DipDir	9	222	220	330	318	314	319	265	52	45	51	134	243		Marie		DipDir		208	206	332	145	320	330	322	336	236		Aveno		Data # DipDir Dip	288	186	192	314	237	342									
17	Data #	-	2	က	4	2	9	7	8	6	10	=	12	13		18		Data #		-	2	က	4	2	9	7	∞ (	ာ		19		Data #	-	2	m	4	2	9									
37	Indicators + mineral coatings	4	1(cc)	1(00)	1(00)	1(00)	1(00)	1(cc)	1(00)	1(cc)	1(00)	1(00)		54	Indicators t	mineral	coatings	1(cc)	4	1(00)	4	1(00)	1(cc)	1(00)	4	4,3	1(00)		34	Indicators +	mineral	coatings	1(00)	1(cc)	(cc)	(22)	į	37	Indicators +	mineral	4	4	1(00)	1(00)	1(00)	1(00)	4
Long 9.137	Quality	က	2	-	-	-	-	-	2	-	-	2		Long 9.154	 6	Ouality		-	e	2	2	-	-	-	က	2	-		Long 9.234	,	Quality					-		Long 9.537		Quality	က	e	· -	-	-	က	2
	Sense	_	_	<del>-</del>	-	-	-	-	4	-	-	2				Sense		e	e	e	e	4	4	4	က	က	က				Sense		<b>.</b> .							seuse	4	4	-	. —	-	က	က
Lat 52.217	Plunge S	20	33	16	28	22	44	53	14	16	27	24		Lat 51.996		Plunde		37	16	4	45	-	12	o	က	12	7		Lat 52.206		Plunge S		8 8	8 8	40			Lat 52.194		Finnge	10	9	75	72	55	10	4
_	Azimuth	195	192	202	270	210	190	196	62	203	198	212			'	Azimuth		134	200	204	220	205	26	120	200	292	121		_		Azimuth F		54	200	37	5		_		Azımum	340	348	238	123	270	47	221
hen	Dip Az	20	34	16	30	31	49	53	37	22	31	25				Din Az		29	84	89	47	88	88	81	88	85	84				Dip Az		2 :	04.4	4-	2		ringe		d d	20	77	. 82	88	79	26	75
Steinbergen	DipDir	195										225		Barnfrup		DipDir		198									202		Rohden		DipDir		54		3 %			Hamelspringe	i	ılladır	65	26	204	214	198	144	312
	Data # D	_	2	က	4	2	9	7	80	6	10	1		ä	i	Data # D		_	2	က	4	2	9	7	8	6	10				Data# D		<del>-</del> (	7 (	0 4					Data # D	_	2	1 m	4	2	9	7
13	۵													14		٥	1												15		٥						:	16	•	2							
404	Indicators + mineral coatings	4,3	1(cc)	1(cc)	က	က	1(cc)	1(cc)	1(cc)	4,3	1(00)	1(cc)	1(cc)	1(cc)	1(00)	3, 4	(cc)	1(00)	(2)	7	1(cc)	1(cc)	1(cc)	ຸ ຕ	4	1(cc)	3, 4	1(cc)	1(00)	4	1(cc)	1(00) 3	4,0	1(cc), 3	1(cc), 3	1(cc)	. 2	4	1(cc), 2	3, 2	) m	1(cc), 4	1(cc)	1(00)	4		
Long 8.404	Quality	က	-	-	-	-	က	0	0	2	-	-	5						- "	o «	۰ ،	-	· m	-	က	-	က	-	-	- ,	- 0	1 -	- ო	-	-	က	0 0	η,		- 0	1 7	2	· <del>-</del>	က	2		
	Sense	4	က	က	4	-	က	က	ဗ	4	4	က	2	7	4 (	2 0	۷ (	ч с	4 6	, (	۰ ۲	2	4	4	7	4	3	4	-	m (	n c	10	1 W	4	4	4	4 .	4 (	n e	, -		4	4	ဗ	2		
Lat 52.04	Plunge	19	2	2	21	34	2	6	14	9	21	9	59	40	<u> </u>	13	- 6	ος 1 ος 1	2 5	7 5	. 19	45	23	17	74	9	4	-	29	- 4	» ç	32	16	25	51	10	o ;	9	40	2 0	65	12	· -	4	41		
_	Azimuth	42	296	94	190	328	98	204	207	270	249	306	235	303	997	0 %	0 0	353	200	232	252	338	275	က	260	59	239	216	172	100	206	155	268	227	227	211	317	208	166	186	152	204	202	77	220		
eck	Dip	72	81	88	98	36	62	9/	83	88	77	85	31	44	ဂ္ဂ	42	5 5	84 g	S 2	- 8	28	45	9/	70	75	69	85	79	61	61	æ &	35	8 8	83	75	82	87	87	82	3 2	8 8	88	71	74	29		
Künsebeck	DipDir	319	208	353	282	310	-	114	116	356	335	220	222	338	327	318	245	332	240	144	326	338	8	280	270	114	322	126	188	188	118	155	152	320	158	117	238	300	249	198	234	295	113	168	152		
12 A	Data #	-	2	က	4	2	9	7	8	6	10	1	12	13	4 ,	13	j 9	- 4 2	5 6	2 6	2 5	55	23	24	25	26	27	28	29	30	3 3	33	34	35	36	37	38	38	40	42	43	44	45	46	47		

338	mineral	coatings 1(cc)	1(00)	1(00)	1(00)	(8)	1(00)	1(00)	1(00)	1(00)	1(00)	1(00)	1(00)	1(00)	1(00)	1(00)	1(00)	1(00)	1(00)	1(00)	1(00)	4	1(00)	1(00)	1(00)	(8)	1(00)	1(00)	1(00)	1(00)	1(00)	1(00)	1(8)	1(00)	1(00)	4	1(00)	4	1(00)	1(00)	1(00)	1(00)	1(00)	1(00)	1(00)	1(00)	1(00)	1(00)	1(00)	1(00)	1(8)	1(00)	1(00)
Long 9.938	Quality	т	-	2 0	n •	- 0	ı <del>-</del>	-	-	2	2	2	2	0	- 0	nc	1 0	ı e	-	-	-	0			- c	۷ -	. ო	-	e	-	2	- (	n d	n +	- m	e	က	ကျ	ກເ	۰ -	2	-	e .	<b>-</b> ·	o +			- 2	2	<b>←</b> ¢	o –	е,	
74	Sense	4	2	e с	າ ເ	4 0	2 1	က	e	က	-	2	-	2	- 0	n +		<sub>(0</sub>	-	-	-	2			- c	1 67	· -	-	e	ო	-	ო .	4 (	n (	2 0	ю	2	0 0	n c	1 (1)	-	က	- 1	24	- «	n en	2	4	2	en (	<b>7</b> F	e e	n n
Lat 51.674	Plunge	22	40	30	n g	45	24	15	20	13	65	49	38	46	9	21 6	۷ ۵	25	30	20	33	15	48	42	2 6	20	21	19	4	9	40	9 5	52	D 7	84	=	25	76	07 8	ţ -	30	10	35	9 9	2 -	- 28	37	35	35	4 5	37	27	20
	Azimuth	10	226	208	) A	46	358	215	218	207	192	230	194	209	62	200	46	195	26	51	38	212	72	25	017	359	8	223	10	12	206	22	200	32	163	206	80	114	04 6	10	22	25	132	33	η	55	49	20	134	192	45	32	3 29
	Dip	47	63	61	4 6	20 00	51	89	74	98	74	62	62	51	16	9 40	2 4	26	36	31	36	30	23	9 4 8	t 6	8 8	21	25	65	9	65	45	25	3 8	8 4	52	65	76	90	36	40	40	40	33	200	3 6	34	42	42	45	49	72	8 8
Elvese	DipDir	72	82	182	> 8	20 00	92	808	28	17	25	228	28	52	93	2 2	5 5	270	84	78	64	270	8 9	20 20	76	3 2	. 0	52	84	983	385	362	9/3	φ α	99	88	89	4 5	2 5	92	10	10	4 :	2 2	\$ 8	7 86	06	92	92	4 5	87	9 9	118
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84	mineral	coatings 4	ဗ	4	<b>d</b> (	0 4	4	4	4	4	4	4	ო	4	4	4 0	o e1	m	4	4	4	4	4 .	4 4	1 4	ren	, m	ю	e	4	4	ი (	m ·	4 4	1 4	1(cc)	4	m (	1(cc)	4	4	က	ლ (	m c	0 0	o e:	) 4	· m	4	4			
Long 9.884	Quality	2	က	2 0	ν (	4 65	2 0	2	e	က	က	е	-	-	2 0	ne	o 10	n	က	က	က	er e	m e	n 0	2 6	o er	, -	e	6	2	2	- 0	n o	7 6	· -	8	က	2 0	״ מ	, m	က	က	en (	m +	- +		- ო	· <del>-</del>	က	2			
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384	Sense	2	2	2 0	N C	4 0	1 7	2	2	2	2	2	2	4	e (	N C	1 0	2	2	2	2	2	2	N	4 (	10	2	2	2	2	2	2 0	n	N C	1 0	2	2	- (	и с	1 (2)	2	2	7	7	4 (	4 0	1 4	4	2	2			
Lat 52.384	Plunge	33	45	47	2 6	90	49	99	23	90	63	69	28	10	ω ¦	0 2	2 5	28	62	65	22	40	51	26	2 8	9 9	40	42	8	65	9	4 8	32	90	22	72	72	ව ව	8 8	3 5	22	28	51	9 6	2 5	78	17	Ξ	47	88			
	Azimuth	318	296	238	310	228	150	285	314	264	246	243	283	156	152	104	250	270	263	226	225	216	280	194	230	252	283	245	280	290	216	230	153	286	346	148	278	256	330	358	324	231	266	276	347	210	166	200	284	91			
		34	45	20	1 5	85	85	2	28	63	64	2	63	80	92	- 2	92	28	88	88	28	20	25	64	4 4	2 6	4 5	45	84	92	90	4 1	2 2	26	22 22	72	74	92	2 2	62	78	24	51	200	2 0	t 22	28 28	51	47	68			
Misburg	DipDir Dip			214											64																																	280					
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22	۵																																																				
135	mineral	coatings 1(cc)	1(cc)	1(00)	1(00)	1(cc)	1(00)	1(cc)	1(cc)	1(00)	1(cc)	1(00)	1(00)	1(cc)		36	Indicators +	mineral	coatings	1(cc), 4	1(cc)	1(00), 3	1(00)	2	4	4	1(00)	4	1(cc), 3	1(cc)	1(cc), 3, 5																						
Long 9.835	Quality	-	3	2 0	ν.		· 60	3	e	2	-	-	2	-		Long 9.836		Quality	c	n •			- (*)		က	-		2	ი .	<b>-</b> (	7																						
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u	Azimuth	95	100	166	138	156	307	270	346	346	260	359	14	168				Azimuth	ć	22	114	171	20	184	196	18	140	78	55	232	77																						
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ш	ta#	-	2	ღ.	<b>4</b> u	n (c	^	80	0	0	=	2	23	4		I		ta#	,	- (	N 6	2 4	- 40	9 9	7	80	o	0	= :	2 5	2																						

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Long 10.059	Quality	-	- m	-	-	ო	-	- (	n	n e	2 6	n en	n m	က	ღ	2	က	-	-	က	m	m	က	က	က	က	က	-	-	က	m	m v	- c	2 %	, 0	۰ -	- 2	-	5	0.0	Ν (	ч с	10	1 0	2	2	-	2	2	N C	۷ -					
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15	mineral	coatings 1(cc)	1(cc)	1(00)	4, 5	1(00)	1(00)	Ν,	(00)	1(00)	1(00), 2	(55)	1(00)	,			Indicators +	mineral	odungs 4/20)	(2)	(00)	(2)	(00)	1(00)	(00)	1(00)	1(00)	(00)	1(00)	1(00)	(22)																									
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Lat 51.674	Plunge S	55	74	33	52	Ξ	- !	37	£ 5	4 0	2 10	8 -	. 0	3	27	9	20	*	o	00	6	12	9	80	19	18	34	0	200	15	=	٥:	4 [	2 :		. 0	1 0	36	0	22	9,2	S «	o 01	4	24	53	00	28	98	ត្ត ទ	7 1	. 8	62	36	25	71
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23	Data#	61	62	63	64	65	99	67	88	9 6	2 7	72	73	74	75	76	77	78	79	80	8	82	83	84	82	86	87	88	88	90	91	92	5 6	# 45 45	8 8	97	86	66	100	101	102	103	105	106	107	108	109	110	11	112	114	115	116	117	118	119

.568	Indicators +	coatings	4	4	4	4 .	4 ,	ړ. د		.21	Indicators +	mineral	coatings	1(00)	1(cc)	1(cc), hem	1(cc), nem	4, nem	1(cc), hem	1(cc), hem	1(cc), hem	1(cc), hem	1(cc)	1(cc)	1(cc), hem	4	4, nem	1(cc) hem	4	1(cc), hem	1(00)	4, hem	4, hem	4	4, hem	4. hem	4, hem	4, hem	4, hem	1(cc), hem	4, hem	1(cc), hem	1(cc), nem	4	1(00)	1(cc)	4 4	1(00)	1(cc), hem	1(cc), hem	1(cc), hem	1(00)		
Long 10.568	, diletio	granty	က	က	-	- ,	- 0	7		Long 11.21		Quality		-						-	ъ	-	2	-	- 0	n (	n (	7 +		- 2	2	-	2	-	e e	2 0	l m	-	m +		-			- ო	ю	- 0	nc	7 2	-	-	-	-		
61	Conco	200	က	2	-			4		<b>&amp;</b>		Sense		2	2	ო (	ν (	7 6	) m	<u>س</u>	-	-	ო	e	m (	ν (	n (	V 4	2	1 7	4	2	-	4	4 4	7 7	4	4	0 0	იო	က	4 4	1 4	4	4	2 0	ກເ	4	2	ю	en -	-		
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sen			9/	9/	49	98 8	2 5	5		٥٠٠		Oip		62	2 1	77	5 °	200	85	98	77	77	9/	84	82	200	2 5	2 2	88	65	88	88	09	84	69	26	52	62	75	73	77	85	1 2	8 :	89	74	77	8 6	26	78	88	36		
Wendessen	مام	5	61	61	157	190	202	- 67		Bodendorf		DipDir		ω :	18	67	240	358	8 00	352	8	18	22	17	191	181	83	270	272	5	145	330	358	342	304	12 2	325	338	328	355	347	331	336	336	52	205	198	198	228	212	7	64		
31	# 0400		-	2	m	4 1	0 0	0		32 E		Data #		-	2	m =	4 u	റേധ	۸ د	. ω	o	10	=	12	13	4 4	0 4	5 5	. 8	19	20	21	23	23	24	28	27	28	3 3	3 5	32	33	4 %	3 %	37	38	gg ç	3 4	42	43	44	42		
e	•									e		_																																										
352	Indicators +	coatings	2, 1(cc)	2, 1(0c)	2, 1(0c)	2, 1(00)	2, 1(00)	1(cc) 2	1(cc), 2	1(00), 2	1(00), 2	4	1(00), 2	2, 1(cc)	2	1(00), 2	2	1(00)	1(00), 2	1(cc), 2	1(00), 2	1(00), 2	1(00), 2	1(00), 2	1(cc), 2	1(cc)	1(cc), 2	1(cc), 2	1(00), 2	1(00)	1(00), 2	1(cc), 2	1(00), 2	1(00), 2	1(00), 2		391	Indicators +	mineral	1(cc), 3	2	m r	4 0											
Long 10.352	, dile	gaamiy	-	2	5	- 0	7 (	ч т			-	-	-	2	-	ю	2	-					-	-	-	-	-	-						-	-		Long 10.391		Quality	-	-													
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_	Azimith		106	101	109	88	101	320	81	87	355	192	65	194	206	250	308	320	119	124	9 8	8 8	56	74	26	9	15	108	88	990	260	258	12	318	357				Azimuth	178	222	198	234											
Langelsheim	ald al		76							288																							3 8				Scharzfeld		Jir Dip			0 76												
Lang	*iorio		36	22	27	14	500	17	355	18	26	26	340	24	24	16	22	54					24				15			9 6			350		357		Sch		# DipDir	8	31	110	3 6	5										
59	4 0400	8	-	2	es .	4 1	0	0 1	- 00	0 0	10	=	12	13	14	15	16	17	9 9	19	2 2	2 2	23	24	25	56	27	28	29	33	5 6	33	8 8	35	38		30		Data #	-	2	en =	1 u	)										
.23	Indicators +	coatings	4, 2	4,2	4, 2	2,4	4, 4	4 4	, 4 , 4	, 4 , 6	6,4	ε.	. 4 . 6	4,7	4	4, 1(cc)	4, 1(cc)	4,5	, 4 8		.2453	Indicators +	mineral	coatings	4,2	2, 1(cc)	4 -	* *		. 4 . 6	4,3	4,3	6,4	6,3	4, 4 60 %	t 4	ε, <del>4</del> ,	4	4 <	4,3	4,3	4. د.	,		.029	Indicators +	coatings	4	4	4 -	4 4	4 4	4	4
Long 10.23	, dileno	adamy	-	-	-		- •	- 0	10	ı ۳	e	· 60	o ю	-	ю	2	-	-	-		Long 10.2453		Quality		m •	- (	ν (	ч с	1 60	2	2	2	က	m	0 0	4 m	6	3	en e	· -	-		-		Long 18.029	Ouality	ć	-	-	e .	۰ ر	ч о	-	m
2	Conco	2000	5	2	7	2 0	N C	N C	10	14	2	l m	2	2	2	2	2	2	2		2		Sense		24 (	ν (	ν (	ч с	1 0	1 73	2	5	5	4	0 0	1 0	2	2	0 0	1 7	5	0 0	4			Sense	2	2	5	m (	2 0	v 6	2	2
Lat 52.092	Dinne		49	51	24	46	5 5	34 0	8	g 0	61	10	2 02	51	29	40	28	45	54		Lat 52.182		Plunge		72	8 8	2 5	- 4	37	55	99	65	89	7	45	46	65	22	0 28	28	48	46	3		Lat 50.526	Plunde		99	20	8 8	3 5	ර සි	55	82
edt	Azimith		254	280	266	280	240	352	285	214	184	245	256	295	242	320	230	196	84				Azimuth		9 5	24.5	212	Z03	53	100	88	93	306	176	348	25	122	328	111	5 6	270	272	2			Azimuth	Verillians.	305	295	220	320	300	0	300
kenst	ź	Š	22	28	9	46	10	8 4	89	74	74	82	82	55	82	43	71	52	2				Dip		74	9 6	2 5	R 14	20	9	69	72	72	72	45	46	65	22	72	8 8	48	46	3		ze			92	9	75	60 84	82	20	82
Baddeckenstedt	, ice		296	310	291	280	300	314	316	126	126	332	195	268	158	306	170	156	135		Söhlde		DipDir		121	747	700	31	18	104	115	125	263	263	8 -	52	122	328	130	69	270	272	3	;	Górazdze	DipDir Dip		305	320	305	370	320	310	300
72	4 040	Ŀ	-	2	m	4 1	0 4	0 1	- 00	0 0	9	=	12	13	14	15	16	17	9		88		Data #		- 0	7 0	n =	<b>4</b> K	9	7	80	o	10	Ξ	12 5	5 4	15	16	17	5 6	20	2 2	77		28	Data #	ŧ	-	2	e •	4 u	၀ ဖ	7	œ

35	indicators + mineral coatings	4, hem	4, hem	(00)	1(cc) 4 hem	1(cc)	4	1(cc)	1(cc)	1(cc). hem	1(cc)	4	1(cc)	1(cc)	4	4, hem	4	1(00)	1(cc)	1(cc)	1(cc)	4	1(cc), hem	(cc), hem	1(00)	1(cc)	1(cc)	1(00)	1(cc), 4	1(qz), 1(cc)	1(00)	1(00)	1(00)	1(cc)	4, IIeIII	(22)		60	Indicators +	mineral	coatings	1(cc)	1(cc)	1(00)	1(OC)	1(00)	1(3)	1(00)	·			
Long 11.435	Quality	2	2	<b>-</b> ,	- +	- ^	ı <del>-</del>	-	-	-	·	. 2	-	-	2	ဗ	-	-	-	-	-	-	-	-	-	-	ო	-	2 4	_	-	← (	m ·	- «	) <del>+</del>	-		Long 15.709		Quality	,			- «	, 0	1 0	4 ←	- ო	,			
	Sense	ဗ	က	<b>е</b>	״ מ	o e:	4	. რ	6	· m	· m	n (۲)	e	က	က	က	4	4	4	4	4	က	4	4	4	ო	က	4	4 -	4	က	<b>е</b>	m ·			4				Sense	•			- «	o e	· -		. 6	ı			
Lat 52.178	Plunge	-	2	4 ,	- u	5	19	9	4	2	ıo	14	21	0	12	27	œ	2	27	32	19	2	က	12	2	24	25	œ	24	54	28	21	- 1	63	5 -	4		Lat 51.192		Plunge	Ç	2 5	94 0	7c	4 %	3 2	27	90	;			
	Azimuth	331	160	148	45.	144	119	156	160	157	160	175	185	173	56	12	322	323	200	199	160	236	220	215	126	46	348	16	185	208	138	142	202	190	9 9	200				Azimuth	ç	74	141	37	45	238	78	40	!			
ndorf		82	62	2 3	8 5	8 5	84	86	86	87	85	86	75	87	63	22	85	83	22	78	98	73	98	78	88	80	20	20	69	200	88	98	80	82	0 0	6		ovice		Dip ≠	C C	200	949	2 6	2 83	3 6	2 %	85	;			
Mammendorf	DipDir	9	72	9	2 4 8	233	32	250	250	254	246	262	262	265	301	305	52	53	116	116	83	145	310	303	35	314	20	104	106	171	227	228	112	108	2 4	2		Raciborovice		DipDir	2	47	14	156	2 2	204	51	42	!			
36	Data# DipDir Dip	-	2	ო•	4 ư	o (c	^	. ω	o	9	: =	12	13	14	15	16	17	18	19	20	21	22	23	24	52	28	27	58	53	S 5	31	32	33	34	2 6	8		56 F		Data # DipDir		- (	7 0	o <	t w	o (c	> 1	- 00	,			
333	indicators + mineral coatings	1(cc), hem	4, hem	1(cc), hem	1(cc), nem	1(cc) hem	1(cc)	1(00)	1(cc)	1(00)	1(00)	1(00)	1(00)	1(00)	1(00)	1(00)	1(00)	1(00)	4, hem	1(00)	1(00)	1(cc)	1(00)	1(00)	1(cc), 4	1(00)	1(00)	1(00)	1(00)	1(00)		606	Indicators +	mineral	coatings	4	4	4	4	4 .	4 <	4 <	4 4	t <	1 4	4	4	4	4	4		
Long 11.333	Quality	2	2					-	-	-	-	-	2	2	-	-	-	-	က	-	-	-	-	-	-	2	-	-		-		Lona 17.909		Quality	•	-	-	-	-				- c	4 6	· -			. —	-	-		
	Sense	က	4	4 .	4 4	4	4	4	60	· m	· m	4	က	e	2	4	4	4	က	4	4	4	4	4	4	-	က	m	4 -	4				Sense		2	2	7	2	0 0	2 6	N C	ч с	40	٠, ٥	10	10	1 0	2	2		
Lat 52.259	Plunge	6	4	c c	ع د ح	2 2	40	23	15	13	20	23	23	7	20	8	2	-	53	28	16	20	4	35	30	32	က	20	ო ;	2		Lat 50.612		Plunge		09	23	22	38	9 :	45	20 44	ξ ξ	3 5	7 7	. 92	23	. 85	49	40		
_	Azimuth	154	147	142	136	127	120	66	32	17	19	288	338	340	81	65	73	255	29	108	84	22	254	84	101	20	23	348	55	28		_	•	Azimuth		275	260	265	270	157	144	711	133	135	193	118	195	161	182	150		
Ħ		81	72	78	5 15	73	85	84	90	81	89	78	69	77	87	65	29	20	36	87	83	83	79	82	86	40	40	82	92 8	9			,			65	22	09	40	9 :	55	70	2 2	3 5	35	29	62	09	20	45		
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Site	Rock age	Stress state	Туре	n	σ <sub>1</sub> -az	σ <sub>1</sub> -pl	σ <sub>2</sub> -az	σ <sub>2</sub> -pl	σ <sub>3</sub> -az	σ <sub>3</sub> -pl	R	Rest
1	Cretaceous	WET1	Strike-slip	5	205	10	330	73	113	14	0.1	
1	Cretaceous	WET2	Strike-slip	7	149	- 1	247	83	59	7	0,6	4
2	Cretaceous	RHE1	Strike-slip	4	34	1	299	78	124	12	0	
2	Cretaceous	RHE2	Strike-slip	7	181	2	80	80	271	10	0.1	
2	Cretaceous	RHE3	Tensional	10	157	89	5	1	275	1	0.3	0
3	Cretaceous	MID1	Strike-slip	15	227	1	119	87	317	3	0.2	
3	Cretaceous	MID2	Strike-slip	13	348	6	222	80	79	8	0.5	
3	Cretaceous	MID3	Tensional	8	211	82	17	8	107	2	0	4
4	Cretaceous	DÖR	Strike-slip	6	14	1	277	82	104	8	0.3	1
5	Cretaceous	LEN1	Compressional	6	230	6	138	13	344	75	0.1	
5	Cretaceous	LEN2	Compressional	15	24	0	294	4	114	86	0.1	
5	Cretaceous	LEN3	Strike-slip	6	236	5	124	77	327	12	0.5	
5	Cretaceous	LEN4	Tensional	7	0	90	130	0	193	0	0.0-0.1	4
6	Cretaceous	HÖS1	Strike-slip	12	201	11	51	77	293	6	0,3	
6	Cretaceous	HÖS2	Strike-slip	5	308	6	83	81	217	6	0.8	
6	Cretaceous	HÖS3	Tensional	5	0	90	200	0	290	0	0.5-0.6	0
7	Cretaceous	LIE1	Compressional	15	21	0	111	4	291	86	0.0-0 1	
7	Cretaceous	LIE2	Strike-slip	14	28	3	208	87	118	0	0.5	6
8	Triassic	HOL1	Strike-slip	9	23	12	235	76	115	7	0.2-0.4	
8	Triassic	HOL2	Strike-slip	5	108	0	0	90	18	0	0.4	0
9	Cretaceous	HIL	Compressional	7	202	14	294	10	58	73	0.3-0.4	3
10	Triassic	BIS1	Strike-slip	5	2	8	219	80	93	6	0.4	
10	Triassic	BIS2	Strike-slip	6	110	0	21	89	200	- 1	0.0-0.2	0
11	Cretaceous	HAL1	Compressional	5	13	9	282	8	151	78	0.0-0.1	
11	Cretaceous	HAL2	Compressional	16	208	1	298	20	115	70	0.1-02	
11	Cretaceous	HAL3	Strike-slip	6	196	4	91	74	287	15	0.1	4
12	Cretaceous	KÜN1	Strike-slip	9	231	8	18	81	140	5	0.3	
12	Cretaceous	KÜN2	Strike-slip	12	359	1	95	80	269	10	0.3-0.4	
12	Cretaceous	KŪN3	Strike-slip	12	318	2	218	79	48	11	0.2-0.3	
12	Cretaceous	KŪN4	Tensional	8	111	75	257	13	349	8	0.9-1.0	6
13	Jurassic	STE	Compressional	9	201	4	291	4	66	84	0.3	2
14	Triassic	BAR1	Strike-slip	4	241	0	331	80	151	10	0.3-0.4	
14	Triassic	BAR2	Strike-slip	5	339	1	244	79	69	11	0.2-0.4	1
15	Jurassic	ROH	Compressional	4	46	0	316	4	137	86	0.5	0
16	Jurassic	HAM	Strike-slip	4	293	6	147	83	24	4	0.6	3
17	Jurassic	LAU1	Strike-slip	4	259	2	79	88	169	0	0.0-0.5	
17	Jurassic	LAU2	Tensional	7	317	85	136	5	46	0	0.2	2
18	Jurassic	MAR	Tensional	6	173	80	58	4	327	9	0.3-0.4	3
19	Triassic	AVE	Strike-slip	5	211	0	0	90	121	0	0.1-0.2	1
20	Triassic	EMM1	Strike-slip	5	220	0	0	90	310	0	0.6	
20	Triassic	EMM2	Strike-slip	9	312	0	0	90	222	0	0.4-0.6	0
21	Triassic	HAR	Strike-slip	10	201	2	301	79	111	11	0	3
22	Cretaceous	MIS1	Strike-slip	6	183	2	318	87	93	2	0.4	
22	Cretaceous	MIS2	Tensional	43	308	89	189	Ó	99	1	0	6
23	Triassic	ELV1	Tensional	22	0	90	167	Ó.	77	0	0	
23	Triassic	ELV2	Oblique	32	65	0	155	34	335	65	0.1	
23	Triassic	ELV3	Strike-slip	30	39	0	0	90	309	0	0.2	
23	Triassic	ELV4	Strike-slip	15	7	10	187	80	97	0	02-04	21
24	Triassic	VOG	Strike-slip	5	202	12	3	77	111	4	0	8
25	Triassic	PAP	Compressional	11	6	4	279	1	161	84	0.3	1
26	Triassic	UPS1	Tensional	24	62	87	242	3	152	0	0.0-0.1	
26	Triassic	UPS2	Strike-slip	26	247	6	67	84	337	0	0.2	
26	Triassic	UPS3	Strike-slip	4	29	4	153	83	299	6	0.7	1
and the same	Cretaceous	BAD1	Tensional	4	276	78	90	12	180	1	0.0-0.1	
27												

Site	Rock age	Stress state	Туре	n	σ <sub>1</sub> -az	σ₁-pl	σ <sub>2</sub> -az	σ <sub>2</sub> -pl	σ <sub>3</sub> -az	σ <sub>3</sub> -pl	R	Rest
28	Cretaceous	SOH	Tensional	20	14	86	182	4	272	1	0.0-0.1	2
29	Cretaceous	LANT	Oblique	15	58	12	319	35	164	52	0.4	
29	Cretaceous	LAN2	Compressional	8	28	9	295	15	147	72	0.4	
29	Cretaceous	LAN3	Strike-slip	8	226	2	328	81	136	9	0.4	5
30	Permian	SAR	Strike-slip	4	207	7	73	80	298	7	0.0-0.1	1
31	Cretaceous	WEN	Compressional	5	160	5	251	7	35	82	0.0-0.1	1
32	Carboniferous	BOD1	Strike-slip	11	227	2	128	78	317	12	0.2	
32	Carboniferous	BOD2	Strike-slip	16	319	1	184	89	49	1	0,6	
32	Carboniferous	BOD3	Tensional	13	83	83	298	6	208	4	0.2	5
33	Carboniferous	FLE1	Strike-slip	8	212	4	32	86	302	0	0.0-0.1	
33	Carboniferous	FLE2	Strike-slip	6	177	4	283	75	86	14	0.4-0.5	
33	Carboniferous	FLE3	Strike-slip	10	292	8	92	81	202	3	0.7-0.9	5
34	Triassic	KRO	Strike-slip	7	16	8	262	71	109	17	0.1	1
35	Carboniferous	DÖN1	Strike-slip	20	44	6	154	73	312	16	0.2	
35	Carboniferous	DÖN2	Strike-slip	6	109	2	13	71	200	19	0.3-0.9	4
36	Carboniferous	MAM1	Strike-slip	24	185	10	348	80	94	3	0	
36	Carboniferous	MAM2	Strike-slip	9	270	0	0	90	180	0	0.5-0.6	3
37	Triassic	FOR	Tensional	4	278	90	154	0	64	0	0	1
56	Triassic	RAC	Compressional	5	47	8	135	1	235	81	0.6-0.9	3
57	Cretaceous	FOL1	Tensional	12	164	86	255	0	345	4	0.2	
57	Cretaceous	FOL2	Tensional	4	306	83	170	5	80	5	0.5	0
58	Triassic	GOR	Tensional	7	133	80	42	0.	312	10	0.1-0.2	1

10   10   10   10   10   10   10   10	190         190 <th>S</th> <th></th> <th></th> <th>_</th> <th>Bedding planes</th> <th>planes</th> <th></th> <th>i</th> <th></th> <th>Beddin</th> <th>Bedding planes</th> <th></th> <th>i</th> <th></th> <th>Bedding</th> <th>Bedding planes</th> <th></th> <th></th> <th></th>	S			_	Bedding planes	planes		i		Beddin	Bedding planes		i		Bedding	Bedding planes			
10   10   10   10   10   10   10   10	10   10   10   10   10   10   10   10			_	age	site 8	Data#	355	_ 5 °	ock age Trm	Site 14	Data#	254	- 6 -	rock age	Site	Data#		<u>a</u>	ock age Trm
10   10   10   10   10   10   10   10	10   10   10   10   10   10   10   10					o 0	3 5	3 5	0 6	= L	7	- 0	107	. ;	- L	3 6	25	2 6	2 1	
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No. 2, 2, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0,	No. 2, 2, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0, 0,	2 4				0 0	3 8	3 5	2 5	II.	± ;	n Ç	230	2 •		2 6	3 6	2 6	7 8	Ę
98         6         25         98         98         7 <td>96                 25                 96                  96                 96                 96                 <t< td=""><td>+ u</td><td>•</td><td></td><td>2 2</td><td>0 0</td><td>3 2</td><td>140</td><td>2 ;</td><td>E F</td><td>4 5</td><td>2;</td><td>200</td><td>4 4</td><td>E</td><td>3 6</td><td>77</td><td>200</td><td>2 5</td><td>E F</td></t<></td>	96                 25                 96                  96                 96                 96 <t< td=""><td>+ u</td><td>•</td><td></td><td>2 2</td><td>0 0</td><td>3 2</td><td>140</td><td>2 ;</td><td>E F</td><td>4 5</td><td>2;</td><td>200</td><td>4 4</td><td>E</td><td>3 6</td><td>77</td><td>200</td><td>2 5</td><td>E F</td></t<>	+ u	•		2 2	0 0	3 2	140	2 ;	E F	4 5	2;	200	4 4	E	3 6	77	200	2 5	E F
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20         COLUMINATION         0         1         20         0         1         20         0         1         10         20         0         1         10         20         0         1         10         20         0         1         10         1         1         10         1         1         10         1         1         10         1         1         10         1         1         10         1         1         10         1         1         10         1         1         10         1         1         10         1         1         10         1         1         10         1         1         10         1         1         10         1	10.0         10.0 <th< td=""><td>4 8</td><td></td><td></td><td></td><td>0 0</td><td>3 8</td><td>5 6</td><td>3 5</td><td></td><td>‡ ;</td><td>4 5</td><td>5 6</td><td><b>1</b> 7</td><td></td><td>2 6</td><td>67 6</td><td>2 8</td><td>7 ;</td><td>1</td></th<>	4 8				0 0	3 8	5 6	3 5		‡ ;	4 5	5 6	<b>1</b> 7		2 6	67 6	2 8	7 ;	1
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195 35 Chu 10 7 162 13 Thm 19 2 42 6 Thm 22 41 66 84 221 40 Chu 10 7 162 13 Thm 19 2 42 6 Thm 22 42 6 Thm 22 42 6 Thm 22 42 6 Thm 22 42 43 55 22 42 42 6 Thm 22 42 43 55 22 42 42 6 Thm 22 42 43 55 22 42 42 62 Thm 22 42 43 55 22 42 6 Thm 22 42 43 55 22 42 6 Thm 22 42 43 55 22 42 6 Thm 22 42 43 52 22 42 6 Thm 22 42 42 52 42 6 Thm 22 42 43 52 22 42 6 Thm 22 42 43 52 22 42 6 Thm 22 42 43 52 22 42 6 Thm 22 42 42 Thm 22 42 42 Thm 22 42 43 52 22 42 6 Thm 22 42 43 52 22 42 6 Thm 22 42 42 Thm 22 42 Thm 22 42 42 Thm 22 42 42 Thm 22 42 42 Thm 22 42 Thm 2	196   25   Cu   10   7   162   17   Time   19   2   42   6   Time   22   42   6   Time   22   44   64   54   54   54   54   54   54	7 22	7	40 Ct	2	9	9	19	14	Trm	19	-	78	19	Tm	23	40	20	88	T
198 40 Ctu 10 8 357 17 Tim 19 1 3 172 67 Tim 19 2 4 174 85 Tim 19 2 4 174 85 Tim 22 4 4 174 85 Tim 19 2 174 174 174 174 174 174 174 174 174 174	11         1         2         2         3         7         Time         19         3         17         18         17         18         17         18         17         18         17         18         17         18         17         18	8 19	35	35 C1	2	9	7	162	13	Trm	19	2	42	9	Trm	23	41	99	84	Tr
218         Ch.         Ch.         10         9         357         17         Tim         19         4         712         36         71         36         19         71         46         712         36         71         71         71         36         19         71         36         19         71         46         71         36         19         71         46         71         36         91         71         46 <t< td=""><td>21         34         36         71         48         Time         49         71         48         Time         49         40         <th< td=""><td>9 19</td><td></td><td>_</td><td>2</td><td>9</td><td>80</td><td>230</td><td>က</td><td>Trm</td><td>19</td><td>က</td><td>128</td><td>17</td><td>Trm</td><td>23</td><td>42</td><td>48</td><td>22</td><td>Tr</td></th<></td></t<>	21         34         36         71         48         Time         49         71         48         Time         49         40 <th< td=""><td>9 19</td><td></td><td>_</td><td>2</td><td>9</td><td>80</td><td>230</td><td>က</td><td>Trm</td><td>19</td><td>က</td><td>128</td><td>17</td><td>Trm</td><td>23</td><td>42</td><td>48</td><td>22</td><td>Tr</td></th<>	9 19		_	2	9	80	230	က	Trm	19	က	128	17	Trm	23	42	48	22	Tr
204         70         Ch.         10         15         25         74         77         46         77         46         77         46         77         46         77         46         77         46         77         46         77         46         77         46         77         46         77         46         77         46         77         46         77         46         77         46         77         46         77         46         77         46         77         4	204         70         Ch.         10         345         12         Trm         19         6         10         17         46         10         10         46         10         11         345         12         Trm         19         6         10         11         34         19         10         10         11         36         10         11         36         10         11         36         20         10         11         36         20         10         11         36         20         10         11         36         36         11         36         20         11         36         36         11         36         20         11         36         36         11         36         20         41         41         41         42         42         42         41         42         42         42         42         42         42         43         43         43         43         43         44         40         40         40         40         40         40         40         40         40         40         40         40         40         40         40         40         40         40 <th< td=""><td>10 21</td><td></td><td></td><td>2</td><td>10</td><td>6</td><td>357</td><td>17</td><td>Trm</td><td>19</td><td>4</td><td>174</td><td>36</td><td>Trm</td><td>23</td><td>43</td><td>92</td><td>22</td><td>Tr</td></th<>	10 21			2	10	6	357	17	Trm	19	4	174	36	Trm	23	43	92	22	Tr
214         74         Ch         11         346         19         7         466         57         7         46         57 </td <td>214         74         Ch.         11         346         19         Th.         16         56         57         Th.         25         77         45         57         Th.         25         77         45         57         77         45         57         77         45         57         77         45         57         77         45         57         77         45         57         77         45         57         77         45         57         77         45         57         77         45         57         77         45         57         77         45         57         77         77         78         77         78         77         78         77         78         78         77         78         78         78         78         78         78         78         78         79         78         &lt;</td> <td></td> <td></td> <td></td> <td>2</td> <td>10</td> <td>10</td> <td>351</td> <td>24</td> <td>Trm</td> <td>19</td> <td>2</td> <td>172</td> <td>46</td> <td>Trm</td> <td>23</td> <td>44</td> <td>38</td> <td>4</td> <td>T</td>	214         74         Ch.         11         346         19         Th.         16         56         57         Th.         25         77         45         57         Th.         25         77         45         57         77         45         57         77         45         57         77         45         57         77         45         57         77         45         57         77         45         57         77         45         57         77         45         57         77         45         57         77         45         57         77         45         57         77         77         78         77         78         77         78         77         78         78         77         78         78         78         78         78         78         78         78         79         78         <				2	10	10	351	24	Trm	19	2	172	46	Trm	23	44	38	4	T
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28         7         Ctu         13         1         350         15         Jru         23         4         152         6         TTM         25         15         71         26           40         8         TTM         13         2         35         15         Jru         23         5         265         4         TTM         25         16         113         34           40         12         TTM         13         2         24         Jru         23         6         28         4         TTM         25         16         113         34           105         9         TTM         13         6         2.2         9         17         100         18         11         113         34         11         11         11         11         11         11         11         12         4         TTM         25         19         11         11         11         12         14         TTM         25         11         11         11         11         12         14         TTM         25         14         11         11         11         11         11         11         11 <td< td=""><td>28         7         Ctu         13         1         350         15         Juu         23         4         152         6         TTM         25         15         7         26           40         8         TTM         13         1         2         35         15         Juu         23         6         26         4         TTM         25         16         Juu         23         6         26         4         TTM         25         16         10         13         3         24         10         18         11         TTM         25         16         Juu         23         6         28         28         4         TTM         25         19         Juu         23         6         16         Juu         23         10         10         48         4         TTM         25         19         10         23         10         10         18         34         11         10         13         14         34         17         100         18         11         11         11         11         11         11         11         11         11         11         11         11         11         11<!--</td--><td></td><td>0</td><td>12</td><td>2</td><td>12</td><td>7</td><td>230</td><td>œ</td><td>Off.</td><td>23</td><td>m</td><td>172</td><td>o</td><td>Trm</td><td>25</td><td>14</td><td>99</td><td>19</td><td>E</td></td></td<>	28         7         Ctu         13         1         350         15         Juu         23         4         152         6         TTM         25         15         7         26           40         8         TTM         13         1         2         35         15         Juu         23         6         26         4         TTM         25         16         Juu         23         6         26         4         TTM         25         16         10         13         3         24         10         18         11         TTM         25         16         Juu         23         6         28         28         4         TTM         25         19         Juu         23         6         16         Juu         23         10         10         48         4         TTM         25         19         10         23         10         10         18         34         11         10         13         14         34         17         100         18         11         11         11         11         11         11         11         11         11         11         11         11         11         11 </td <td></td> <td>0</td> <td>12</td> <td>2</td> <td>12</td> <td>7</td> <td>230</td> <td>œ</td> <td>Off.</td> <td>23</td> <td>m</td> <td>172</td> <td>o</td> <td>Trm</td> <td>25</td> <td>14</td> <td>99</td> <td>19</td> <td>E</td>		0	12	2	12	7	230	œ	Off.	23	m	172	o	Trm	25	14	99	19	E
31         8         Tm         13         2         35         12         Jru         23         5         265         4         Tm         25         16         38         15           40         8         Tm         13         2         4         20         Jru         23         6         17         100         18         19         19         10         23         6         10         11         25         16         11         23         7         342         4         Tm         25         19         14         23         16         17         100         18         19         14         23         16         17         100         18         19         11         25         10         14         23         16         17         100         18         19         14         17         100         18         16         17         100         18         16         17         100         18         16         17         100         18         11         11         11         11         11         11         11         11         11         11         11         11         11         11<	31         8         Tm         13         2         35         12         Jun         23         6         265         4         Tm         25         16         38         15           40         1         1         2         3         4         1         1         23         6         1         1         23         6         1         1         1         2         1         1         3         1         1         3         4         1         1         2         4         1         1         2         1         1         3         1         1         1         2         4         1         1         2         4         1         1         2         4         1         1         3         4         1         1         3         4         1         1         4         1         1         4         1         1         4         1         1         4         1         1         4         1         1         4         1         1         4         1         1         4         1         1         4         1         1         4         1         1		œ	7	2	13	-	320	15	리	23	4	152	9	Tm	25	15	71	26	E
40         8         Tm         13         3         24         20         Jru         23         6         188         11         Tm         25         17         100         18           105         9         Tm         13         4         350         16         Jru         23         4         Tm         25         18         13         24           165         18         Tm         13         6         22         20         Jru         23         10         Tm         25         20         23         38         4         Tm         25         20         23         38         11         257         9         44         Tm         25         20         23         38         10         7         32         10         10         48         4         Tm         25         20         23         38         11         25         30         10         48         4         7         4         4         7         4         4         7         4         4         4         4         4         4         4         4         4         4         4         4         4         4	40         8         Tm         13         3         24         20         Jru         23         6         188         11         Tm         25         17         100         18           10         9         12         1m         13         3         24         1m         23         4         1m         25         19         14         20           163         18         1m         13         5         33         19         1m         23         4         1m         25         19         144         20         13         34         18         14         1m         25         19         144         20         11         23         10         1m         23         10         1m         25         10         1m         23         10         1m         25         20         1m         23         11         246         19         1m         25         21         1m         23         11         246         19         1m         25         21         11         11         11         11         1m         25         11         1m         25         19         1m         23         11 <td></td> <td>_</td> <td>8 L</td> <td>ε</td> <td>13</td> <td>2</td> <td>32</td> <td>12</td> <td>먑</td> <td>23</td> <td>2</td> <td>265</td> <td>4</td> <td>Tm</td> <td>25</td> <td>16</td> <td>38</td> <td>15</td> <td>Ē</td>		_	8 L	ε	13	2	32	12	먑	23	2	265	4	Tm	25	16	38	15	Ē
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163         18         Tm         13         6         22         20         Jru         23         9         345         10         Tm         25         20         23         38           180         19         Tm         13         8         356         39         Jru         23         10         48         4         Tm         25         21         152         17           196         35         Tm         13         9         359         39         Jru         23         12         246         19         Tm         25         22         148         17           196         35         Tm         13         10         178         39         Jru         23         12         246         19         Tm         25         22         148         17           190         39         Tm         23         14         334         5         Tm         25         24         76         14         17         14         14         14         30         Jru         23         14         334         5         Tm         25         24         76         14         14         14	163         18         Tm         13         6         22         20         Jru         23         9         345         10         Tm         25         20         23         38           186         19         17         22         10         Jru         23         10         7         24         17         25         20         17           196         25         17         23         14         23         14         4         4         17         25         24         14         17           196         35         17         17         24         17         24         17         25         22         14         17         14         17         14         17         14         17         14         17         14         17         14         17         14         17         14         17         14         18         14         18         14         18         14         18         14         18         14         18         14         18         14         18         14         14         14         14         14         14         14         14         14         14 </td <td></td> <td>32</td> <td>9</td> <td>ε</td> <td>13</td> <td>2</td> <td>333</td> <td>19</td> <td>미</td> <td>23</td> <td>œ</td> <td>283</td> <td>4</td> <td>T.W</td> <td>25</td> <td>19</td> <td>134</td> <td>28</td> <td>E</td>		32	9	ε	13	2	333	19	미	23	œ	283	4	T.W	25	19	134	28	E
180         19         Tm         13         7         32         19         Jru         23         10         48         4         Tm         25         21         152         17         152         17         152         17         182         17         182         17         182         17         182         17         182         17         182         183	180         19         Tm         13         7         32         19         Jru         23         10         48         4         Tm         25         21         152         17           196         25         1         35         32         Jru         23         11         257         9         Tm         25         24         19         17           196         35         1         1         23         14         34         5         Tm         25         24         76         14           190         39         Tm         23         14         334         5         Tm         25         24         76         14           188         14         Tm         13         14         24         Jru         23         15         Tm         25         24         76         14           188         14         Tm         13         14         24         Jru         23         15         Tm         25         24         76         14           148         25         14         Jru         23         16         Mm         25         17         17         17		33	18 Tn	ε	13	9	22	20	리	23	o :	345	10	Trm	25	20	23	38	E
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## Appendix B

## Raw data and estimated stress tensors from the Oslo Graben area

Part 1: Fault-slip data.

Lat: Latitude [°N] – Long: Longitude [°E] - DipDir/Dip: dip direction and dip of fault plane – Azimuth/Plunge: azimuth and plunge of striae – Sense: 1-reverse, 2-normal, 3-dextral, 4-sinistral – Quality of kinematic indicators: 1-excellent, 2-good, 3-poor.

Part 2: Reduced stress tensors.

az/pl: Azimuth and plunge of the principal stress axes  $\sigma_1$ ,  $\sigma_2$ ,  $\sigma_3$  ( $\sigma_1 \ge \sigma_2 \ge \sigma_3$ ).

R: Stress ratio,  $R=(\sigma_2-\sigma_3)/(\sigma_1-\sigma_3)$ .

Part 3: Bedding planes, dykes, and veins. DipDir/Dip: dip direction and dip of plane.

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	_	20	28	85	65	47	48	87	88	46	39	75	82	9 G	28	09	52	75	98	63	3 8	202	84	88	46	48	83			_	54	43	83	2 8	8 8	82	88	27	8 1	20	65	74	83	64	84	27	28	46	74	8 6	8 9	39
Korslia		118	160	163	184	142	9 8	175	177	103	91	185	39	166	87	121	109	110	89	96	298	137	26	240	53	140	79		Skari	DipDir	64	118	240	320	279	280	282	307	8 8	245	338	338	244	287	277	324	305	290	295	332	236	356
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00	Source	M. Heeremans		15	Source	2000	M. neeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M Heeremans	M. Heeremans	M. Hooromans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Hooromans	M. Heeremans			91	Source	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans																									
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	£	124	06	96	9/	45	90	G .	110	106	D.			Azimith I		5 6	177	324	44	63	4	333	240	16	7	357	347	327	329	186	8 6	36.	340	53	3 8	80	8		_	Azimuth F	326	159	145	133	152	193	22	360	15	136	149	144	175
	0	47	38	32	58	7	5 4 3	46	46	48	48			,		0 0	000	1 0		29	71	89	83	84	69	75	80	80	8 8	9 8	3 6	2 8	7 7	45	2 5	28	)			Dip 4	22	74	70	22	71	82	49	48	54	62	74	28	81
Engnes	DipDir	11	86	115	97	320	90,	128	110	106	120		Jaren	i G	767	200	282	407	90	63	4	244	240	106	87	82	55	22	2 9	8 8	3 5	2 6	40	5 6	7 2	108	2		Råholt	DipDir	33	92	82	83	9/	108	45	49	55	114	114	75	66
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52	Source	M. Heeremans	M Heeremans	M Heeremans	M Horomana	M. neeremans	M. neeremans	M. Heeremans																																													
Long 10.473	Quality	_	_	<del>-</del>	5	<b>.</b> .	_ ,	_ ,	<u> </u>	<b>.</b> .		<del>-</del>	_	9	3	<del>-</del>	3	_	2	9	8	_		ı <del>-</del>	- ~	o +	_ ,		_	<del>-</del>	ဗ	2	-	ღ .	_	<b>.</b>	<b>.</b> .	<b>.</b> .	- (	,	_ ,	- (	n +	_ ,	_ ,	_ ,	<b>.</b> ,	_ (	ღ,	_			
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Tinge	Ω	348	164	114	167	354	352	304	121	311	320	302	342	130	244	343	330	159	338	338	337	340	344	67	331	346	5 6	320	343	293	305	304	297	343	355	337	349	347	700	344	738	200	807	92	121	10,	63	730	15	37			
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502	Source	M. Heeremans	M Heeremans	M Heeremans	M Hooremans	M. Heeremans	M. neeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. neerernans																																										
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	Dip Az			89	62	84	17	: 6	82	88	84	82	89	81	81	89	99	83	26	26	89	78	33	90	27	£ 0	2 6	88	75	75	85	70	37	40	99	40	0 0	62	0.5	24	0.5	9 6	22	23	2 2	25	45	200	48	77	88	2 1	
Brandbu	DipDir	329	322	326	348	164	114	16/	354	352	304	121	311	320	305	342	130	244	343	330	159	338	338	337	340	340	4	/9	331	346	350	343	293	305	304	297	343	355	33/	348	347	/00	344	238	304	268	92	121	107	63	230	15	35
Õ	Data# D			63	64	65	99	/9	89	69	2 i	71	72	73	74	75	9/	77	78	79	80	81	. 6	83			2 6				83	06			93	94	95	96	/6		2 2	2 2	101	707	501	104	105	106	107	108	109	110	Ξ
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310	Source	M. Heeremans	M Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans M. Heeremans																			
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	Azimuth	144	19	172	138	356	347	274	167	157	178	156	7	352	163	195	348	356	248	244	302	9 6	350	348	146	354	0	13	2	335	09	99	54	222	144	54	73	13	21	171	9 8	355	55	26	184	33	14	332	334	146	148	158	358	38	148
	_	40	69	82	8 8	7 4	87	70	88	88	87	79	2	72	88	88	88	9 g	7 0	1 0	2 6	71	83	83	19	8	70	63	92	77	22	22	49	2 0	2 0	76	29	78	72	98	27	2 88	61	73	87	72	61	0 0	20	38	85	85	82	42	89
Åsa	Dipoi	144	82	84	120	268	76	239	256	67	8	67	2 1	75	73	285	11	1 8	757	502	235	75	77	77	146	73	75	8	79	62	70	06	79	0 0	8 8	7 2	73	69	87	84	8 8	8 2	82	82	268	75	72	121	16	167	59	81	81	73	58
17	Data # DipDir	-	2	ო•	4 rc	9	7	ω	o	10	= :	12	13	14	15	16	17	5 5	<u> </u>	2 5	3 2	3 2	24	25	56	27	28	29	30	31	32	33	34	C S	8 %	38	38	40	41	42	54 43	45	46	47	48	49	20	- G	53	54	55	26	57	28	60
		M. Heeremans	M. neeremans	M. Heeremans	M Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans																								
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Grymyr	DipDir	68	113	271	35.1	354	162	22	165	155	166	163	344	171	171	254	166	332	25.40	218	337	356	357	354	360	349	350	159	348	168	335	137	273	123	178	177	178	182	180	180	1/6	42	74	191	251	190	196	240							
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100	Source	M. Heeremans		629	Source	M. Heeremans			Source	M. Heeremans	M. Heeremans	M. neeremans	M. Heeremans	M. Heeremans	M. Heeremans			Source	A. Saintot	A. Saintot	A. Saintot																																		
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	Ę	34	220	202	108	109	102	88	229	77	248	101	107	93	327	327		_	Azimuth	26	62	103	115	103	118	116	305	105	9	9 5	102			£	235	313	9 6	300	72	92		-	Azimuth		345	184									
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	Azimuth	199	170	27	194	1/1	104	154	197	185	187	156	173	168	190	180	184	199	188	219	183	211	126	189			Azimuth	287	262	278	260			Azimuth	147	œ	124	671	233	209	301	87	163	180	128	81	20	06	101	102	170	168		
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Sørkedal	_	115	180	116	118	181	200	180	125	120	113	240	250	120	115	242	122	272	200	272	120	275	80	2/0		Holmenkollen	DipDir	305	303	306	320		Frognerseteren	DipDir		320	20	5 4 5 4	245	249	350	9	74	230	200	300	58	30	35	54	216	220		
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	Source	M. Heeremans	M Hooroman	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans																											
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	Source	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. neeremans	M. Heeremans	. neeremans	M. neeremans M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans M. Heeremans	M. Heeremans																																	
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	Azimuth	197	290	240	48	320	20	307	282	76	323	242	233	249	244	264	237	242	348	246	303	263	267	254	210	304	123	143	24	51	123	308	205	287 83	5 5	5 2	118	273	275	279	238	275	263	258	285	286	170	100	5 5	248
	Dip A	29	62	64	72	42	29	40	42	64	63	75	72	09	98	55	54	62	29	72	33	42	48	52	79	39	46	34	71	74	88	22	04 04	5 6	32	25	54	40	48	20	64	29	72	72	40	28	88	54	104	89
Fornebru	DipDir	270	289	323	322	302	324	310	305	147	309	323	148	332	333	330	230	154	337	333	321	307	337	261	285	303	170	137	22	47	199	319	211	5 7	136	135	160	315	319	328	280	325	332	335	320	326	258	7.5	103	158
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22	Source	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans																																					
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70	Source	M. Heeremans		28	Source	Source I	M. neeremans	M. neeremans	M. neeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans		.58	Source	M. Heeremans																																
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	Dip Az	22	81	46	26	36	98	32	75	63	21	80	26	80	77	9/	73	40	81	69	84	20	63	09	85	86	22	22	75	80	37	71	71			83	62	2 2	3 8			80	63	22	80	33	49	20	87
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454	Source	M. Heeremans	M. neeremans	M Hooromans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans M. Heeremans	M. neerement																											
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296	Source	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Hooremans	M Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans	M. Heeremans								
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Site	Rock age	Stress state	Туре	n	σ <sub>1</sub> -az	σ <sub>1</sub> -pl	σ <sub>2</sub> -az	σ <sub>2</sub> -pl	$\sigma_3$ -az	σ <sub>3</sub> -pl	R	Res
1	Silurian	TORU1	Tensional	6	170	78	1	12	271	2	0.3	
1	Silurian	TORU2	Oblique	17	243	52	26	32	128	19	0.1	- 1
2	Permian	BRUM1	Tensional	6	350	78	237	5	146	11	0.3	
2	Permian	BRUM2	Oblique	14	302	69	192	8	99	19	0.4	2
3	Prec.	HELL1	Tensional	11	253	77	349	1	79	13	0	
3	Prec	HELL2	Oblique	12	142	65	310	24	42	5	0,3	
3	Prec.	HELL3	Strike-slip	6	192	12	317	70	99	16	0.1	6
4	L. Ord.	GORU	Tensional	13	255	82	76	8	346	0	0.2	0
5	CamSil.	BOVR1	Oblique	7	245	67	111	16	16	16	0.1	
5	Cam -Sil	BOVR2	Oblique	5	58	68	203	18	297	12	0.1	
5	Cam -Sil.	BOVR3	Oblique	7	160	35	47	30	287	41	0.2	
5	CamSil.	BOVR4	Strike-slip	4	312	15	132	75	42	0	0.2	3
6	OrdSil.	KORS1	Tensional	11	2	.77	262	2	171	13	0.6	
6	OrdSil.	KORS2	Oblique	9	358	30	200	58	94	10	0.8	
6	OrdSil.	KORS3	Strike-slip	5	338	12	173	78	69	3	0.2-0.4	4
7	Prec:	SKAR1	Tensional	13	114	80	24	0	294	10	0.3	
7	Prec.	SKAR2	Tensional	8	335	74	148	16	239	2	0	
7	Prec	SKAR3	Tensional	6	245	75	51	15	142	4	0.9	0
8	Prec.	MOEN1	Tensional	6	325	73	183	13	91	10	0.3	
8	Prec.	MOEN2	Oblique	11	339	65	98	13	193	21	0.2-0.3	
8	Prec.	MOEN3	Oblique	7	86	58	309	25	210	19	0.1	6
9	OrdSil.	BRAN1	Compressional	12	319	12	50	5	162	77	0.3	-
9	OrdSil.	BRAN2	Tensional	42	193	77	65	8	334	10	0	
9	OrdSil.			30	128	60	299	30	31	4	0.3	
		BRAN3	Oblique									
9	OrdSil.	BRAN4	Oblique	11	195	40	3	49	100	6	0,6	
9	OrdSil.	BRAN5	Oblique	8	9	38	167	50	270	11	0,3	8
10	OrdSil.	TING1	Tensional	24	178	74	72	4	341	15	0.2	
10	OrdSil.	TING2	Oblique	7	231	65	6	18	101	17	0.2	
10	Ord -Sil	TING3	Strike-slip	9	10	9	184	81	280	1	0.6	- 8
11	Prec.	ENGN	Tensional	9	83	73	193	6	285	16	0.0-0.3	1
12	Permian	JARE1	Tensional	10	346	81	166	9	256	0	0	
12	Permian	JARE2	Oblique	4	125	29	293	60	32	5	0.6	
12	Permian	JARE3	Strike-slip	6	350	15	138	.72	258	9	0.0-0.1	1
13	Prec.	RAHO	Oblique	8	210	60	19	30	112	5	0.3-0.7	3
14	OrdSil.	ROAX1	Tensional	5	161	83	348	7	258	1	0.3-0.4	
14	OrdSil.	ROAX2	Oblique	7	73	53	211	29	313	21	0.6-0.7	- 4
15	OrdSil.	GRYM1	Compressional	11	354	2	84	7	248	83	0.3	
15	OrdSil.	GRYM2	Tensional	13	356	85	175	5	265	0	0	
15	OrdSil.	GRYM3	Oblique	16	347	68	254	1	163	22	0.5	17
16	Prec.	JEVN	Oblique	10	140	68	353	19	259	11	0.5	2
17	U. Sil.	ASAX1	Oblique	28	320	61	157	28	63	7	0.2	
17	U. Sil.	ASAX2	Oblique	9	322	26	135	64	231	3	0.0-0.4	
17	U. Sil.	ASAX3	Strike-slip	11	136	10	352	78	227	7	0.4	12
18	Ord,-Sil.	STUB	Tensional	5	94	85	339	2	249	5	0	2
19	CamSil.											3
20	Silurian	KROK1	Oblique	19	340	60	199	24	101	17	0.2	
20	Silurian	KROK2	Oblique	6	279	39	178	13	74	48	0.1-0.2	2
21	Silurian	SUN31	Tensional	39	11	85	191	5	281	0	0.1	
21	Silurian	SUN32	Oblique	10	352	48	196	39	96	12	0	
21	Silurian	SUN33	Oblique	5	280	48	179	10	81	40	0.7	3
22	Cam -Sil.	SUN2	Oblique	-8	335	65	134	23	227	8	0.6	0
23	Permian	SUN11	Tensional	8	293	78	193	2	103	12	0	-
23	Permian	SUN12	Strike-slip	5	346	14	203	73	79	10	0.0-0.6	3
24	Permian	SORK1	Tensional	4	109	77		12	353	6	0.0-0.6	3
							262			100		
24	Permian	SORK2	Oblique	14	156	34	28	42	268	29	0.3	2
24	Permian	SORK3	Oblique	4	181	32	308	44	71	29	0.1	

Site	Rock age	Stress state	Туре	n	σ <sub>1</sub> -az	σ <sub>1</sub> -pl	σ <sub>2</sub> -az	σ <sub>2</sub> -pl	σ <sub>3</sub> -az	σ <sub>3</sub> -pl	R	Rest
25	Permian	HOLM	Tensional	4	198	74	32	16	301	4	0.0-0.3	0
26	Permian	FROG	Tensional	15	141	71	321	19	51	0	0	5
27	Permian	BOGS1	Tensional	7	281	87	100	3	10	0	0.1	
27	Permian	BOGS2	Strike-slip	5	327	14	110	73	235	10	0.0-0.2	1
28	Permian	BURU	Tensional	8	47	81	278	6	187	7	0.5	5
29	L. Sil.	GRIN1	Tensional	8	30	74	242	14	150	8	0.1	
29	L. Sil.	GRIN2	Oblique	6	148	65	39	9	305	23	0.0-0.9	0
30	Permian	SKOL1	Tensional	14	128	88	311	2	221	0	0.1	
30	Permian	SKOL2	Strike-slip	8	108	12	235	71	15	15	0.5-0.7	0
31	Permian	BAER	Tensional	11	218	86	99	2	9	4	0.1	2
32	Permian	GAML1	Tensional	10	0	90	99	0	9	0	0	
32	Permian	GAML2	Strike-slip	4	77	12	222	75	345	8	0.2	4
33	Permian	HVIL1	Tensional	11	357	84	247	1	166	6	0.0-0.1	700
33	Permian	HVIL2	Oblique	13	184	61	92	1	1	29	0	
33	Permian	HVIL3	Oblique	6	152	37	311	51	54	10	0,6	
33	Permian	HVIL4	Oblique	7	61	16	309	52	162	33	0.6	
33	Permian	HVIL5	Strike-slip	12	301	5	121	85	31	0	0.1	4
34	U. Sil.	RYKK1	Tensional	7	118	77	348	8	257	10	0.1-0.3	
34	U Sil.	RYKK2	Oblique	5	129	32	280	54	30	14	0.3	3
35	Cam -Sil.	SINS1	Oblique	6	225	41	24	47	126	11	0.0-0.2	
35	Cam -Sil.	SINS2	Strike-slip	4	358	6	138	82	268	5	0.4-0.5	9
36	CamSil.	VAEK1	Compressional	6	303	3	213	1	103	87	0.1-0.3	-
36	Cam -Sil.	VAEK2	Tensional	24	22	86	215	4	125	1	0.2	
36	CamSil.	VAEK3	Strike-slip	13	216	1	123	74	306	16	0.5-0.6	5
37	Prec.	EKEB1	Tensional	15	235	82	4	5	94	5	0.0-0.1	
37	Prec.	EKEB2	Oblique	10	173	10	279	57	77	31	0.1-0.2	
37	Prec.	EKEB3	Oblique	12	196	37	32	52	292	8	0.2	
37	Prec.	EKEB4	Oblique	9	239	49	131	15	29	37	0.3	
37	Prec.	EKEB5	Oblique	17	137	55	298	34	34	9	0.5-0.7	- 42
37	Prec.	EKEB6	Oblique	6	50	30	296	35	169	40	0.2	13
38	Cam -Sil.	HOVE	Tensional	9	310	78	202	4	111	11	0	0
39	Prec.	KONG	Tensional	15	61	84	153	0	243	6	0	0
40	Cam -Sil	SAND1	Tensional	20	85	77	355	0	265	13	0.1-0.6	
40	CamSil.	SAND2	Oblique	6	94	68	306	19	212	11	0.1	
40	CamSil.	SAND3	Oblique	5	130	0	220	21	40	69	0.1	12
41	CamSil.	FORN1	Compressional	12	308	6	38	0	129	84	0.4	
41	Cam -Sil.	FORN2	Tensional	14	126	83	346	5	256	4	0.3-0.4	
41	CamSil.	FORN3	Oblique	10	227	51	25	37	123	11	0.2-0.4	
41	CamSil.	FORN4	Oblique	5	103	29	9	7	267	61	0.5	
41	CamSil.	FORN5	Strike-slip	10	32	2	292	79	122	11	0.1	1
42	Permian	GRYS1	Tensional	4	329	80	174	9	83	4	0.9-1.0	
42	Permian	GRYS2	Oblique	6	109	33	352	35	229	38	0.0-0.1	5
43	CamSil.	MALM	Oblique	4	309	45	200	18	94	39	0.2-0.6	3
44	Prec.	NESO1	Oblique	9	183	54	7	36	276	2	0.9	
44	Prec.	NESO2	Strike-slip	4	255	13	75	77	165	0	0.9-1.0	1
45	OrdSil.	OSTO1	Tensional	25	232	86	6	3	96	3	0	
45	Ord -Sil.	OSTO2	Oblique	10	208	41	357	44	103	16	0.3	
45	OrdSil.	OSTO3	Oblique	6	34	51	175	32	278	19	0.4	
45	Ord -Sil.	OSTO4	Oblique	5	139	31	325	59	230	3	0.1	4
46	CamSil.	HVAL1	Compressional	6	329	6	239	1	140	84	0.7	
46	Cam -Sil.	HVAL2	Tensional	8	89	74	238	14	330	8	0.2	1
47	Prec.			9		-13	200			-	-	1
48/49		ALVA1	Tensional	9	183	87	18	3	287	1	0.1	-
		ALVA1	Strike-slip	5	183	4	326	85	93	3	0.2	4
48/49												4
50	Ordovician Ordovician	BLAK1	Tensional	4	205	80	22	10	112	1	0.4-0.5	1.2
50		BLAK2	Oblique	5	163	57	307	28	46	16	0.3-0.5	0

Site	Rock age		Туре	n	σ <sub>1</sub> -az	σ₁-pl	σ₂-az	σ <sub>2</sub> -pl	σ <sub>3</sub> -az	σ <sub>3</sub> -pl	R	Rest
51	Permian	HAUG1	Tensional	7	292	79	91	10	182	4	0.3	
51	Permian	HAUG2	Strike-slip	6	84	-14	264	76	354	0	0.3	0
52	Prec.	FJEL1	Compressional	4	311	3	42	20	213	70	0.7	
52	Prec.	FJEL2	Tensional	7	232	73	34	16	125	5	0.1	
52	Prec.	FJEL3	Oblique	31	1.70	55	20	31	281	14	0.3	
52	Prec.	FJEL4	Oblique	4	68	14	194	67	333	18	0.6-1.0	4
53	Permian	UTSI	Oblique	4	198	49	351	38	92	14	0.3-0.5	3
54	Permian											0
55	Permian	REIS	Strike-slip	6	116	17	279	72	25	5	0.6	3
56	Ordovician	BOVE1	Tensional	10	222	85	42	5	132	0	0.4	
56	Ordovician	BOVE2	Oblique	4	173	60	10	29	276	7	0.2-0.4	2
57	Prec.	HASL1	Tensional	14	153	80	348	10	257	2	0.6	
57	Prec	HASL2	Oblique	13	148	38	322	52	56	3	0,3	0
58	Cambrian	MOLL1	Tensional	7	145	74	24	8	292	14	0.5	
58	Cambrian	MOLL2	Tensional	6	321	83	94	4	180	2	0.2	
58	Cambrian	MOLL3	Oblique	9	148	48	328	42	238	0	0.3	5
59	Prec.	SPRO1	Tensional	6	103	79	303	10	212	4	0.2	
59	Prec.	SPRO2	Strike-slip	7	41	0	311	79	131	11	0.5-0.7	3
60	Prec.	NAER1	Tensional	6	318	79	215	3	124	11	0.7	
60	Prec.	NAER2	Strike-slip	9	194	9	63	76	286	10	0.3	0
61	Ordovician	SLEM	Oblique	13	216	63	22	26	116	5	0.1-0.2	6
62	Prec:	BREV1	Strike-slip	5	3	3	261	76	94	14	0.0-0.1	
62	Prec.	BREV2	Strike-slip	4	145	3	266	84	55	5	0.2	3
63	Prec.	BRYN1	Tensional	5	246	76	5	7	96	12	0.8	
63	Prec.	BRYN2	Oblique	16	125	64	334	23	239	12	0.4	2
64	Prec.	DALB1	Oblique	14	151	65	318	24	49	5	0.3	
64	Prec.	DALB2	Strike-slip	6	268	12	35	71	175	15	0.2	3
65	Permian	ROYK	Oblique	11	254	67	103	20	g	10	0.4	2
66	Prec.	NORD1	Tensional	8	11	70	237	14	143	14	0.8-1.0	
66	Prec.	NORD2	Tensional	7	0	90	128	0	218	0	0.3	
66	Prec.	NORD3	Strike-slip	12	207	6	81	80	298	8	0.2	7
67	Prec:	ALVA3	Tensional	12	133	83	294	7	24	2	0.1-02	2
68	Prec.											1
69	OrdSil.	MJON1	Tensional	16	160	80	266	3	357	10	0.3	
69	OrdSil.	MJON2	Oblique	4	160	26	252	4	349	64	0.3-0.6	
69	OrdSil.	MJON3	Oblique	11	59	44	263	43	161	12	0.1-0.4	
69	OrdSil.	MJON4	Oblique	8	111	39	243	40	358	27	0.3	
69	OrdSil.	MJON5	Strike-slip	16	97	7	261	83	7	2	0.3	
69	OrdSil.	MJON6	Strike-slip	6	27	1	120	72	297	18	0	4
70	Permian	GULL	Strike-slip	5	3	0	0	90	93	0	0.4-0.9	5
71	Prec.	SOND1	Tensional	6	219	80	83	7	352	7	0.6	
71	Prec.	SOND2	Oblique	8	214	60	5	26	101	13	0.1	3
72	Permian	OVNE	Tensional	6	283	89	77	1	167	0	0	3
73	Prec.											1
74	Permian											6
75	Prec.	FAGE1	Compressional	5	349	13	79	1	174	77	0.7-0.9	
75	Prec.	FAGE2	Oblique	5	163	56	359	33	264	7	0.2	
75	Prec	FAGE3	Strike-slip	5	89	15	318	70	183	15	0	0
76	CamSil.	KONN1	Tensional	6	139	77	312	13	42	2	0.1	3
76	CamSil.	KONN2	Strike-slip	5	124	5	315	85	214	1	0.2-0.3	
77	Prec.	HOL3	Oblique	13	167	51	347	39	77	0	0.1	0
78	Prec.	HOL11	Oblique	16	167	49	3	40	266	8	0.1	
78	Prec.	HOL12	Oblique	10	120	34	319	55	216	9	0.0-0.1	
	Prec.	HOL13	Strike-slip	7	143	10	350	79	234	5	0.3	2

Site	Rock age	Stress state	Туре	n	σ <sub>1</sub> -az	σ <sub>1</sub> -pl	σ <sub>2</sub> -az	σ <sub>2</sub> -pl	σ <sub>3</sub> -az	σ <sub>3</sub> -pl	R	Rest
79	Permian	HOL21	Tensional	7	17	74	111	1	201	16	0.1	
79	Permian	HOL22	Oblique	12	242	62	62	28	333	0	0.4	3
80	Prec.	HAHA	Strike-slip	7	139	5	247	74	48	15	0.7	1
81	Permian	HYGG1	Tensional	4	150	78	359	11	268	6	0.2	
81	Permian	HYGG2	Oblique	5	338	63	195	22	99	15	0.1-0.6	
81	Permian	HYGG3	Strike-slip	-8	334	0	0	90	244	0	0.6	0
82	Prec.	HALL1	Tensional	6	213	76	102	5	11	13	0.1-0.3	
82	Prec	HALL2	Oblique	14	164	50	344	40	74	0	0.4-0.6	
82	Prec.	HALL3	Strike-slip	6	184	.0	94	71	274	19	0,3	3
83	Permian	SELV	Tensional	11	104	88	355	1	265	2	0	4
84	Prec.	HEIS	Tensional	9	6	85	204	5	294	2	0.2	0
85	Permian	TOFT1	Tensional	4	303	70	170	14	76	14	0:3	
85	Permian	TOFT2	Oblique	6	136	62	338	26	244	9	0.0-0.6	1
86/88	Cam -Sil.	JEL11	Strike-slip	5	325	0	0	90	.55	0	0.2	
86/88	Cam -Sil.	JEL12	Tensional	8	278	75	132	13	40	8	0.1	2
89	Permian	JEL4	Oblique	17	46	60	174	19	272	22	0	11
90	Permian	HORT1	Tensional	28	354	78	174	12	264	0	0.1	
90	Permian	HORT2	Oblique	14	25	58	244	26	145	17	0.0-0.1	
90	Permian	HORT3	Oblique	7	108	47	203	5	298	43	0.7	7
91	Permian	STEI	Tensional	9	291	77	60	8	151	10	0.2	1
92	Permian	HIMB1	Tensional	30	354	82	174	8	84	0	0.1	
92	Permian	HIMB2	Oblique	12	222	49	38	41	130	2	0.2	
92	Permian	HIMB3	Strike-slip	22	170	9	298	76	78	11	0.1	8
93	Permian	LAKS1	Tensional	7	276	85	127	4	37	3	0.0-0.1	
93	Permian	LAKS2	Oblique	6	295	49	163	30	57	25	0	5
94	Permian	SKOP	Tensional	5	296	70	171	12	78	16	0	1
95	OrdSil.	EIDA1	Tensional	22	152	86	21	3	291	3	0	
95	OrdSil.	EIDA2	Oblique	8	78	46	258	44	168	0	0.0-0.2	
95	OrdSil.	EIDA3	Oblique	8	212	67	320	7	53	22	0.2	
95	OrdSil.	EIDA4	Oblique	6	214	5	313	60	121	29	0.4-0.5	
95	OrdSil.	EIDA5	Strike-slip	5	144	8	261	73	52	15	0.4	10
96	Ordovician	NBRE	Oblique	22	75	64	181	7	274	25	0.2	7
97	Permian	TVEI	Strike-slip	6	317	5	137	85	47	0	0.6	2
98	Permian											1
99-101	Permian	NEVL	Tensional	4	59	72	152	1	242	19	0	0

M. Heseremans         34         4         100         90         A Sammet         72         1         4         90           M. Heseremans         38         1         4         100         90         A Meseremans         72         1         7         1         7         1         7         1         4         90           M. Heseremans         38         3         4         90         M. Heseremans         72         1         0         74         90         7           M. Heseremans         38         5         5         M. Heseremans         72         5         1         90         7         1         1         4         0         7         1         4         0         7         1         4         0         0         7         4         0         1         1         0         0         4         0         0         4         0         0         0         0         0         4         0         0         0         0         0         0         0         0         0         0         0         0         0         0         0         0         0         0         0	ŏ.	yo "	۵	Dip	Source	s a	#	DipDir	e e	Source	s -	Data# D	DipDir	dio	Source
M. Helementan         38         1         255         70         M. Helementan         72         2         8         8         9         M. Helementan         72         2         9         74         M. Helementan         72         3         0         74         M. Helementan         72         3         0         74         M. Helementan         72         4         0         73         M. Helementan         72         4         0         14         0         74         M. Helementan         72         4         0         73         M. Helementan         72         4         0         73         M. Helementan         72         4         0         0         0         4         0	-		_	61	M. Heeremans	34	4		06	A. Saintot			74	80	A. Saintot
M. Heeremann         38         2         49         68         M. Heeremann         72         3         7           M. Heeremann         38         3         4         9         60         M. Heeremann         72         4         0         30           M. Heeremann         38         4         8         0         0         M. Heeremann         72         4         0         30           M. Heeremann         38         6         2.37         7         M. Heeremann         72         5         114         9         9           M. Heeremann         41         2         7         6         M. Heeremann         72         1         1         1         9         9           M. Heeremann         41         2         2         7         6         M. Heeremann         72         1         1         1         1         9         9         M. Heeremann         72         1         1         9         9         9         M. Heeremann         72         1         1         1         1         1         1         1         1         1         1         1         1         1         1         1         1<	2	77		82	M. Heeremans	38				M. Heeremans	72	2	88	98	A. Saintot
M. Hesermanns         38         4         7         5         M. Hesermanns         7         4         0         30           M. Hesermanns         38         4         7         5         M. Hesermanns         7         6         4         0         5           M. Hesermanns         41         1         7         7         6         M. Hesermanns         7         2         6         4         0         5           M. Hesermanns         41         1         7         7         M. Hesermanns         7         1         1         1         0         5           M. Hesermanns         41         1         7         6         M. Hesermanns         7         1         1         0         5         1         4         0         5         4         0         5         1         4         0         5         4         0         0         4         1         0         0         0         4         1         0         0         0         0         0         0         0         0         0         0         0         0         0         0         0         0         0         0         <	5	250		75	M. Heeremans	38				M. Heeremans	72	ღ .	0	74	A. Saintot
M. Heserenans         38         6         40         50         M. Heserenans         72         7         7           M. Heserenans         38         5         64         56         M. Heserenans         72         7         7         7         M. Heserenans         72         7         7         7         M. Heserenans         72         7 </td <td>4 ư</td> <td>238</td> <td></td> <td>20</td> <td>M. Heeremans</td> <td>æ æ</td> <td></td> <td></td> <td></td> <td>M. Heeremans</td> <td>2, 22</td> <td>4 rc</td> <td>&gt; <del>C</del></td> <td>200</td> <td>A. Saintot</td>	4 ư	238		20	M. Heeremans	æ æ				M. Heeremans	2, 22	4 rc	> <del>C</del>	200	A. Saintot
M. Heerenman         38         6         237         76         M. Heerenman         72         7         20         35           M. Heerenman         41         2         7         14         6         M. Heerenman         72         7         20         35           M. Heerenman         41         2         7         44         6         M. Heerenman         72         1         14         80           M. Heerenman         41         2         7         8         M. Meerenman         74         2         10         90           M. Heerenman         44         2         7         9         M. Meerenman         74         2         10         90           M. Heerenman         44         2         7         9         0         A. Saintor         96         8         7         4         9 <td>2</td> <td>283</td> <td></td> <td>65</td> <td>M. Heeremans</td> <td>38</td> <td></td> <td></td> <td></td> <td>A. Heeremans</td> <td>72</td> <td>9</td> <td>4</td> <td>92</td> <td>A. Saintot</td>	2	283		65	M. Heeremans	38				A. Heeremans	72	9	4	92	A. Saintot
M. Heerenman         A. Meerenman         Meerenman         A. Meerenman         Meerenman         A. Meerenman	2	331		5 20	M. Heeremans	38				M. Heeremans	72	7	50	55	A. Saintot
M. Heeremann         41         2         78         M. Heeremann         72         10         114         90           M. Heeremann         41         2         78         80         M. Heeremann         74         1         110         90           M. Heeremann         42         1         60         84         M. Heeremann         74         1         110         90           M. Heeremann         44         1         60         84         M. Heeremann         74         1         110         90           M. Heeremann         44         2         170         90         A. Saintot         86         8         7         1         10         90           M. Heeremann         44         2         1         0         90         A. Saintot         86         8         2         7         4         90         90         A. Saintot         86         8         9<	- 2	92		85	M. Heeremans	8 4				M. Heeremans A. Heeremans	72	0 0	4 1	3 8	A. Saintot
M. Heereman         41         3         255         68         M. Heereman         74         1         10         90           M. Heereman         41         3         255         68         M. Heereman         74         1         10         90           M. Heereman         42         1         60         84         M. Heereman         74         3         110         90           M. Heereman         44         2         75         90         A. Sainter         74         3         110         90           M. Heereman         44         2         75         90         A. Sainter         86         88         2         74         3         110         90           M. Heereman         44         5         90         A. Sainter         86         88         5         70         90           M. Heereman         45         1         161         45         M. Heereman         86         88         5         9         9         9         9         9         9         9         9         9         9         9         9         9         9         9         9         9         9         9	6	250		75	M. Heeremans	14	2			A. Heeremans	72	10	114	06	A. Saintot
M. Hoteremann         41         4         4         4         4         1         90         A. Sainton         74         2         1         9         90           M. Hoteremann         44         1         6         40         M. Hoteremann         79         1         15         38           M. Hoteremann         44         1         10         90         A Sainton         79         1         15         38           M. Hoteremann         44         1         10         90         A Sainton         80         2         277         40           M. Hoteremann         44         5         90         A Sainton         86         88         3         48         90           M. Hoteremann         45         1         10         90         A Sainton         86         88         3         48         90           M. Hoteremann         45         1         16         45         M. Hoteremann         86         88         3         48         90           M. Hoteremann         45         1         16         45         M. Hoteremann         46         90         A Sainton         48         90         90	0 0	259		50	M. Heeremans	14 :	ю·			M. Heeremans	74	- (	110	06 5	A. Saintot
M. Heerenman         44         1         80         A. Saintet         79         1         15         38           M. Heerenman         44         1         80         A. Saintet         79         1         15         38           M. Heerenman         44         1         90         A. Saintet         80         1         2.75         46           M. Heerenman         44         3         1.05         90         A. Saintet         86-88         1         44         90           M. Heerenman         45         1         161         45         80         A. Saintet         86-88         1         44         90           M. Heerenman         45         2         1.61         45         M. Heerenman         86-88         1         44         90           M. Heerenman         45         3         1.61         45         M. Heerenman         86-88         1         4         90           M. Heerenman         45         3         1.61         7.0         M. Heerenman         86-88         1         4         90           A. Saintet         46         2         3         1.61         7.0         M. Heerenman	മ	283		8/	M. Heeremans	47	4 +			M. Heeremans	7.4	N 6	5 5	9 8	A. Saintot
M. Heeremans         44         2         75         90         A Santott         80         1         275         46           M. Heeremans         44         4         3         110         90         A Santott         80         1         275         44           M. Heeremans         44         4         4         10         90         A Santott         86-88         2         273         42           M. Heeremans         45         1         161         45         M. Heeremans         86-88         4         6         90           M. Heeremans         45         2         2         200         90         A Santott         86-88         4         6         90           M. Heeremans         46         2         2         75         M. Heeremans         86-88         6         5         90         90           A. Saintot         46         2         7         M. Heeremans         86-88         7         5         9         9         9         9         9         9         9         9         9         9         9         9         9         9         9         9         9         9         9 </td <td>0 6</td> <td>331</td> <td></td> <td>20</td> <td>M. Heeremans</td> <td>44</td> <td></td> <td></td> <td></td> <td>A. Saintot</td> <td>7.6</td> <td>· -</td> <td>15</td> <td>38</td> <td>A. Saintot</td>	0 6	331		20	M. Heeremans	44				A. Saintot	7.6	· -	15	38	A. Saintot
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M. Hoerenmans         44         5         90         90         A Saintot         696-88         2         70         90           M. Hoerenmans         45         1         161         45         M. Hoerenmans         66-88         4         60         90           M. Hoerenmans         45         2         260         80         M. Hoerenmans         66-88         4         60         90           M. Hoerenmans         45         2         2         60         80         M. Hoerenmans         66-88         4         60         90           M. Hoerenmans         46         2         4         80         70         M. Hoerenmans         66-88         7         60         90           A. Saintot         46         2         4         80         70         M. Hoerenmans         66-88         7         7         4         60         90         70           A. Saintot         46         2         3         17         7         A Saintot         86-88         17         40         90           A. Saintot         50         2         1         10         7         A Saintot         86-88         17         40	ns 10 3	283		65	M. Heeremans	44 :	4 1		06	A. Saintot	86-88	<del>-</del> (	44	06	A. Saintot
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M. Heeremans         45         3         151         75         M. Heeremans         86-88         6         45         90           A. Saintort         46         1         50         75         M. Heeremans         86-88         6         45         39           A. Saintort         46         1         30         70         A. Saintort         86-88         10         70         60           A. Saintort         464/49         2         67         86         M. Heeremans         86-88         10         70         60           A. Saintort         50         1         95         70         A. Saintort         86-88         11         70         60           A. Saintort         50         1         10         A. Saintort         86-88         13         20         70         65         10         70         80         70         70         80         70         A. Saintort         86-88         10         70         80         70         A. Saintort         86-88         10         70         80         70         A. Saintort         86-88         10         70         80         70         A. Saintort         80         70	17 3	262		81	M. Heeremans	45	- 2			4. Heeremans	86-88	2	20	06	A. Saintot
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